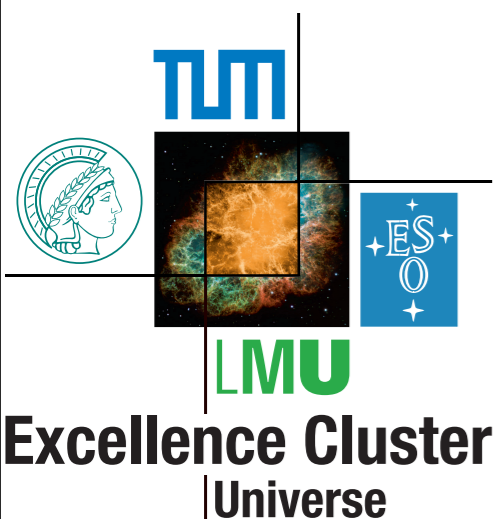


Electromagnetic Probes Dileptons – Experiments

– Torsten Dahms –
Excellence Cluster Universe - TU München

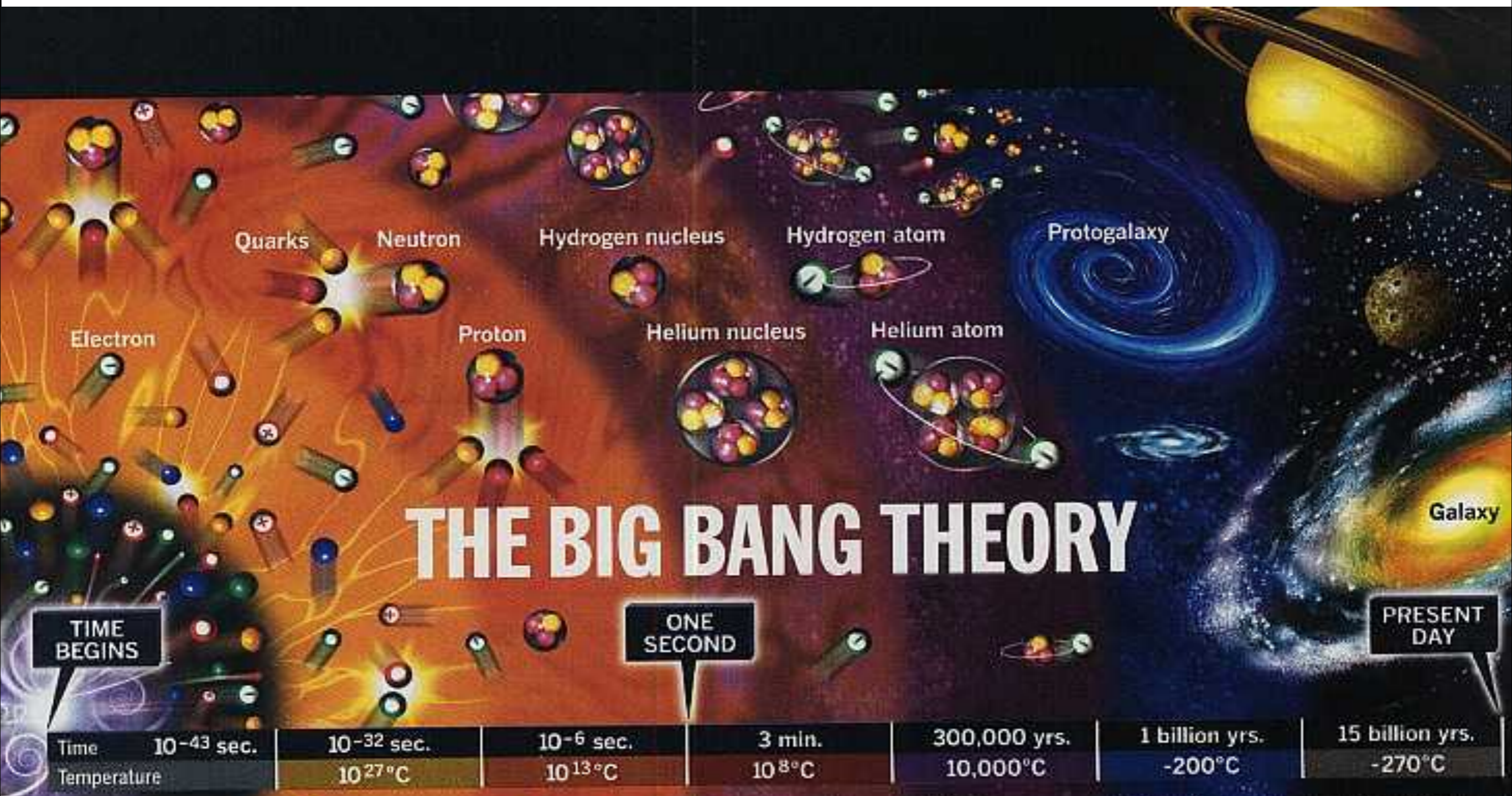
H-QM Helmholtz Research School – Lecture Week
March 31st – April 4th, 2013



Technische Universität München

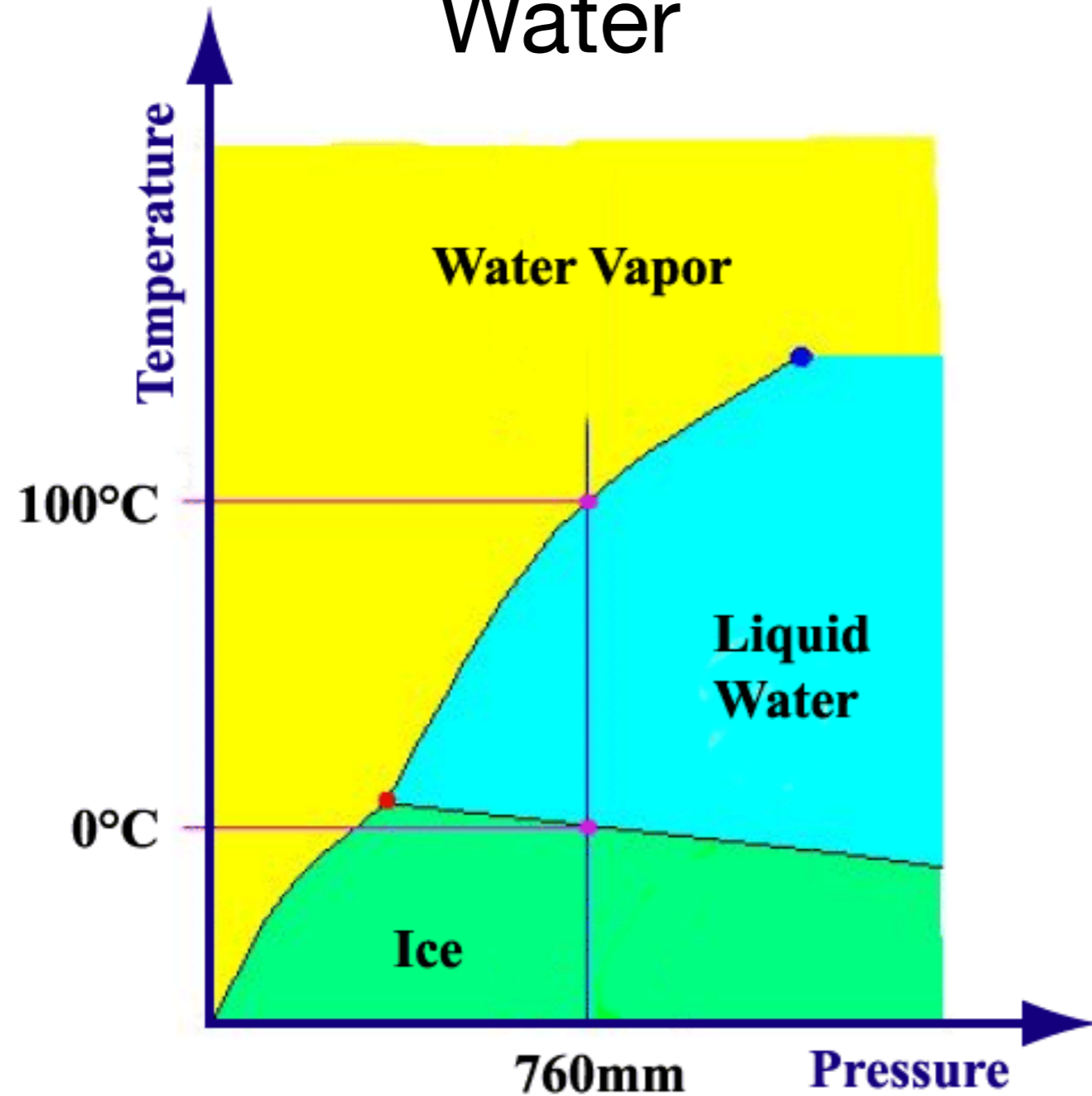
Introduction

The History of the Universe

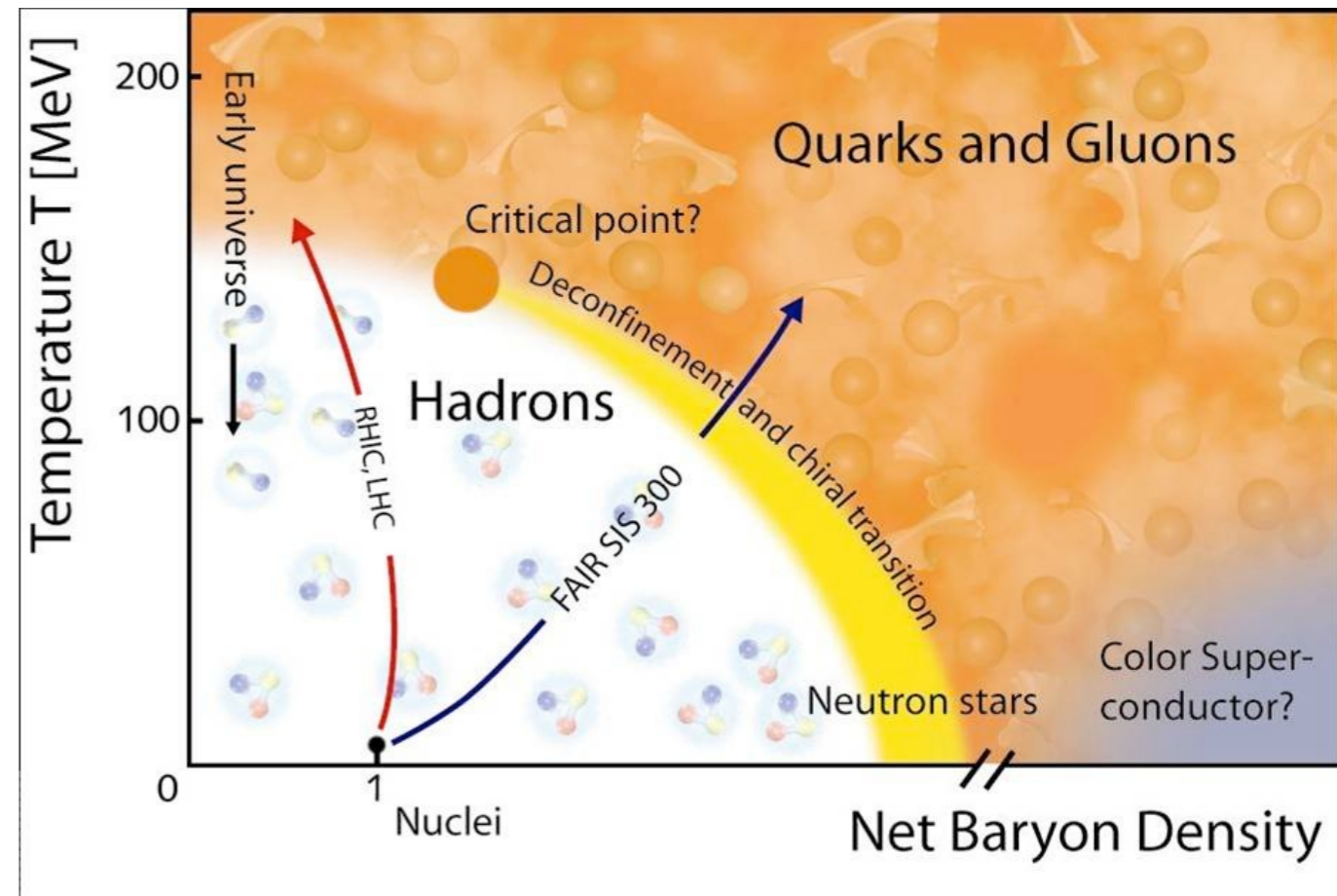


Phases of Matter

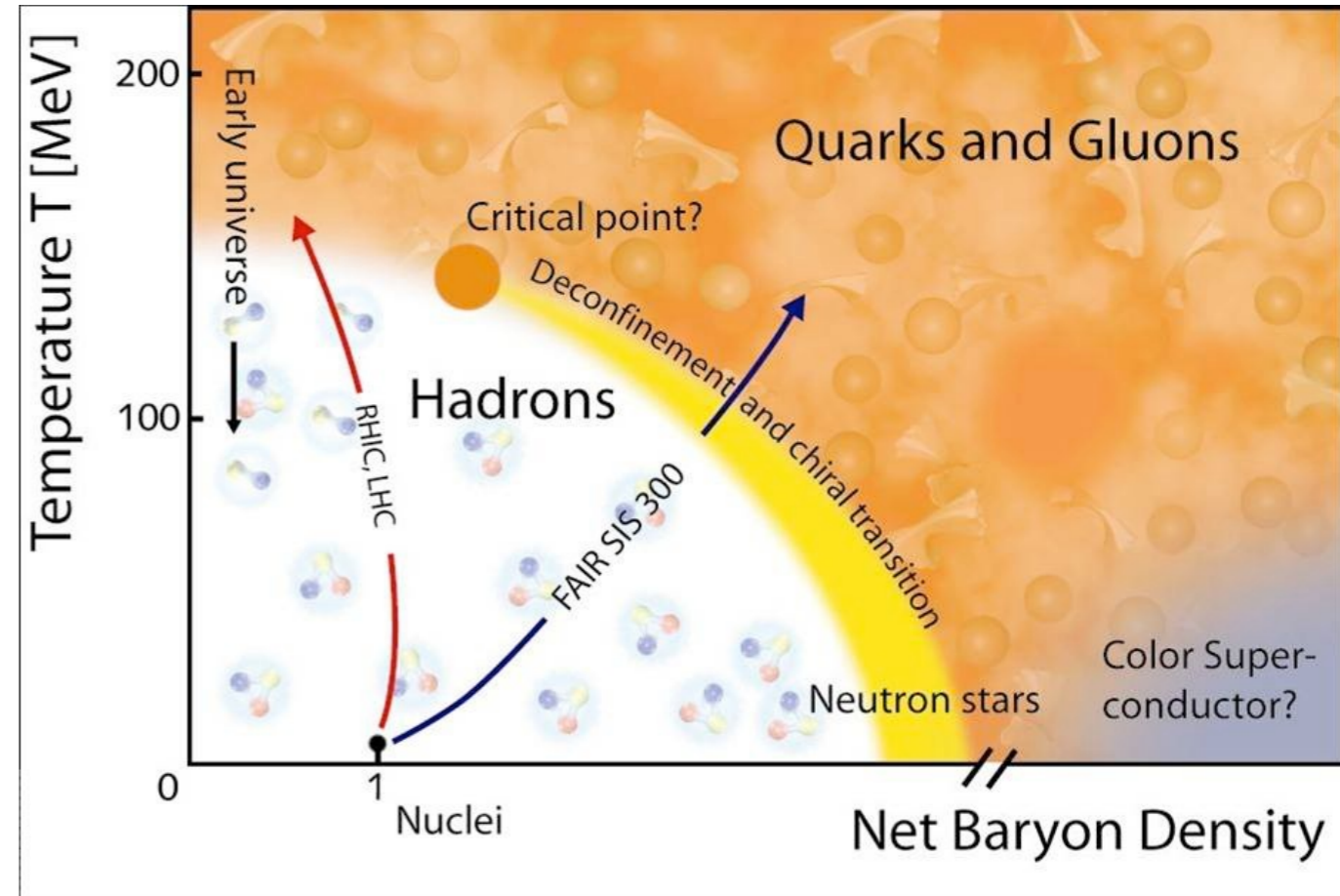
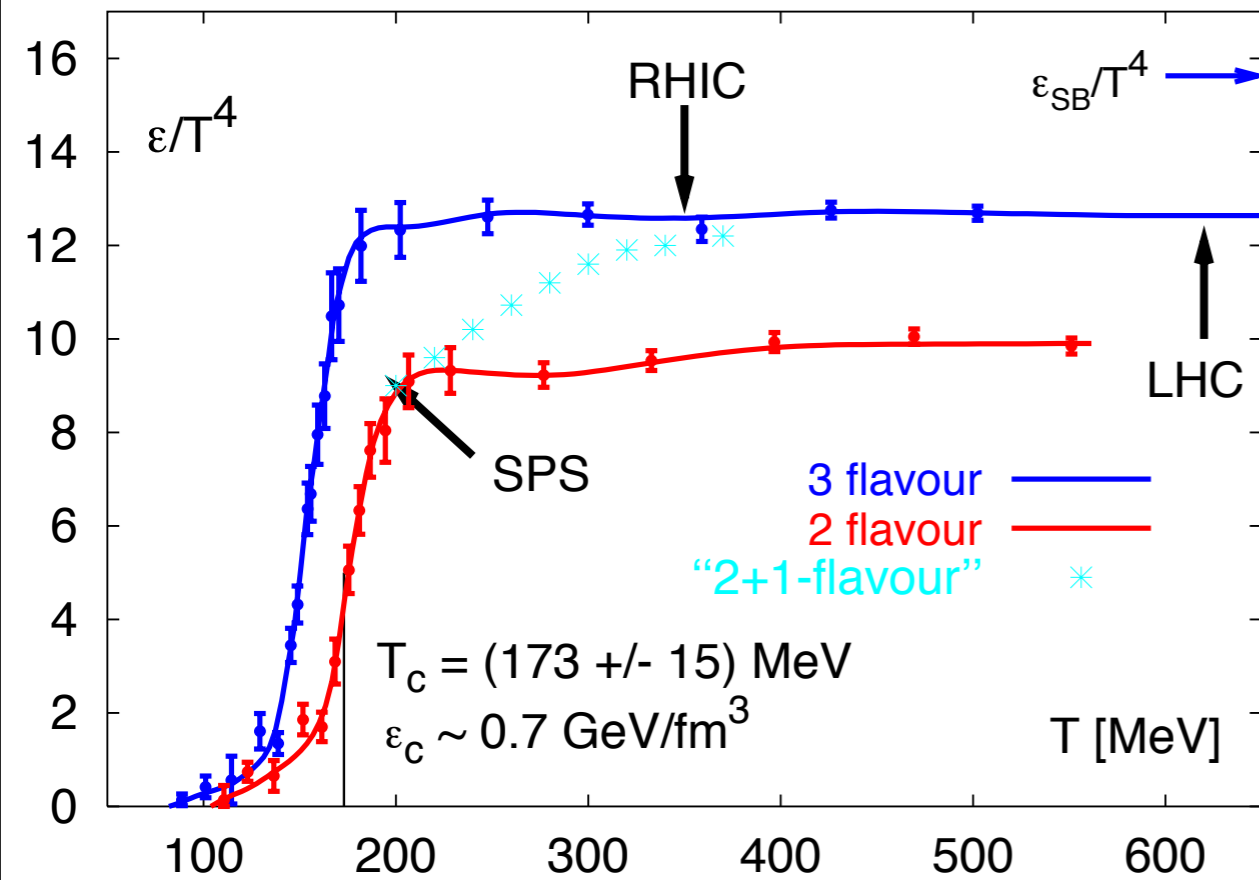
Water



QCD Matter



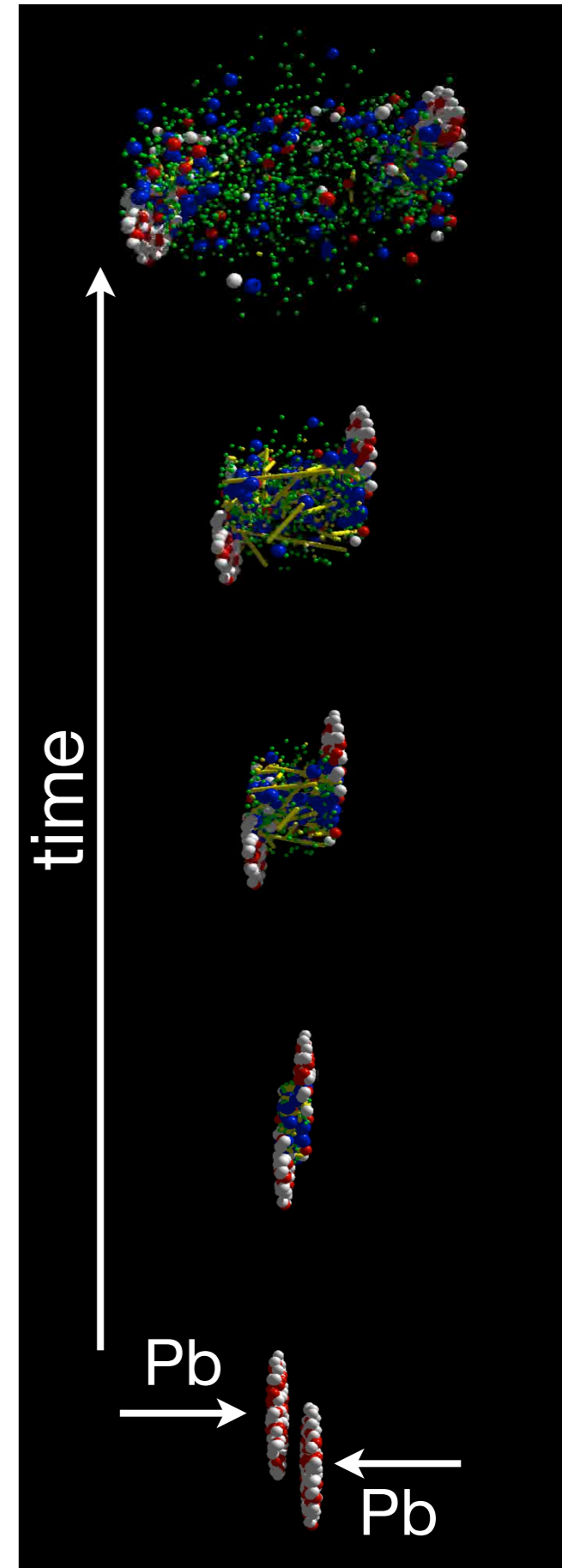
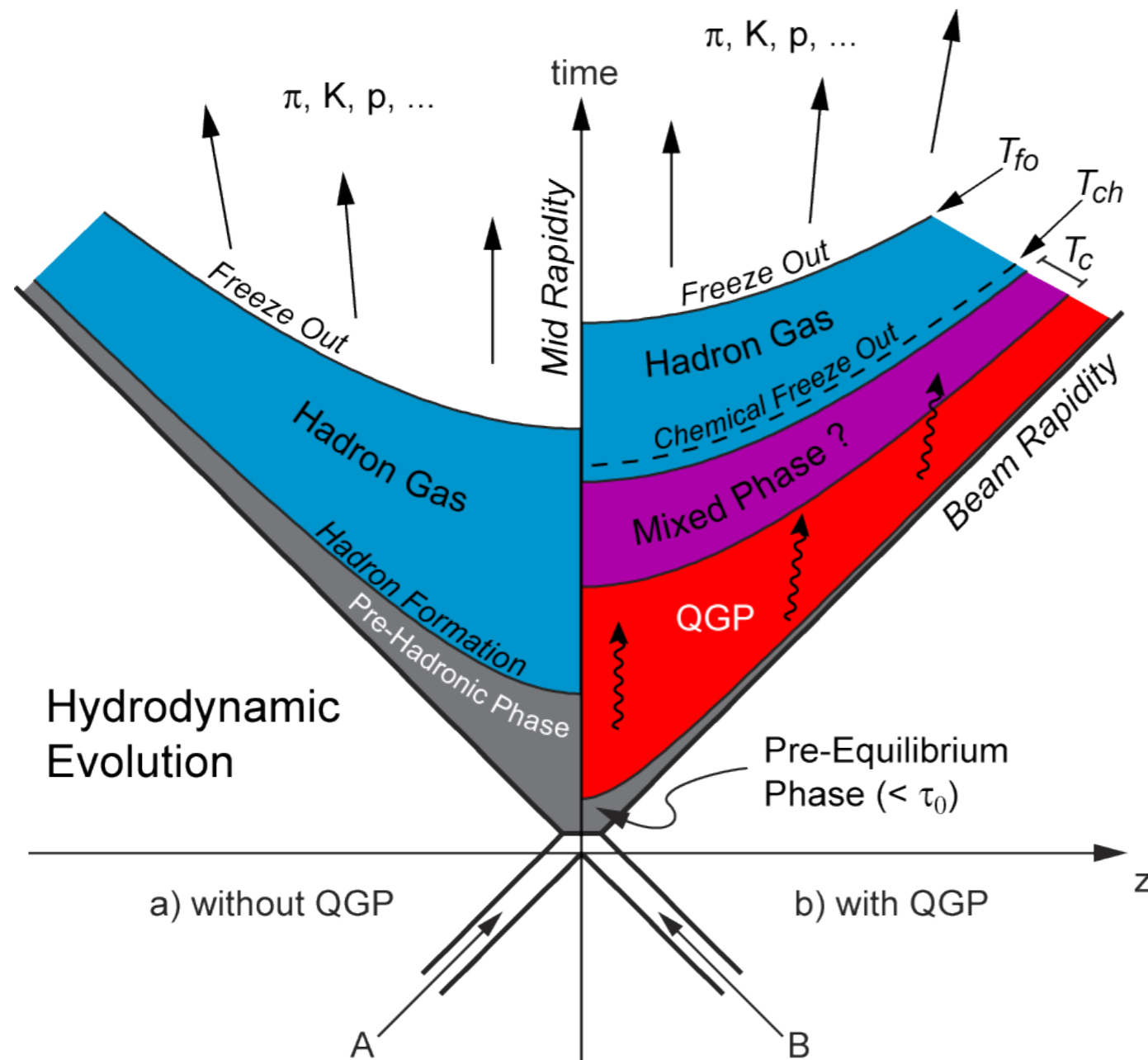
Phases of QCD Matter



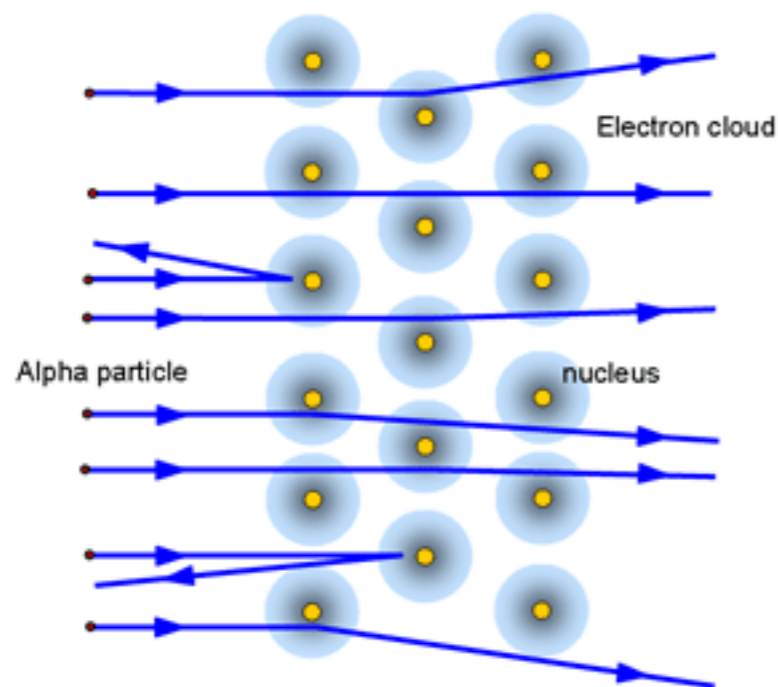
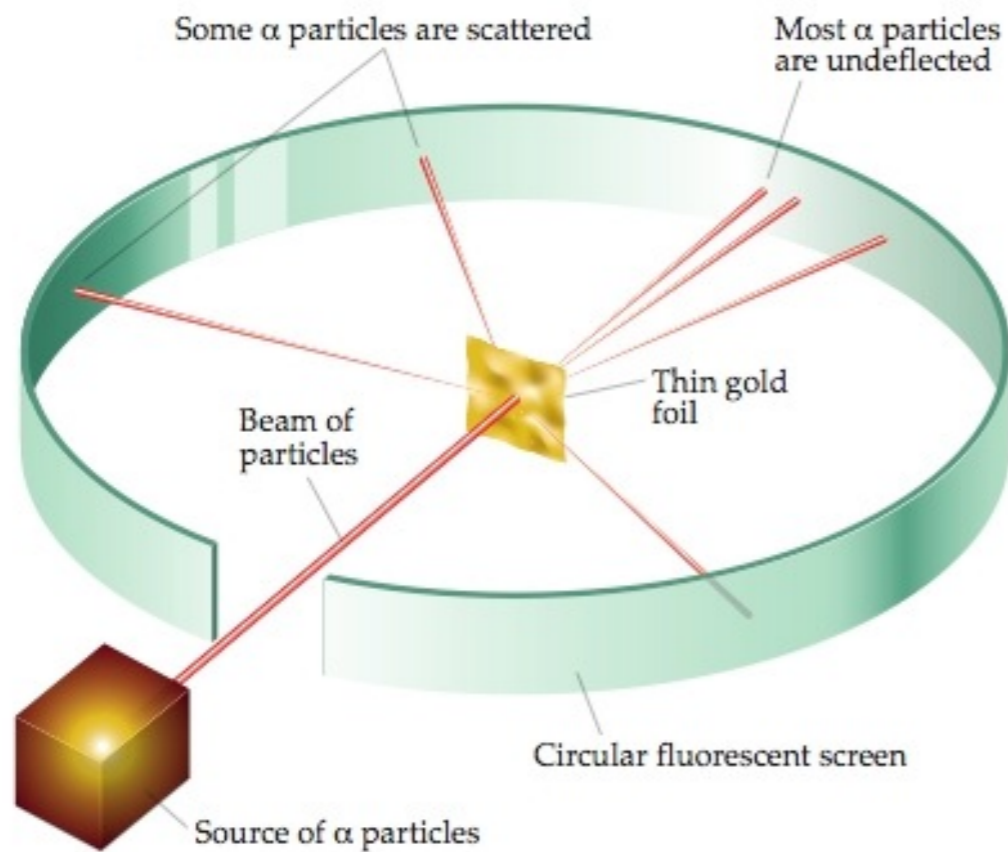
- Phase transition at $T_c = 170 \text{ MeV}$
 - $1 \text{ MeV} \sim 10^{10} \text{ K} \rightarrow T_c = 2 \times 10^{12} \text{ K}$
- Centre of the sun: $2 \times 10^7 \text{ K}$
- The QGP is more than 100 000 times hotter than the centre of the sun

Creating the QGP: Heavy Ion Collisions

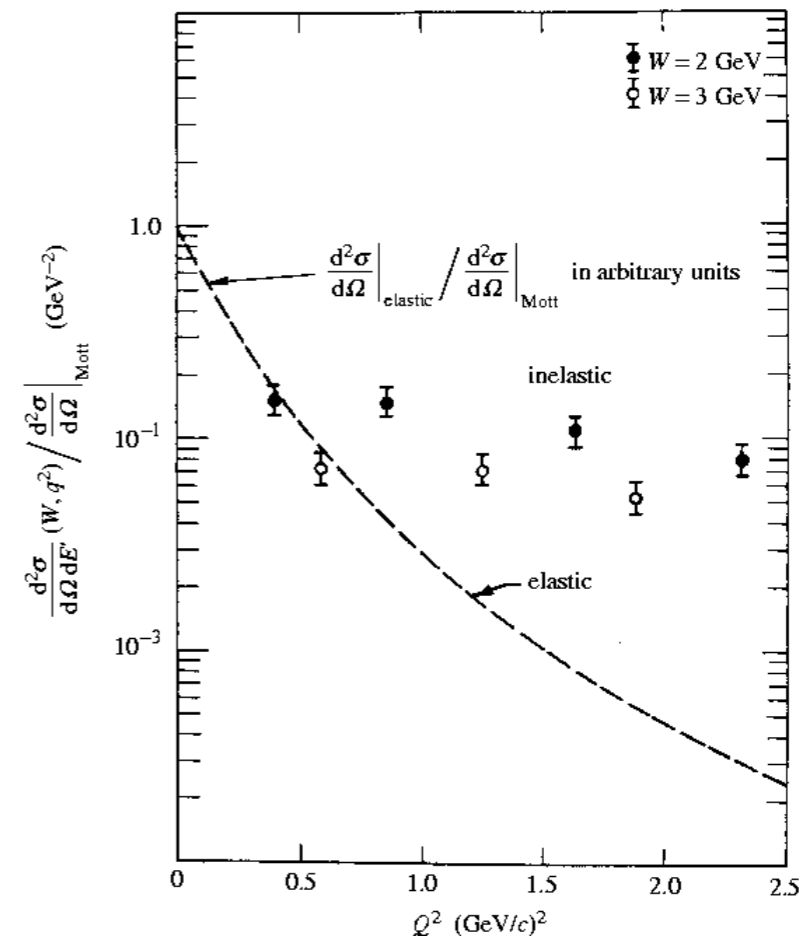
- Quark-gluon plasma (QGP) existed in the early universe:
 - ▶ conditions: extremely hot and high energy density
- To (re)create a QGP:
 - ▶ put a lot of nucleons with high energy in a small space
→ Heavy-Ion Collisions at ultra-relativistic energies



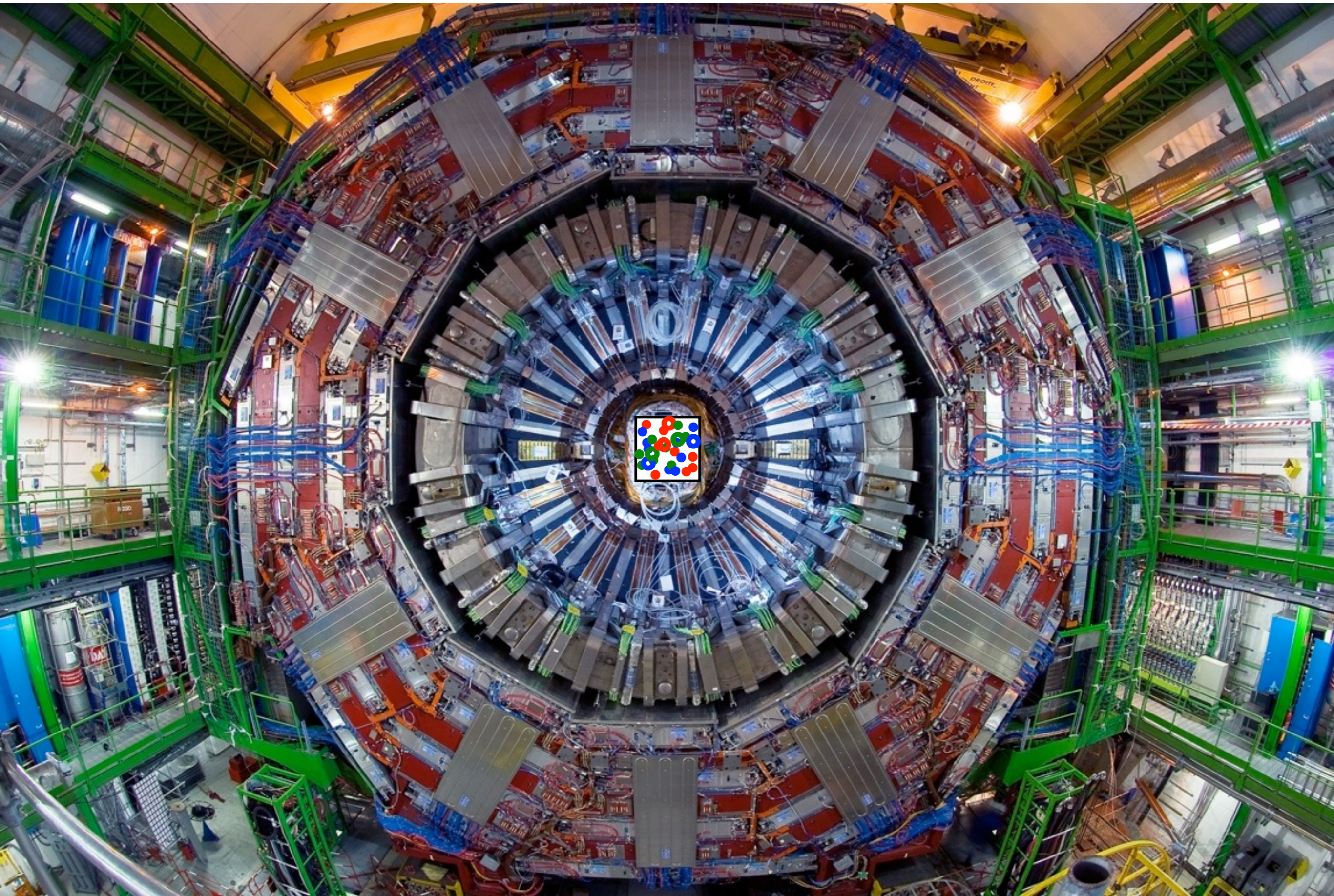
How to Probe the Structure of Matter?



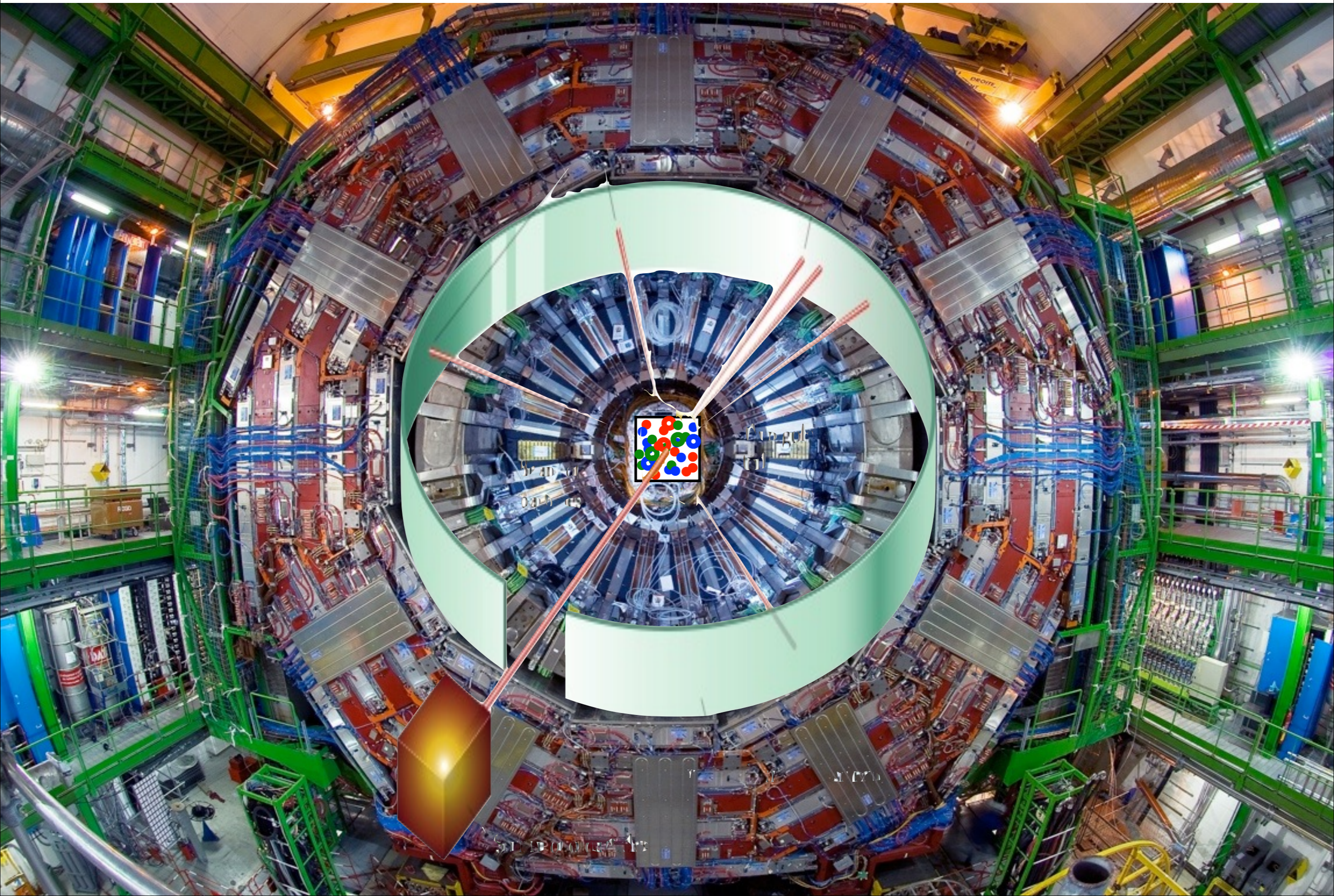
- Rutherford experiment:
 - ▶ $\alpha \rightarrow$ atom: discovery of the nucleus
 - ▶ elastic collisions
- SLAC electron scattering:
 - ▶ $e \rightarrow$ proton: discovery of quarks
 - ▶ inelastic collisions



Rutherford Experiment on a QGP?

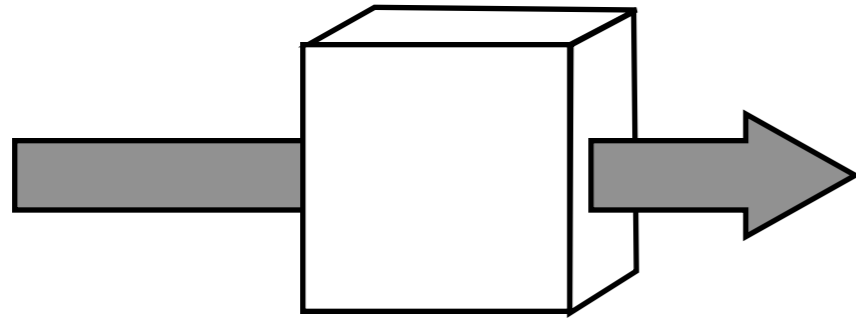


Rutherford Experiment on a QGP?



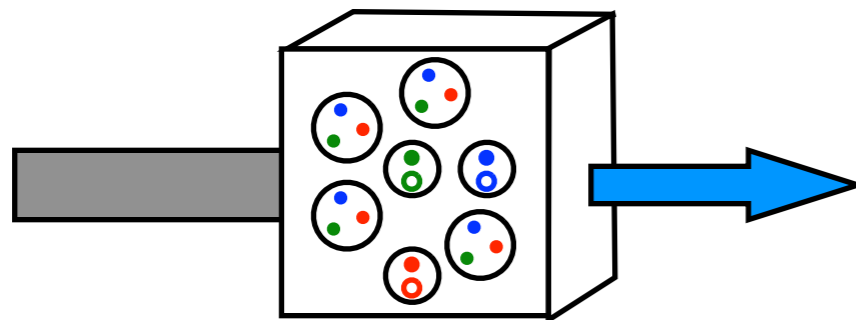
How to Probe the QGP?

vacuum



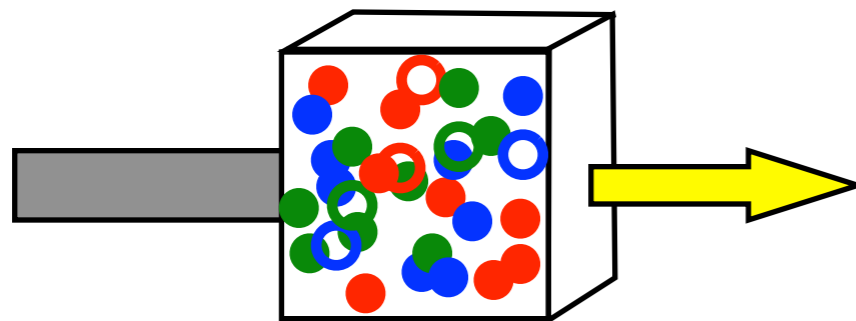
- Has to be well understood in pp collisions

hadronic matter



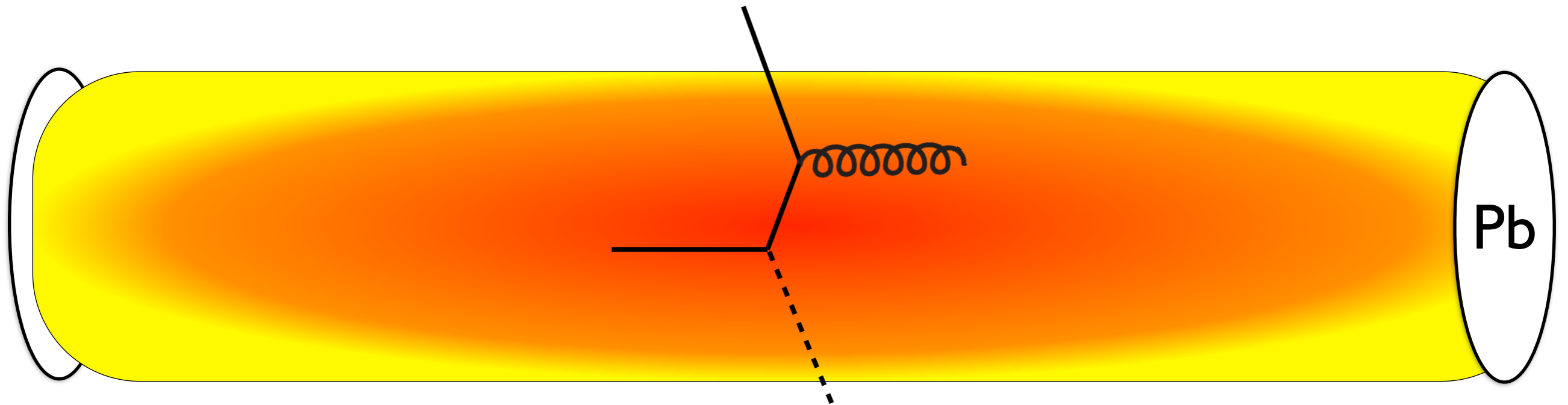
- Effect of hadronic matter has to be understood and accounted for

QGP



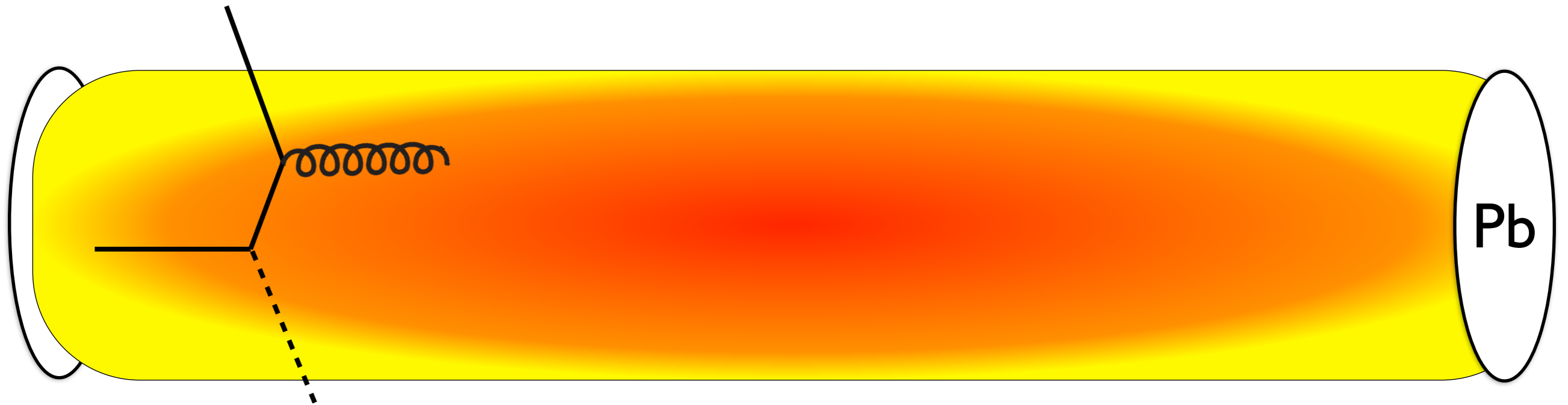
- Has to be strongly affected by the QGP

Hard Probes of the QGP



- Create the probes as part of the collision
- Create probes before the QGP forms
- Control probes not affected by the QGP to calibrate measurements
- Collisions without QGP to test cold nuclear matter effects
 - ▶ pp collisions, p-nucleus collisions, light-ion collisions

Hard Probes of the QGP

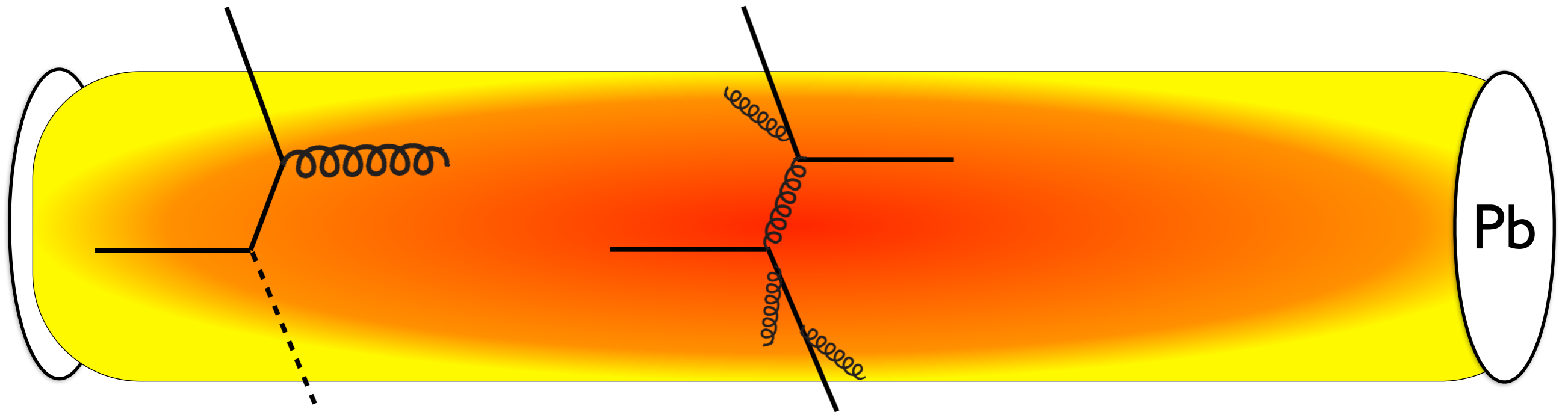


control probes

(γ, W^\pm, Z)

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Hard Probes of the QGP



control probes

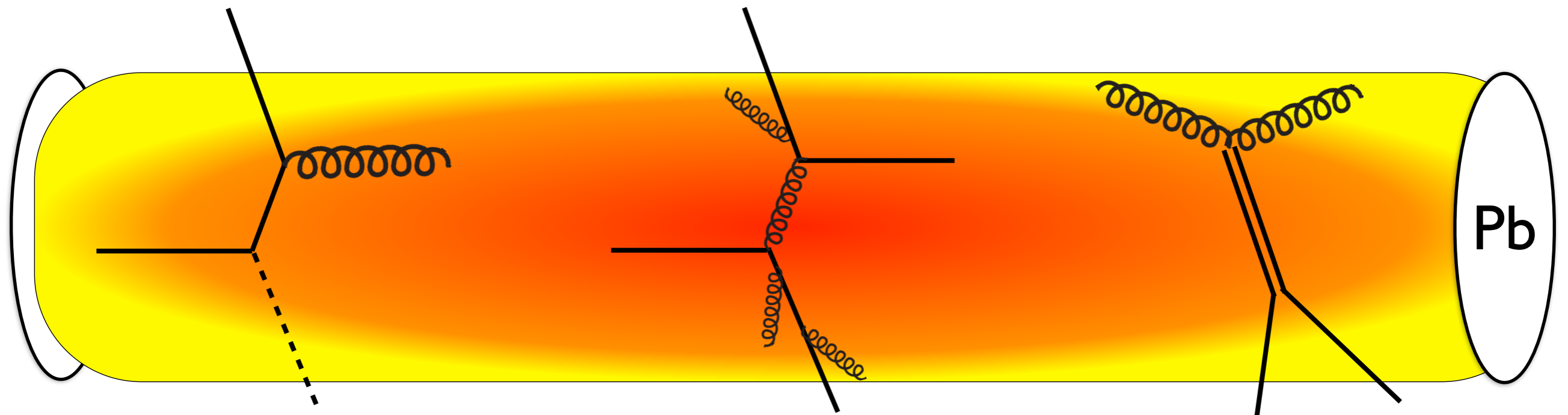
(γ, W^\pm, Z)

density \Leftrightarrow energy loss

(hadrons, jets, open heavy flavour)

- Create the probes as part of the collision
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Hard Probes of the QGP



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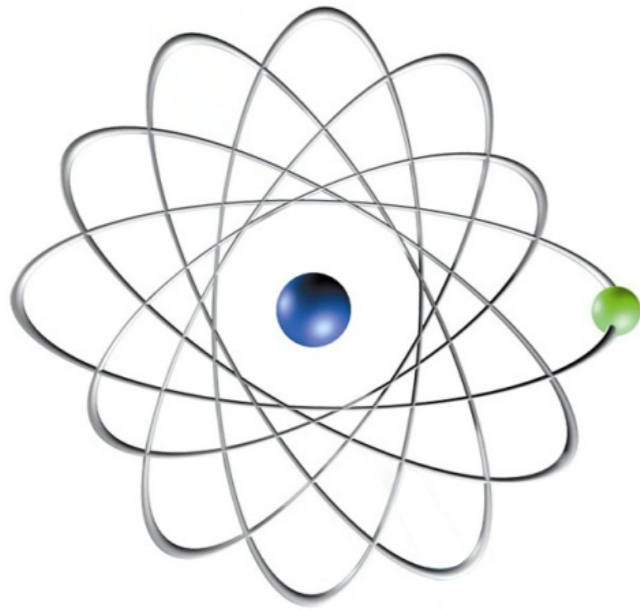
temperature \Leftrightarrow dissociation

(quarkonia)

- Create the probes as part of the collision
- Create probes before the QGP forms
- Control probes not affected by the QGP to calibrate measurements
- Collisions without QGP to test cold nuclear matter effects
 - ▶ pp collisions, p-nucleus collisions, light-ion collisions

The Mass of Composite Systems

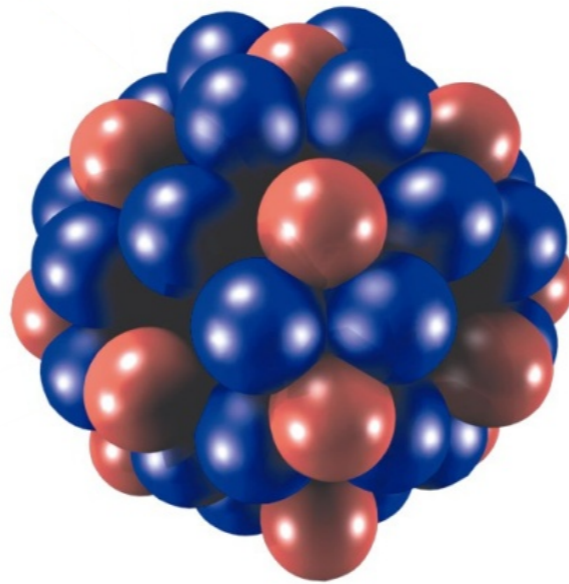
Atom:
 10^{-10} m



$$M \approx \sum m_i$$

binding energy
effect $\approx 10^{-8}$

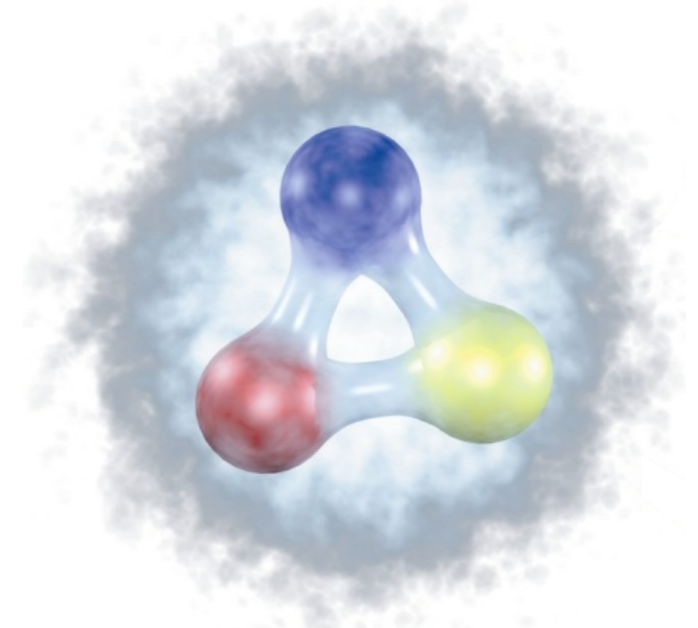
Nucleus:
 10^{-14} m



$$M \approx \sum m_i$$

binding energy
effect $\approx 10^{-3}$

Nucleon:
 10^{-15} m



$$M \gg \sum m_i$$

mass given by
energy stored in
motion of quarks
and by energy in
colour gluon fields

- Role of chiral symmetry breaking

- ▶ Chiral symmetry = fundamental symmetry of QCD for massless quarks
- ▶ Chiral symmetry broken on hadron level

Chirality

- Chirality (from the greek word for hand: “χειρ”)
 - ▶ when an object differs from its mirror image
- Simplification of chirality: helicity
(projection of a particle’s spin on its momentum direction)
- Massive particles P
 - ▶ left and right handed components must exist
 - ▶ $m > 0$ particle moves with $v < c$
 - P looks left handed in the laboratory
 - P will look right handed in a rest frame moving faster than P but in the same direction
 - ▶ chirality is NOT a conserved quantity
- In a massless world
 - ▶ chirality is conserved
 - ▶ careful: $m = 0$ is a sufficient but not a necessary condition



QCD and Chiral Symmetry Breaking

- The QCD Lagrangian:

$$\mathcal{L}_{QCD} = \bar{q}(i\gamma^\mu D_\mu - \mathcal{M}_q)q - \frac{1}{4}G_{\mu\nu}^a G_a^{\mu\nu} \quad , \quad D_\mu = \partial_\mu + ig_s \frac{\lambda_a}{2} A_\mu^a \quad ,$$

- **Explicit chiral symmetry breaking**

- ▶ mass term $\bar{q} M_q q$ in the QCD Lagrangian

- Chiral limit: $m_u = m_d = m_s = 0$

- ▶ chirality would be conserved
- ▶ **all states have a ‘chiral partner’ (opposite parity and equal mass)**

- Real life

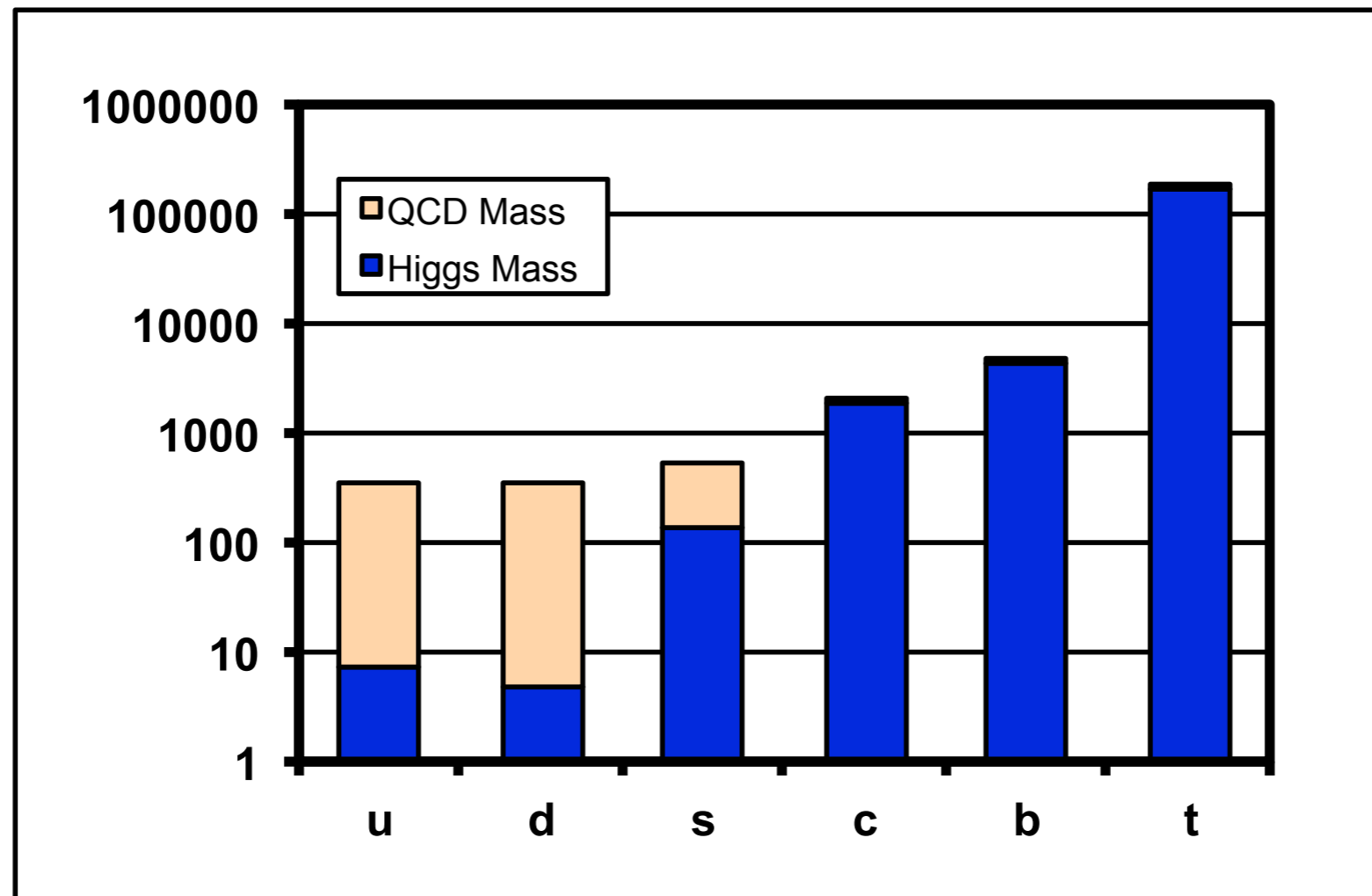
- ▶ a_1 ($J^P=1^+$) is chiral partner of ρ ($J^P=1^-$): $\Delta m \approx 500$ MeV
- ▶ even worse for the nucleon: $N^*(1/2^-)$ and $N(1/2^+)$: $\Delta m \approx 600$ MeV
- ▶ **(small) current quark masses do not explain this**

- **Chiral symmetry is also spontaneously broken**

- ▶ spontaneously = dynamically



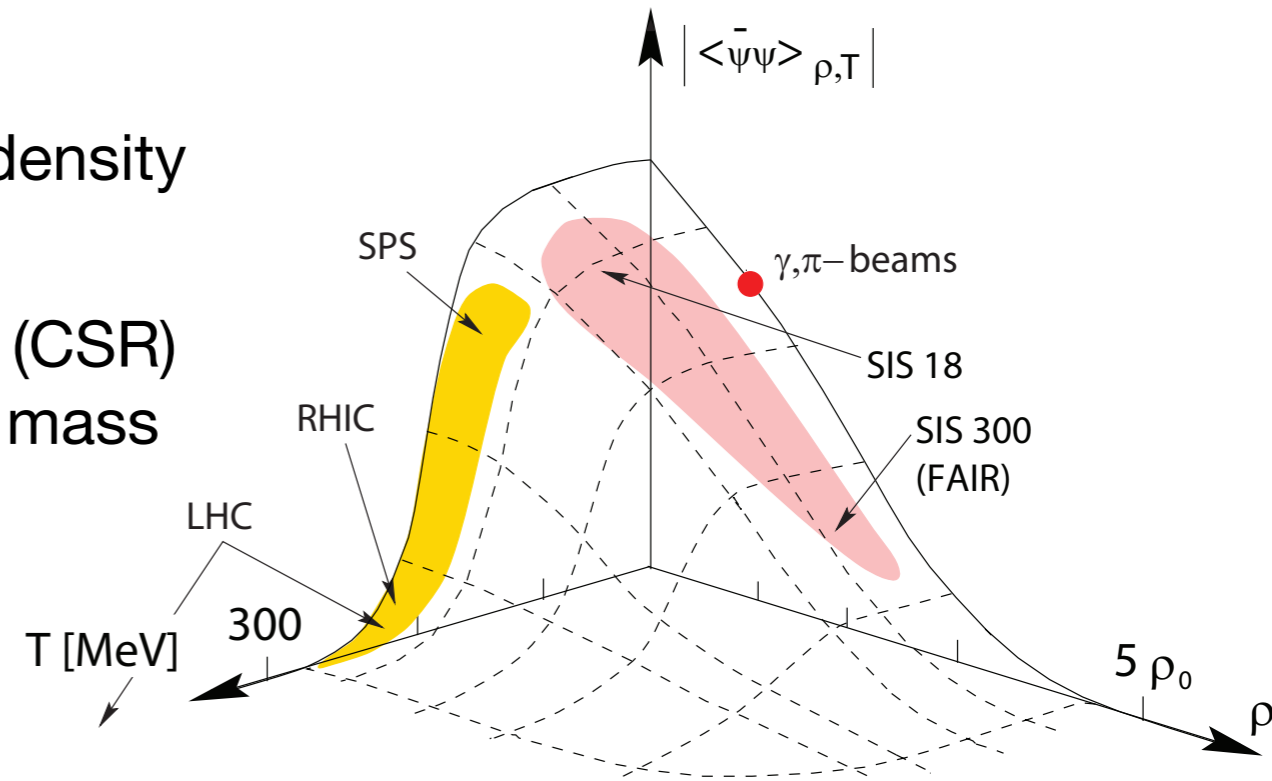
The Origin of Mass



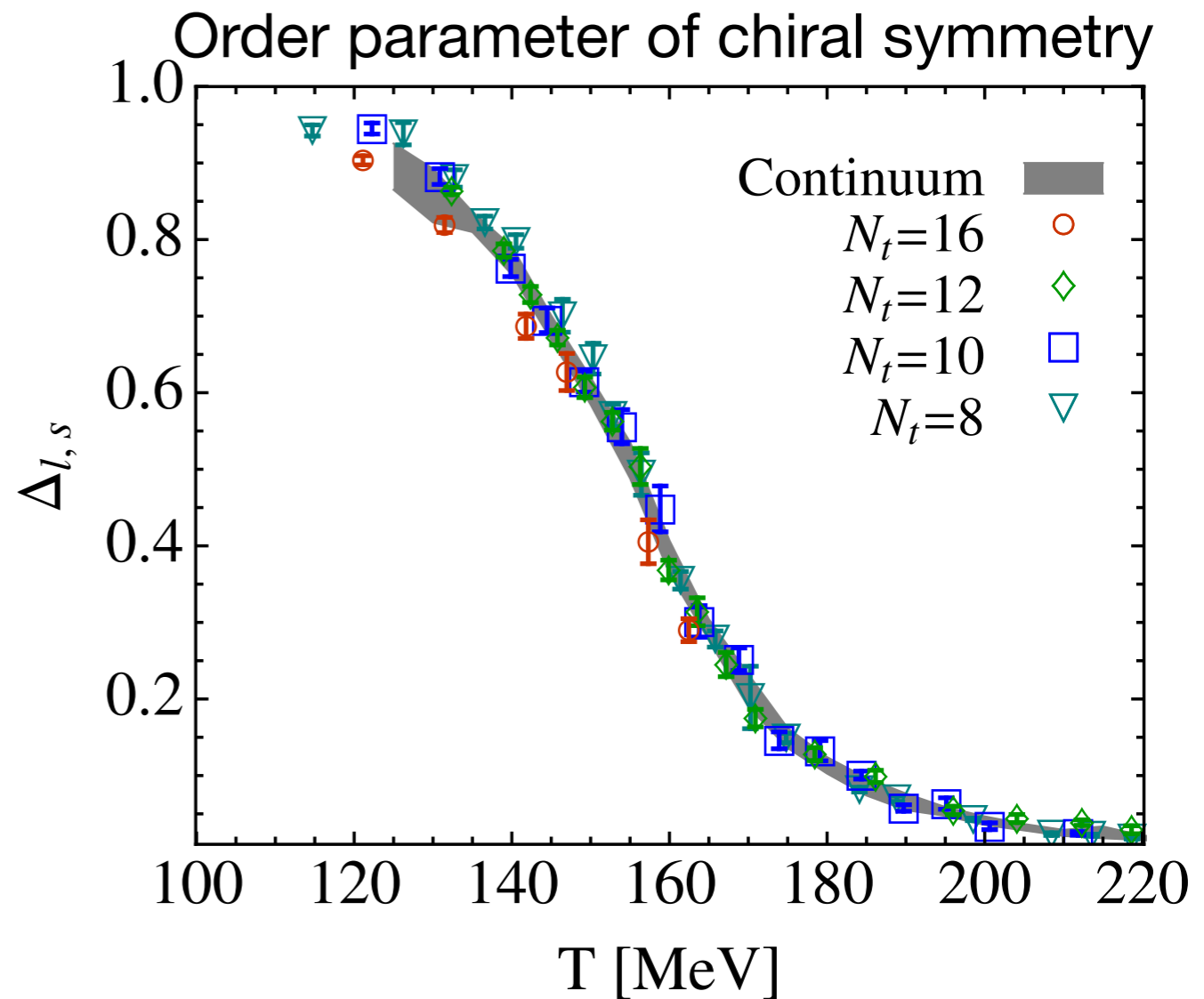
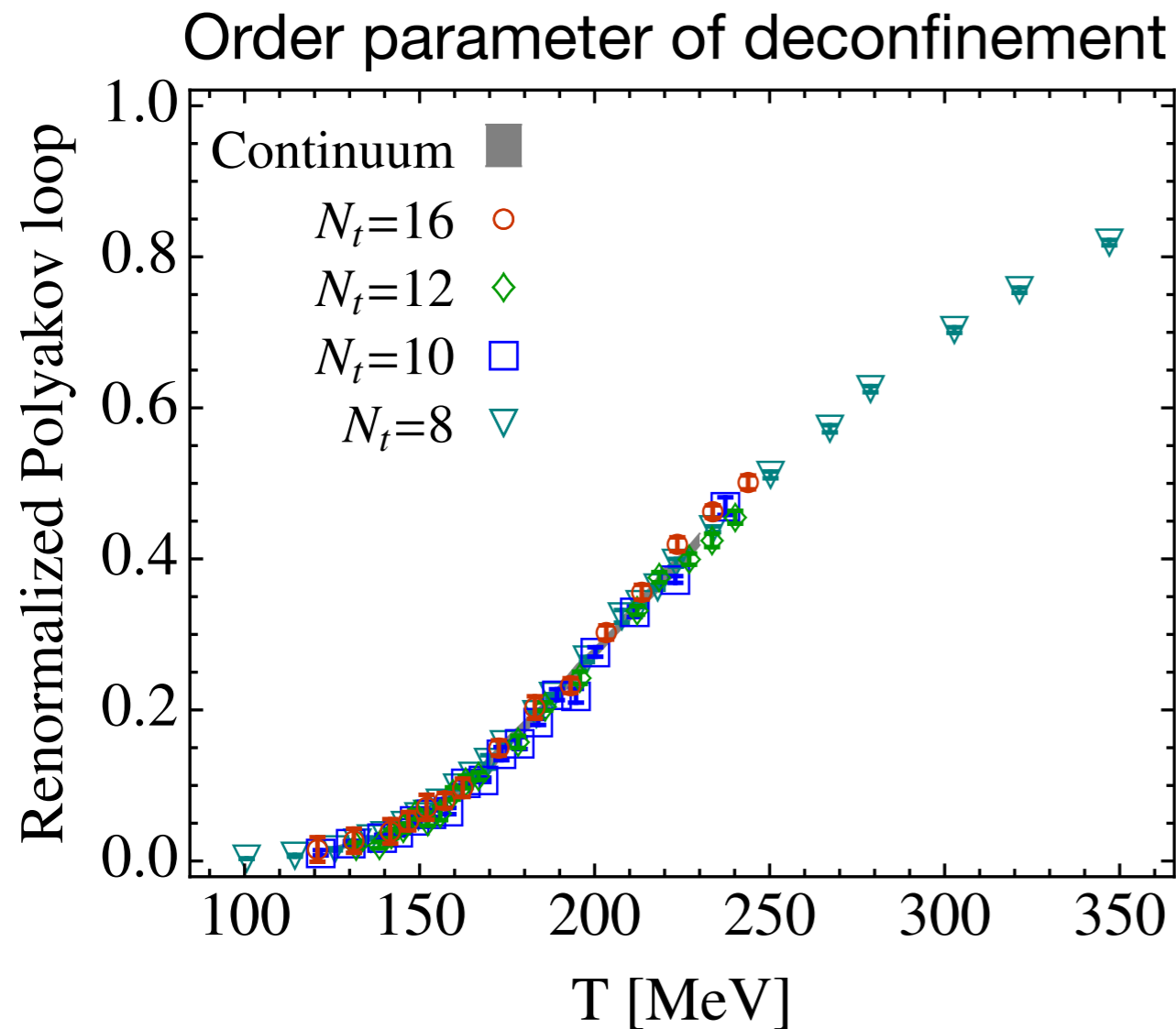
- Current quark mass
 - ▶ generated by spontaneous symmetry breaking (Higgs mass)
 - ▶ contributes ~5% to the visible (our) mass
- Constituent quark mass
 - ▶ ~95% generated by spontaneous chiral symmetry breaking (QCD mass)

Chiral Symmetry Restoration

- Spontaneous symmetry breaking gives rise to a nonzero ‘order parameter’
 - ▶ QCD: quark condensate $\langle \bar{q}q \rangle \approx -250 \text{ MeV}^3$
 - ▶ many models (!): hadron mass and quark condensate are linked
- Numerical QCD calculations
 - ▶ at high temperature and/or high baryon density
→ deconfinement and $\langle \bar{q}q \rangle \rightarrow 0$
 - ▶ approximate chiral symmetry restoration (CSR)
→ constituent mass approaches current mass
- Chiral Symmetry Restoration
 - ▶ expect modification of hadron spectral properties (mass m , width Γ)
- QCD Lagrangian → parity doublets are degenerate in mass



Chiral Phase Transition



Wuppertal-Budapest Collaboration,
JHEP 09 (2010) 073

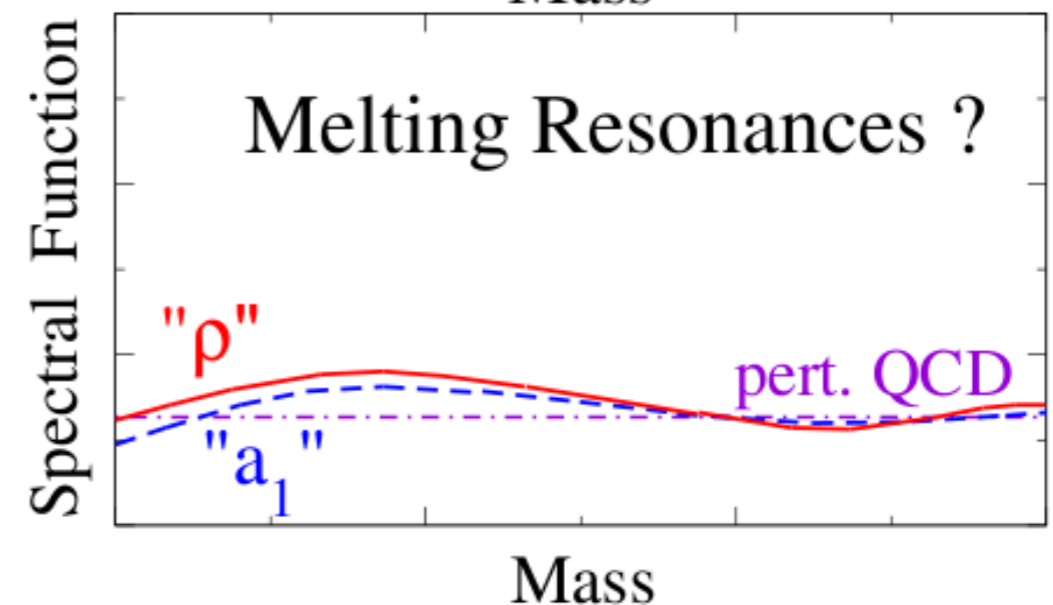
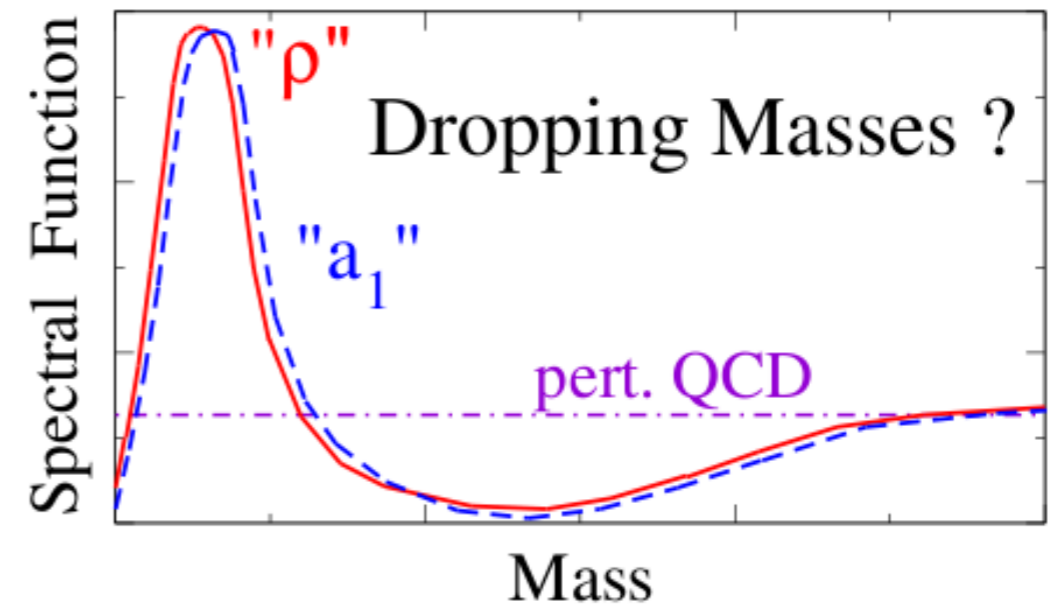
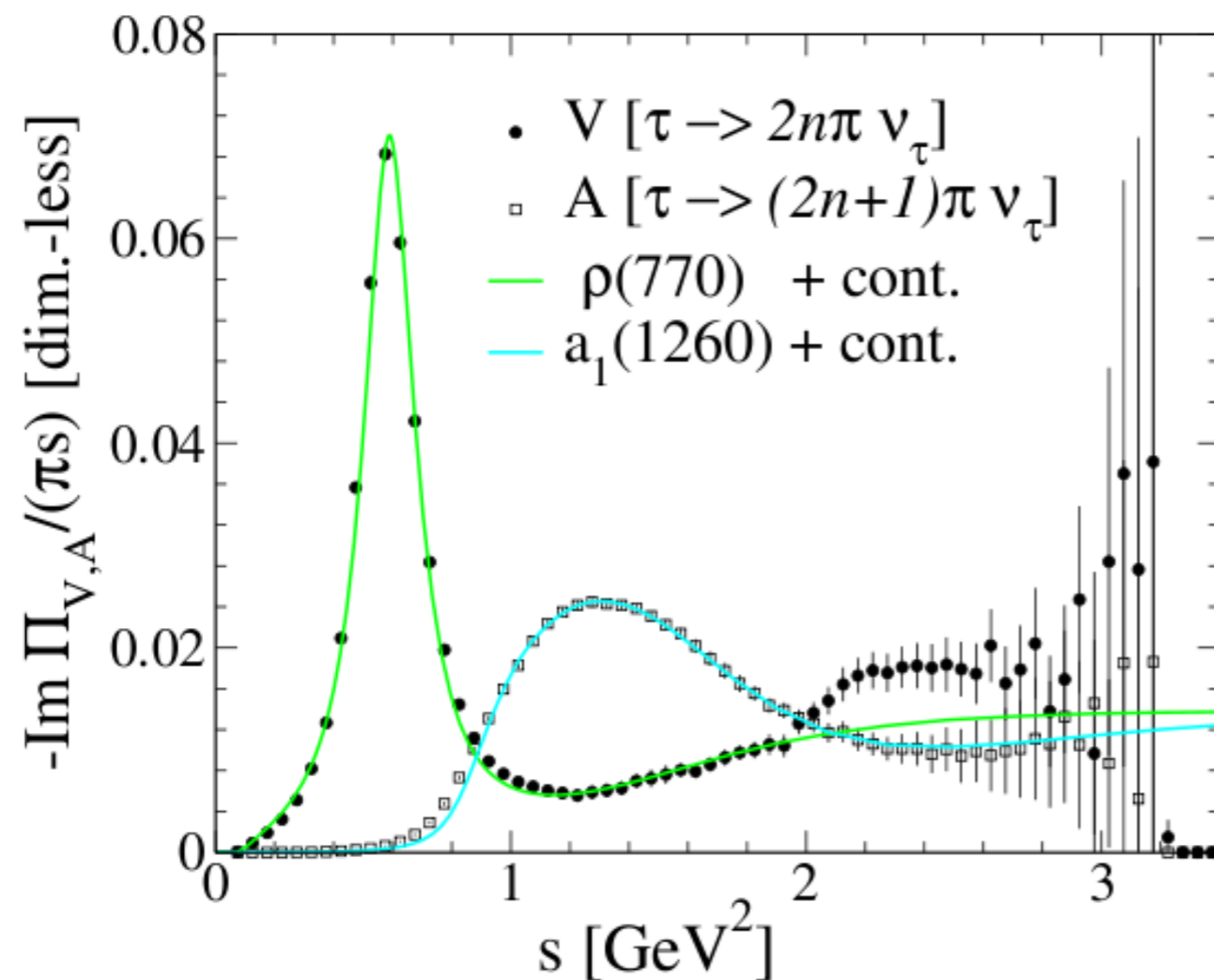
- Lattice QCD calculation
 - ▶ Predict chiral symmetry restoration already at T lower than deconfinement phase transitions

Chiral Symmetry Restoration (CSR)

- Brown-Rho scaling

G. Brown & M. Rho, PRL (1991) 2720

$$\frac{\langle\langle\bar{\psi}\psi\rangle\rangle}{\langle\bar{\psi}\psi\rangle} = \left(\frac{f_{\pi}^*}{f_{\pi}}\right)^3 \quad \text{and} \quad \frac{f_{\pi}^*}{f_{\pi}} = \frac{m_{\sigma}^*}{m_{\sigma}} = \frac{m_N^*}{m_N} = \frac{m_{\rho}^*}{m_{\rho}} = \frac{m_{\omega}^*}{m_{\omega}}$$



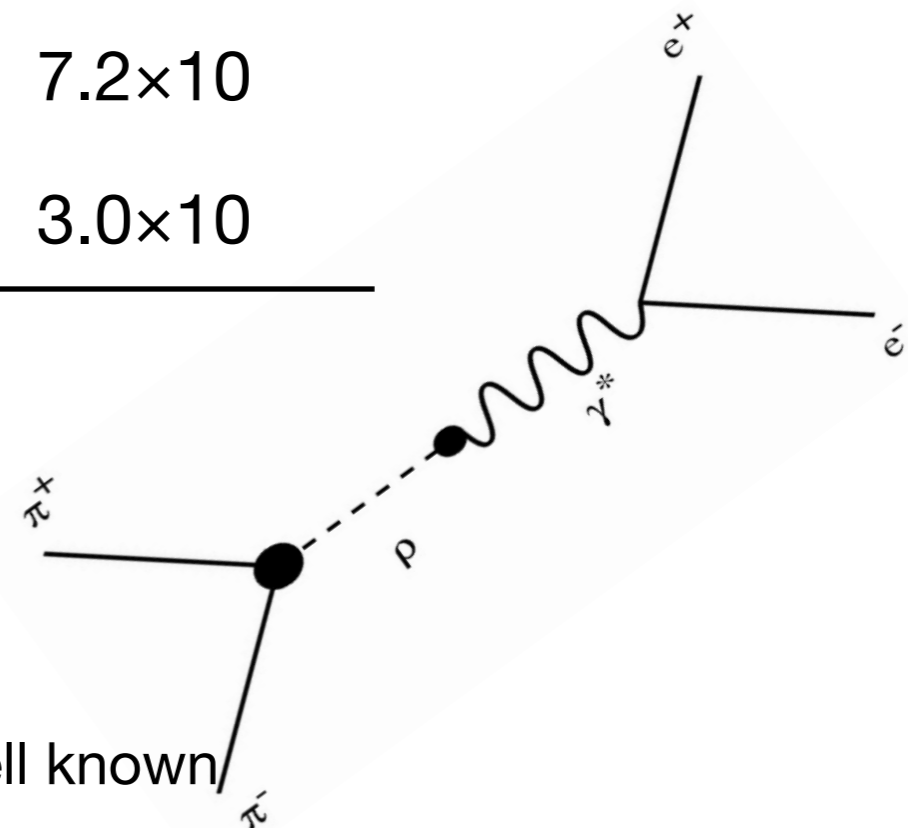
Best Probes for CSR?

- Requirement: carry hadron spectral properties from (T, ρ_B) to detectors
 - ▶ relate to hadrons in medium
 - ▶ leave medium without final state interaction
- Dileptons from vector meson decays:

	m [MeV/c	Γ	τ [fm/c]	BR $\rightarrow ee$
ρ	770	150	1.3	4.7×10^{-4}
ω	782	8.6	23	7.2×10^{-4}
ϕ	1020	4.4	44	3.0×10^{-4}

- ▶ best candidate: ρ meson

- short lived (compare to $\tau_{QGP} = 10$ fm/c)
- decay (and regeneration) in medium
- properties of in-medium ρ and of medium itself not well known



Dilepton production

- Emission rate of dileptons per volume

$$\frac{dR_{ll}}{d^4q} = -\frac{\alpha^2}{3\pi^3} \frac{L(M)}{M^2} \text{Im}\Pi_{\text{em},\mu}^\mu(M, q; T) f^B(q_0, T)$$

$f^B(q_0, T) = 1/(e^{q_0/T} - 1)$

$L(M) = \sqrt{1 - \frac{m_l^2}{M^2}} \left(1 + \frac{2m_l^2}{M^2}\right)$

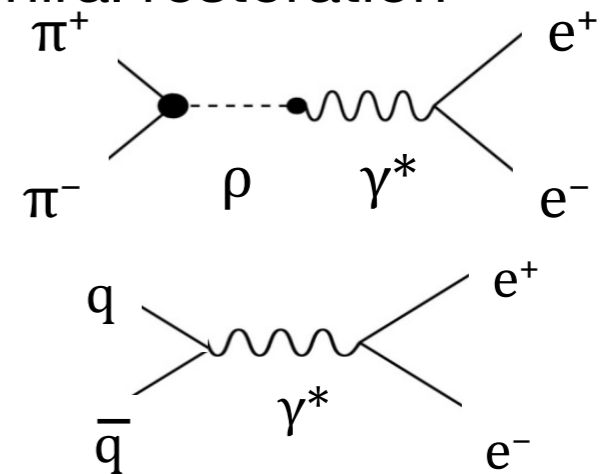
γ* → e⁺e⁻ decay
 EM correlator medium property
 Boltzmann factor temperature

Hadronic contribution
Vector Meson Dominance

$$\text{Im}\Pi_{\text{em}}^{\text{vac}}(M) = \begin{cases} \sum_{V=\rho,\omega,\phi} \left(\frac{m_V^2}{g_V}\right)^2 \text{Im}D_V(M) \\ -\frac{M^2}{12\pi} \left(1 + \frac{\alpha_s(M)}{\pi} + \dots\right) N_c \sum_{q=u,d,s} (e_q^2) \end{cases}$$

$q\bar{q}$ annihilation

Medium modification of meson
Chiral restoration

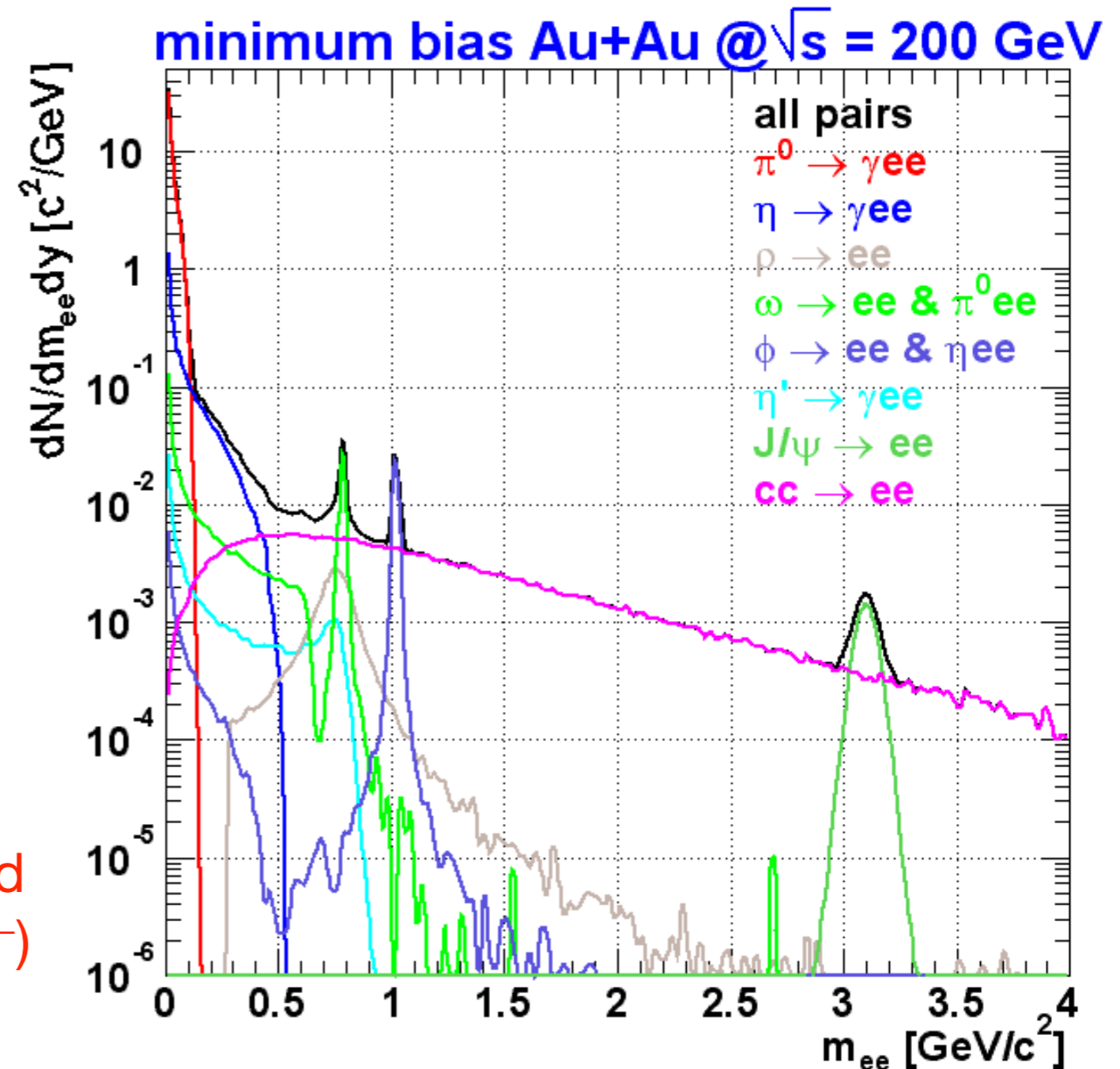


Thermal radiation from
partonic phase (QGP)

- From emission rate of dileptons one can decode
 - ▶ medium effect on the EM correlator
 - ▶ temperature of the medium

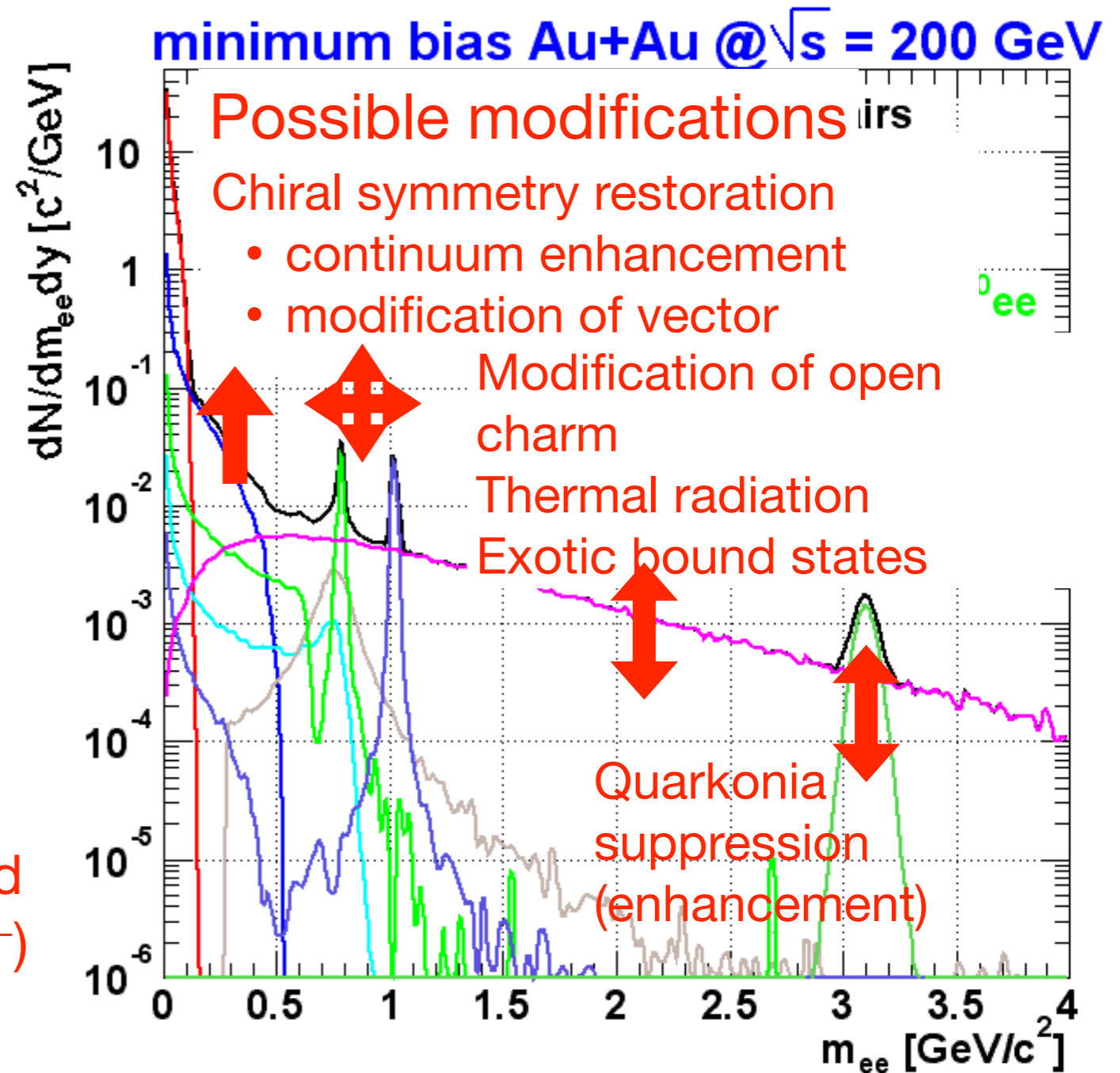
Properties of the QGP

- What is its temperature?
 - ▶ measure thermal photons
- Does it restore chiral symmetry?
 - ▶ modification of the vector mesons
- How does it affect heavy quarks?
 - ▶ modification of the intermediate mass region
- All these questions can be answered by measuring dileptons (e^+e^- or $\mu^+\mu^-$)
 - ▶ no strong final state interactions:
 - leave collision system unperturbed
 - emitted at all stages: need to disentangle contributions

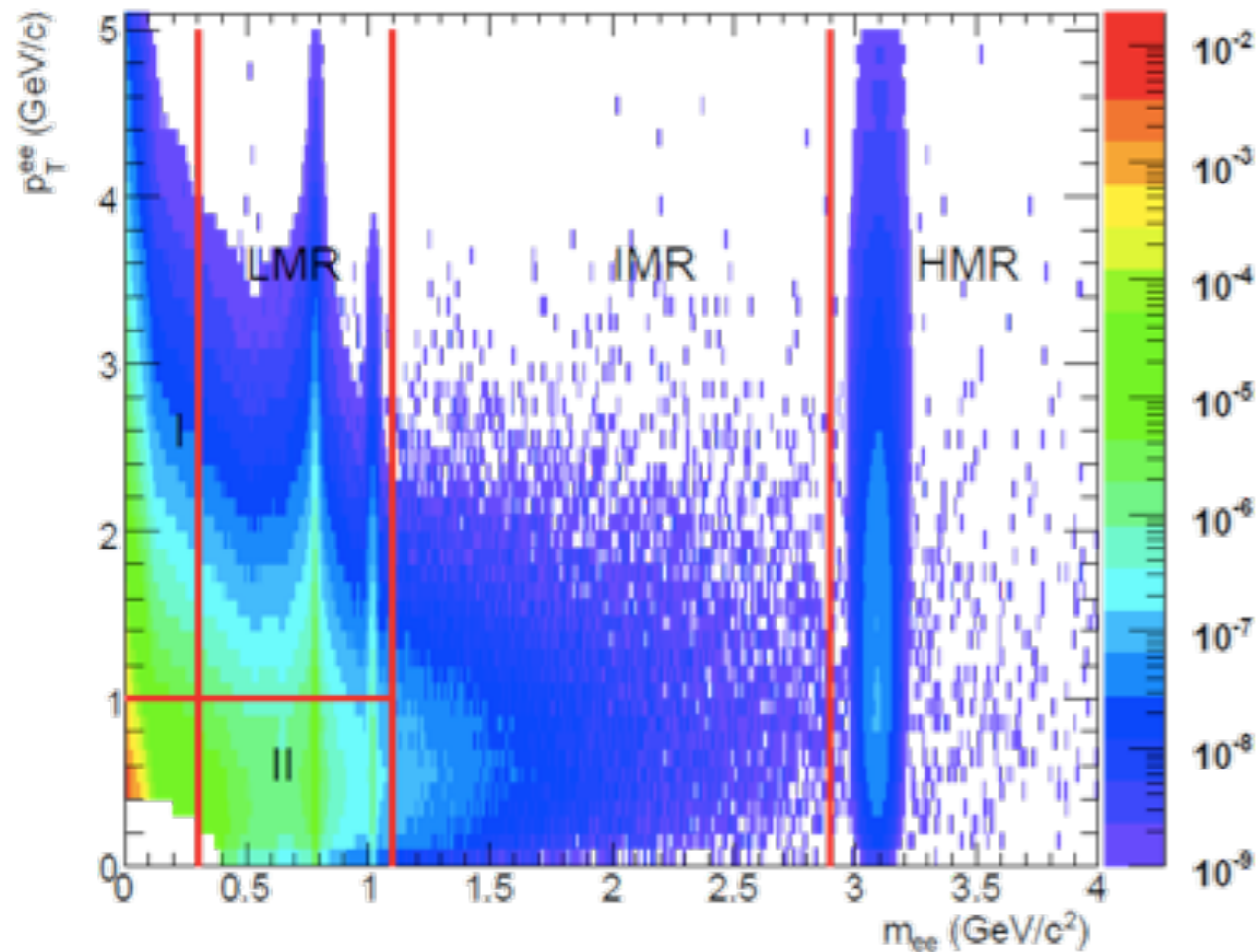


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Dilepton Signals: p_T vs. mass



- LMR: $m_{ee} < 1.2 \text{ GeV}/c^2$

- ▶ LMR I ($p_T \gg m_{ee}$)
quasi-real virtual photon region. Low mass pairs produced by higher order QED correction to the real photon emission
- ▶ LMR II ($p_T < 1 \text{ GeV}$)
Enhancement of dileptons discovered at SPS (CERES, NA60)

- Low Mass Region: $m_{ee} < 1.2 \text{ GeV}/c^2$

- ▶ Dalitz decays of pseudo-scalar mesons
- ▶ Direct decays of vector mesons
- ▶ In-medium decay of ρ mesons in the hadronic gas phase

- Intermediate Mass Region: $1.2 < m_{ee} < 2.9 \text{ GeV}/c^2$

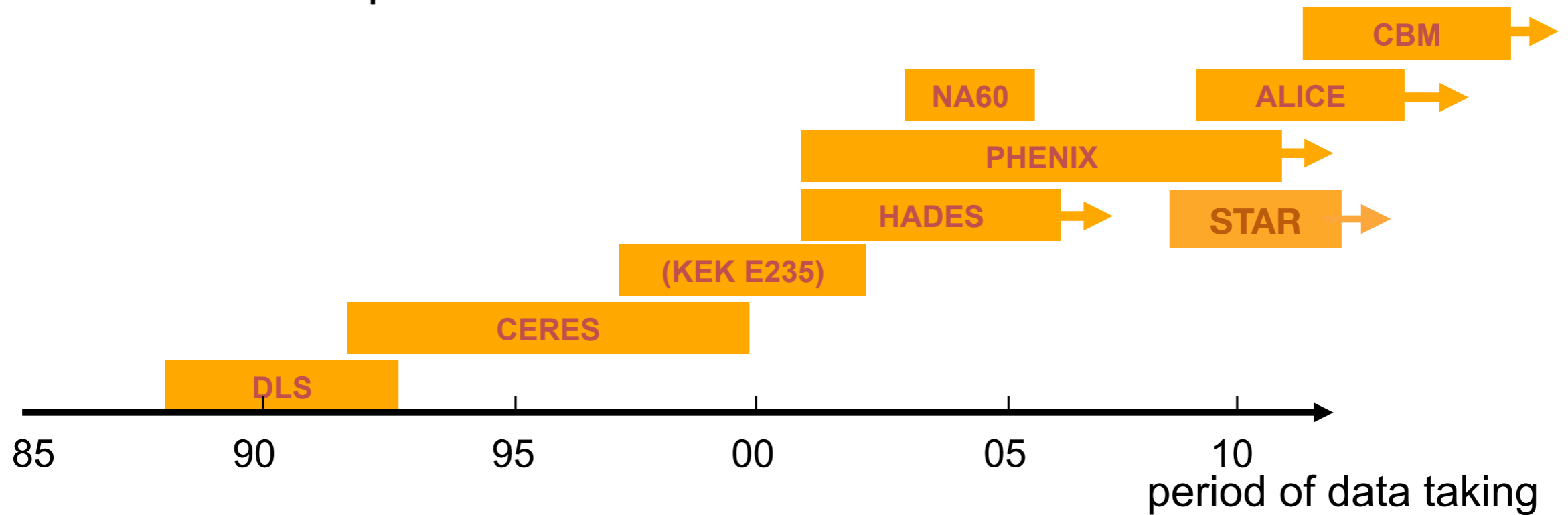
- ▶ correlated semi-leptonic decays of charm quark pairs
- ▶ Dileptons from the QGP

- High Mass Region: $m_{ee} > 2.9 \text{ GeV}/c^2$

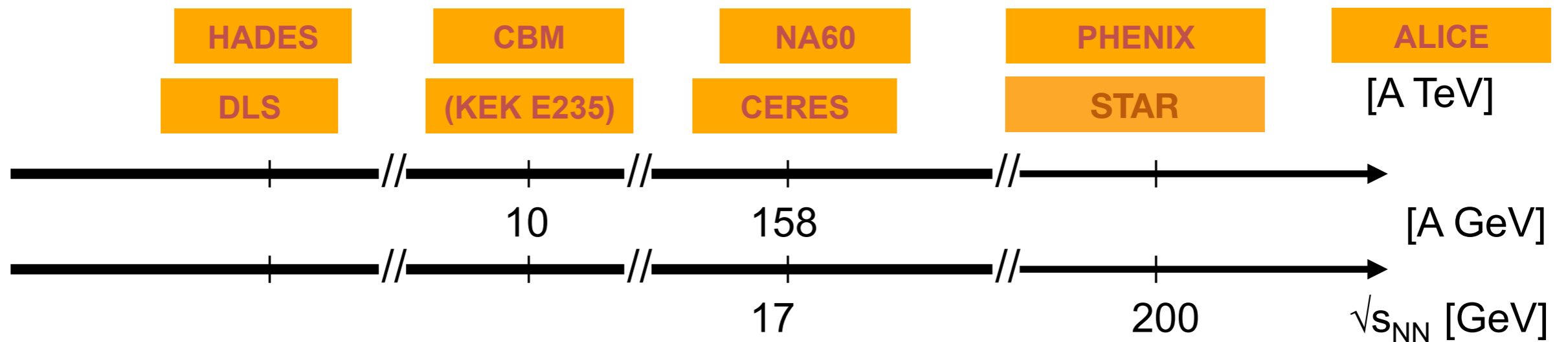
- ▶ Dileptons from hard processes
 - Drell-Yan process
 - correlated semi-leptonic decays of heavy quark pairs
 - Charmonium
 - Upsilon
- ▶ HMR probe the initial stage
 - Little contribution from thermal radiation

HIN Low-mass Dilepton Experiments

- Time scale of experiments



- Energy scale of experiments



SPS

The SPS at CERN

- SuperProtonSynchrotron (since 1976)

- ▶ Parameters:

- circumference: 6.9 km
- beams for fixed target experiments
 - » protons up to 450 GeV/c
 - » lead ions up to 158 GeV/c

- ▶ Past:

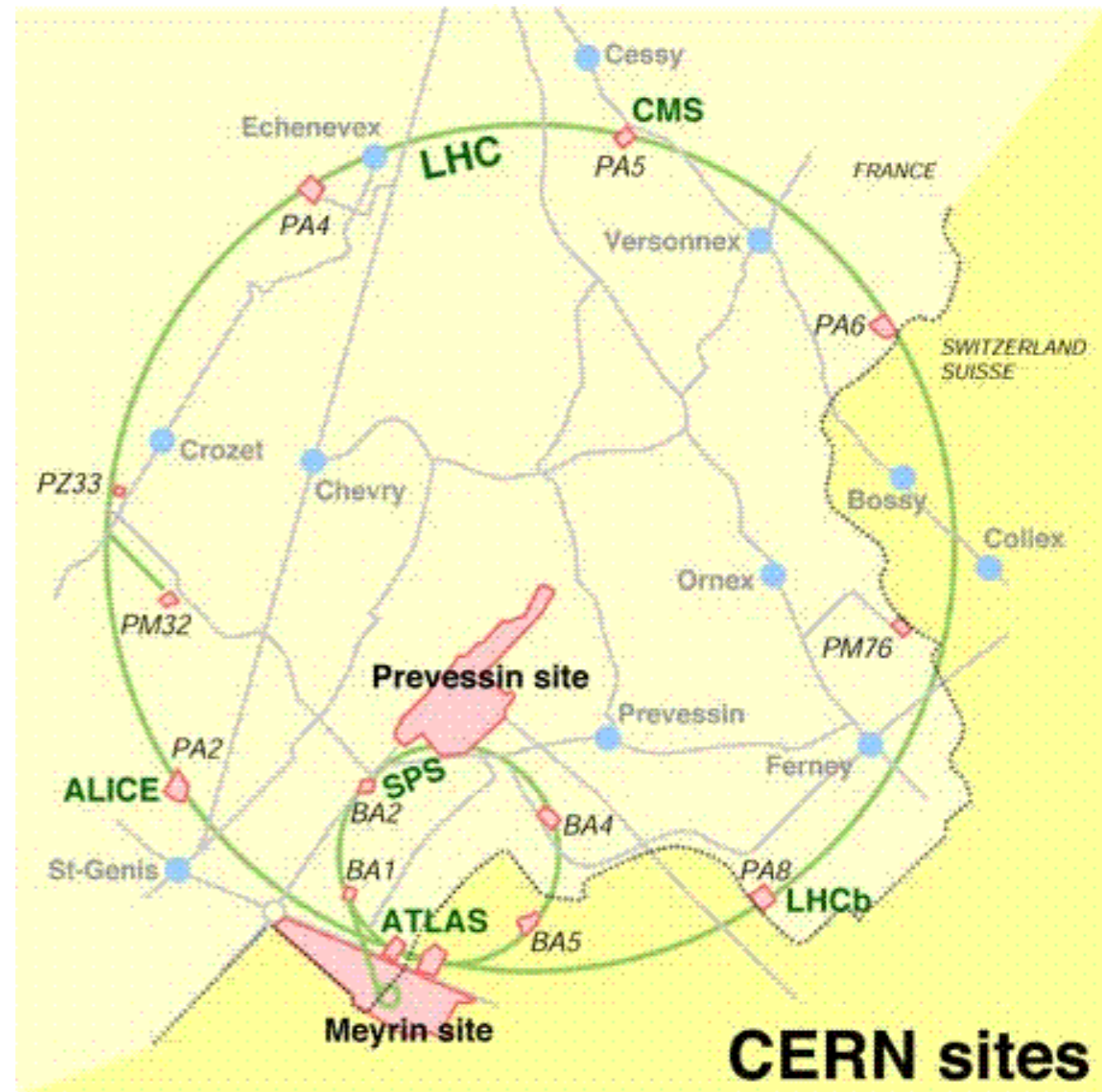
- SppS proton-antiproton collider
 - discovery of vector bosons W^\pm , Z

- ▶ Now:

- injector for LHC

- ▶ Experiments:

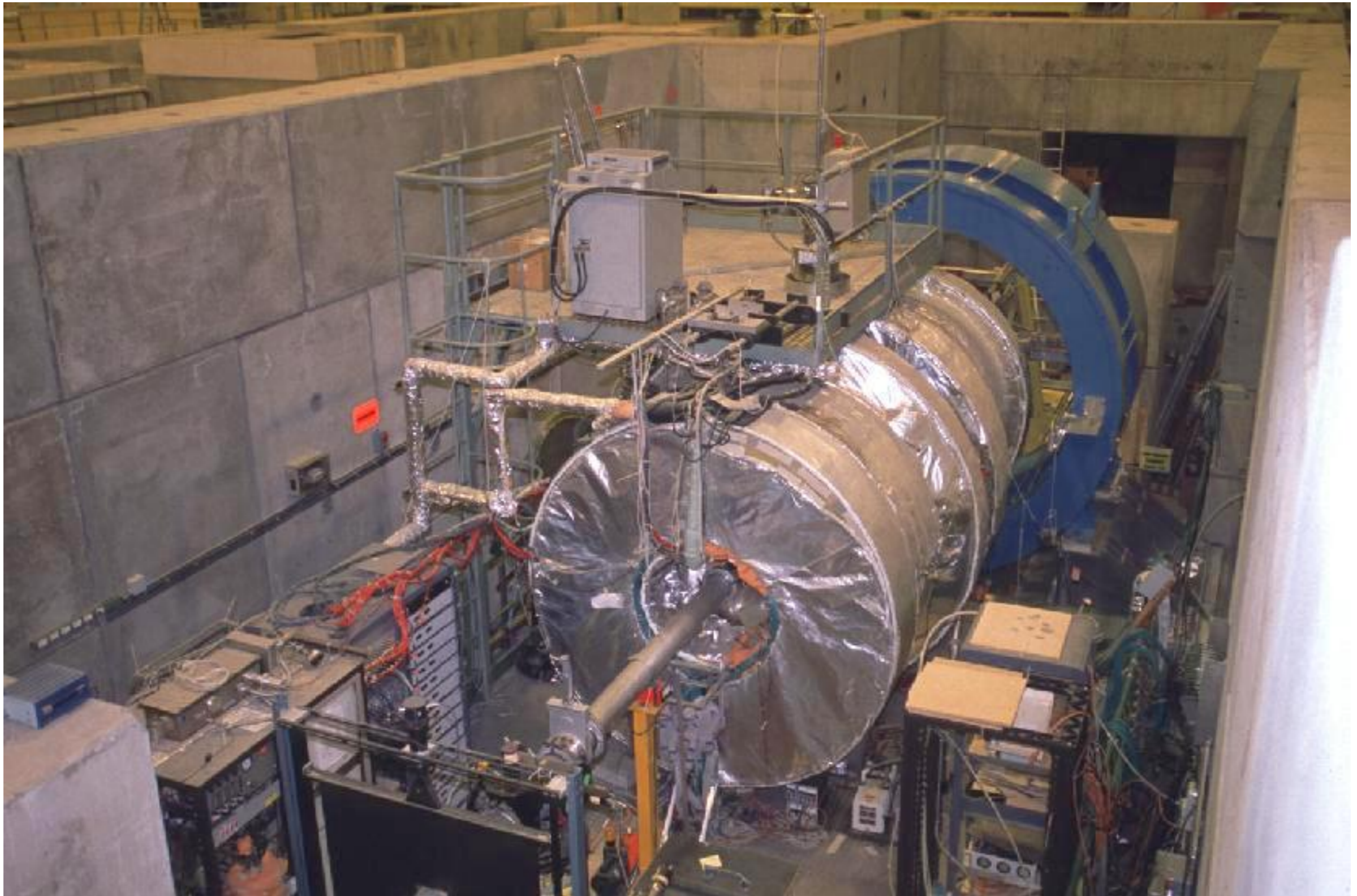
- Switzerland: west area (WA)
- France: north area (NA)
 - dileptons speak french!



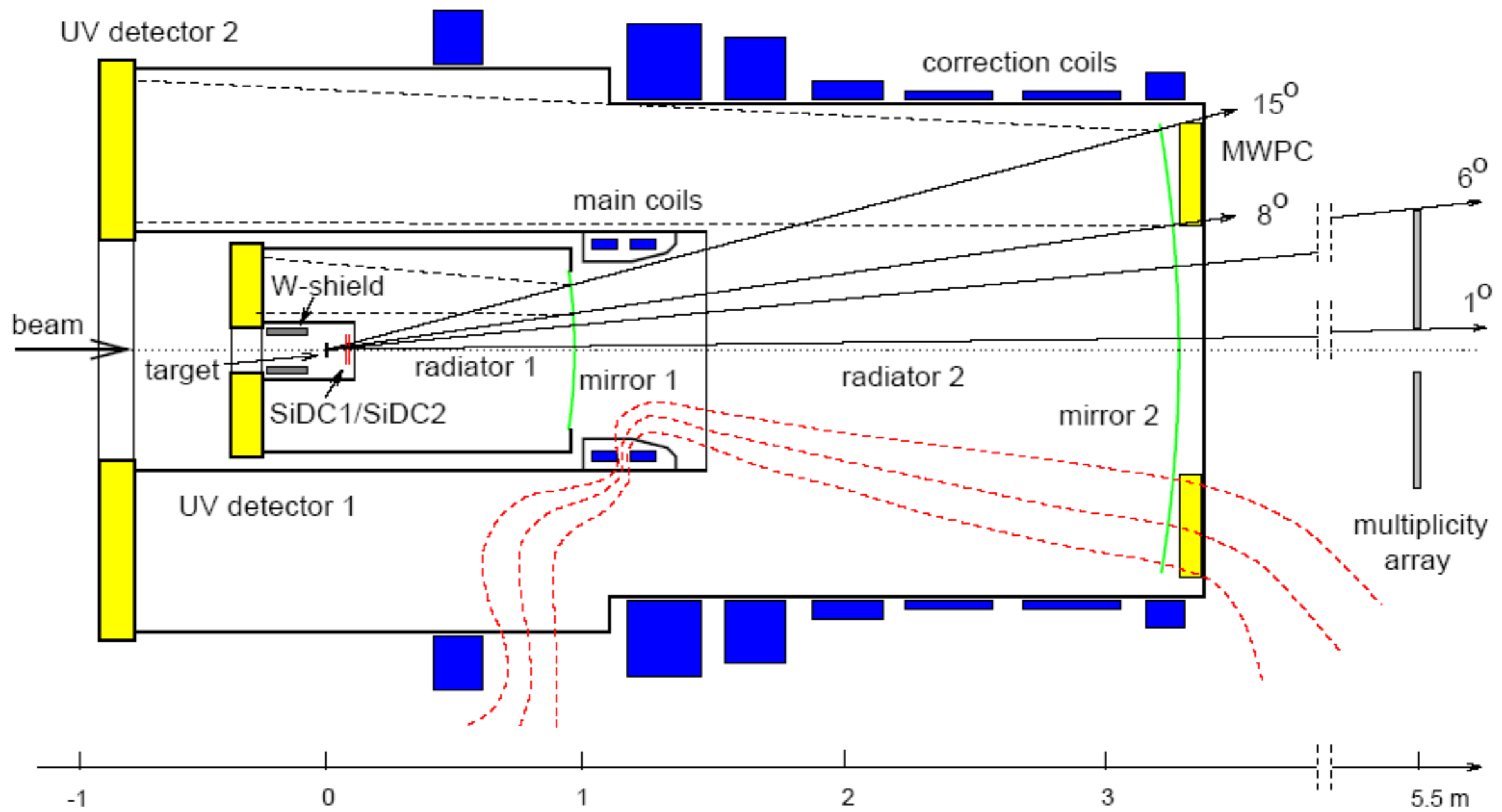
Dilepton Experiments at the SPS

Experiment	Channel	System	Mass range	Publications
HELIOS (NA34)	$\mu\mu/ee$	p-Be (86)	low mass	Z. Phys. C68 (1995) 64
HELIOS-3 (NA34/3)	$\mu\mu$	p-W, S-W (92)	low & intermediate	E. Phys. J. C13 (2000) 433
CERES (NA45)	ee	p-Be, p-Au, S-Au (92/93) Pb-Au (95) Pb-Au (96)	low mass	PRL (1995) 1272 Phys. Lett. B (1998) 405 Nucl. Phys. A661 (1999) 23
CERES-2 (NA45/2)	ee	Pb-Au 40 GeV (99) Pb-Au 158 GeV (2000)	low mass	PRL 91 (2002) 42301 preliminary data 2004
NA38/50	$\mu\mu$	p-A, S-Cu, S-U, Pb-Pb	low (high m intermediate)	E. Phys. J. C13 (2000) 69 E. Phys. J. C14 (2000) 443
NA60	$\mu\mu$	p-A, In-In (2002,2003) p-A (2004)	low & intermediate	PRL 96 (2006) 162302

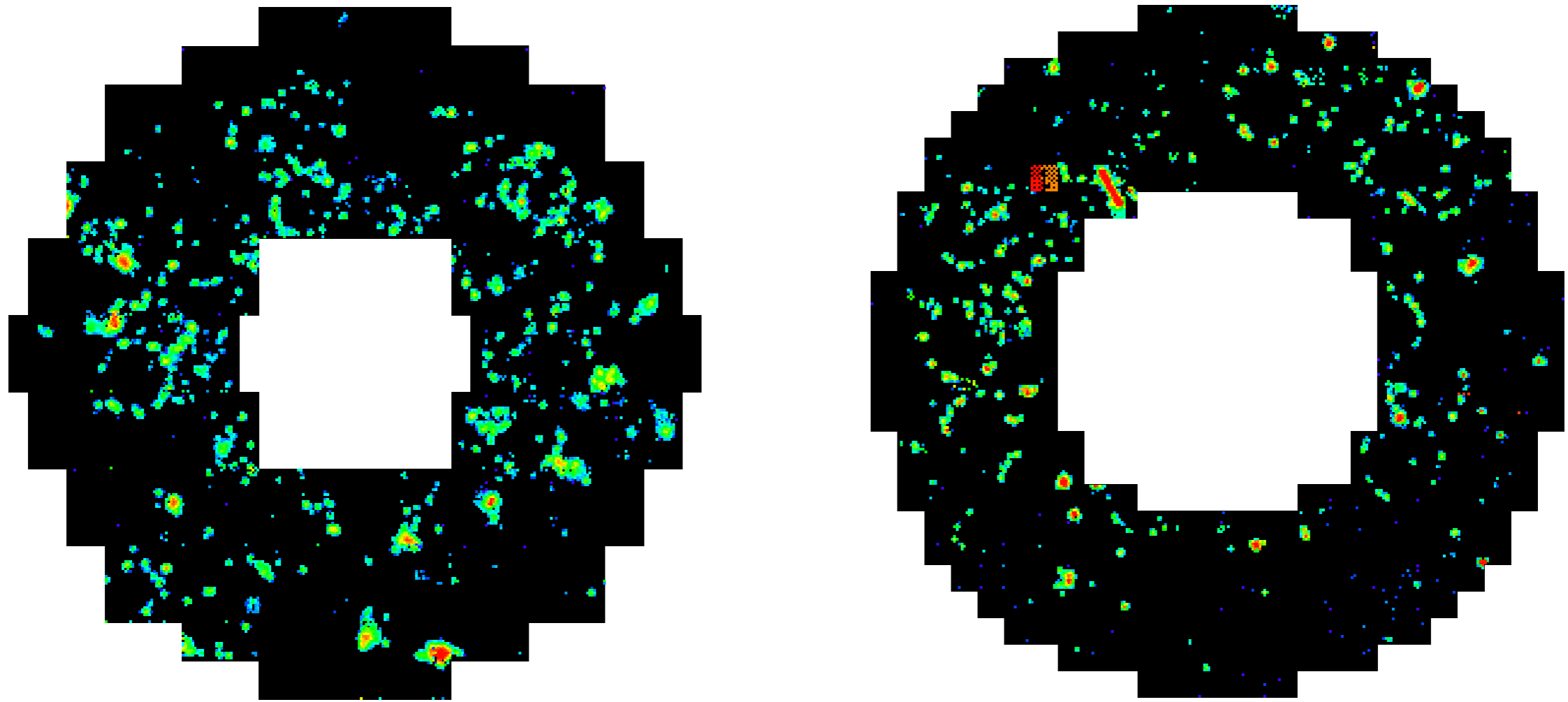
The CERES/NA45 Experiment



Experimental Setup: CERES-1

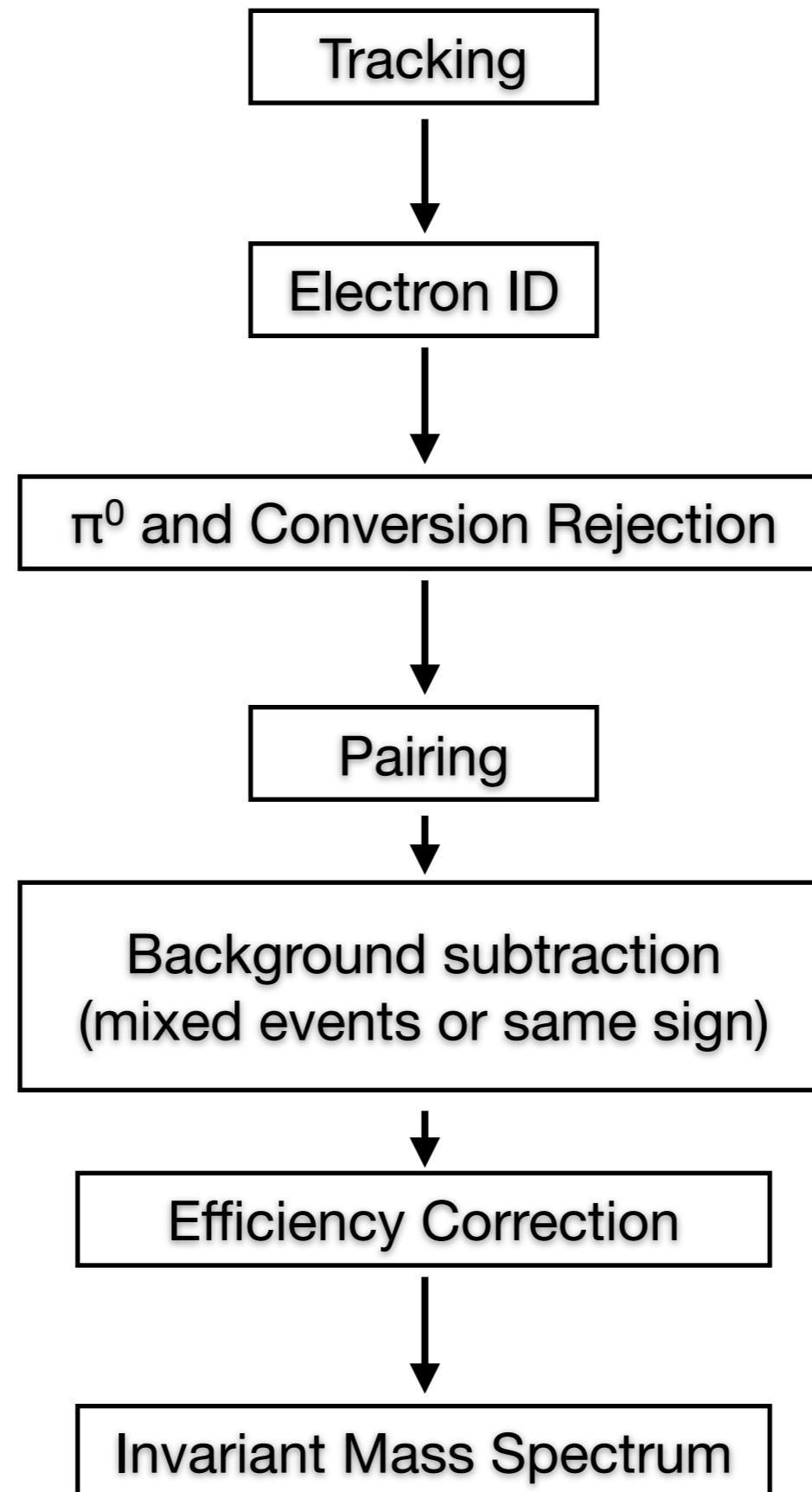


Electron Identification: RICH



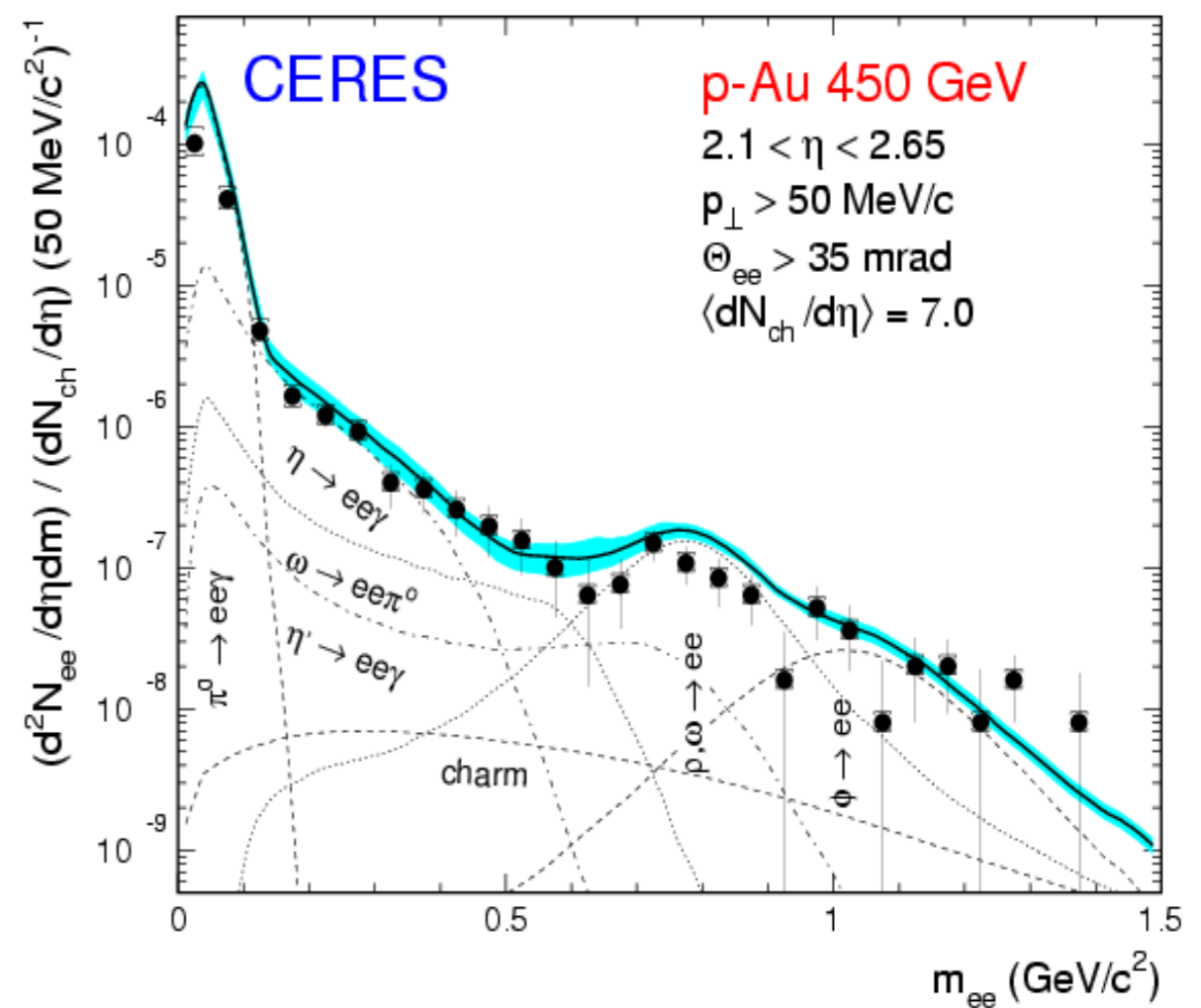
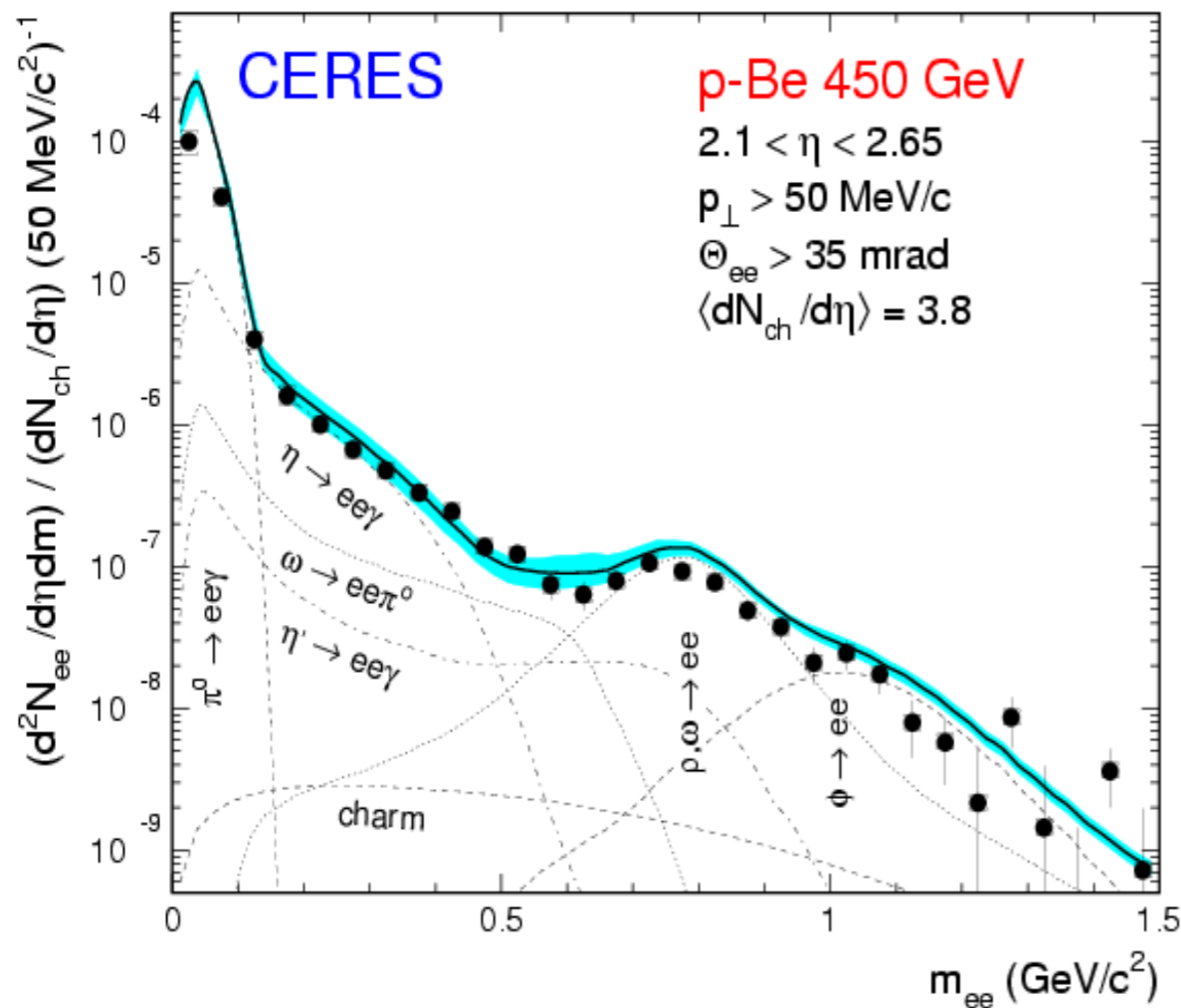
- Main tool for electron ID
- Use the number of hits per ring (and their analog sum) to recognise single and double rings

Dielectron Analysis Strategy



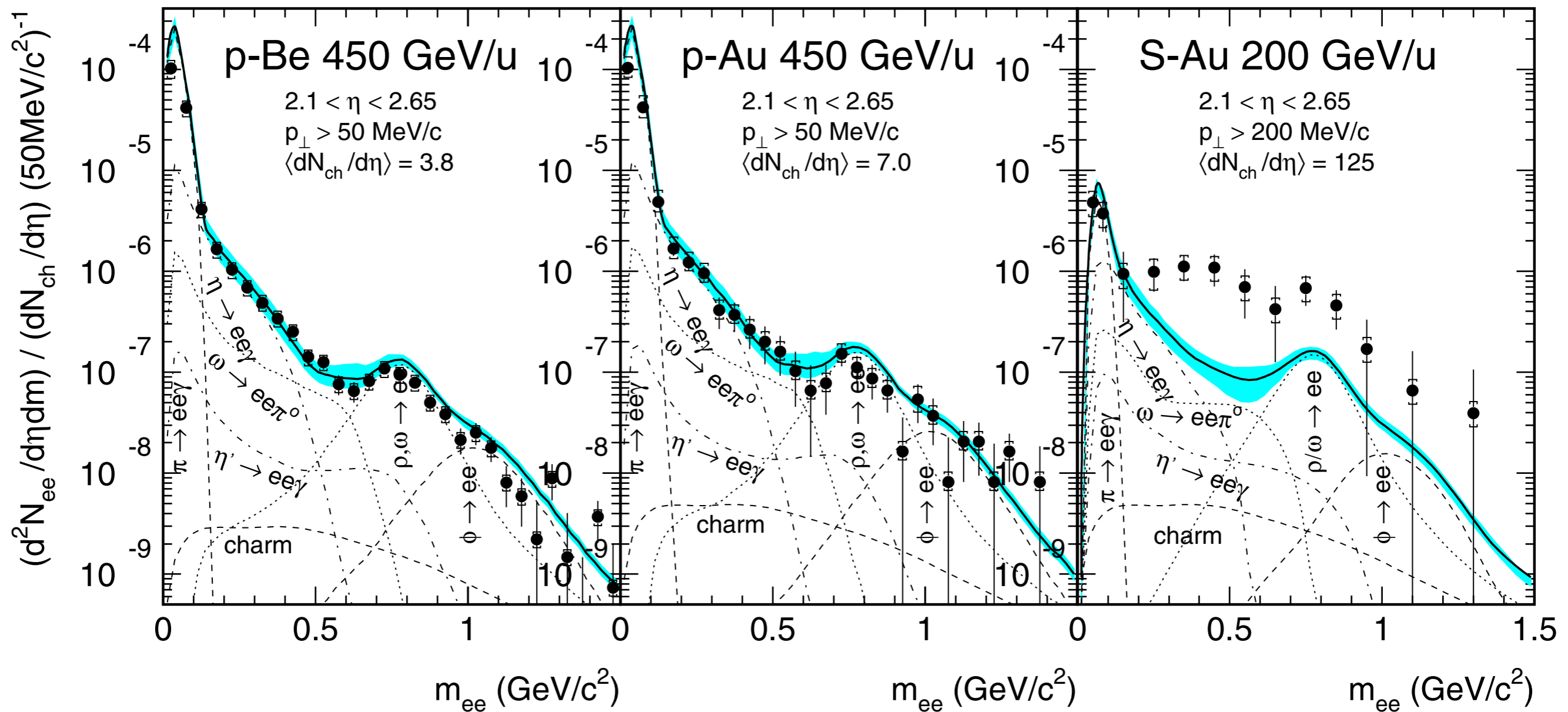
e^+e^- in p-Be & p-Au collisions

- Dielectron mass spectra and expectation from a ‘cocktail’ of known sources
 - Dalitz decays of neutral mesons ($\pi^0 \rightarrow \gamma e^+e^-$ and $\eta, \omega, \eta', \phi$)
 - Dielectron decays of vector mesons ($\rho, \omega, \phi \rightarrow e^+e^-$)
 - Semileptonic decays of particles carrying charm quarks



➔ Dielectron production in p-p and p-A collisions at SPS well understood in terms of known hadronic sources

What About Heavy-Ion Collisions?

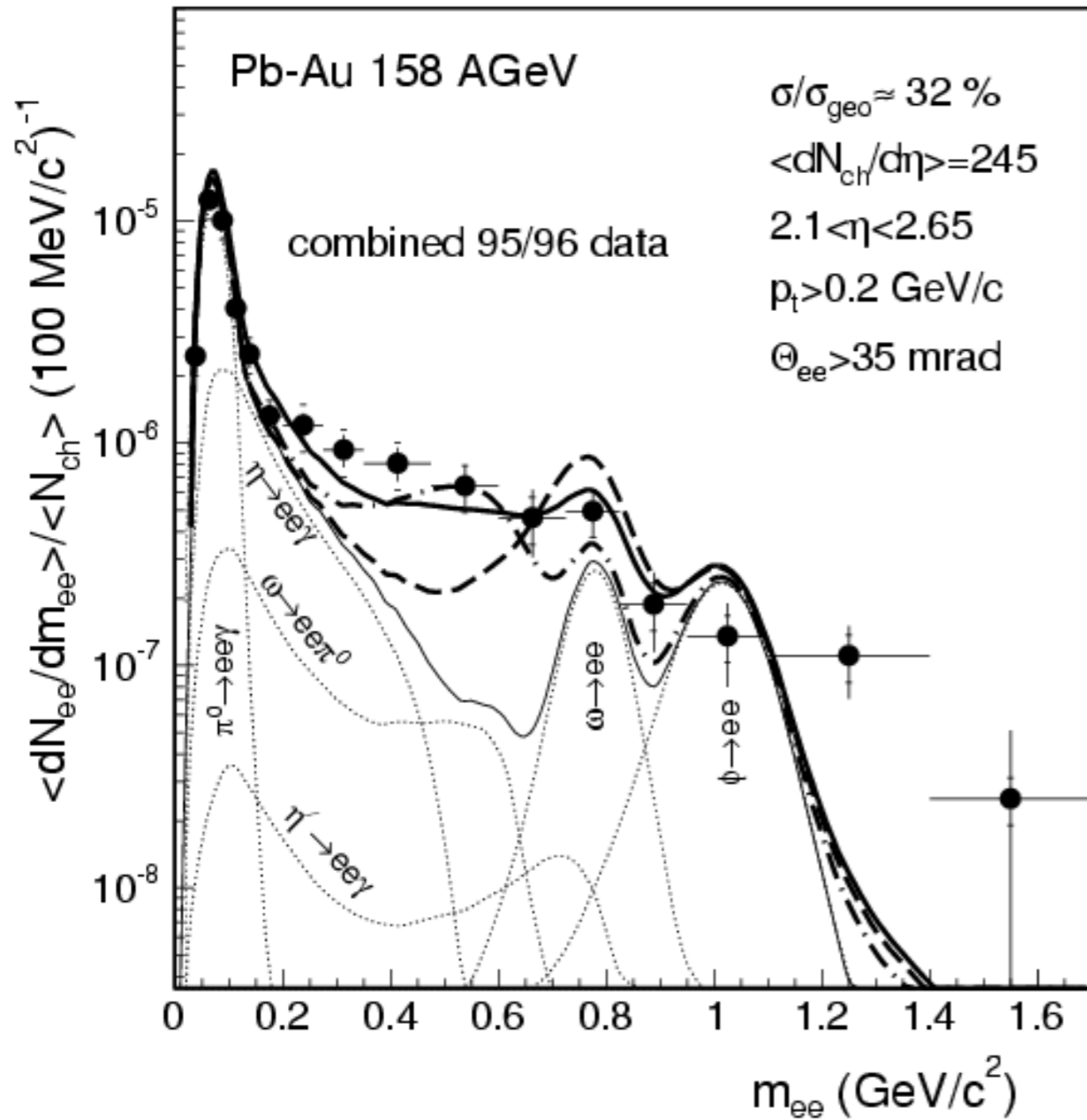


- **Discovery of low mass e^+e^- enhancement in 1995**

- ▶ Significant excess in S-Au (factor ~ 5 for $m > 200 \text{ MeV}$)

As Heavy As It Gets: Pb-Au

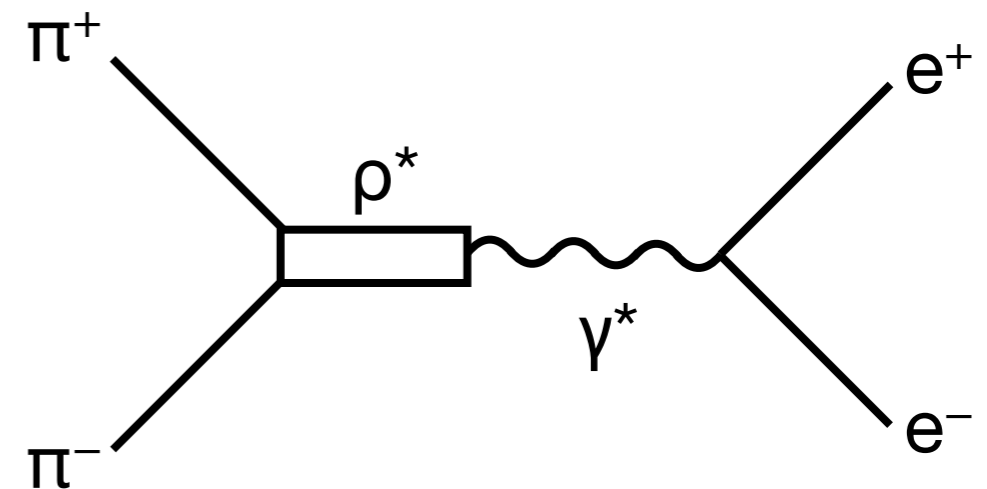
CERES EPJ C41(2005)475



- Dielectron excess at low and intermediate masses in HI collisions is well established

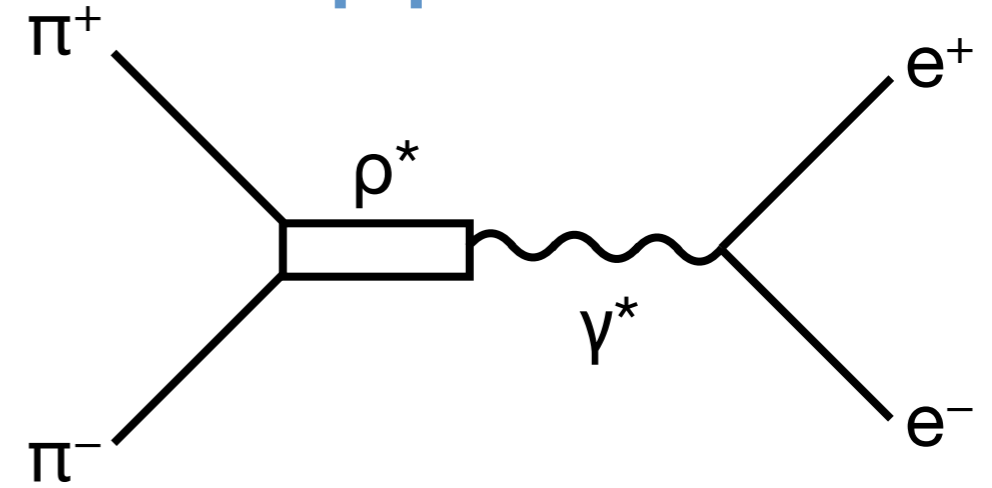
- ▶ Onset at $\sim 2 m_\pi$
→ π - π annihilation?
- ▶ Maximum below ρ meson
near $400 \text{ MeV}/c^2$

➔ Hint for modified ρ meson in dense matter

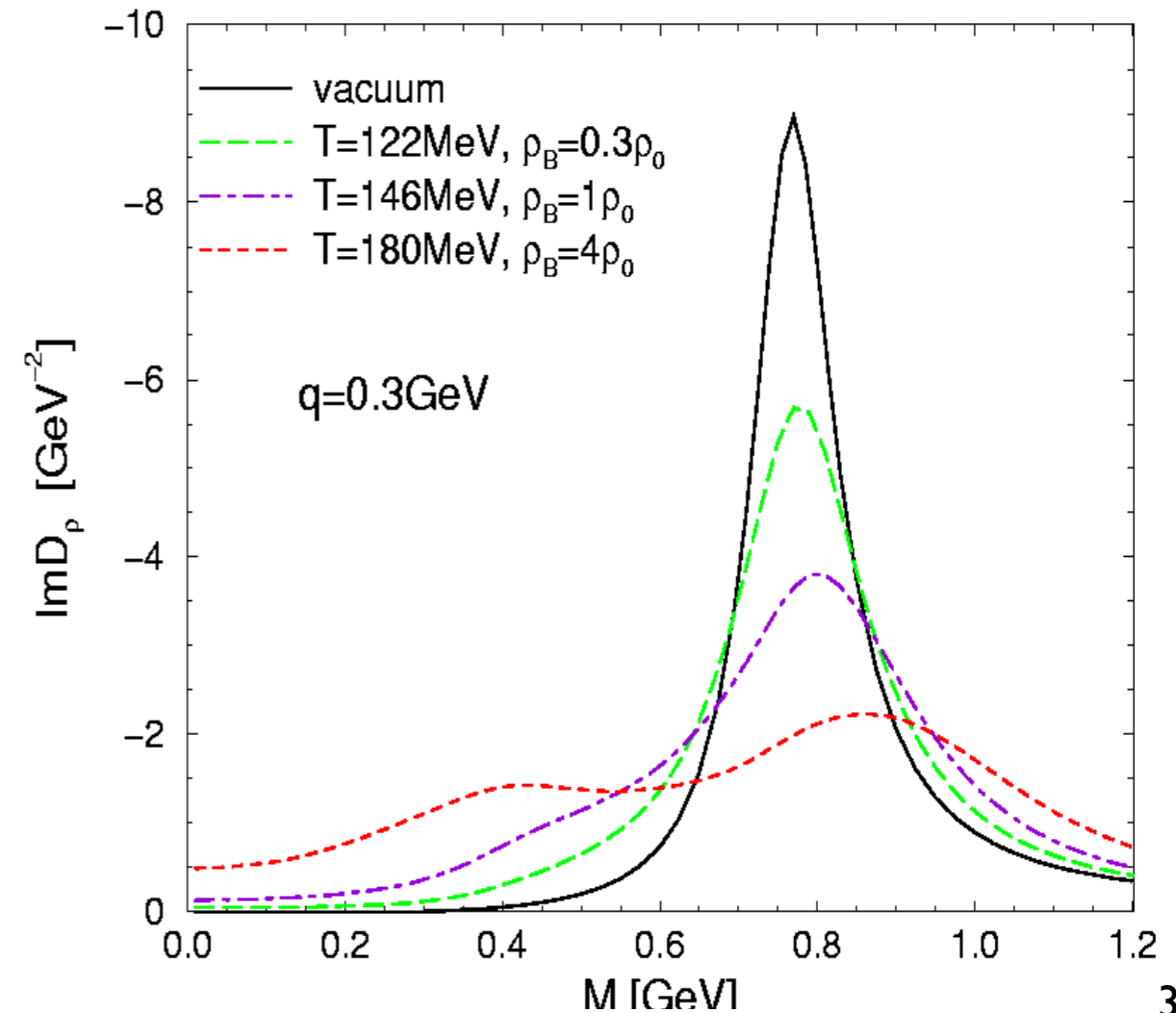


π - π annihilation: theoretical approaches

- Low mass enhancement due to π - π annihilation?
 - ▶ Spectral shape dominated by ρ meson
- Vacuum ρ
 - ▶ Vacuum values of width and mass
- In-medium ρ
 - ▶ Brown-Rho scaling
 - Dropping masses as chiral symmetry is restored
 - ▶ Rapp-Wambach melting resonances
 - Collision broadening of spectral function
 - Only indirectly related to CSR
 - ▶ Medium modifications driven by baryon density
- Model space-time evolution of collision



$$\frac{m_{\rho}^*}{m_{\rho}} = \left(\frac{\langle \bar{\psi}\psi \rangle_{\rho^*}}{\langle \bar{\psi}\psi \rangle_{\rho_0}} \right)^{1/3} = 1 - 0.16 \frac{\rho^*}{\rho_0}$$



Results from the SPS: CERES

- Attempt to attribute the observed excess to

- ▶ vacuum ρ meson (- - - - -)

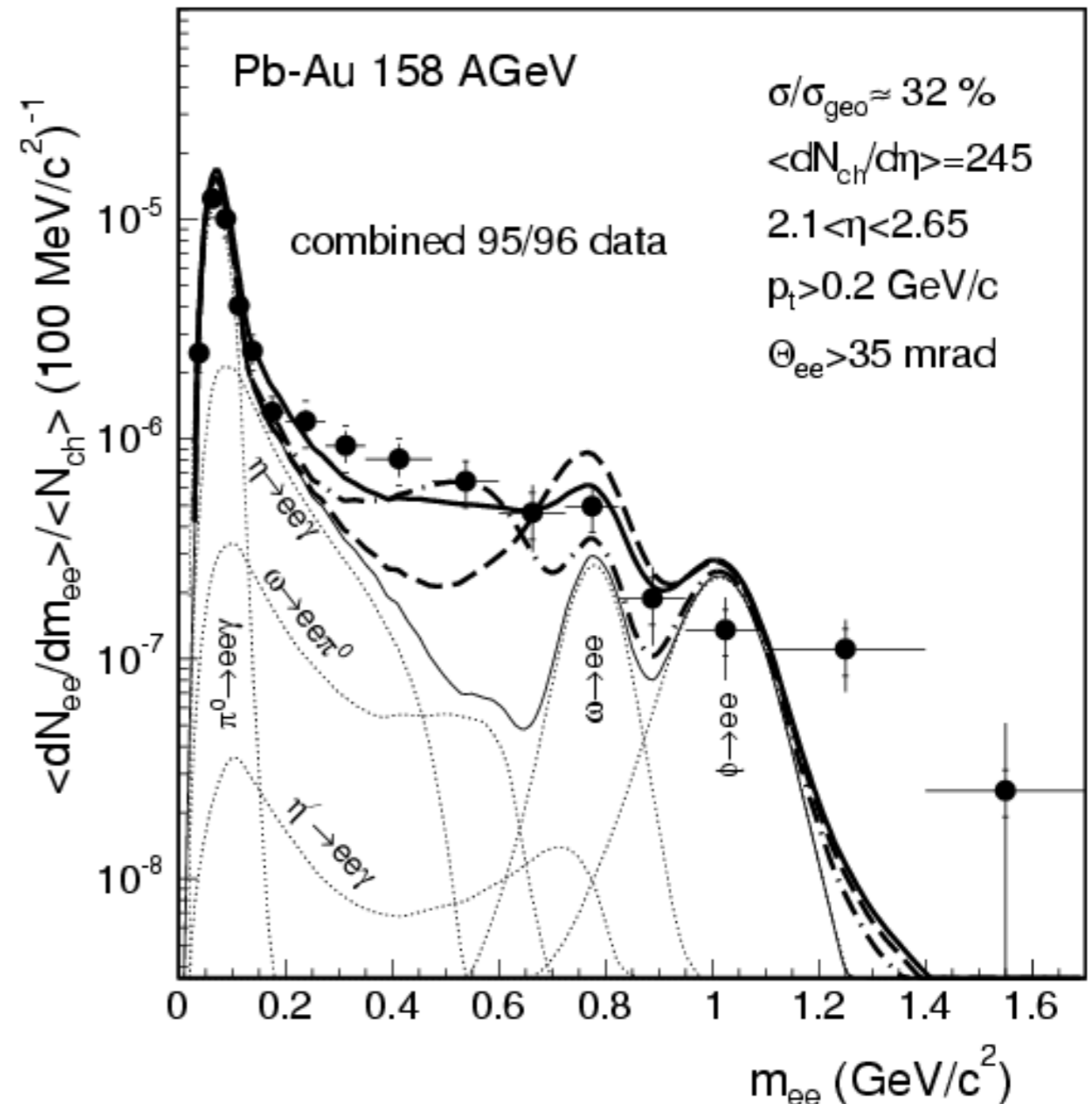
- inconsistent with data
- overshoot in ρ region
- undershoots @ low mass

- ▶ modification ρ meson

- needed to describe data
- data do not distinguish between:

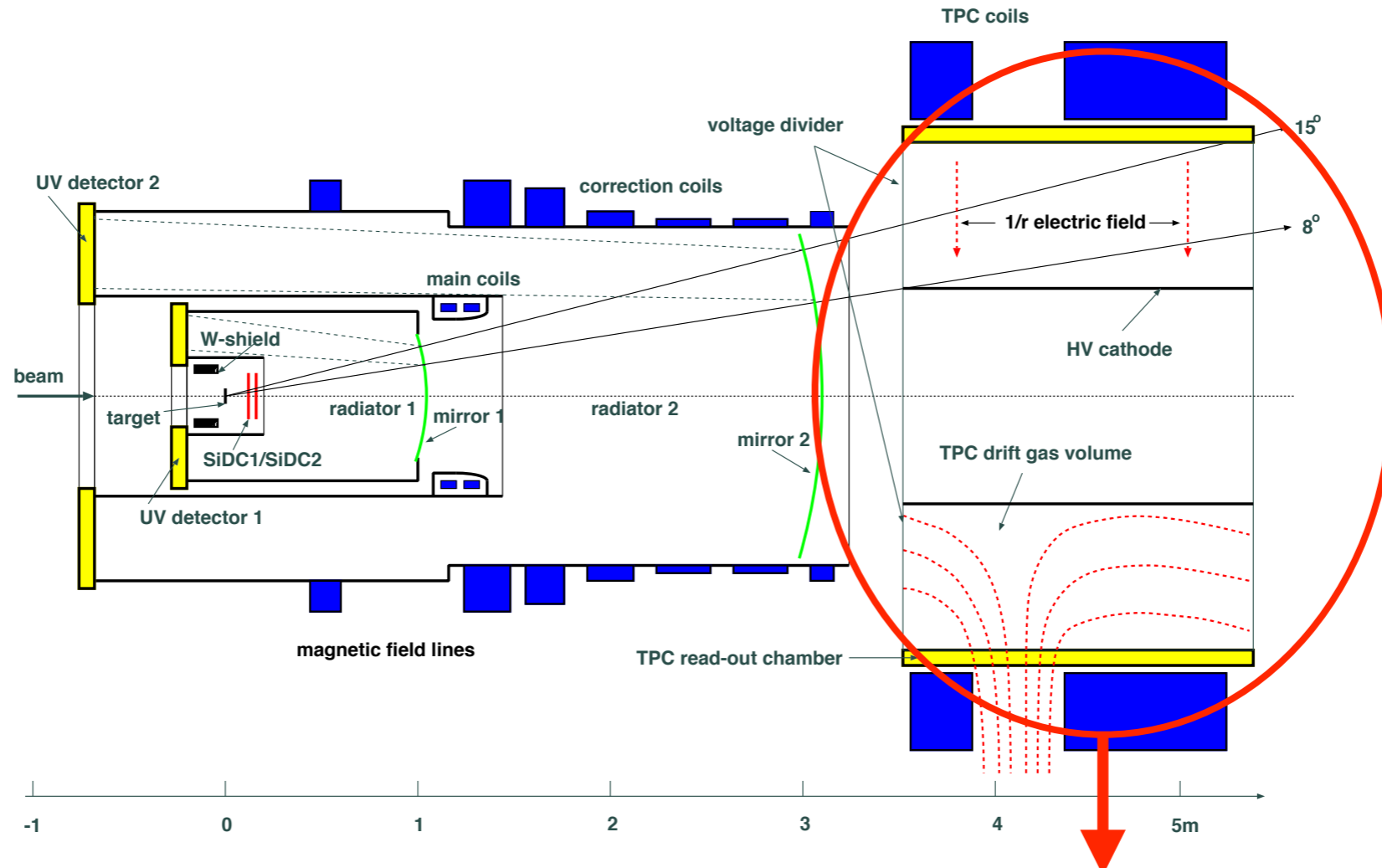
- » broadening or melting of ρ -meson (Rapp-Wambach)
- - - - » dropping masses (Brown-Rho)

- Indication for medium modifications, but data are not accurate enough to distinguish models



- Largest discrimination between ρ/ω and ϕ
→ need mass resolution!

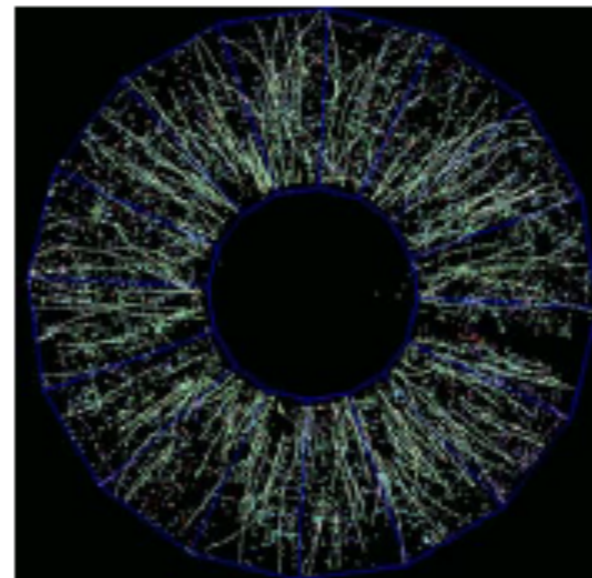
CERES-1 → CERES-2



- Addition of a TPC to CERES

- ▶ Improved momentum resolution
- ▶ Improved mass resolution
- ▶ $dE/dx \rightarrow$ hadron identification and improved electron ID
- ▶ Inhomogeneous magnetic field \rightarrow a nightmare to calibrate

radial drift TPC: momentum and energy loss



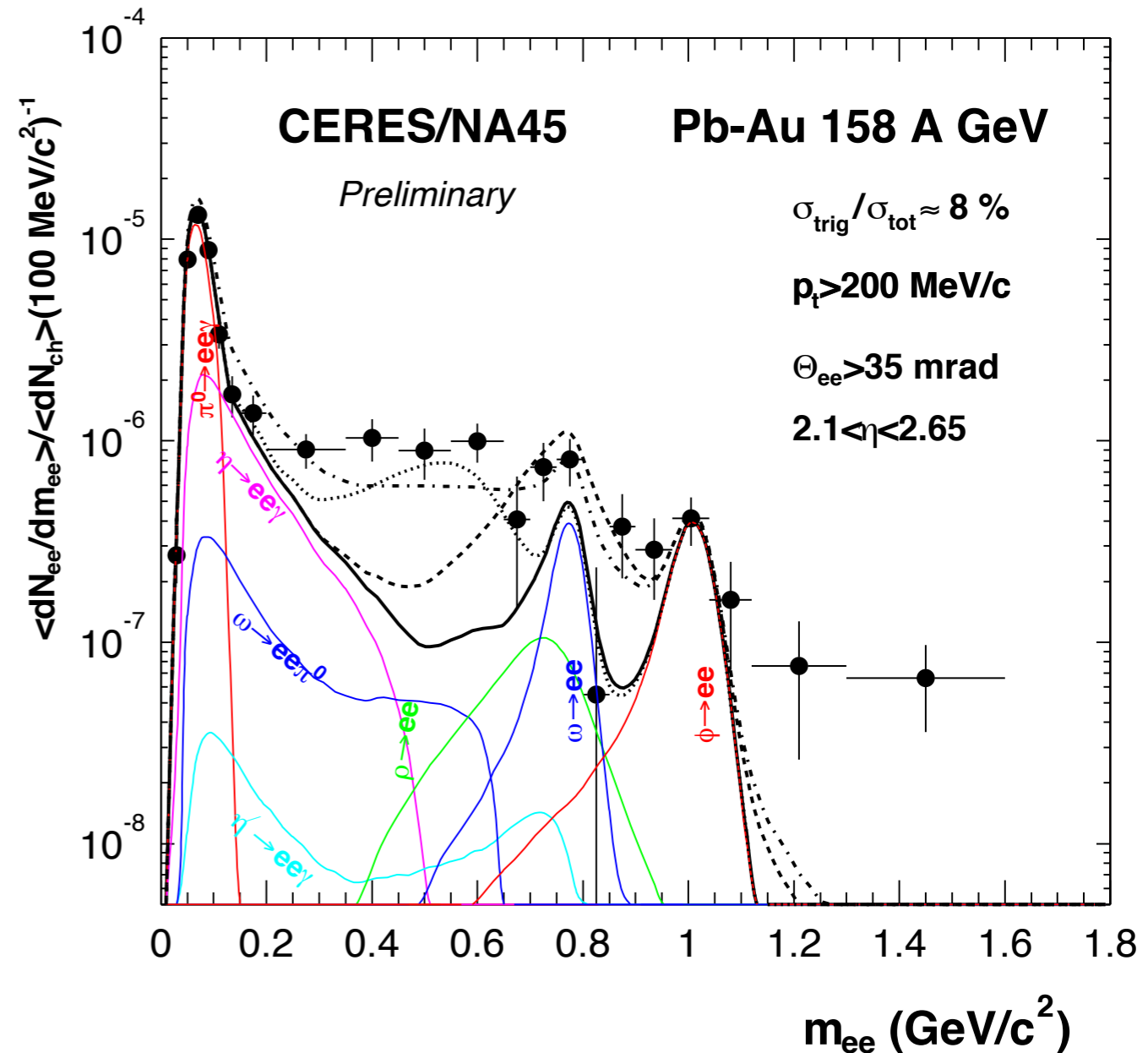
$$\Delta p/p = 2\% \oplus 1\% * p/\text{GeV}$$

$$\Delta m/m = 3.8\% \text{ for } \phi$$

$$\Delta(dE/dx)/(dE/dx) = 10\%$$

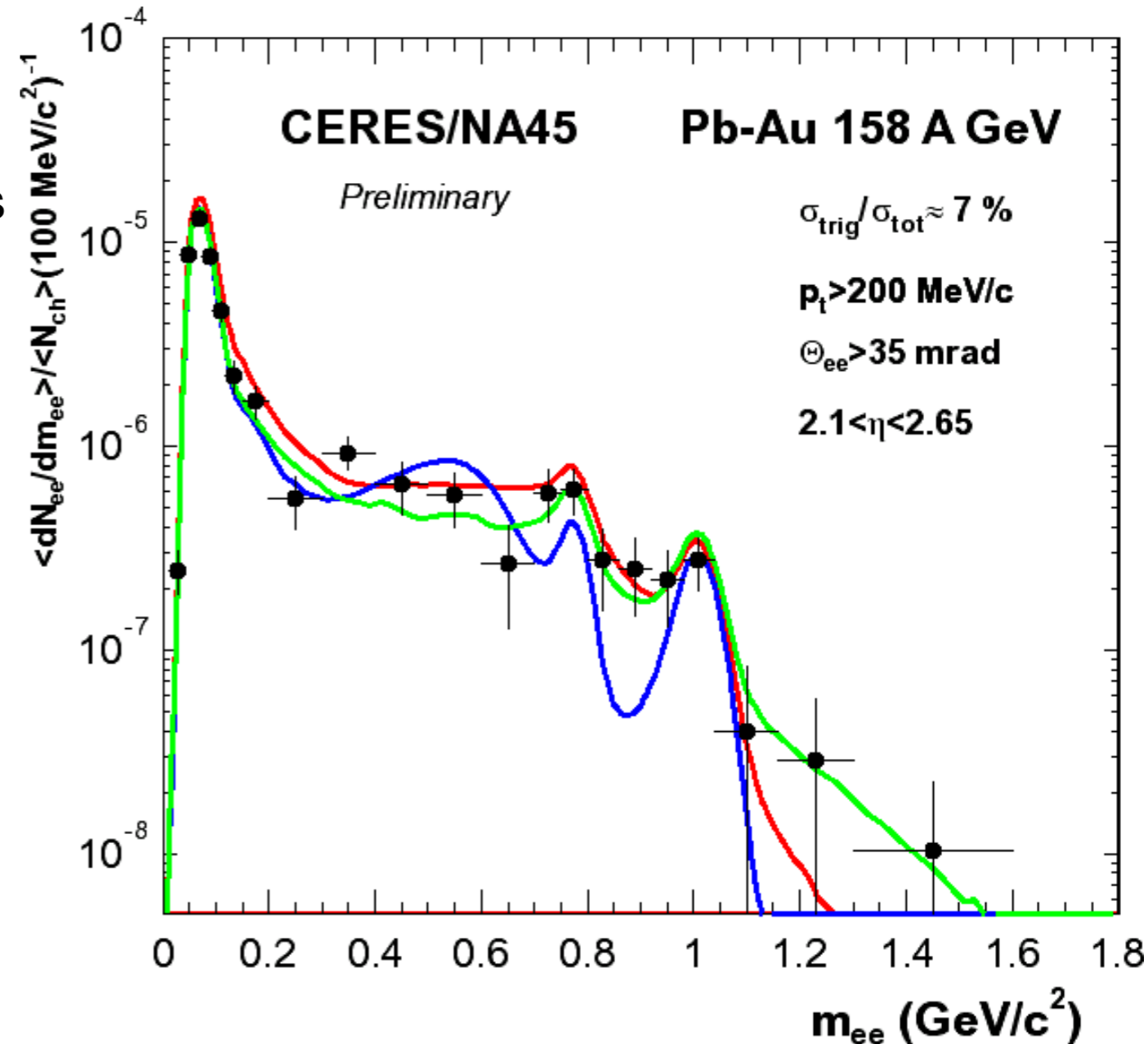
CERES-2 Result

- CERES-1 results persists
 - ▶ strong enhancement in the low-mass region
 - ▶ enhancement factor ($0.2 < m < 1.1 \text{ GeV}/c^2$): 3.1 ± 0.3 (stat.)
- But the improvement in mass resolution is not outrageous
- Vacuum ρ not enough to reproduce the data
- in-medium modifications of ρ :
 - ▶ broadening ρ spectral shape (Rapp and Wambach)
 - ▶ dropping ρ meson mass (Brown et al.)



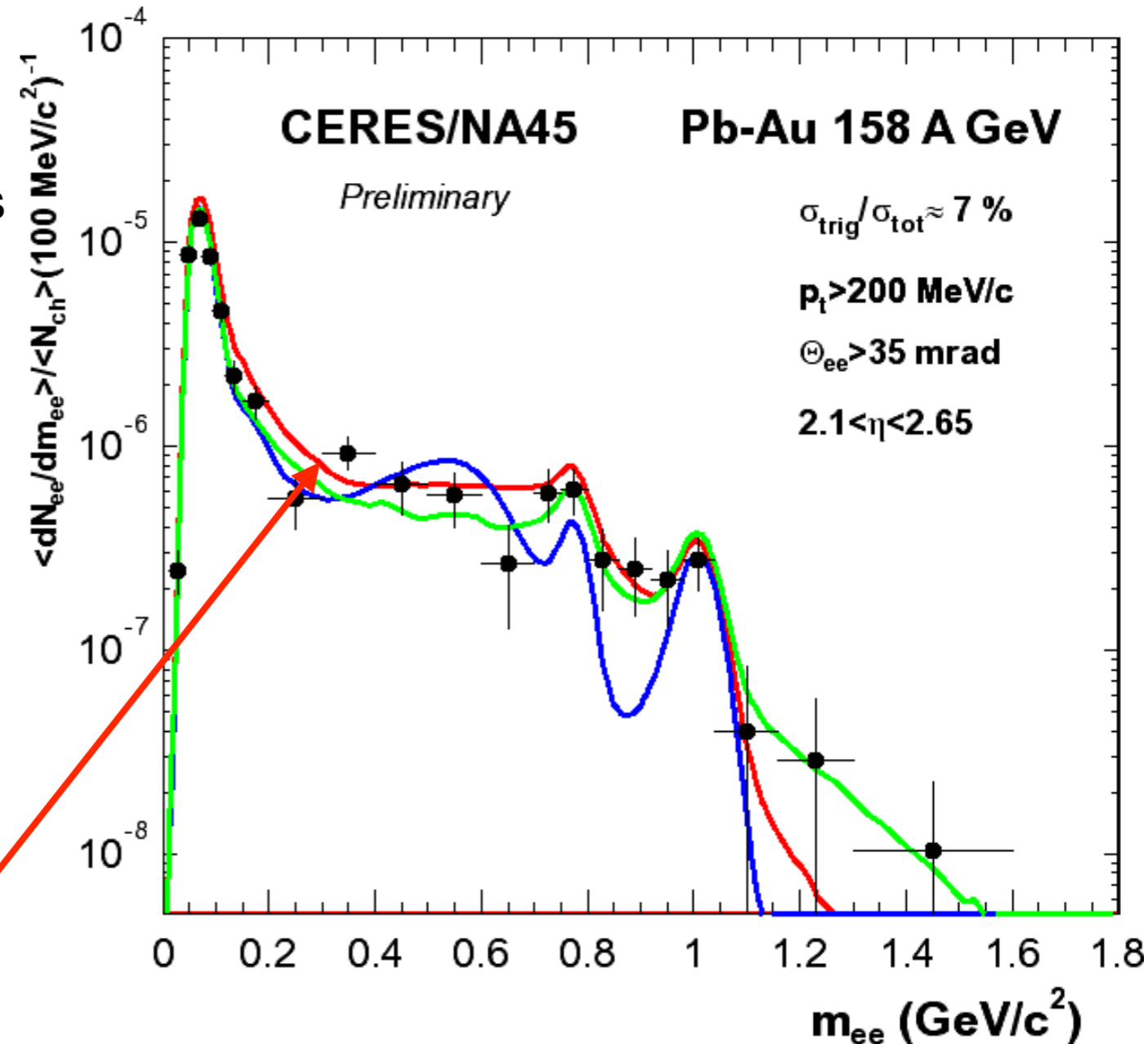
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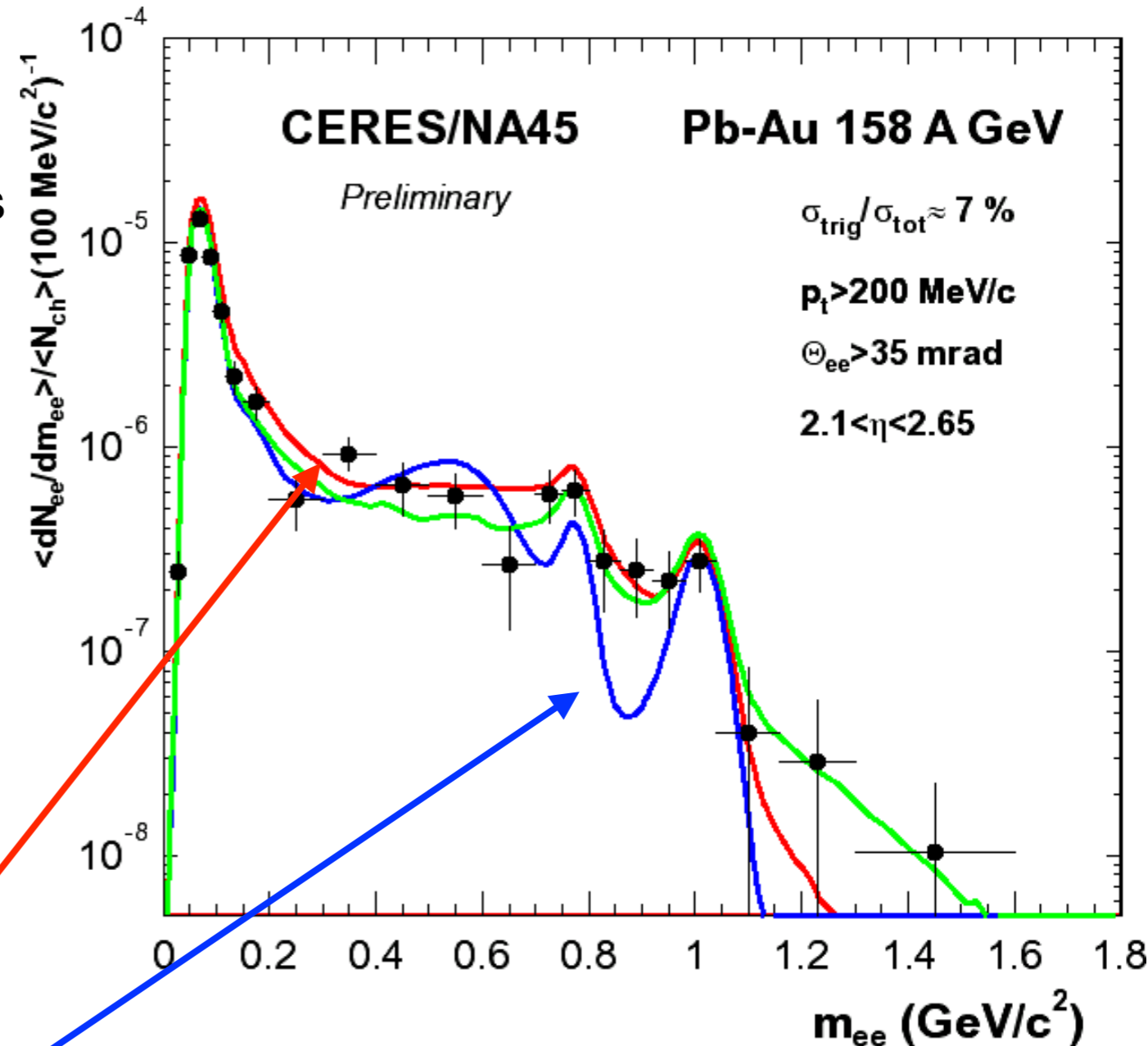
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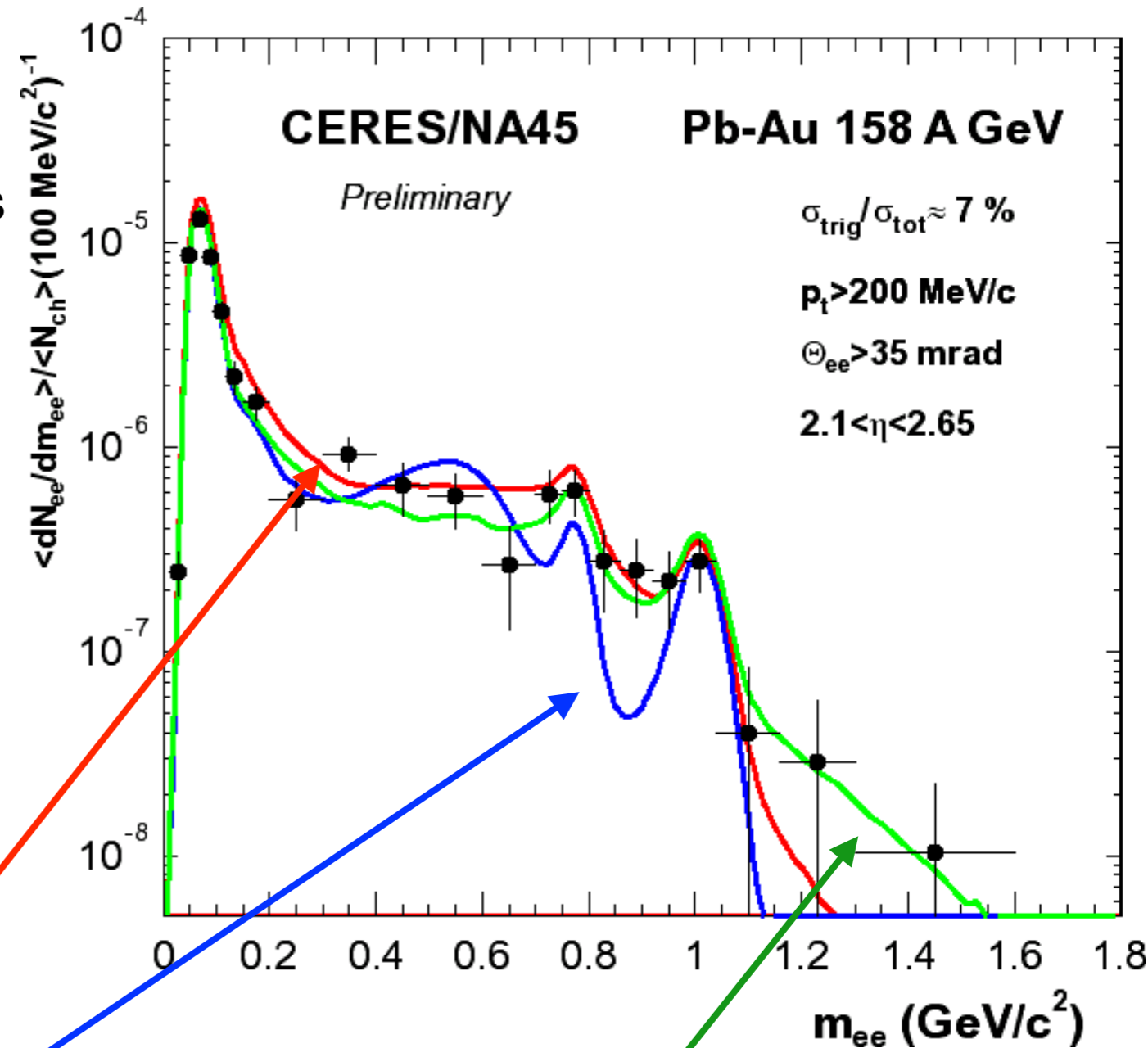
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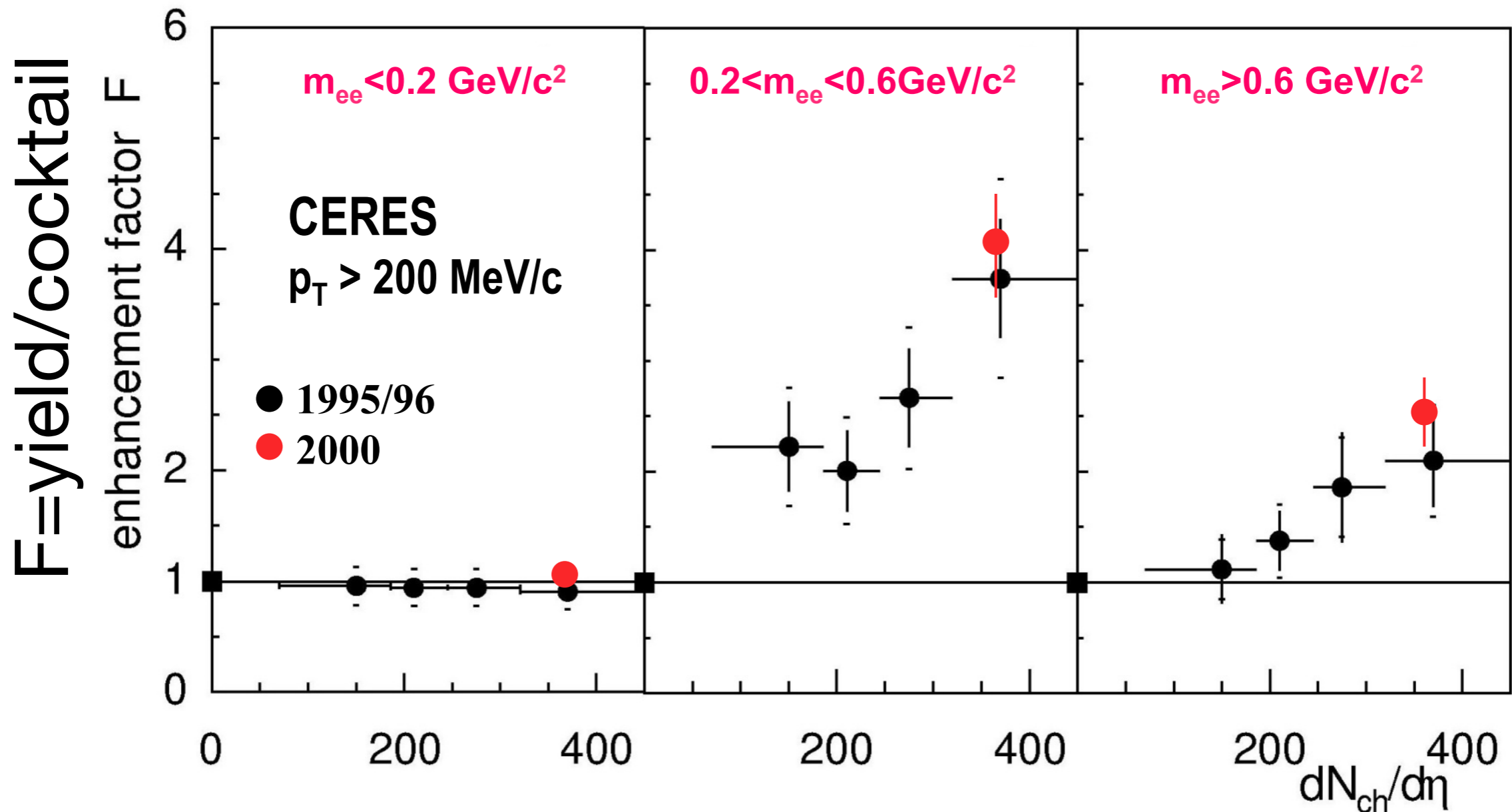
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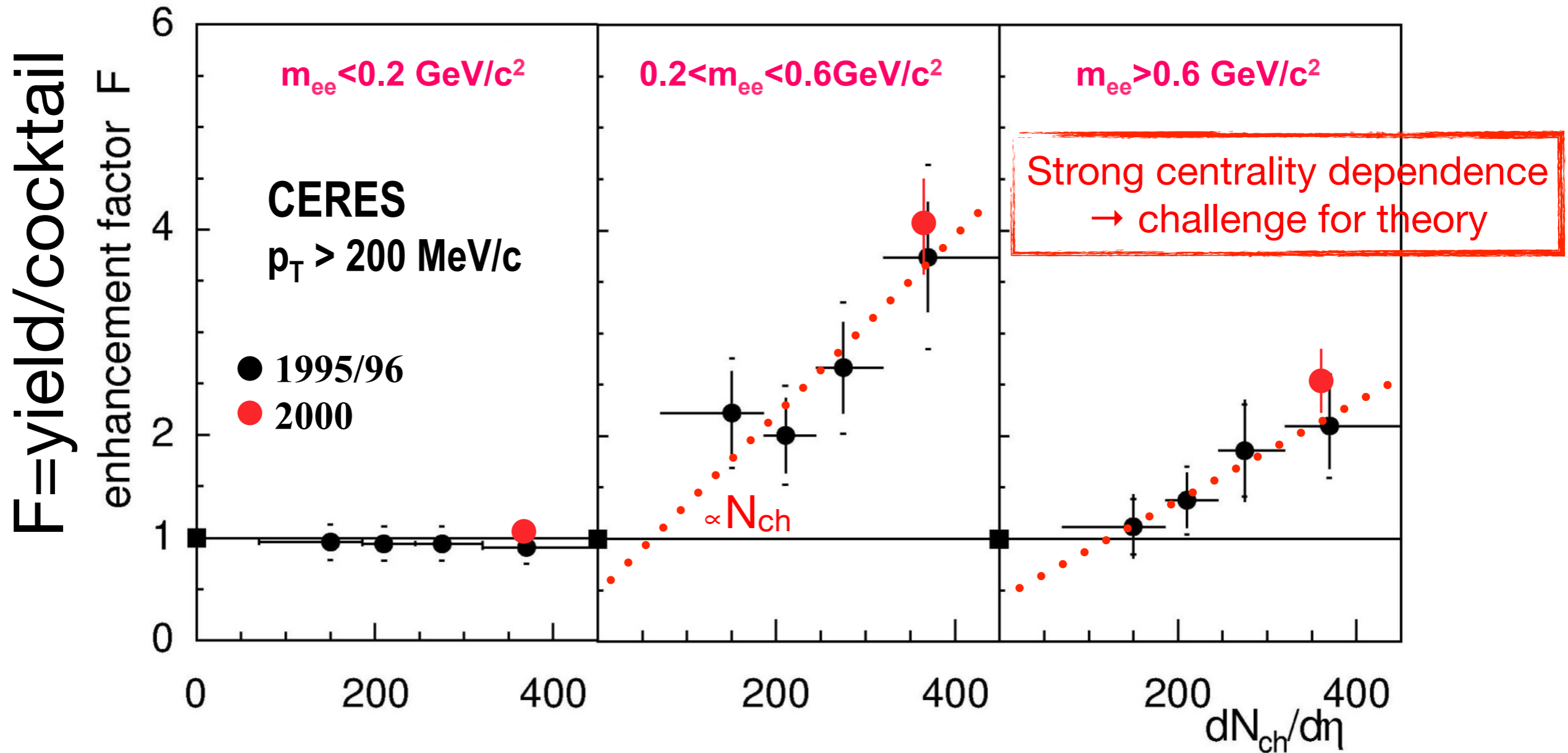
- thermal radiation e^+e^- yield calculated from qq annihilation in pQCD (B.Kämpfer et al.)

Centrality Dependence of Excess



- Naïve expectation: quadratic multiplicity dependence
 - Medium radiation proportional to particle density squared
- More realistic: smaller than quadratic increase
 - Density profile in transverse plane
 - Life time of reaction volume

Centrality Dependence of Excess



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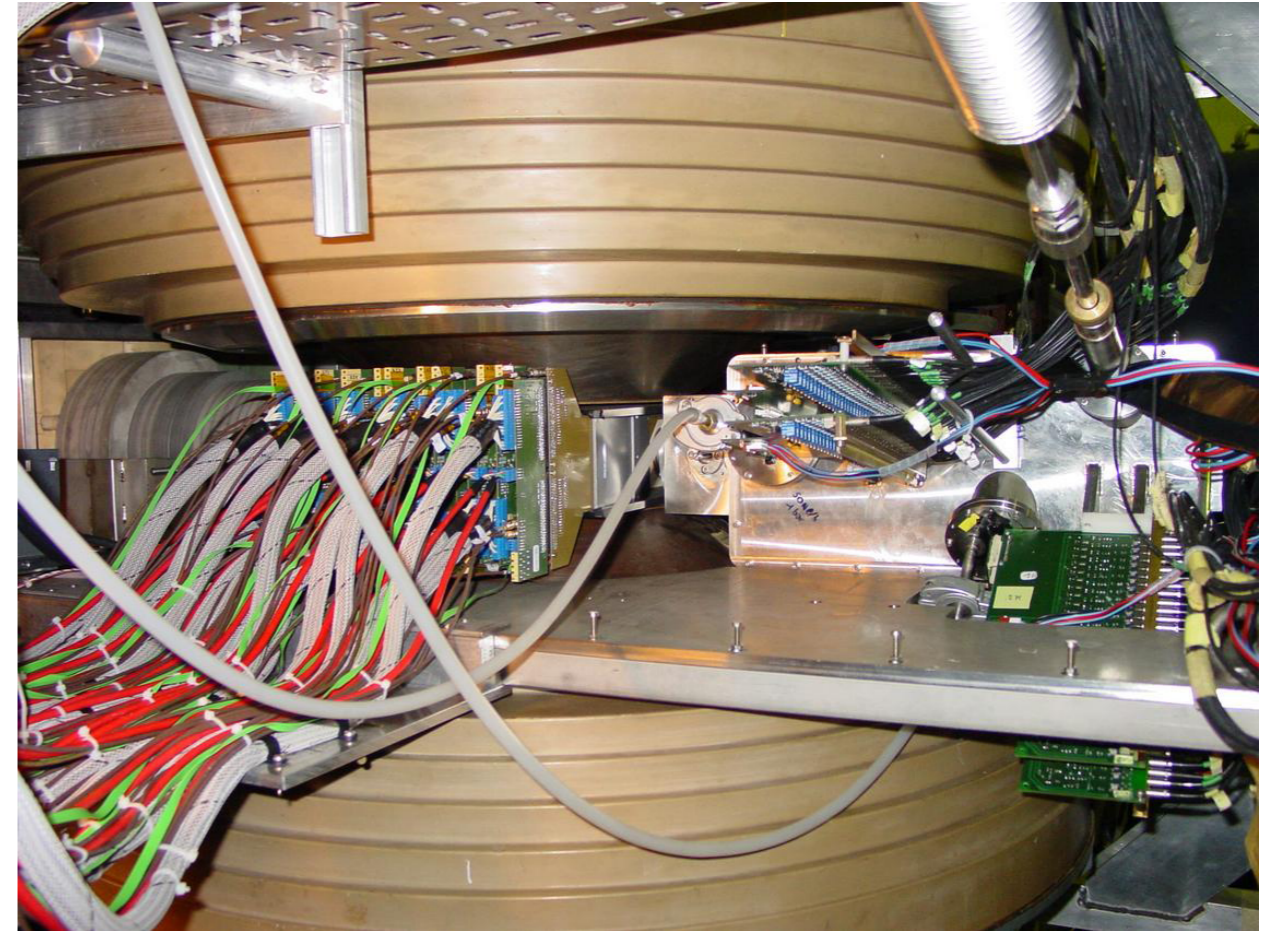
What Did We Learn From CERES?

- First systematic study of e^+e^- production in elementary and HI collisions at SPS energies
 - ▶ p-p and p-A collisions are consistent with the expectation from known hadronic sources
 - ▶ A strong low-mass low- p_T enhancement is observed in HI collisions
- ➔ Consistent with in-medium modification of the ρ meson
- ➔ Data cannot distinguish between two scenarios
 - ▶ Dropping ρ mass as direct consequence of CSR
 - ▶ Collisional broadening of ρ in dense medium
- WHAT IS NEEDED FOR PROGRESS?
 - ▶ STATISTICS
 - ▶ MASS RESOLUTION

How to Overcome these limitations

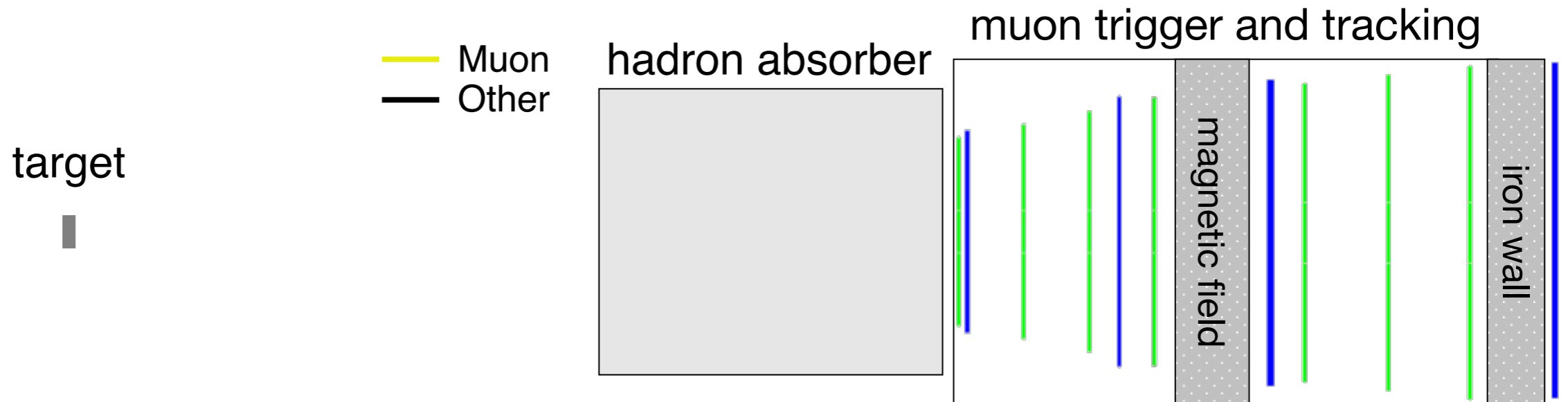
- More statistics
 - ▶ Run forever → not an option
 - ▶ Higher interaction rate
 - Higher beam intensity
 - Thicker target
 - ▶ Needed to tolerate this
 - Extremely selective hardware trigger
 - Reduced sensitivity to secondary interactions, e.g. in target
 - ➔ Cannot be done with dielectrons as a probe, but dimuons are just fine!
- Better mass resolution
 - ▶ Stronger magnetic field
 - ▶ Detectors with better position resolution
 - ➔ Silicon tracker embedded in strong magnetic field!

The NA60 Experiment



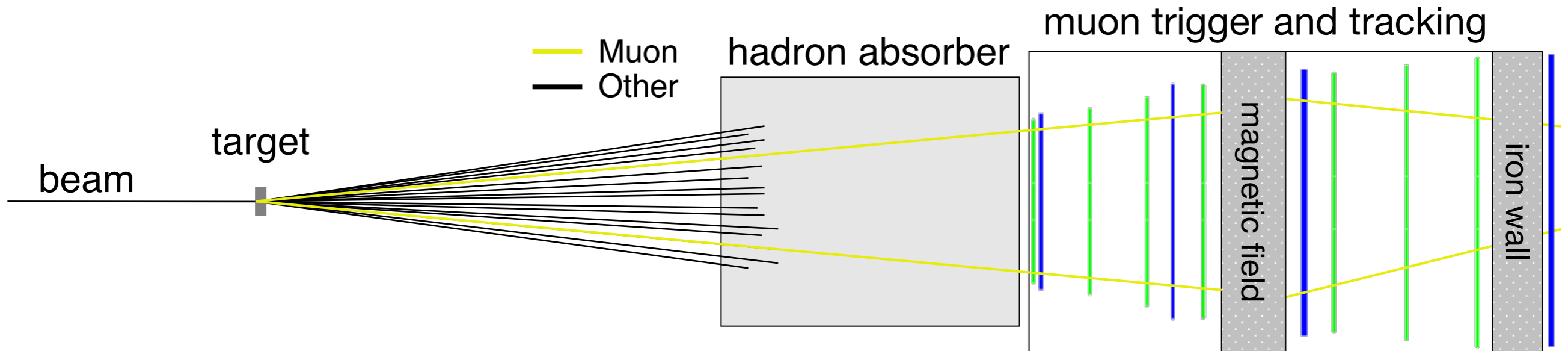
- A huge absorber and muon spectrometer (and trigger)
- And a tiny, high resolution, radiation hard vertex spectrometer

Standard $\mu^+\mu^-$ detection: NA50



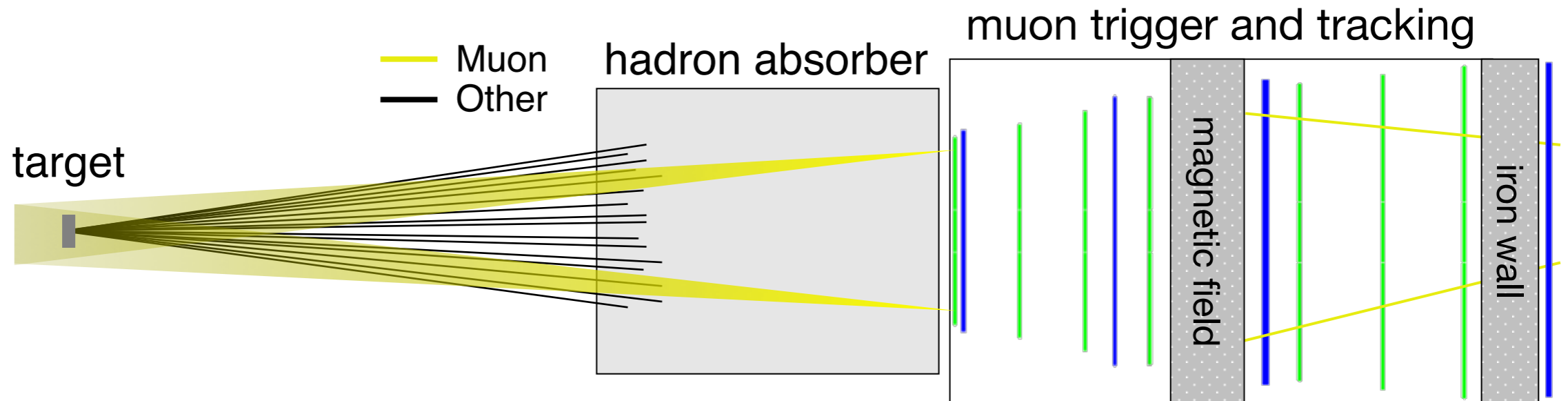
- Thick hadron absorber to reject hadronic background
- Trigger system based on fast detectors to select muon candidates (1 in 10^4 PbPb collisions at SPS energy)
- Muon tracks reconstructed by a spectrometer (tracking detectors + magnetic field)
- Extrapolate muon tracks back to the target taking into account multiple scattering and energy loss, but ...
 - ▶ Poor reconstruction of interaction vertex ($\sigma_z \sim 10$ cm)
 - ▶ Poor mass resolution (80 MeV at the ϕ)

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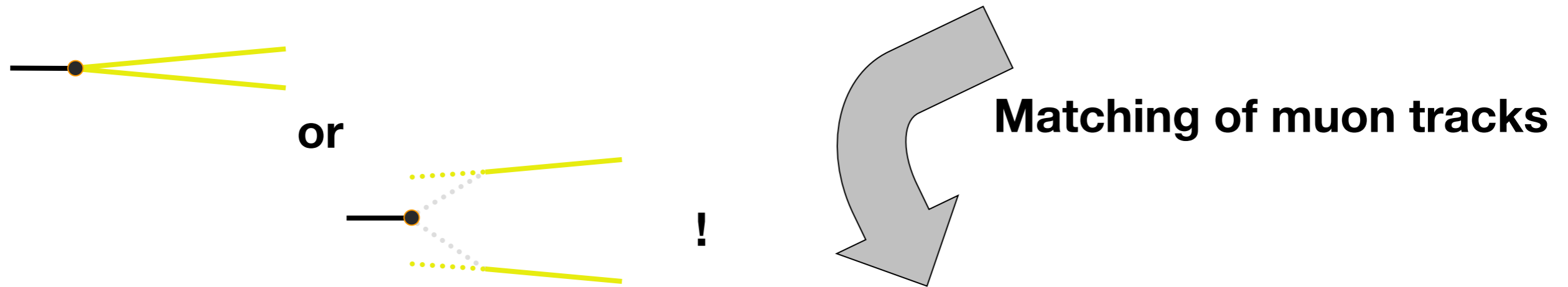
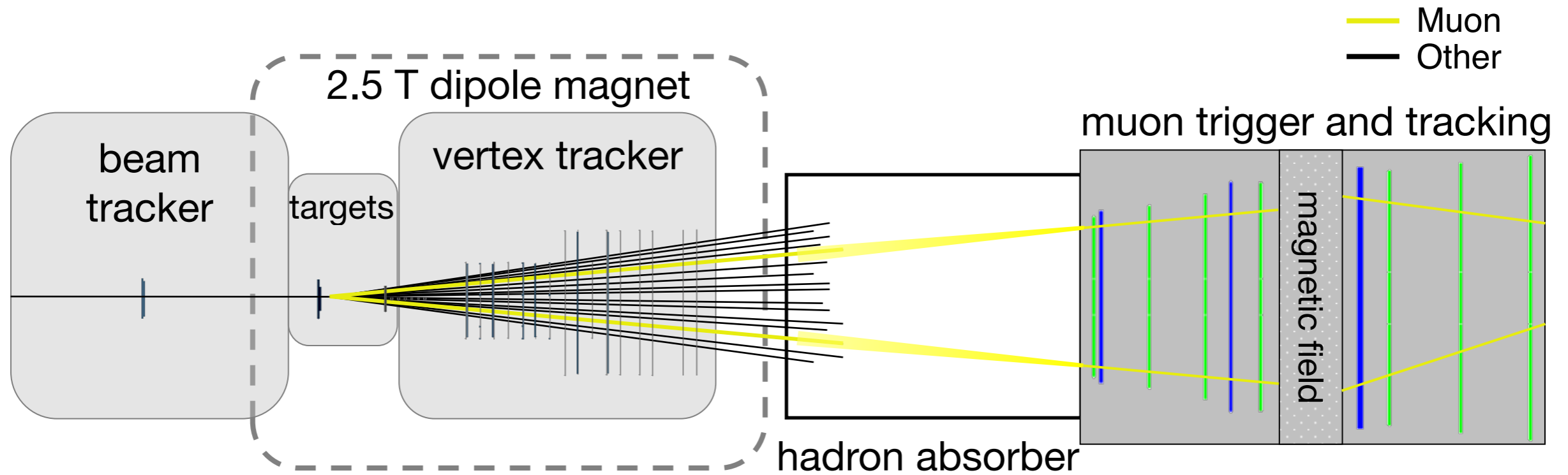
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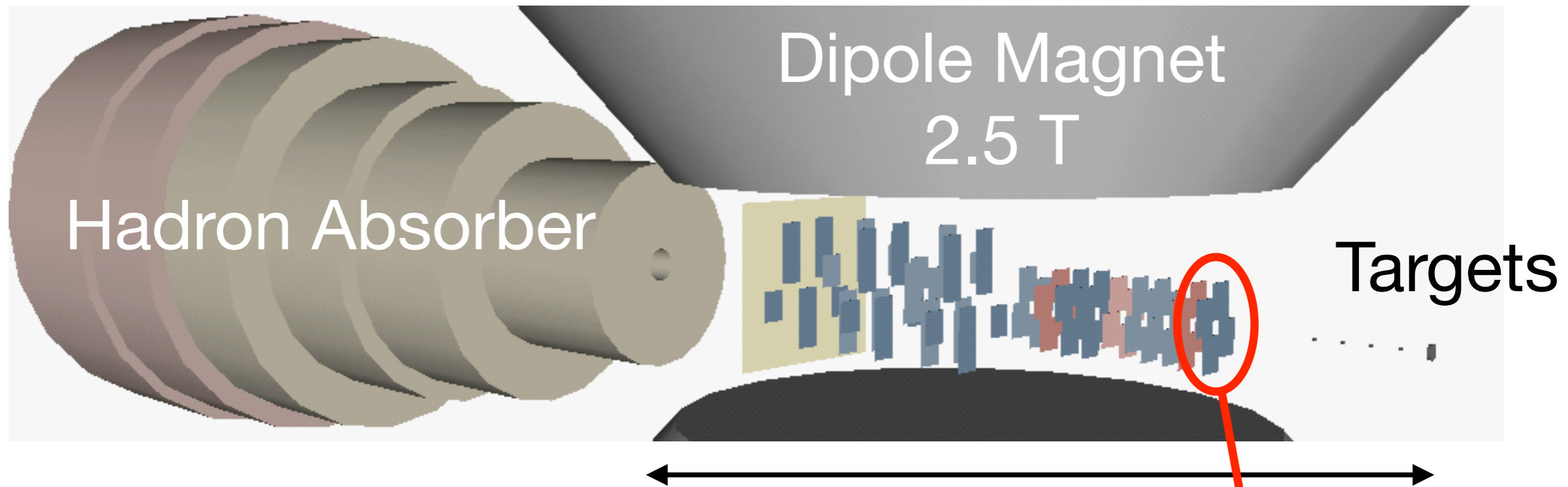
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A step forward: the NA60 case

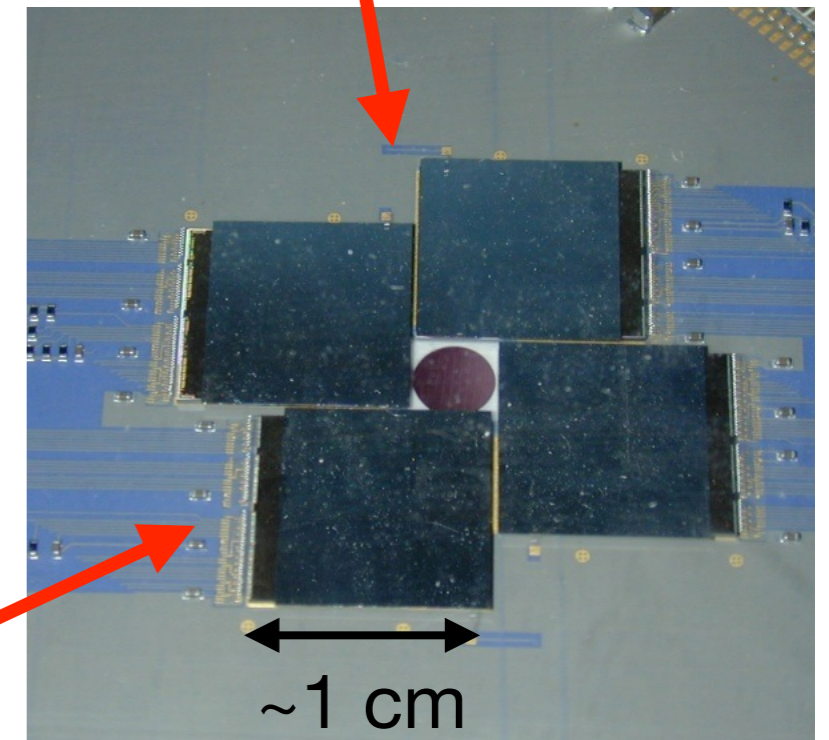


- Origin of muons can be determined accurately
- Improved dimuon mass resolution

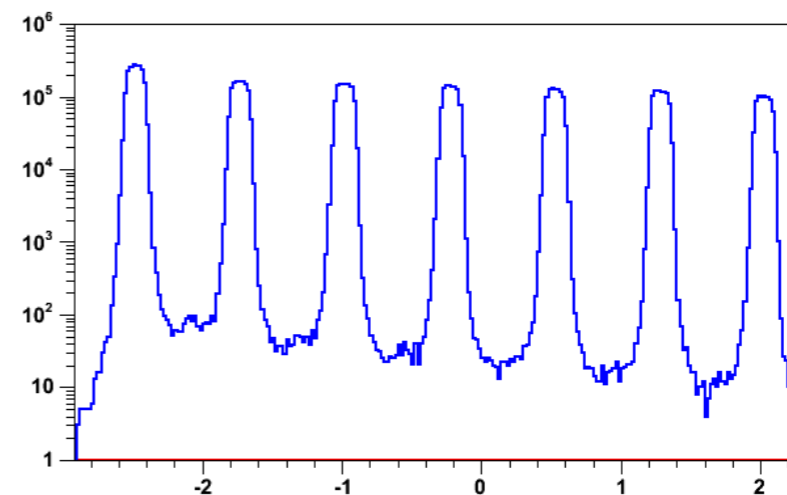
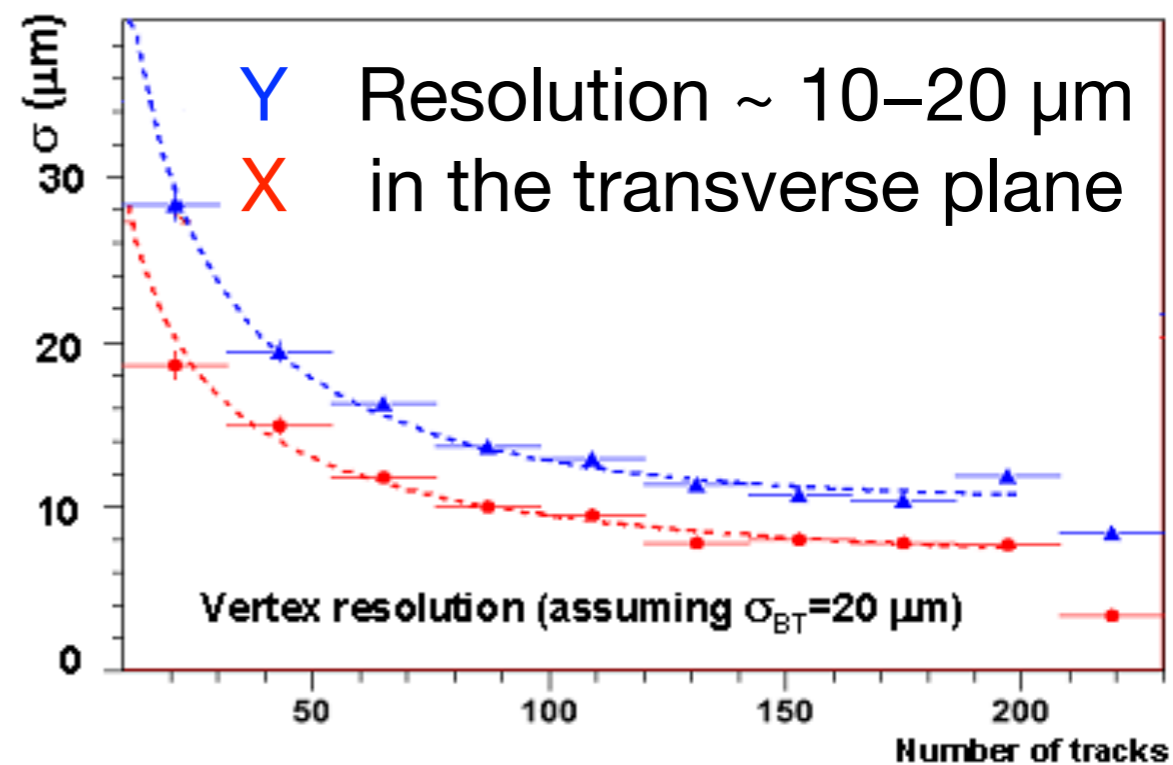
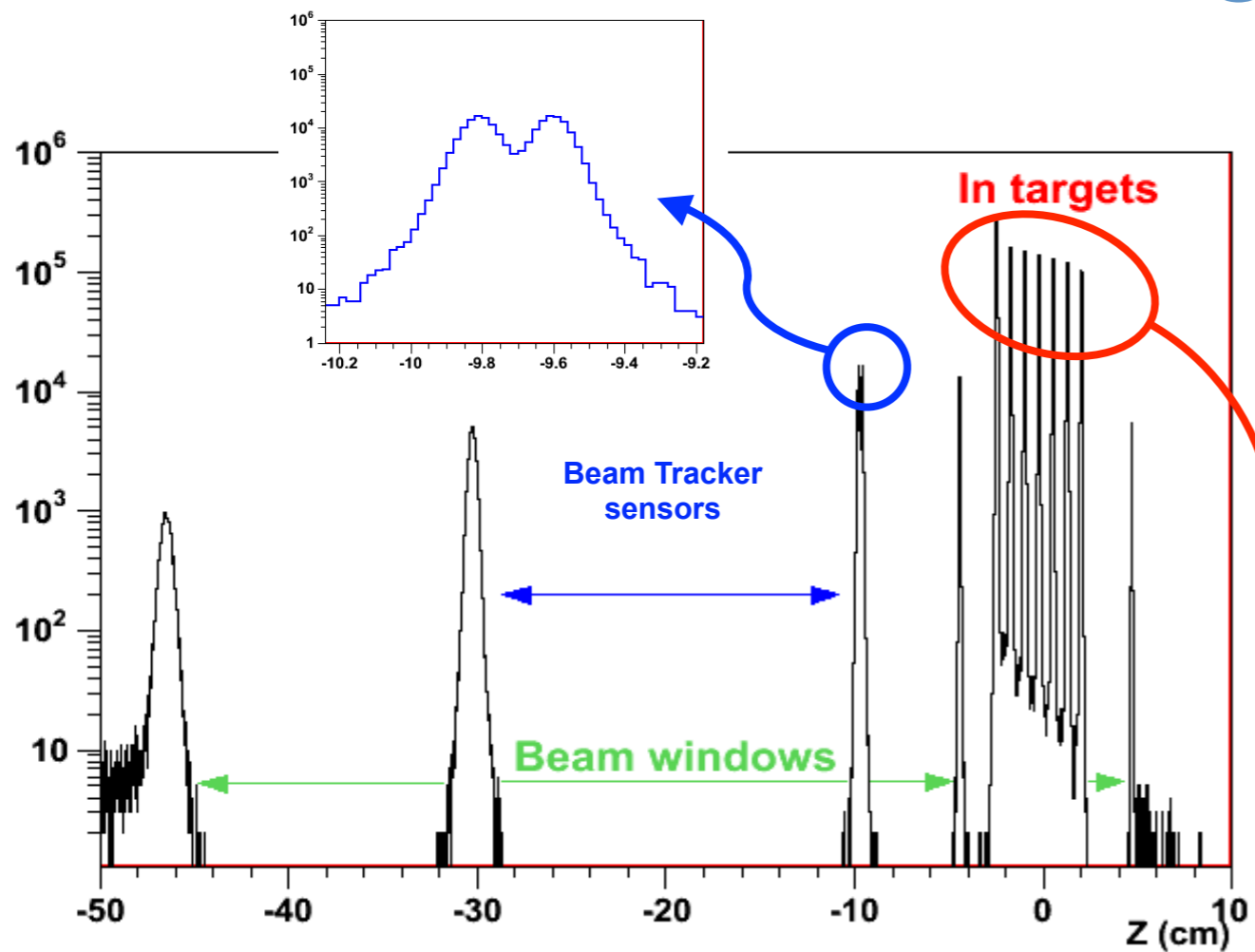
The NA60 Pixel Vertex Spectrometer



- 12 tracking points with good acceptance
 - ▶ 8 small 4-chip planes
 - ▶ 8 large 8-chip planes in 4 tracking stations
- ~3% X_0 per plane
 - ▶ 750 μm Si readout chip
 - ▶ 300 μm Si sensor
 - ▶ ceramic hybrid
- 800 000 readout channels in 96 pixel assemblies



Vertexing in NA60

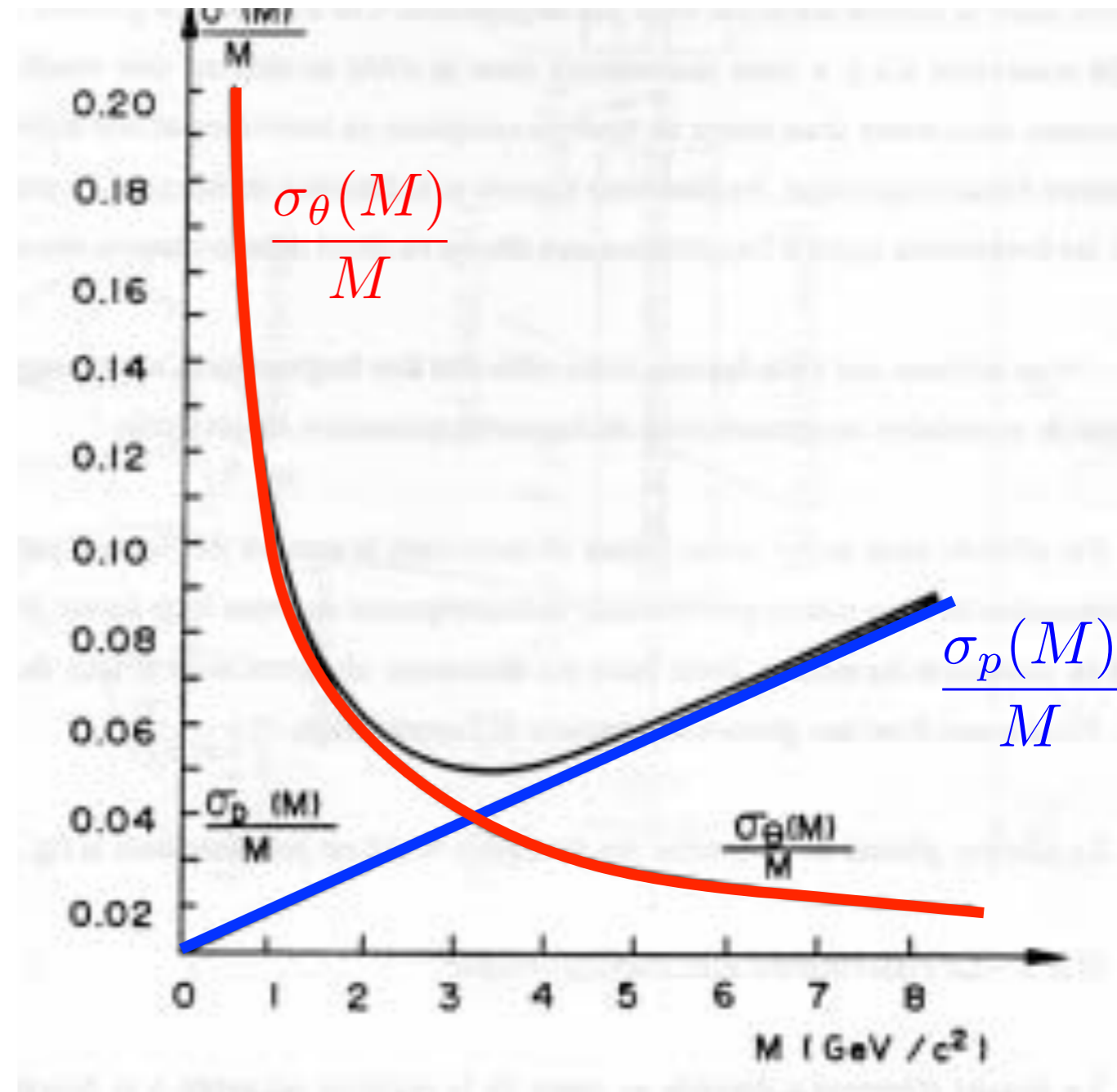


- $\sigma_z \sim 200 \mu\text{m}$ along the beam direction
- Good vertex identification with ≥ 4 tracks

Extremely clean target identification (Log scale!)

Contributions to Mass Resolution

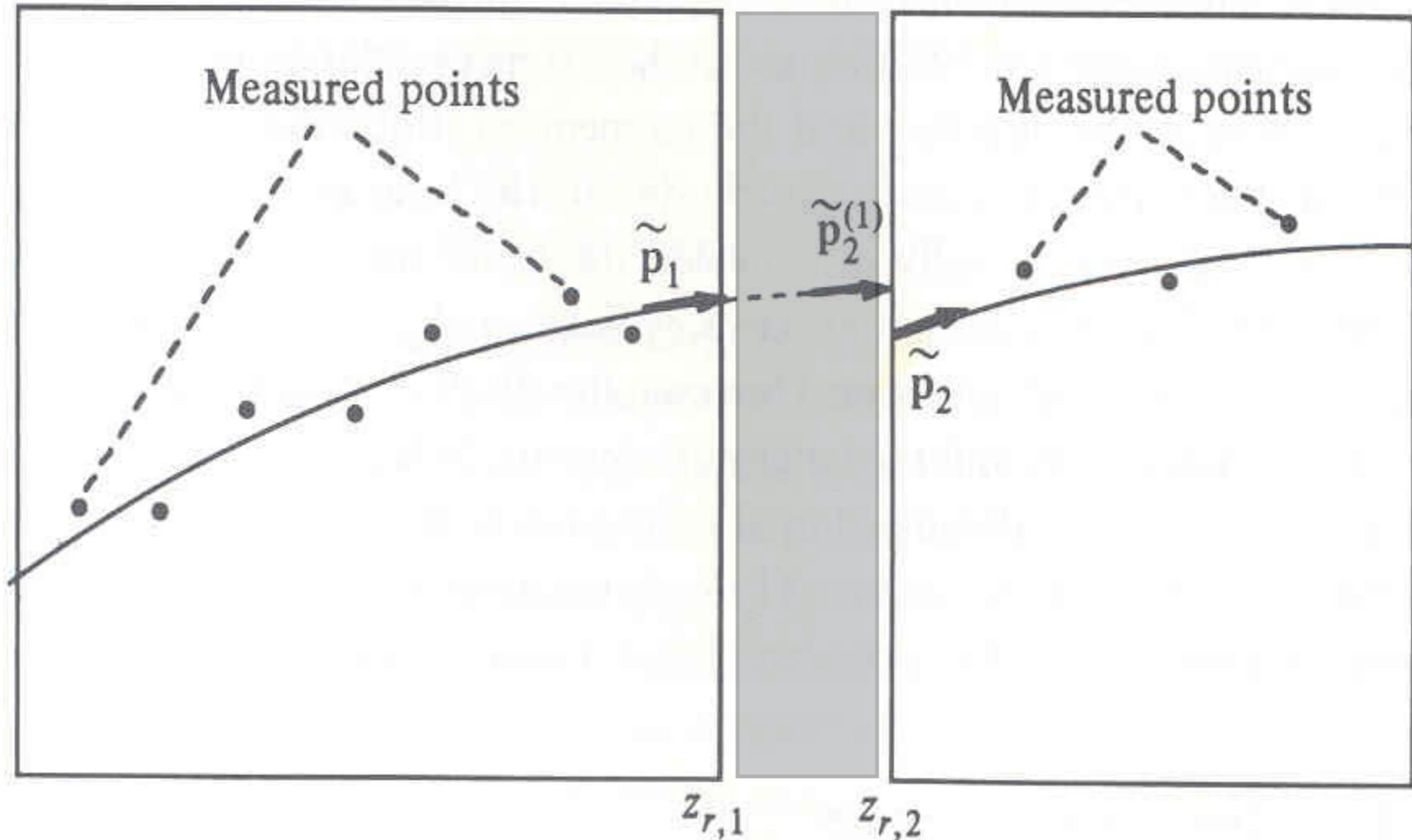
- Two components:
 - ▶ multiple scattering in the hadron absorber
 - dominant at low momentum
 - ▶ tracking accuracy
 - dominant at high momentum
 - High mass dimuons ($\sim 3 \text{ GeV}/c^2$)
 - ▶ absorber does not matter
 - Low mass dimuons ($\sim 1 \text{ GeV}/c^2$)
 - ▶ absorber is crucial
 - ▶ momentum measurement before the absorber promises huge improvement in mass resolution
- ➔ Track matching is critical for high resolution low mass dimuon measurements!



Muon Track Matching

Pixel Telescope

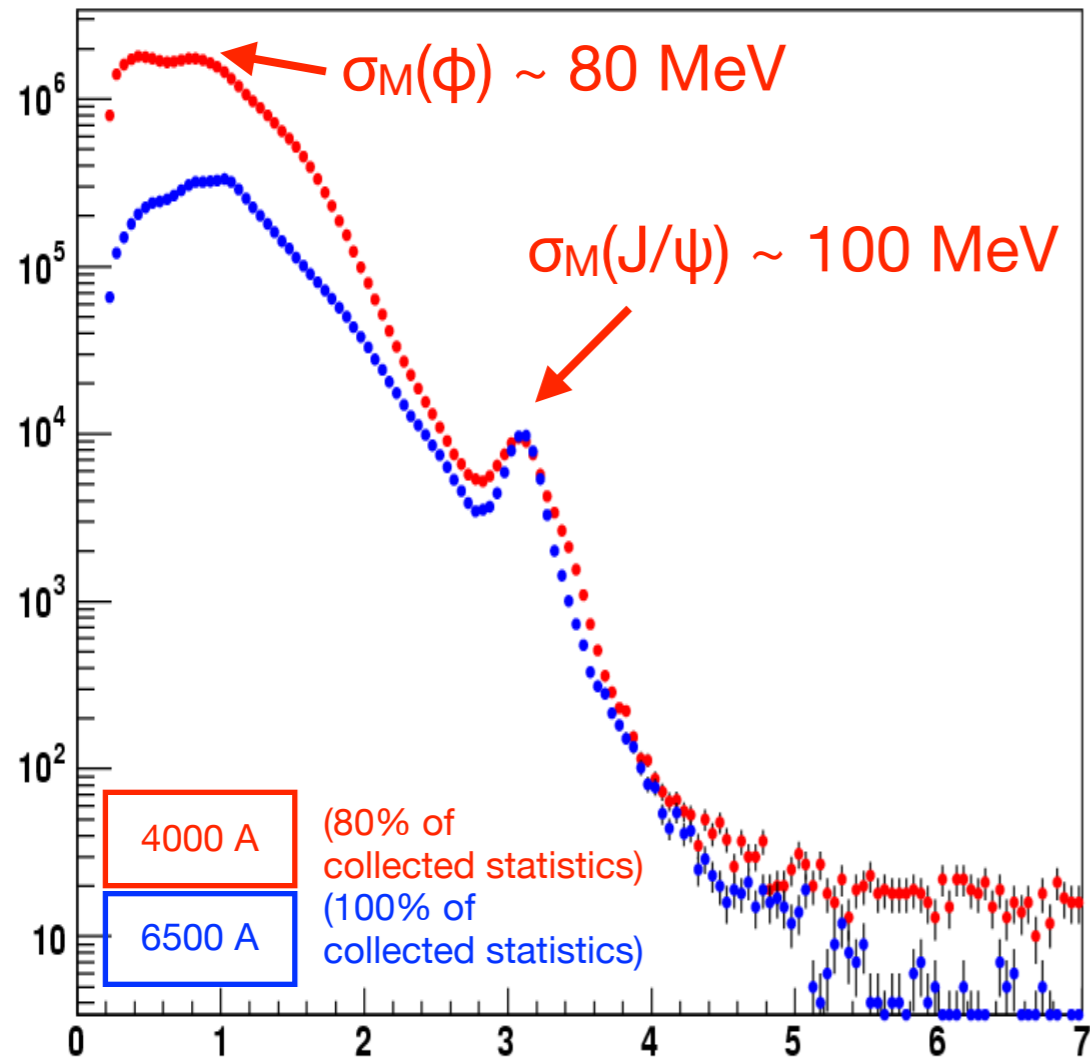
Absorber Muon Spectrometer



- To be most effective: the track matching has to be done in
 - ▶ position space
 - ▶ momentum space

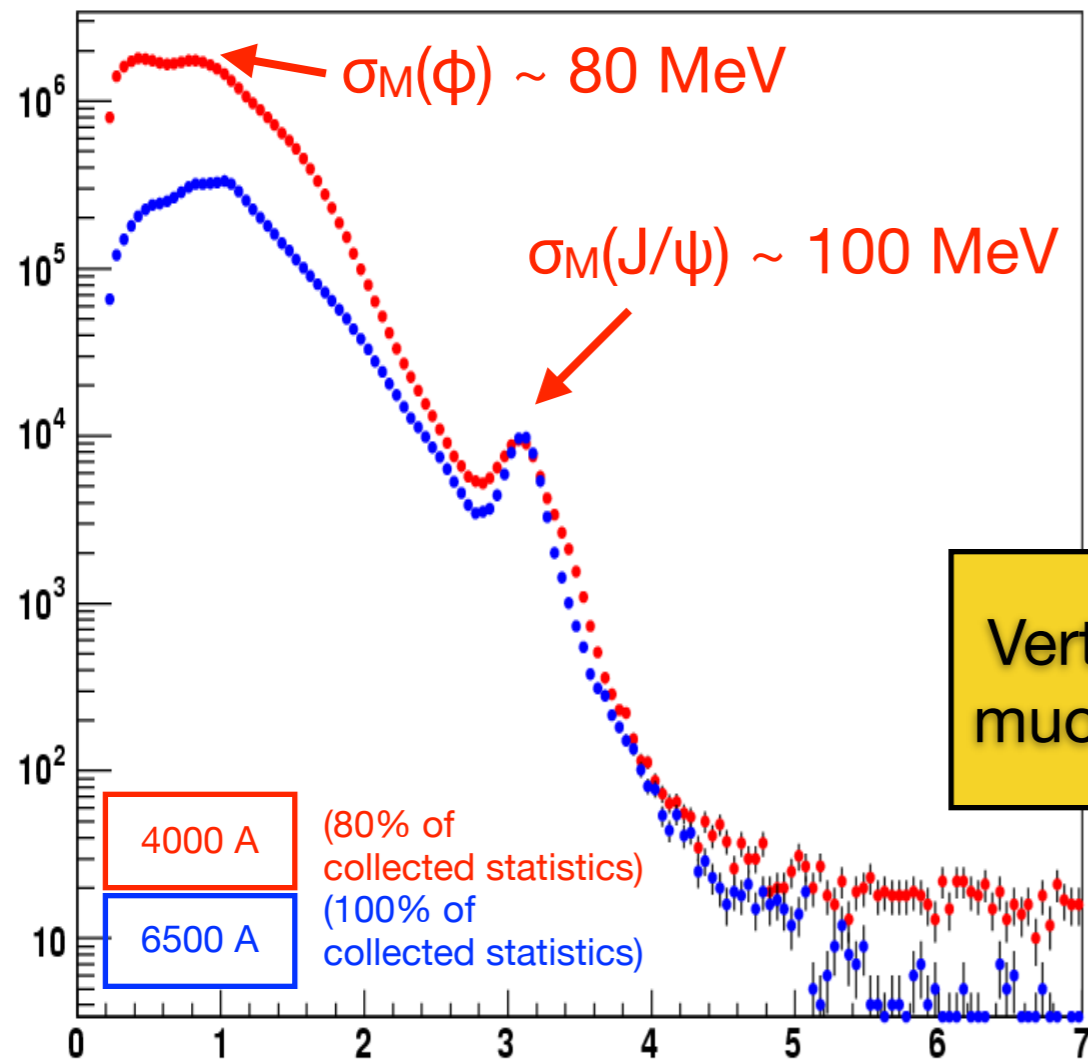
➔ The pixel telescope has to be a spectrometer!

Improvement in Mass Resolution

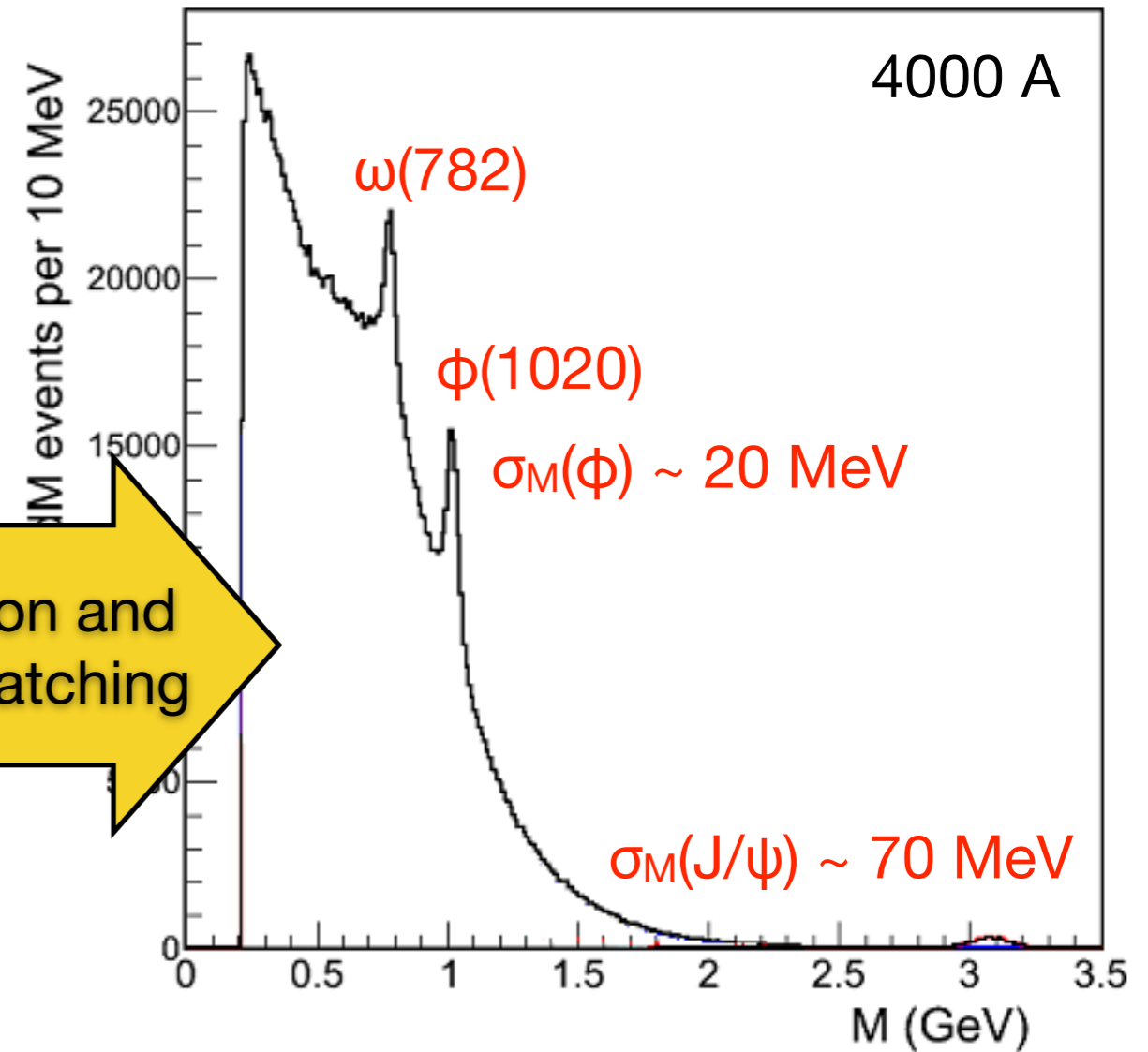


- Opposite sign dimuon mass distribution before quality cuts and without muon track matching

Improvement in Mass Resolution



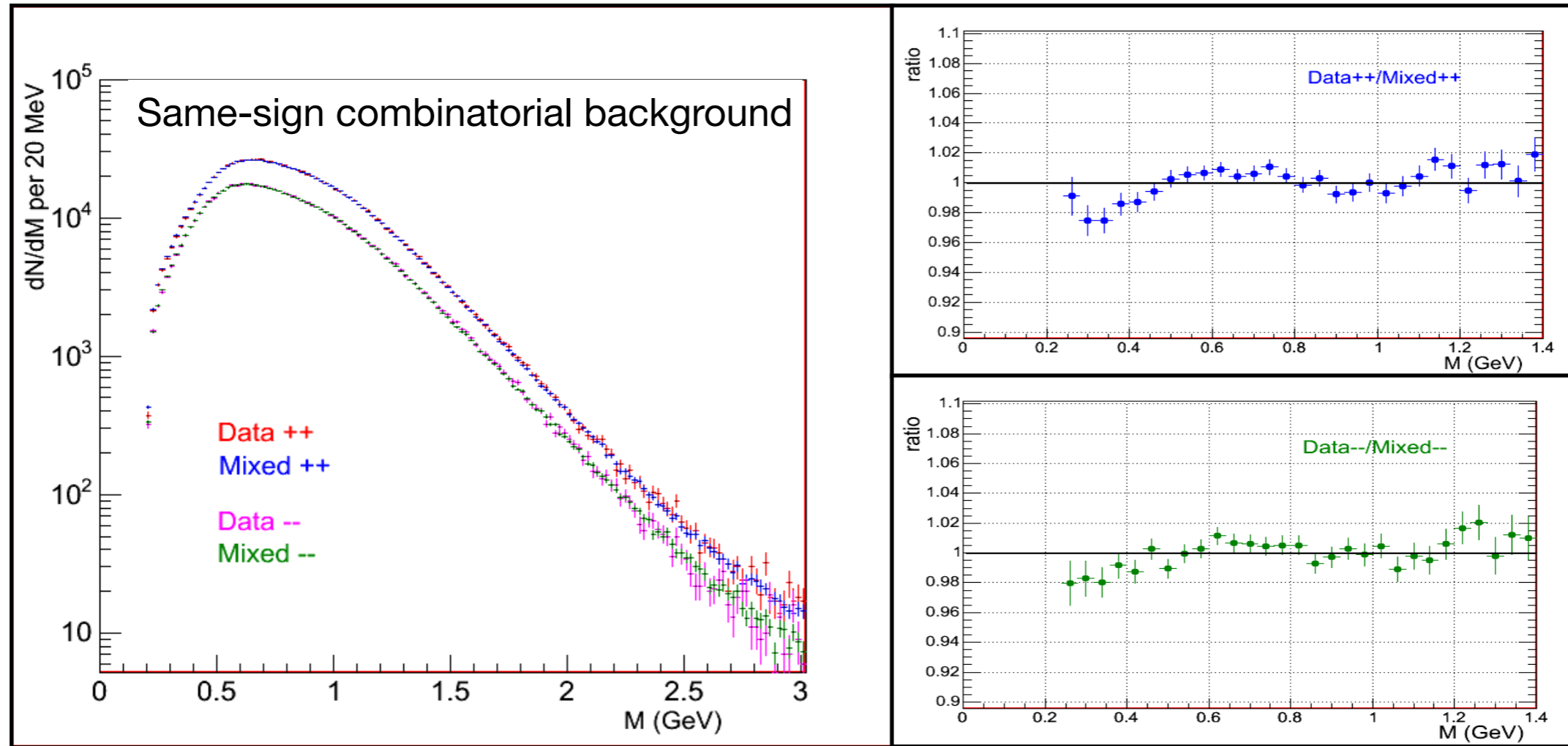
Vertex selection and muon track matching



- Opposite sign dimuon mass distribution before quality cuts and without muon track matching

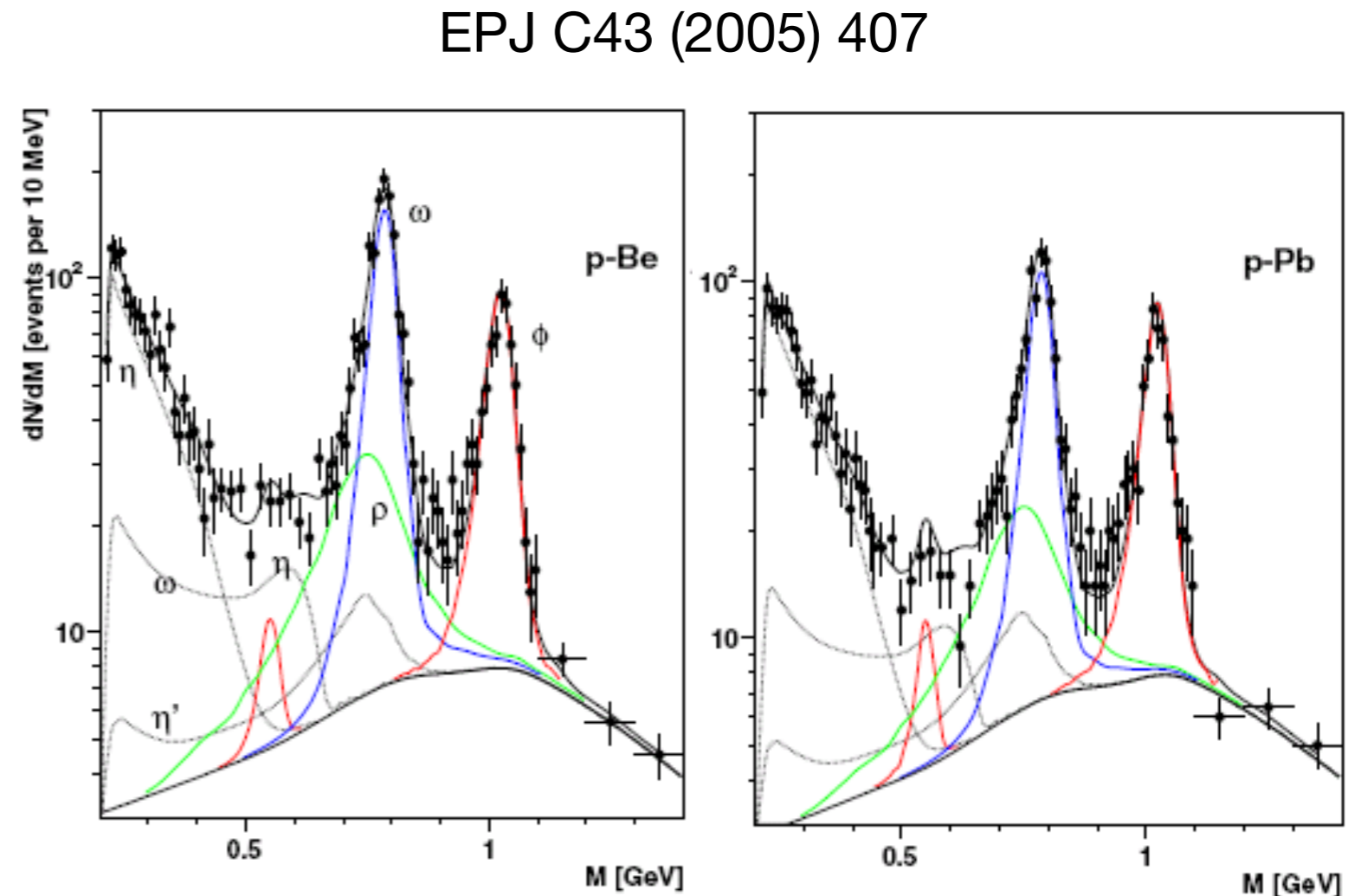
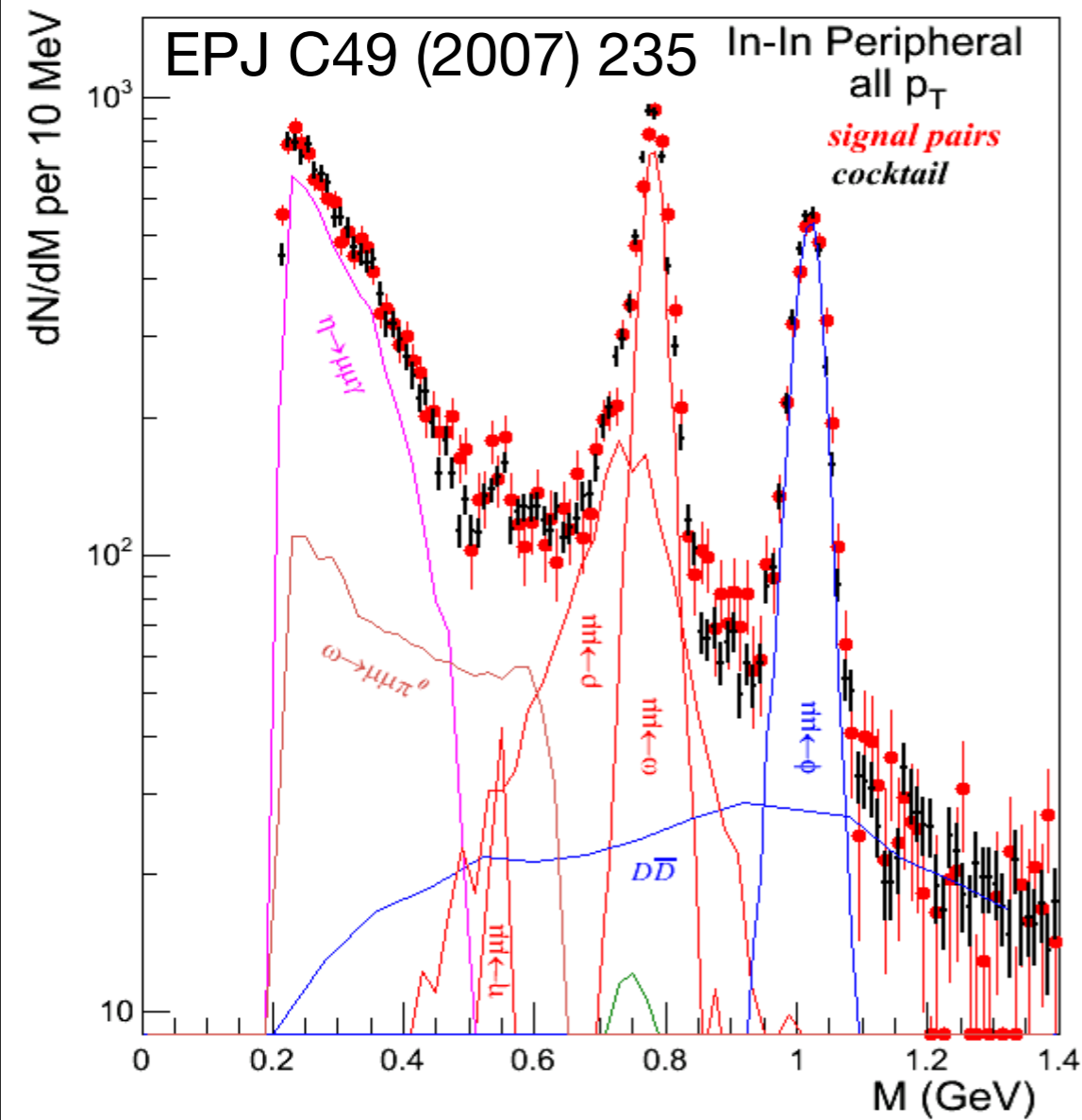
- Drastic improvement in mass resolution
- Still a large unphysical background

Event mixing: Same-sign Pairs



- Compare measured and mixed like-sign pairs
- Accuracy in NA60: $\sim 1\%$ over the full mass range

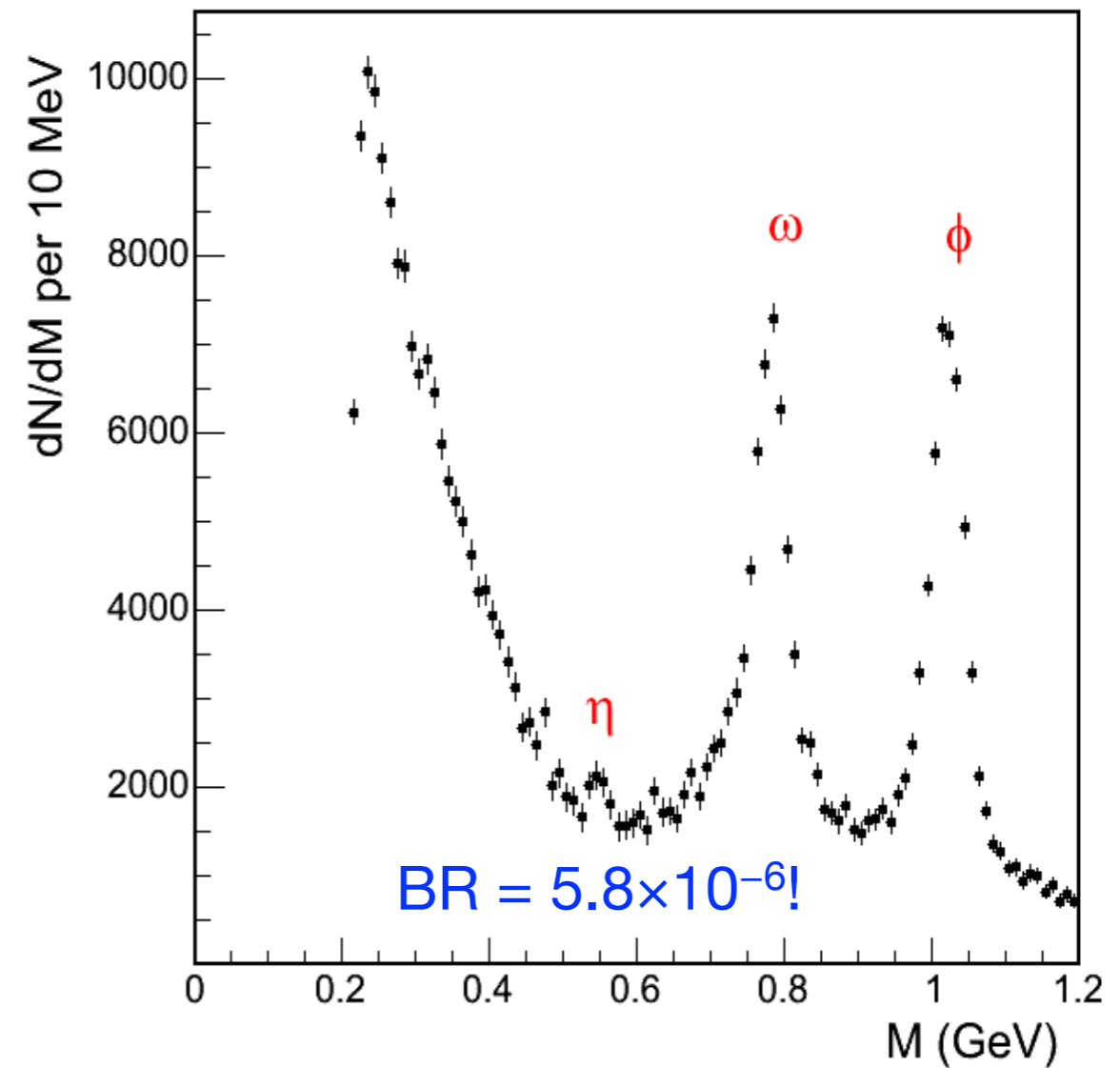
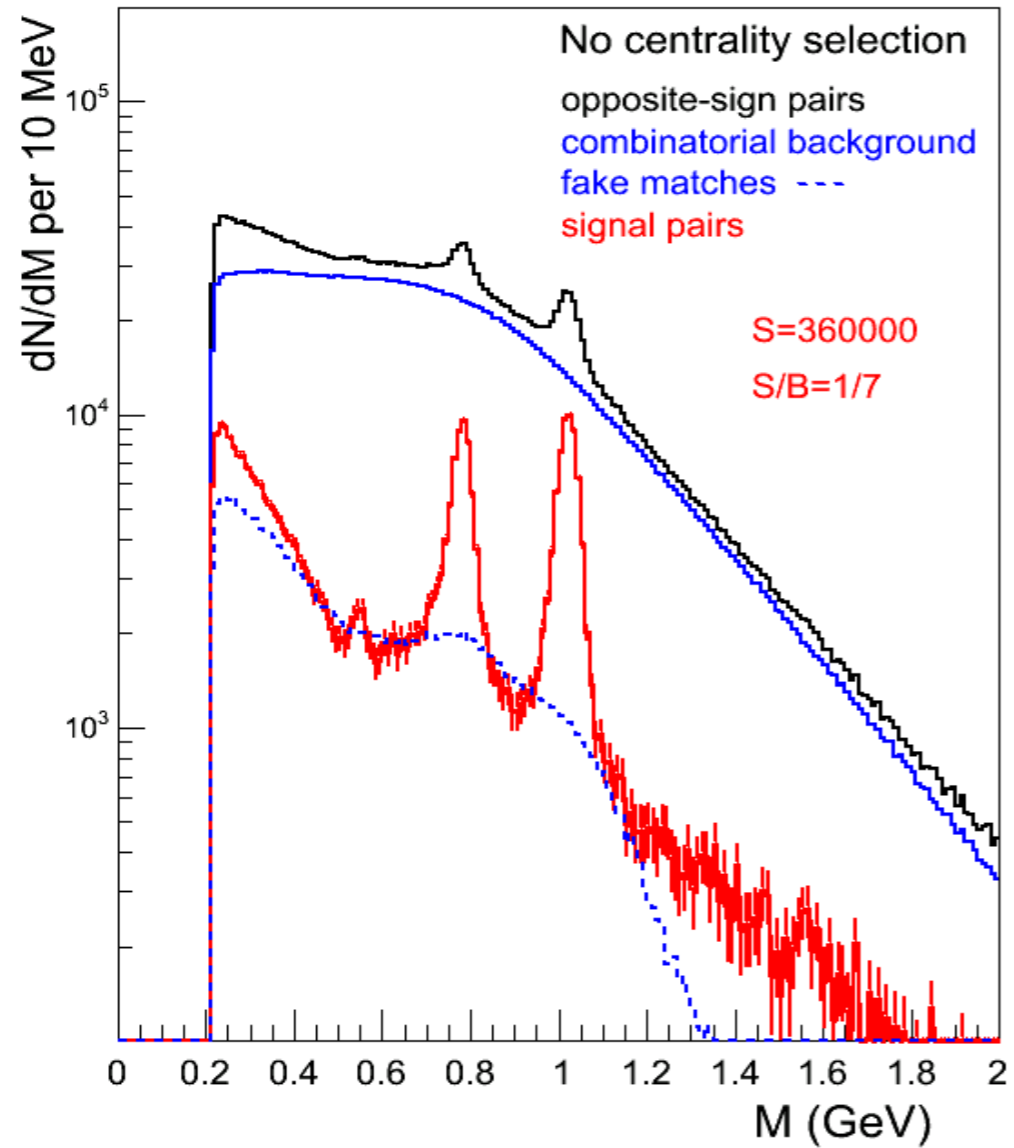
LMR in peripheral In-In Collisions



- Well described by meson decay 'cocktail': η , η' , ρ , ω , ϕ and DD contributions (Genesis generator developed within **CERES** and adapted for dimuons by **NA60**)
- Similar cocktail describes NA60 p-Be, In, Pb 400 GeV data

Part II

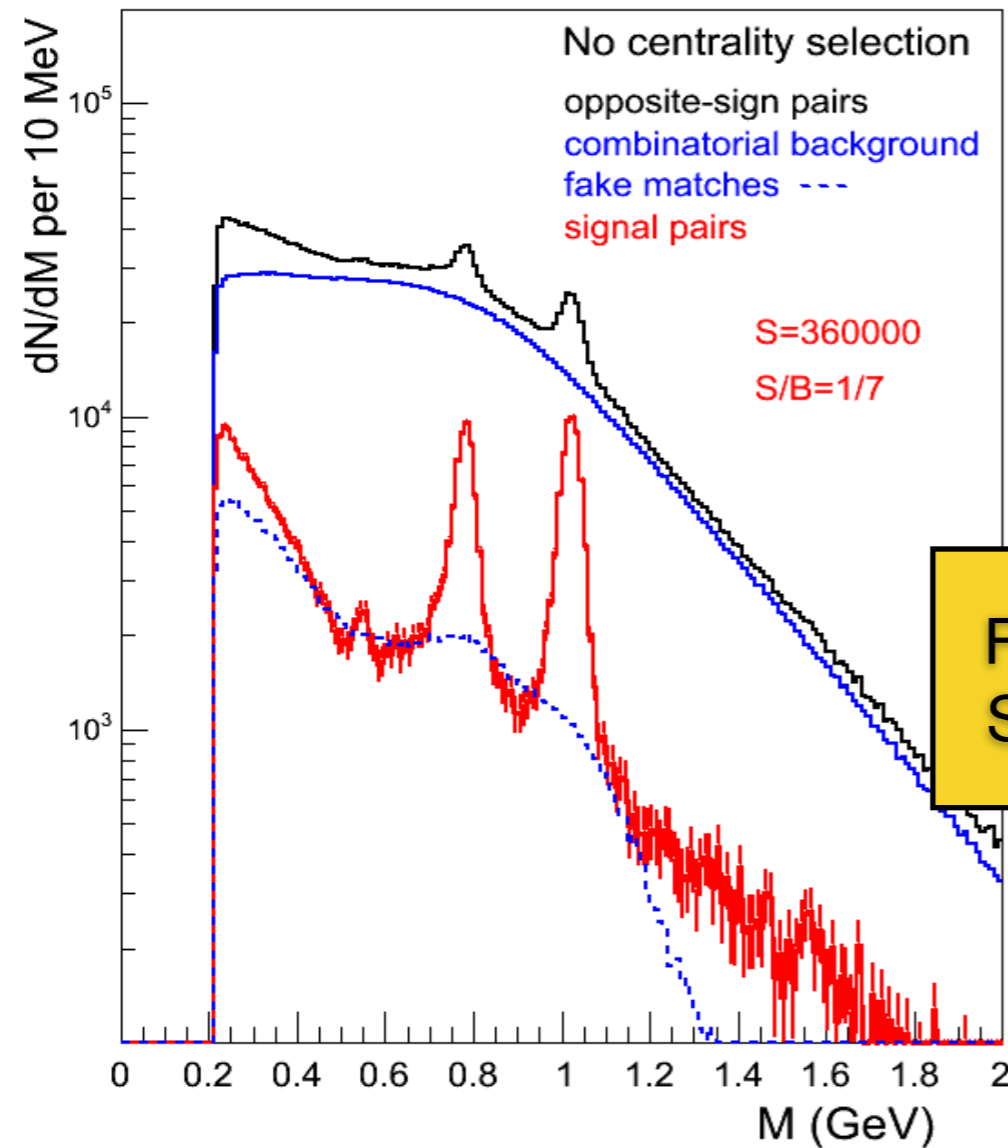
LMR in min. bias In-In Collisions



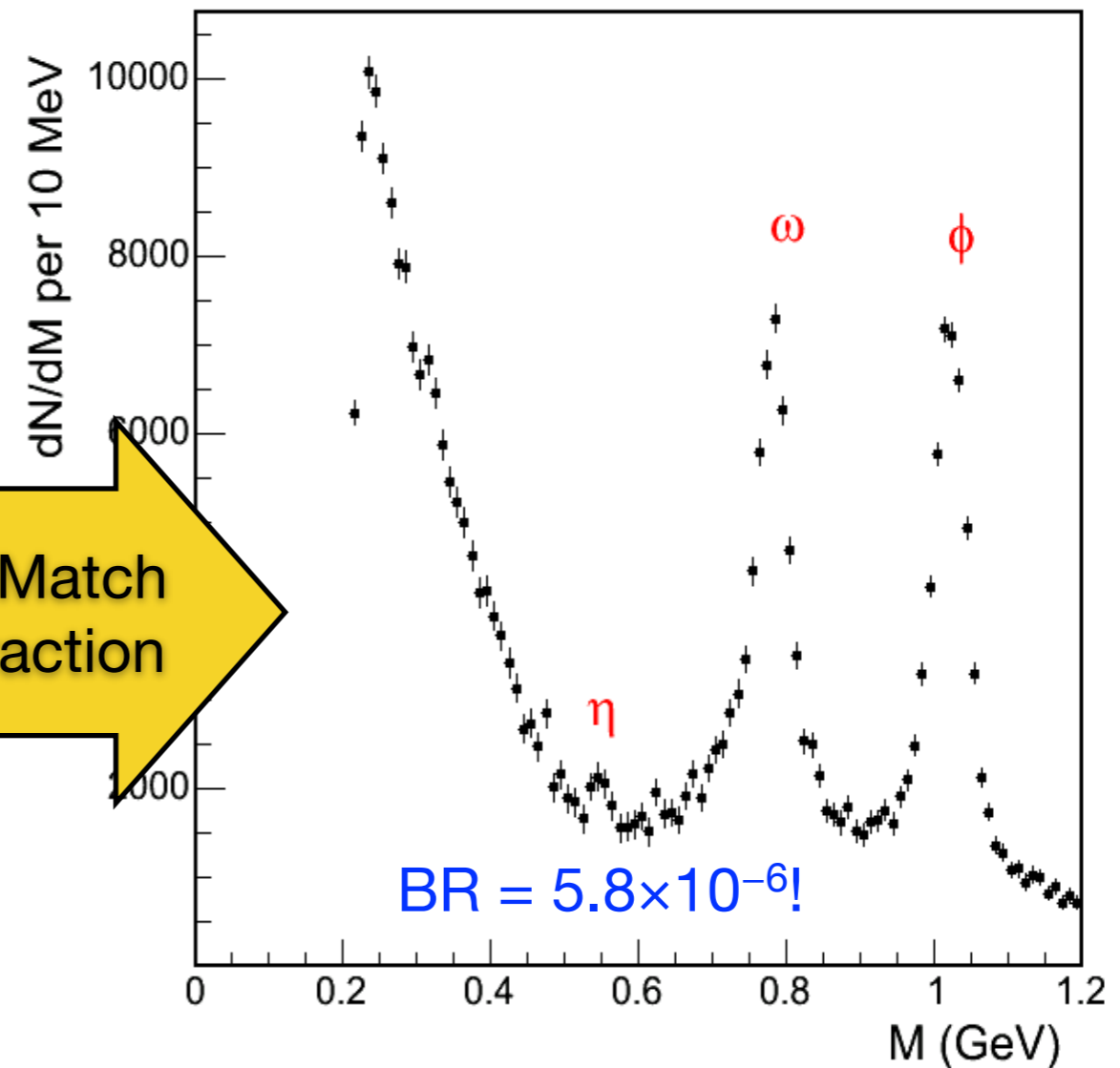
- Improvements:

- ▶ Statistics
- ▶ Resolution

LMR in min. bias In-In Collisions



Fake Match
Subtraction

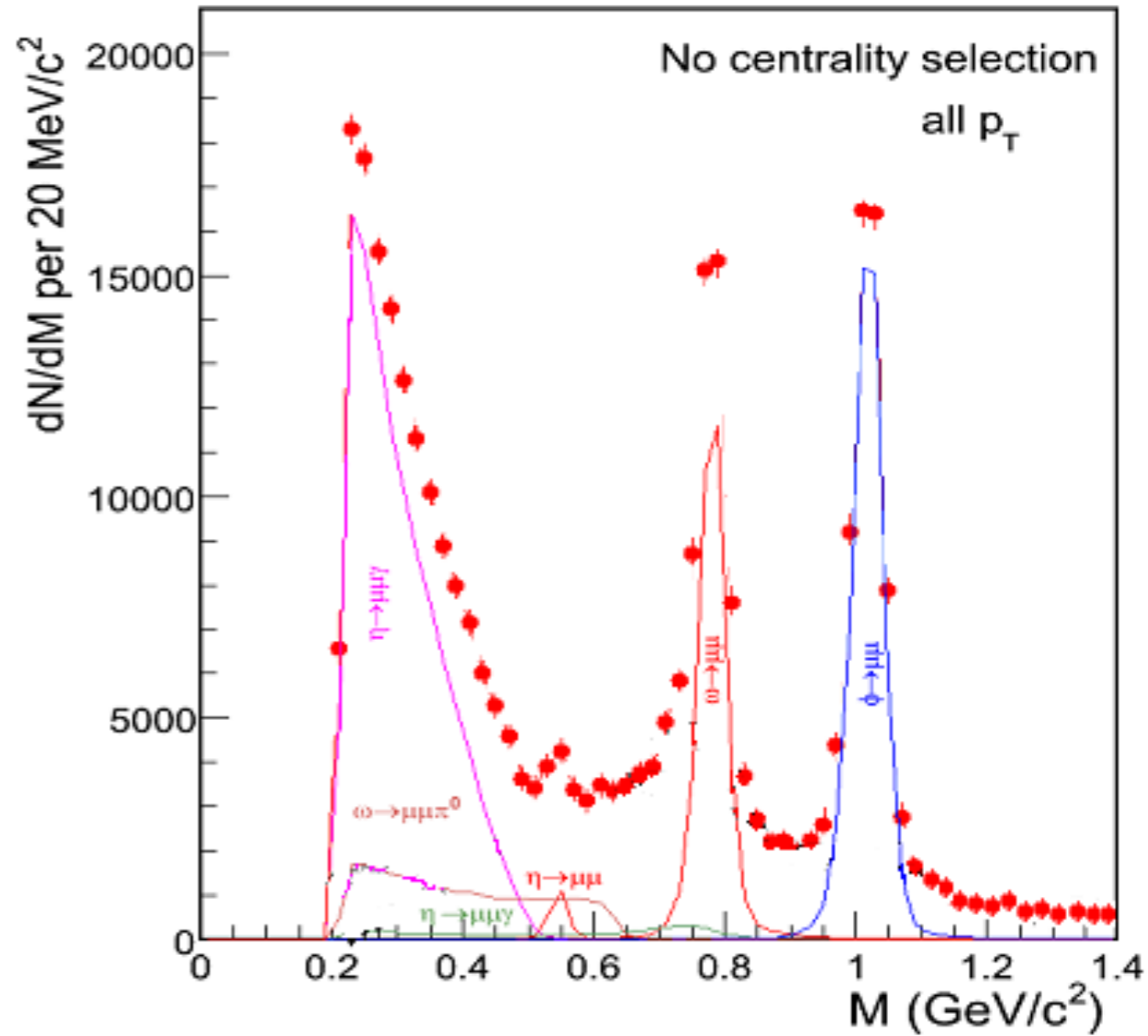


- Improvements:

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- ▶ Resolution

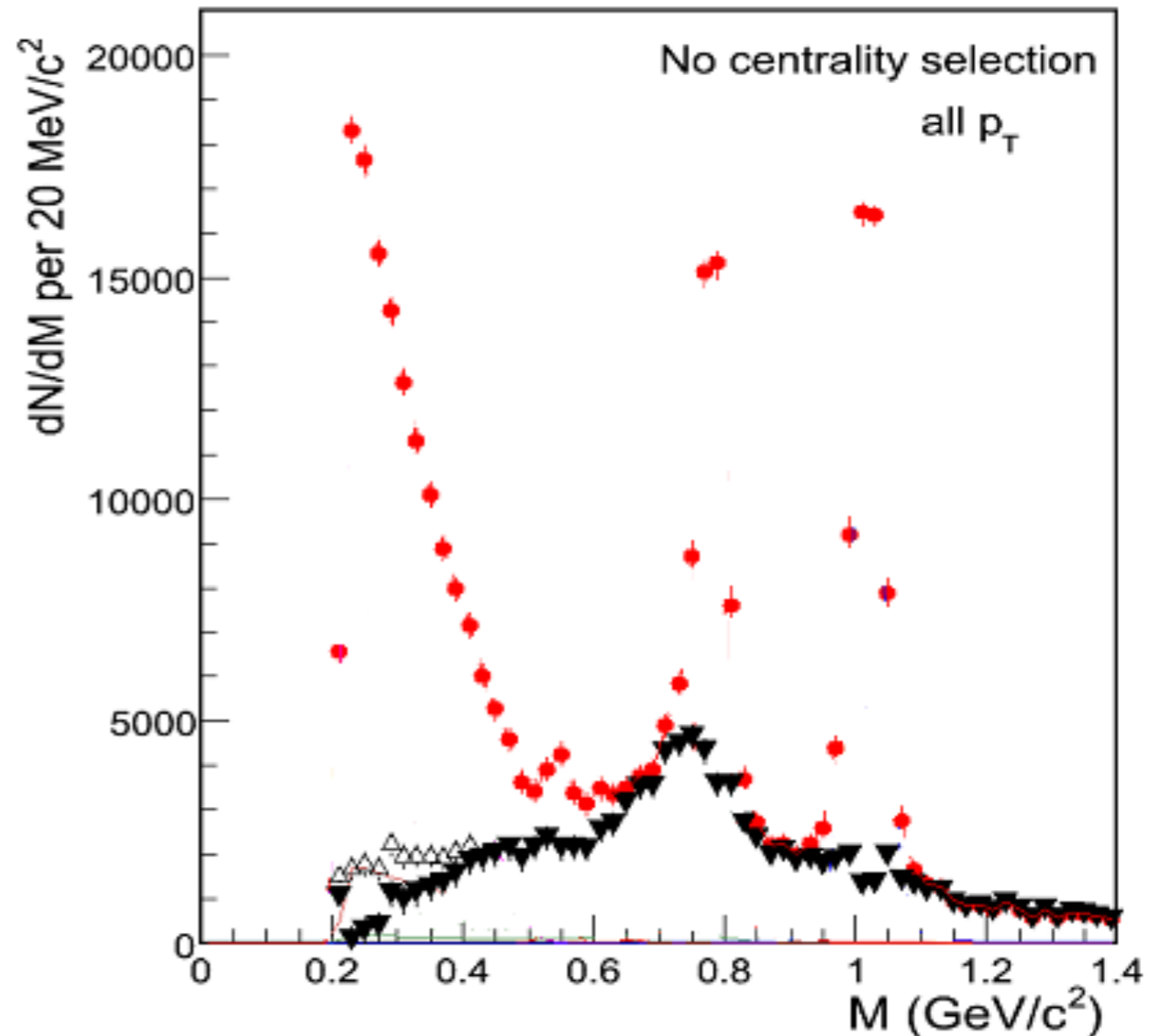
Cocktail Subtraction

- How to nail down an unknown source?
 - ▶ Try to find excess above cocktail without fit constraints
- ρ :
not subtracted/included in cocktail
- ω and ϕ :
fix yields such as to get, after subtraction, a **smooth** underlying continuum
- η :
(\blacktriangledown) set upper limit, defined by “saturating” the measured yield in the mass region close to 0.2 GeV
(**lower limit for excess**)
(\triangle) use yield measured for $p_T > 1.4$ GeV/c



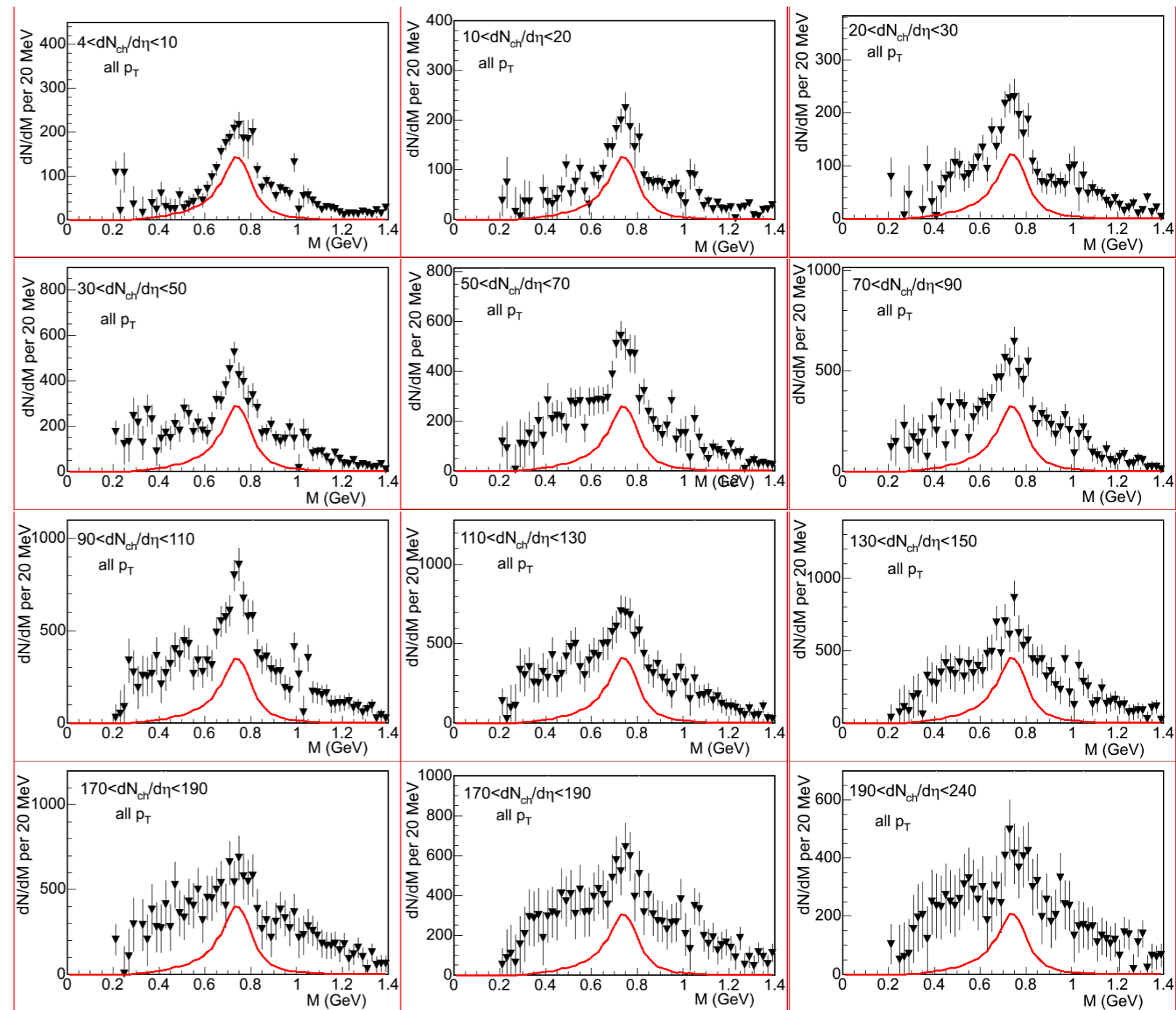
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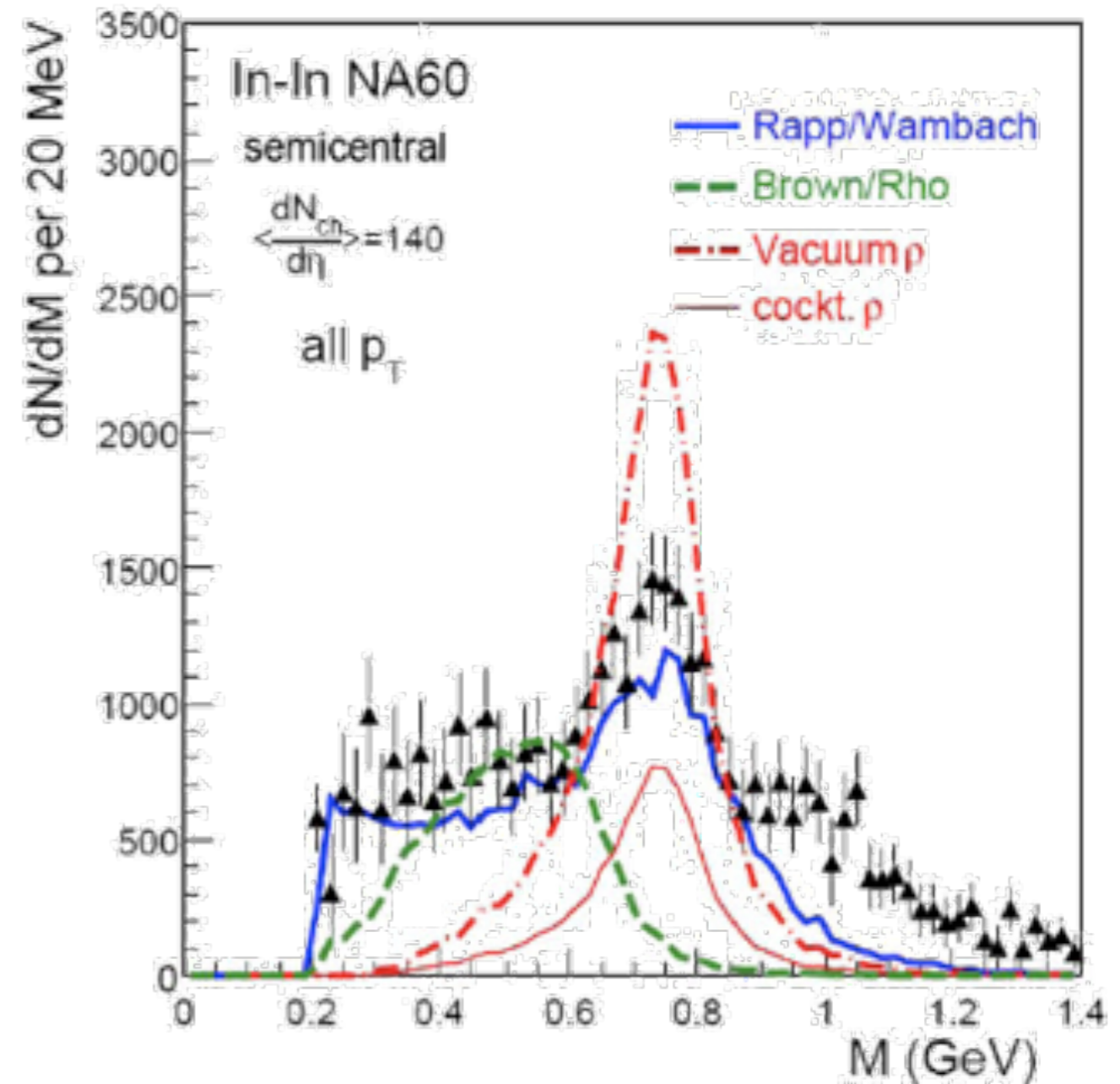
Excess Yield vs. Centrality

- data – cocktail (all p_T)
- No cocktail ρ and no DD subtracted
- Clear excess above the cocktail ρ , centred at the nominal ρ pole and rising with centrality
- Excess even more pronounced at low p_T



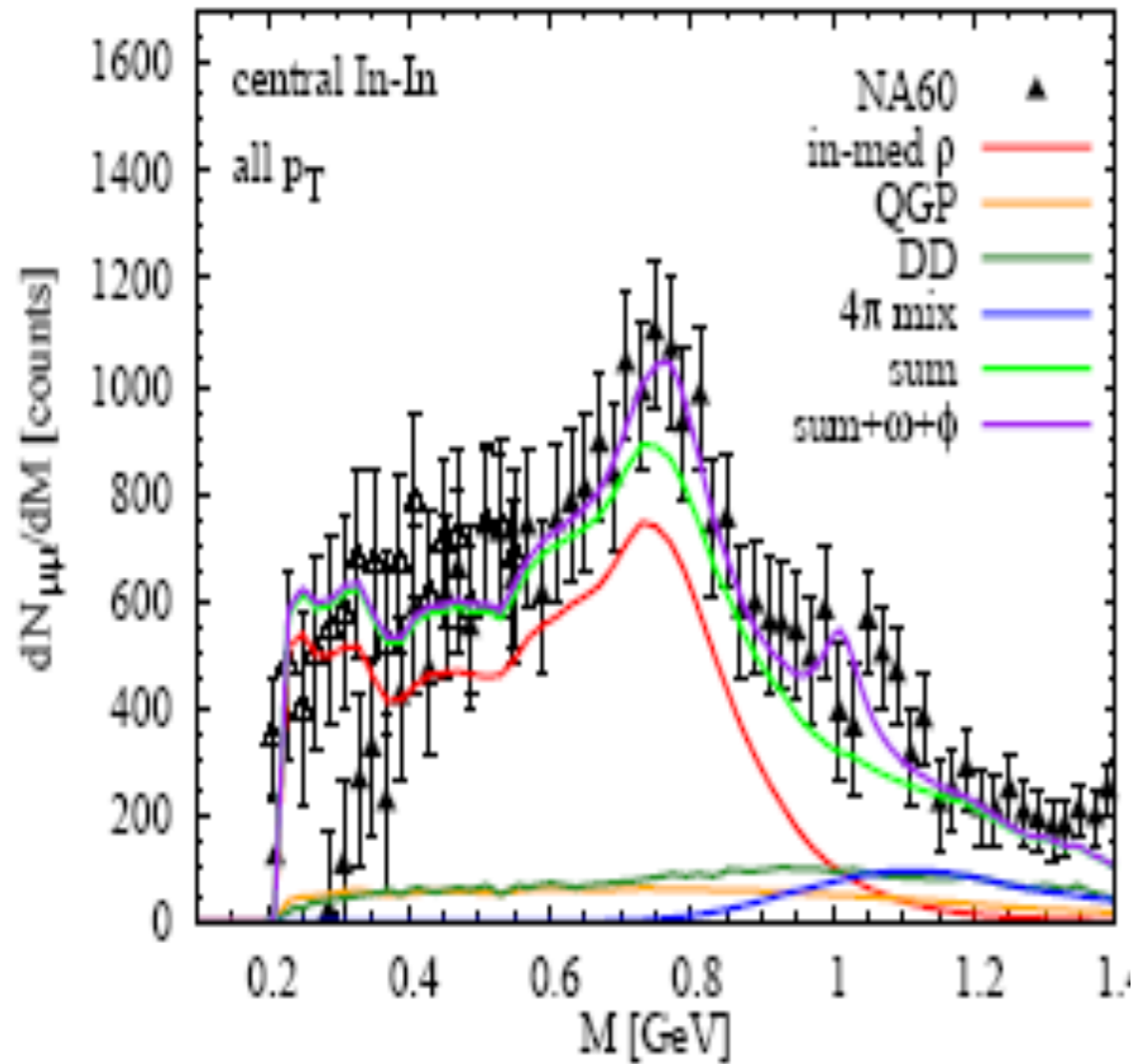
Model Comparison

- Rapp & Wambach:
 - ▶ hadronic model with strong broadening but no mass shift
 - Brown & Rho:
 - ▶ dropping mass due to dropping chiral condensate
 - Calculations for all scenarios in In-In for $dN_{ch}/d\eta = 140$ (Rapp et al.)
 - Spectral functions after acceptance filtering, averaged over space-time and momenta
 - Keeping original normalization
- ➔ Data consistent with broadening of ρ (RW), mass shift (BR) not needed

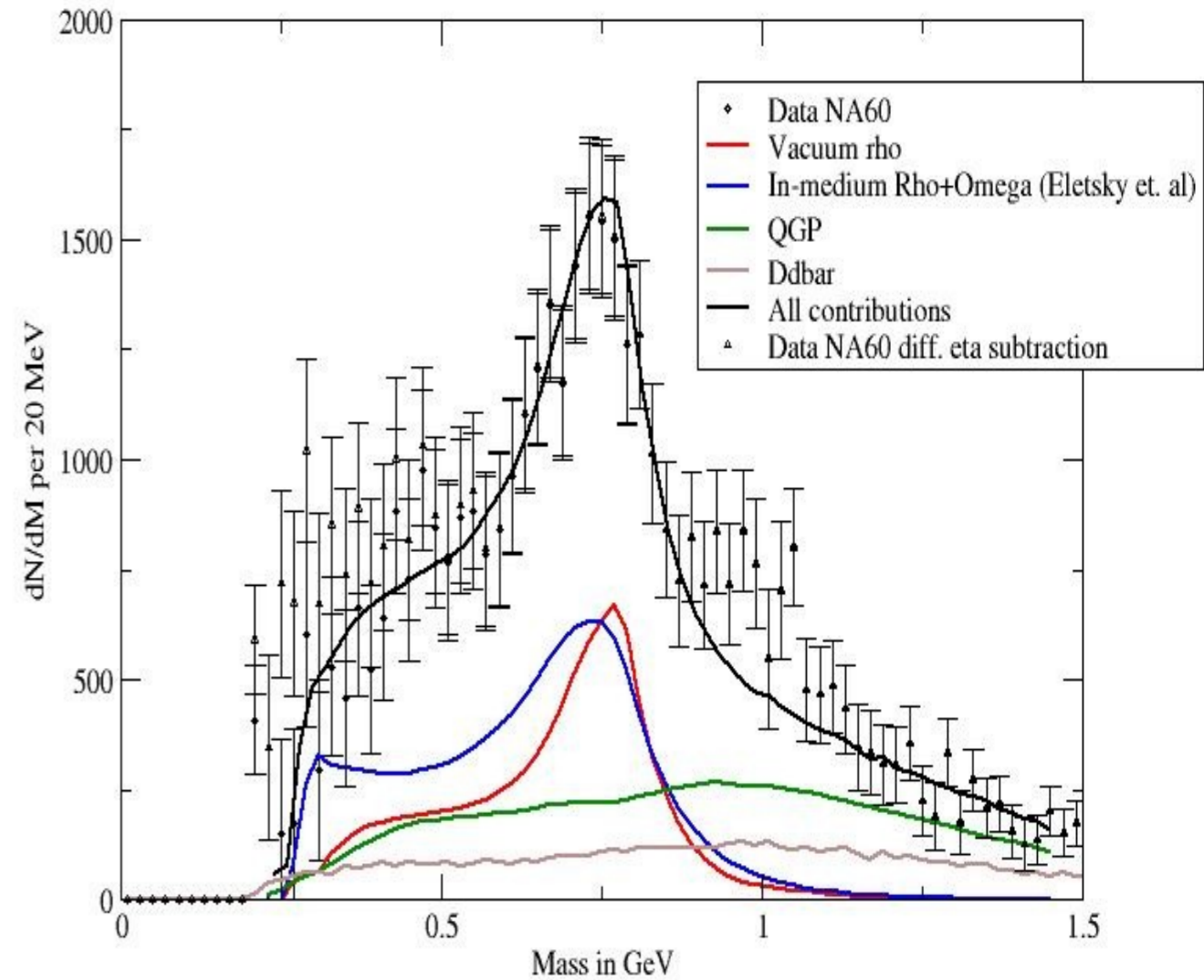


Towards Higher Masses ($M > 1 \text{ GeV}/c^2$)

Rapp/van Hees



Ruppert/Renk

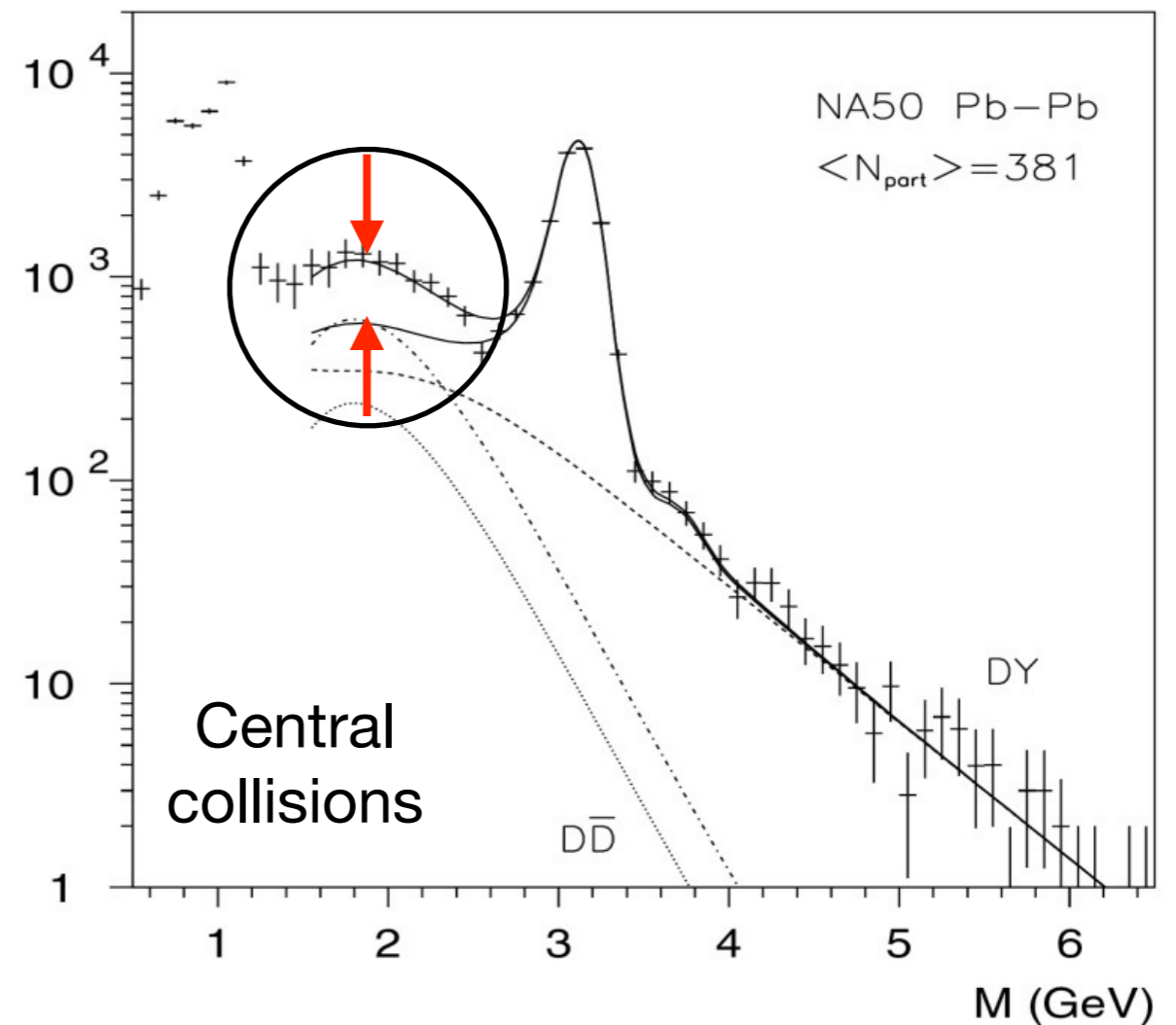
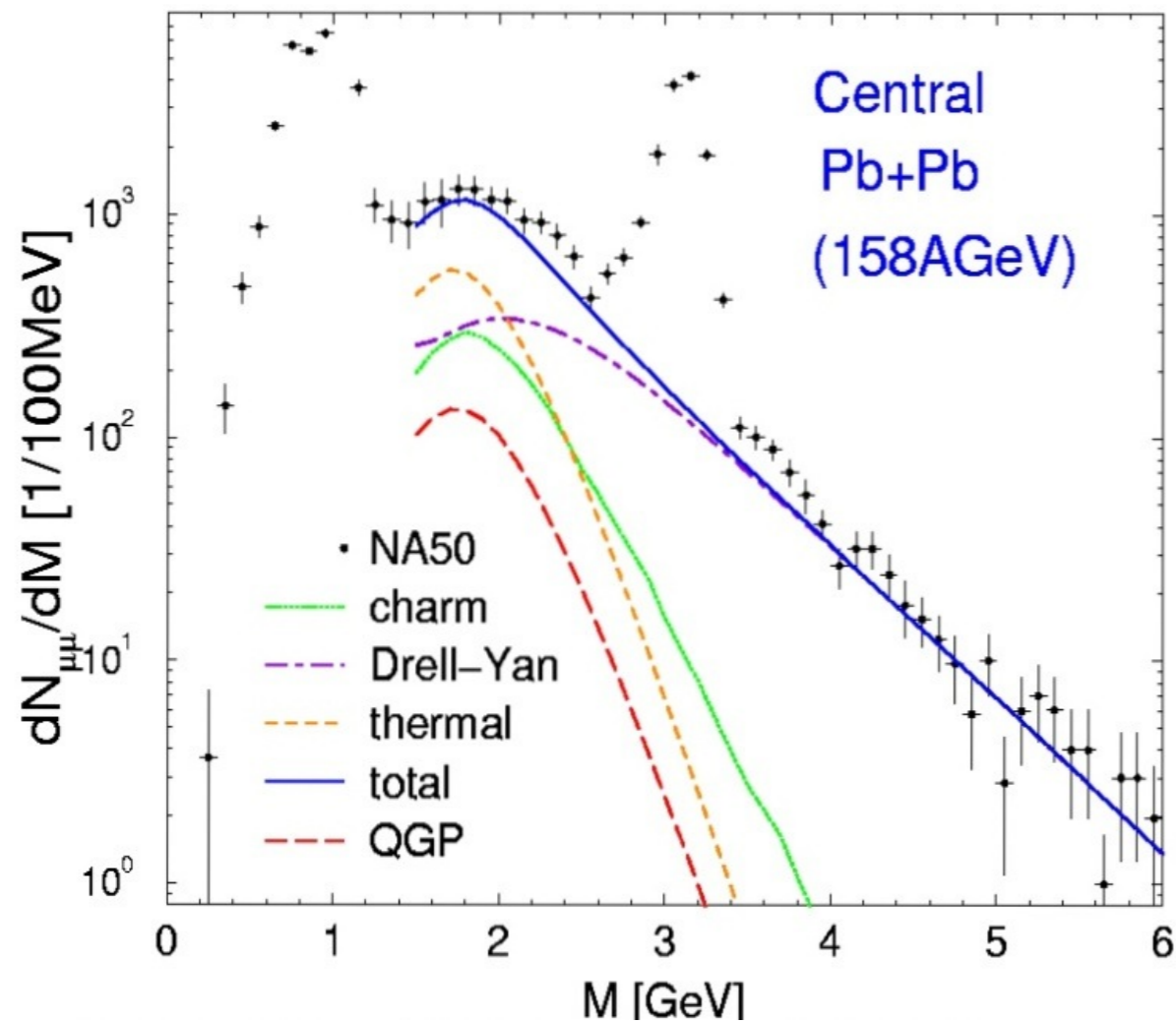


Hadron-Parton Duality

- Dominant at high M:
 - Hadronic processes
 - 4π ...

- Dominant at high M:
 - Partonic processes
 - Mainly $q-\bar{q}$ annihilation

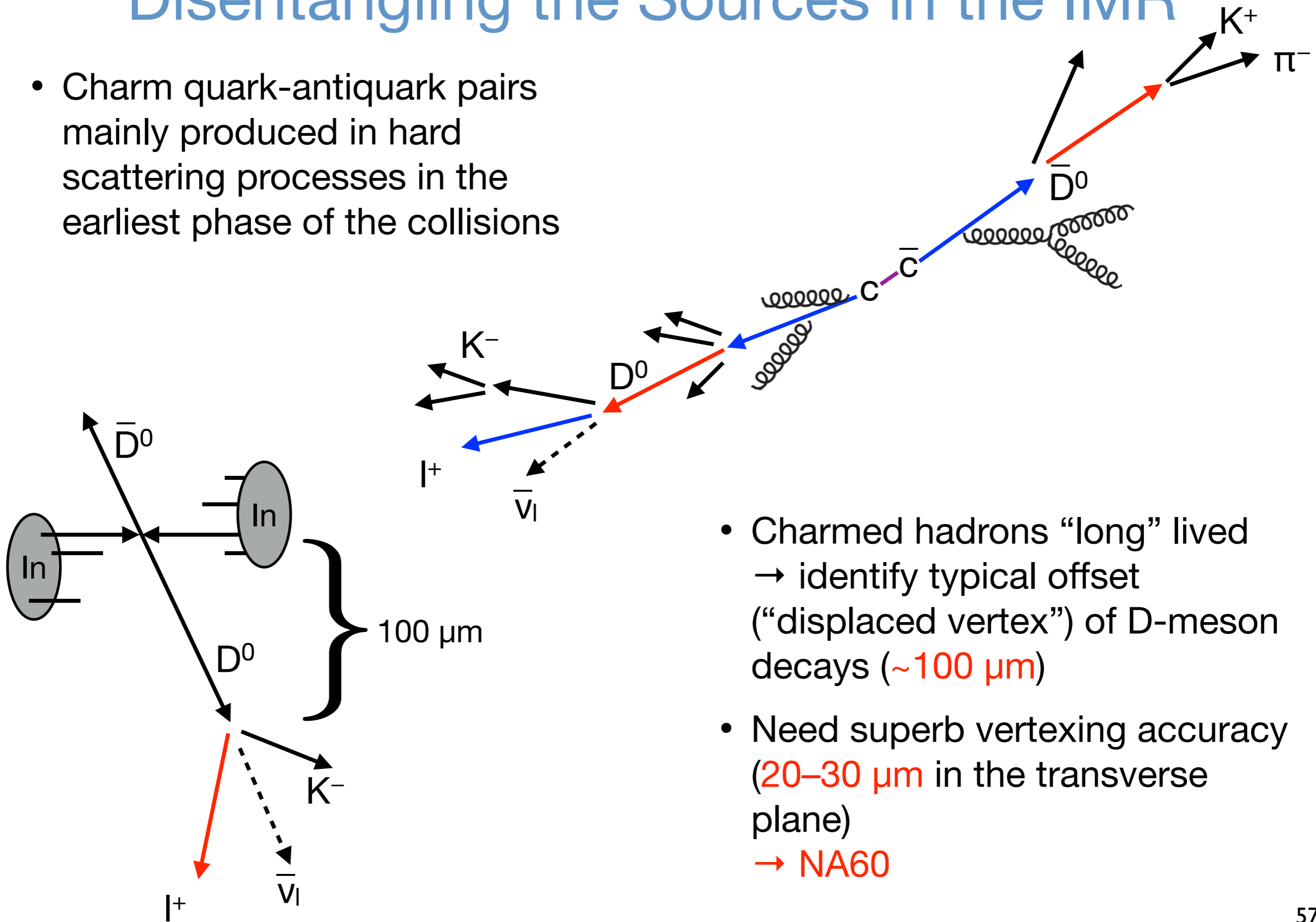
Intermediate Mass Region (IMR)



- NA50: excess observed in IMR in central Pb-Pb collisions
 - ▶ Charm enhancement?
 - ▶ Thermal radiation?
- Answering this question was one of the main motivations for building NA60

Disentangling the Sources in the IMR

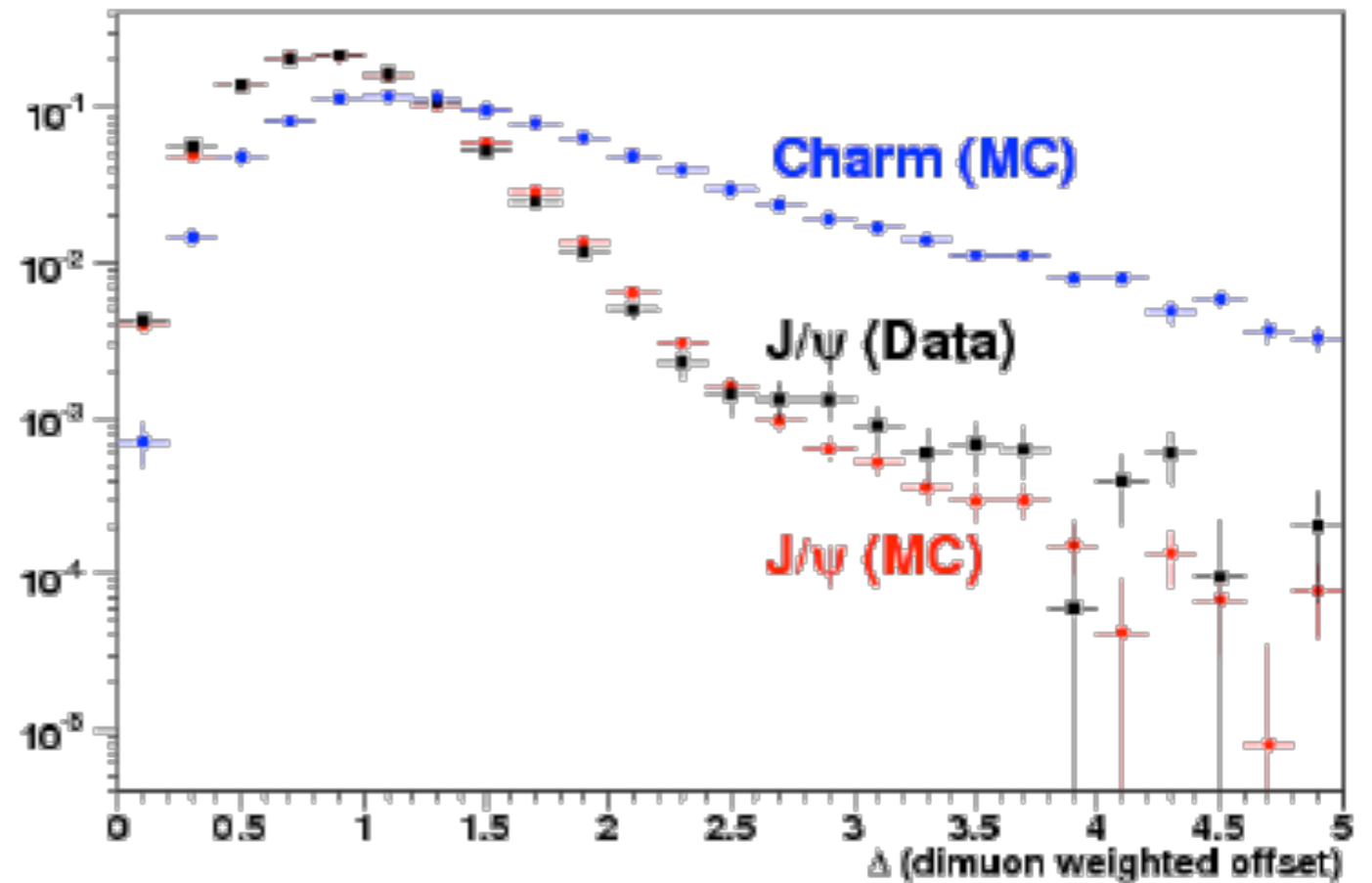
- Charm quark-antiquark pairs mainly produced in hard scattering processes in the earliest phase of the collisions



- Charmed hadrons “long” lived
→ identify typical offset (“displaced vertex”) of D-meson decays ($\sim 100 \mu\text{m}$)
- Need superb vertexing accuracy ($20\text{--}30 \mu\text{m}$ in the transverse plane)
→ NA60

How well does it work?

- Measure for vertex displacement
 - ▶ primary vertex resolution
 - ▶ momentum dependence of secondary vertex resolutions
- ➔ “dimuon weighted offset”
- Charm decays (D mesons) → displaced
- J/ψ → prompt
- Vertex tracking under control!

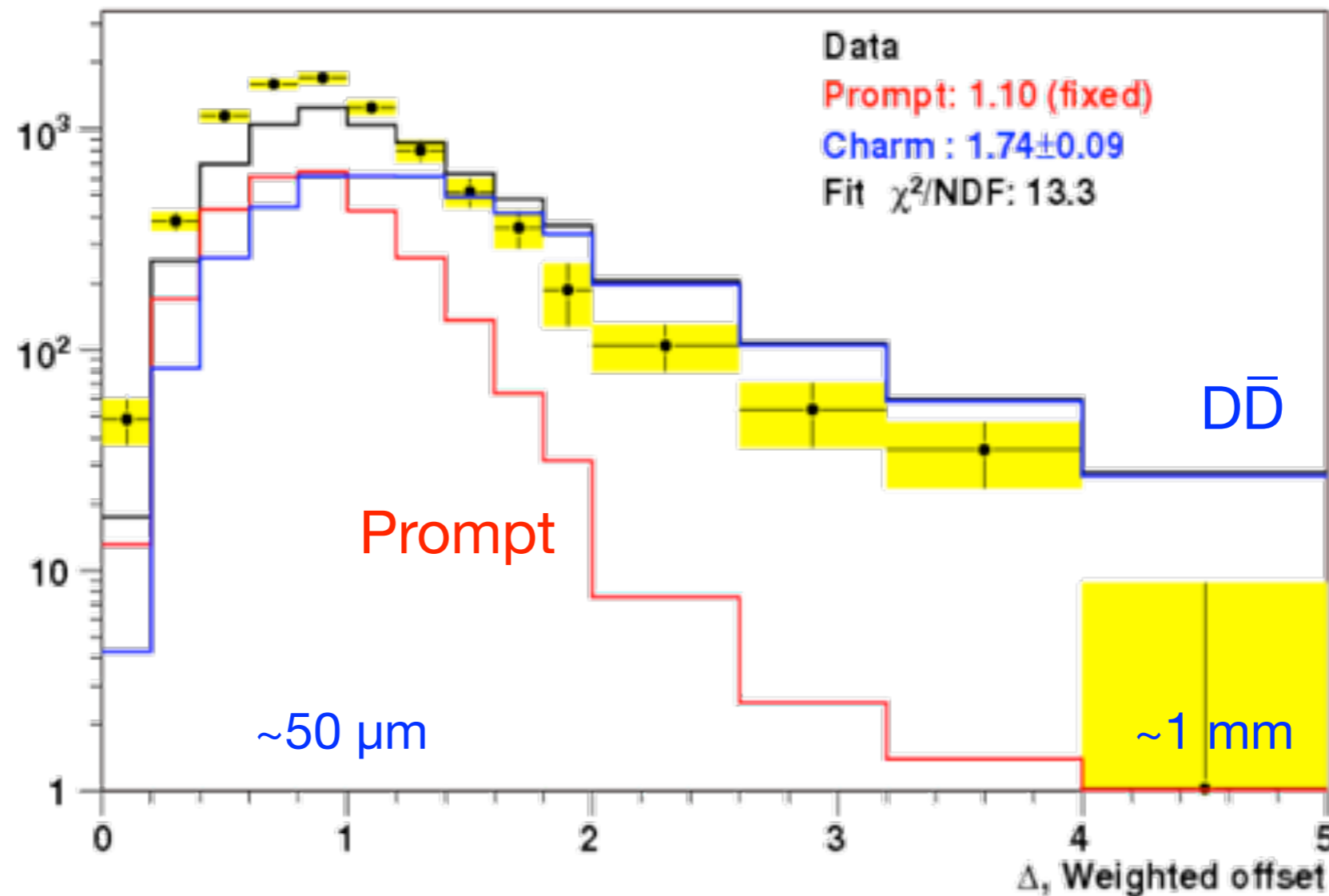


IMR excess: charm enhancement?

- Approach:

- ▶ fix the prompt contribution to the expected Drell-Yan yield
- ▶ check whether the offset distribution is consistent with charm

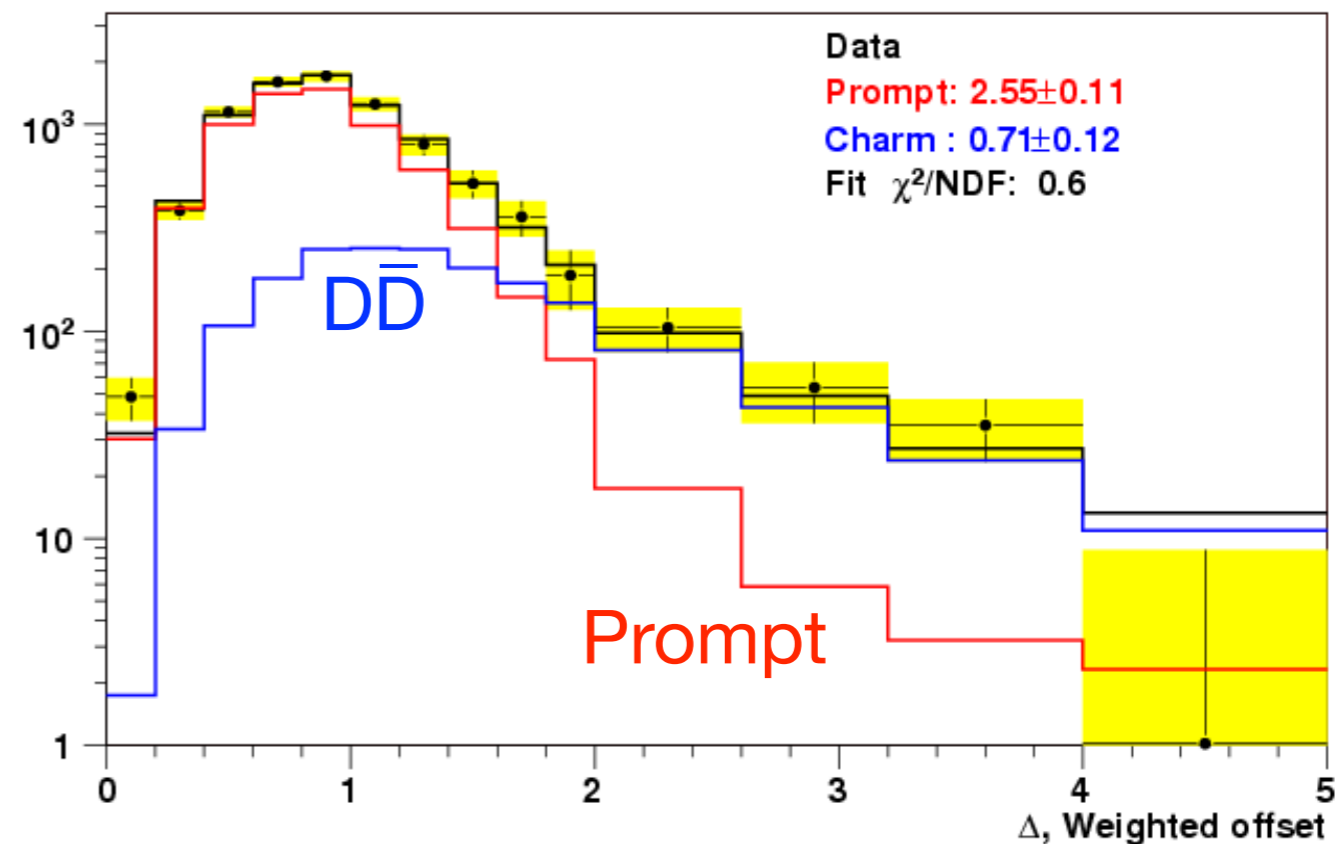
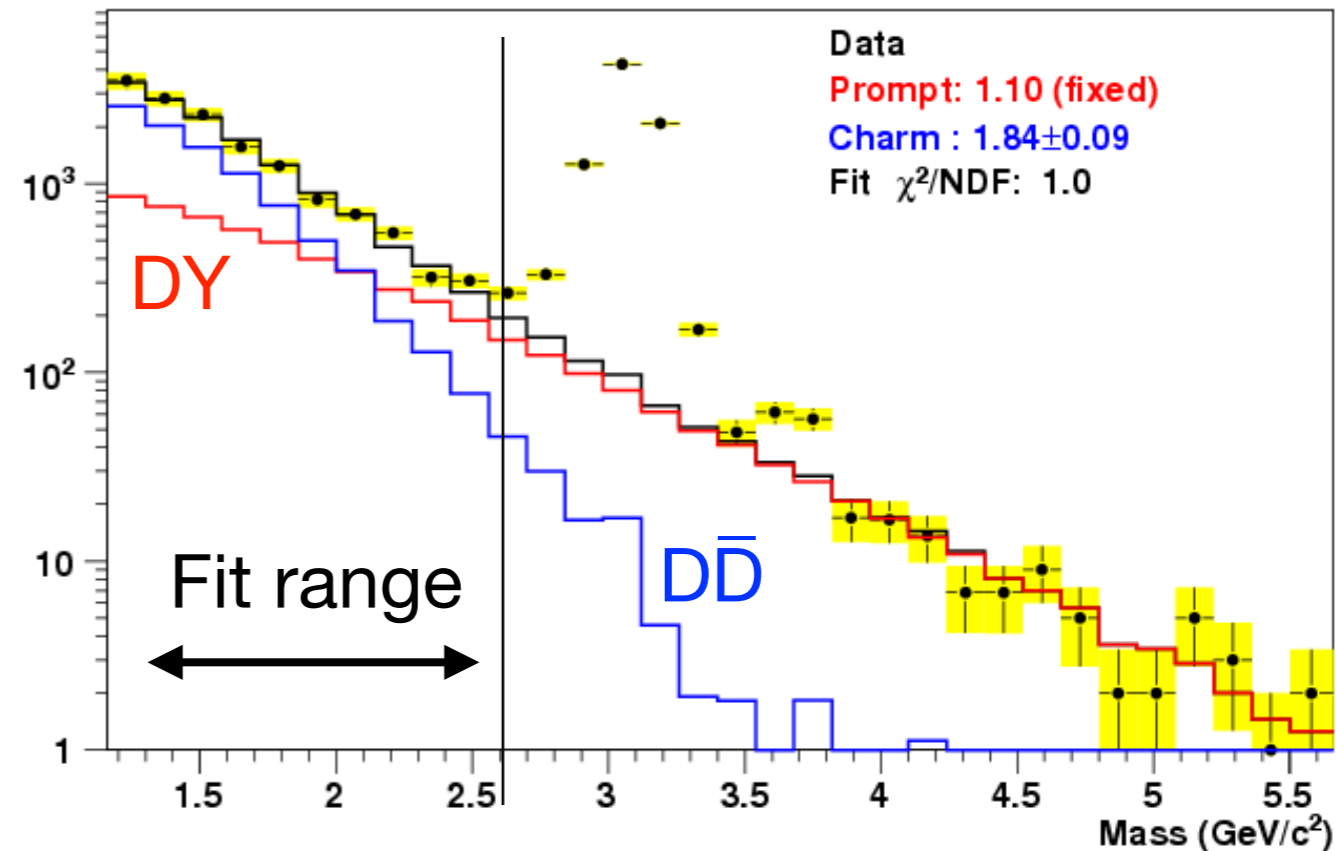
EPJ C 59 (2009) 607



- Charm cannot describe the small offset region!

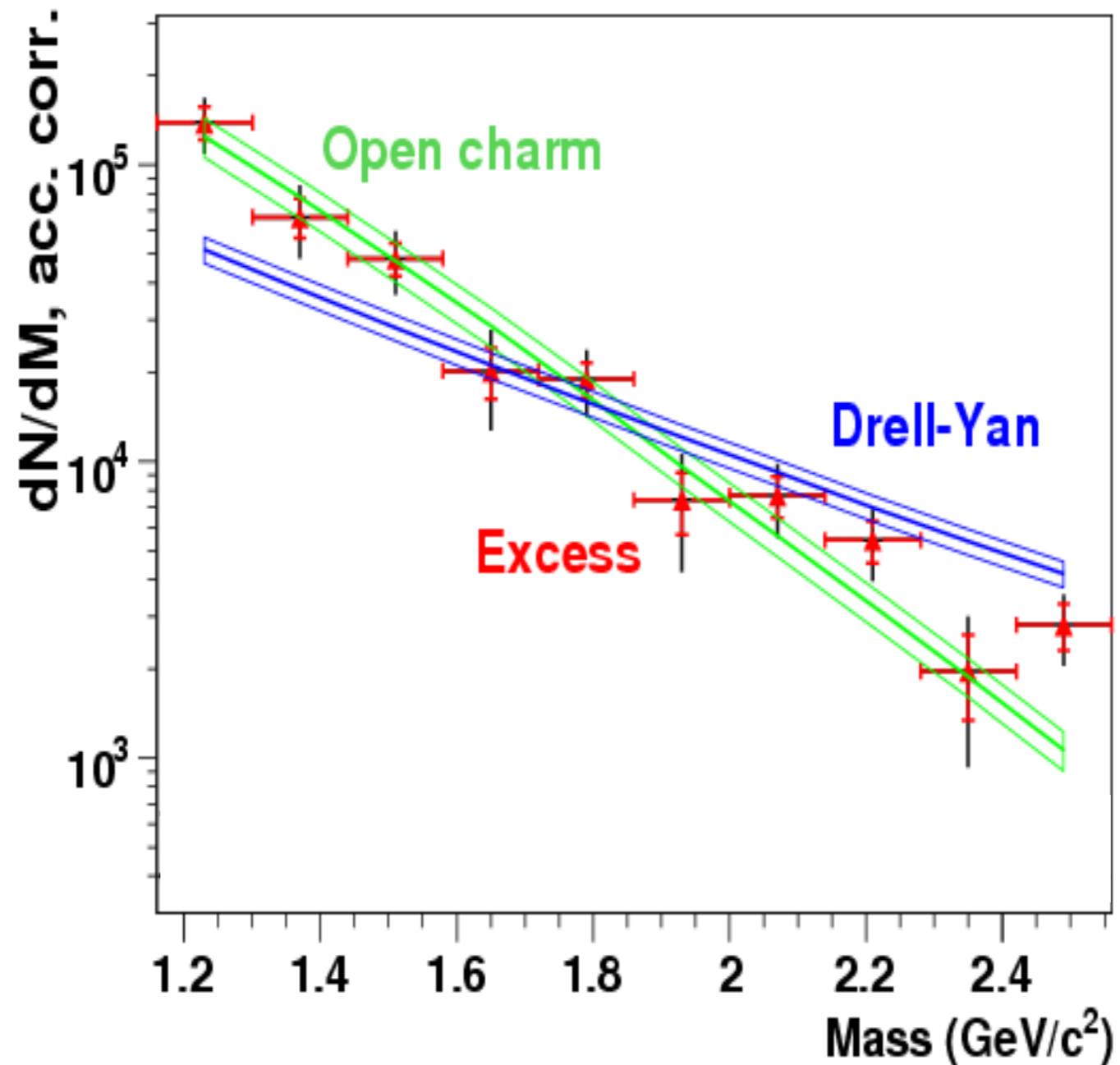
How many prompt pairs are needed?

- Approach:
 - ▶ fit offset distribution with both charm and prompt contributions as free parameters
- Prompt component:
 - ▶ ~2.3 times larger than Drell-Yan contribution
- Charm component:
 - ▶ ~70% of the yield extrapolated from NA50's p-A data



Decomposition of Mass Spectrum

- IMR: $1.16 < M < 2.56 \text{ GeV}/c^2$ (between ϕ and J/ψ)
- Definition of excess:
 - ▶ $\text{excess} = \text{signal} - [\text{Drell-Yan } (1.0 \pm 0.1) + \text{Charm } (0.7 \pm 0.15)]$



More detailed look at p_T dependence

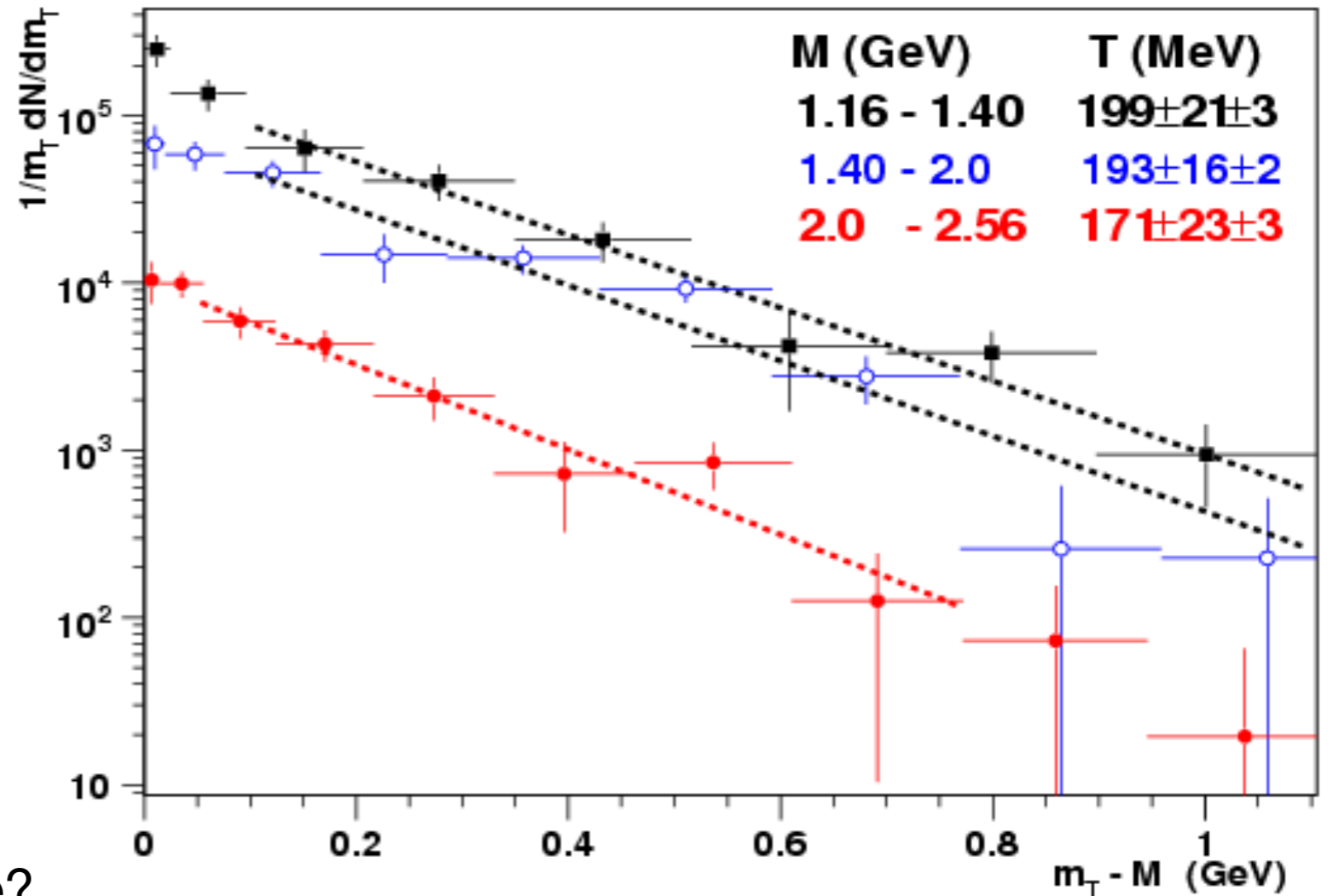
- Investigate excess in different mass regions as function of m_T
 - ▶ fit with exponential function (shown for IMR)
 - ▶ extract T_{eff} slope parameter

$$m_T = \sqrt{p_T^2 + M^2}$$

$$\frac{dN}{m_T dm_T} \propto e^{-m_T/T_{\text{eff}}}$$

- $\langle T_{\text{eff}} \rangle \approx 190 \text{ MeV}$

- ▶ is this related to temperature?
- ▶ if so, this is close to the critical temperature at which the QCD phase transition occurs



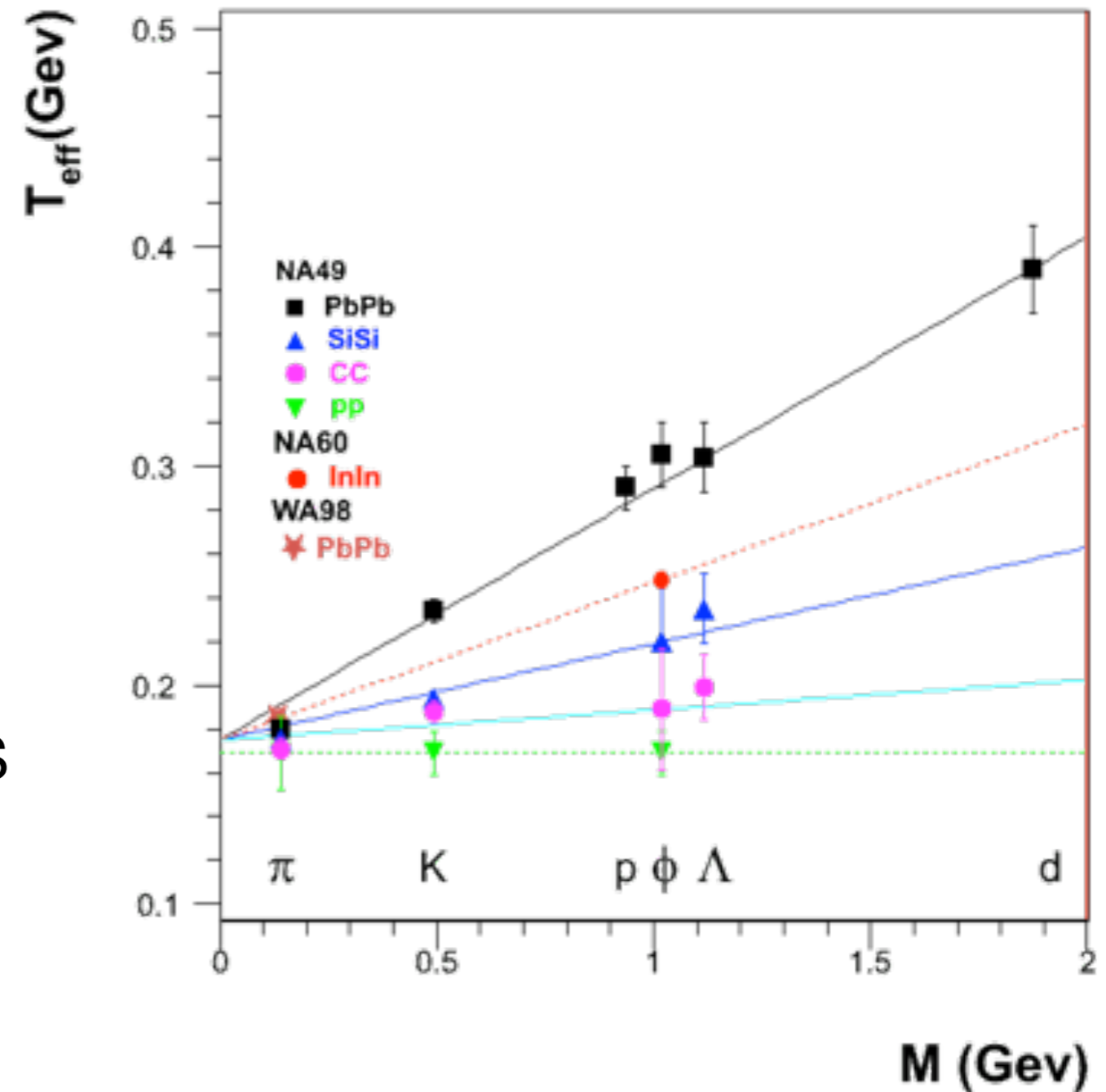
Interpretation of T_{eff}

- Interpretation of T_{eff} from fitting to $\exp(-m_T/T_{\text{eff}})$
 - ▶ Static source: T_{eff} interpreted as the source temperature
 - ▶ Radially expanding source:
 - T_{eff} reflects temperature and flow velocity
 - T_{eff} depends on the m_T range
 - High- p_T limit: $T_{\text{eff}} = T_f \sqrt{\frac{1+v_T}{1-v_T}}$ $p_T \gg m$ (common to all hadrons)
 - Low- p_T limit: $T_{\text{eff}} \approx T_f + \frac{1}{2}m\langle v_T^2 \rangle$ $p_T \ll m$ (mass ordering of hadrons)
- Final spectra: space-time history $T_i \rightarrow T_{fo}$ & emission time
 - ▶ Hadrons
 - interact strongly
 - freeze out at different times depending on cross section with pions
 - $T_{\text{eff}} \rightarrow$ temperature and flow velocity at thermal freeze out
 - ▶ Dileptons
 - do not interact strongly
 - decouple from medium after emission
 - $T_{\text{eff}} \rightarrow$ temperature and velocity evolution averaged over emission time

Mass ordering of hadronic slopes

- Separation of thermal and collective motion
- Reminder
 - ▶ blast wave fit to all hadrons simultaneously
- Simplest approach

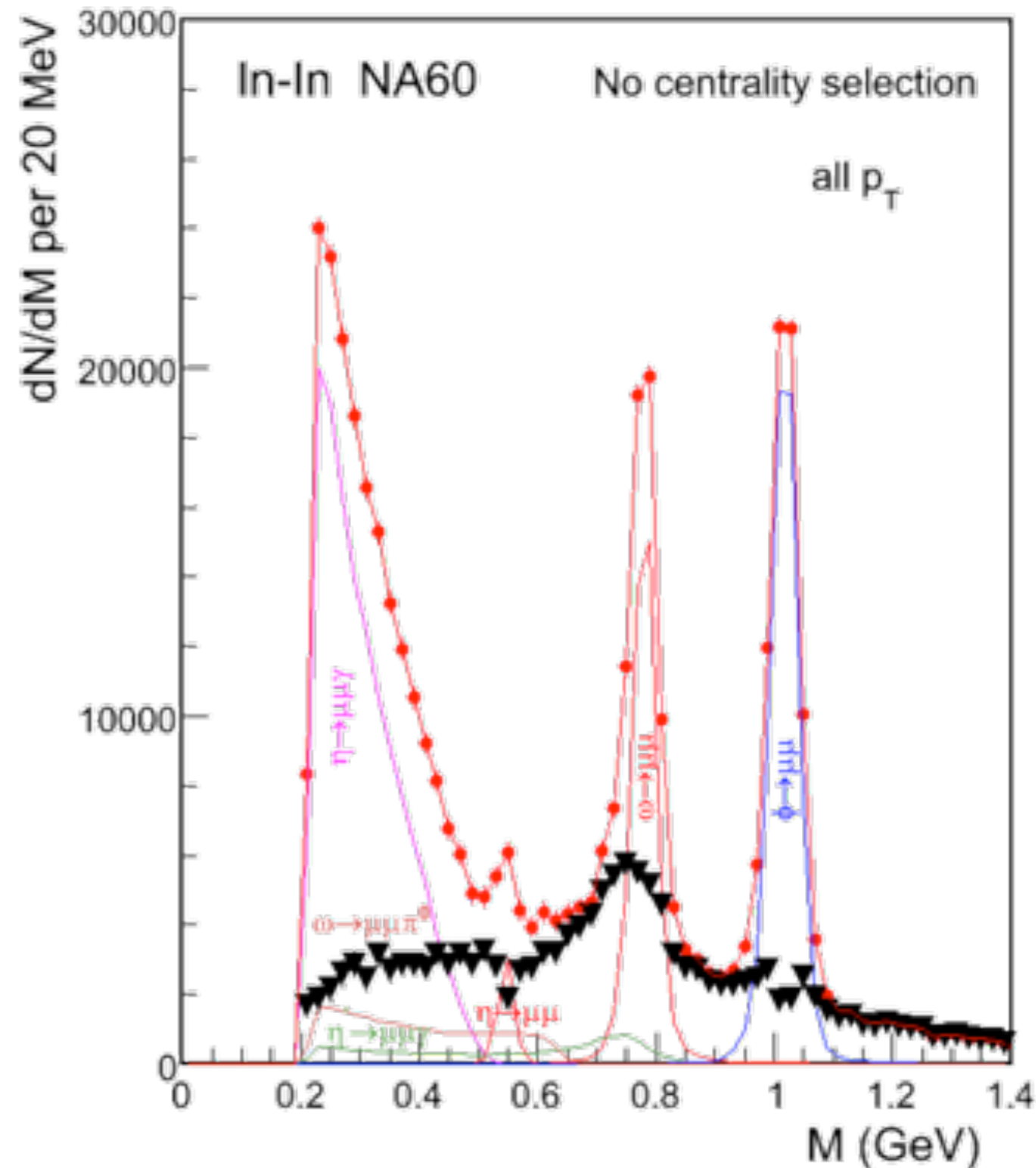
$$T_{\text{eff}} \approx T_f + \frac{1}{2}m\langle v_T^2 \rangle \quad p_T \ll m$$
 - ▶ slope of $\langle T_{\text{eff}} \rangle$ vs. m is related to radial expansion
 - ▶ baseline is related to thermal motion
- Works (at least qualitatively) at SPS



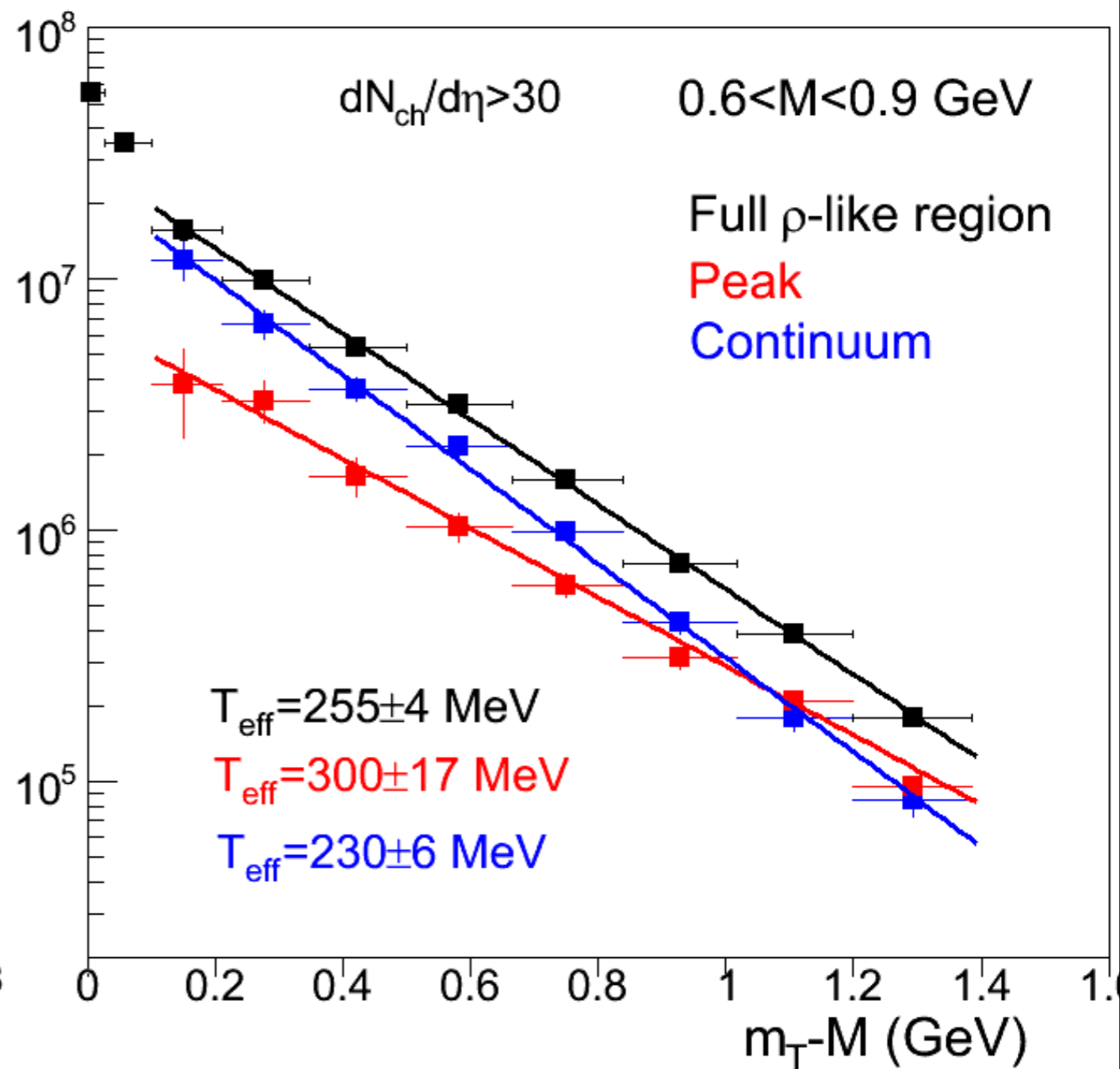
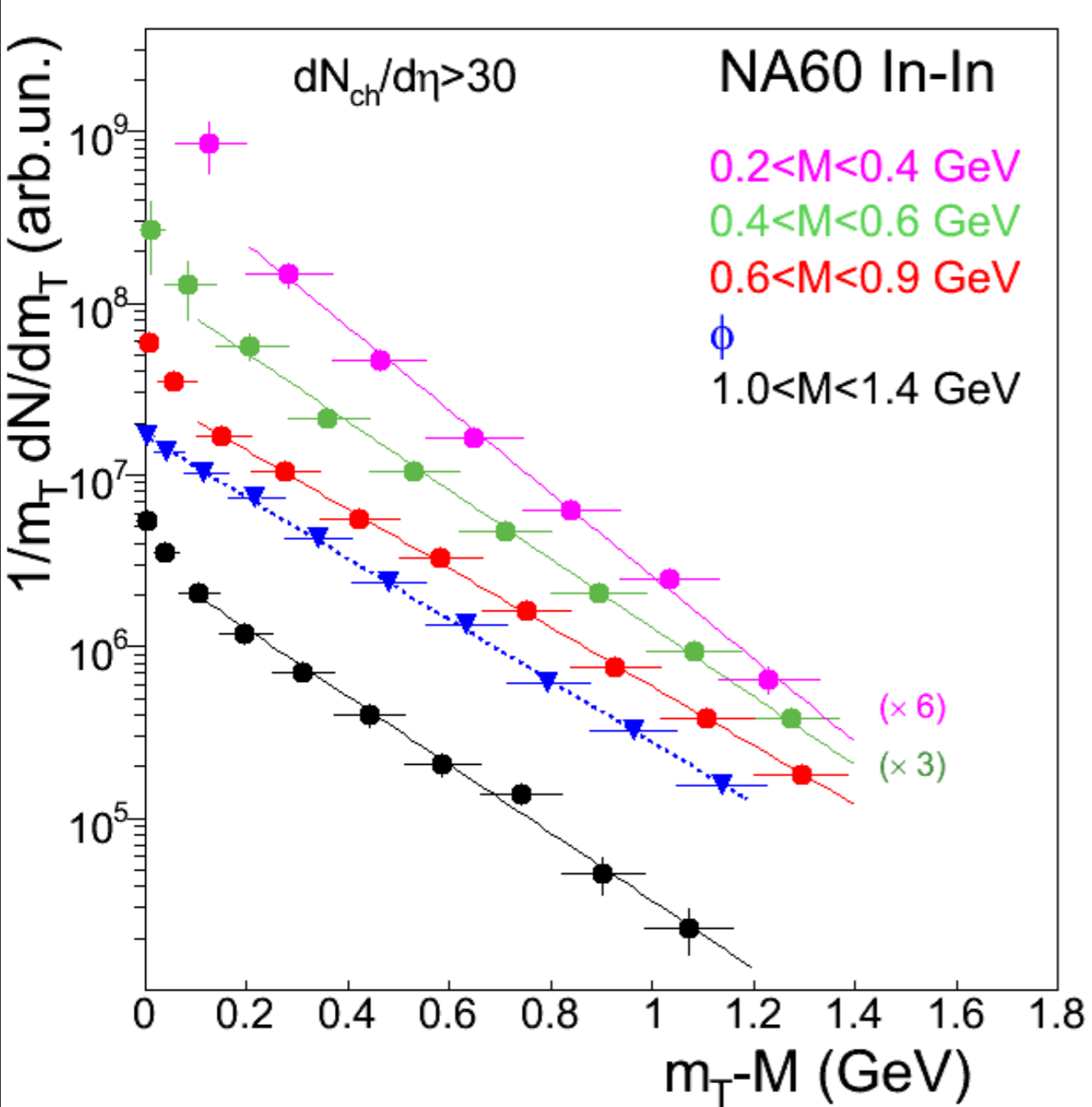
NA60 Analysis of m_T spectra

PRL 96 (2006) 162302

- Decomposition of low mass region:
 - ▶ contributions of mesons (η , ω , ϕ)
 - ▶ continuum plus ρ meson
 - ▶ extraction of vacuum ρ
- Hadron m_T spectra for:
 - ▶ η , ω , ϕ
 - ▶ vacuum ρ
- Dilepton m_T spectra for:
 - ▶ low mass excess
 - ▶ intermediate mass excess



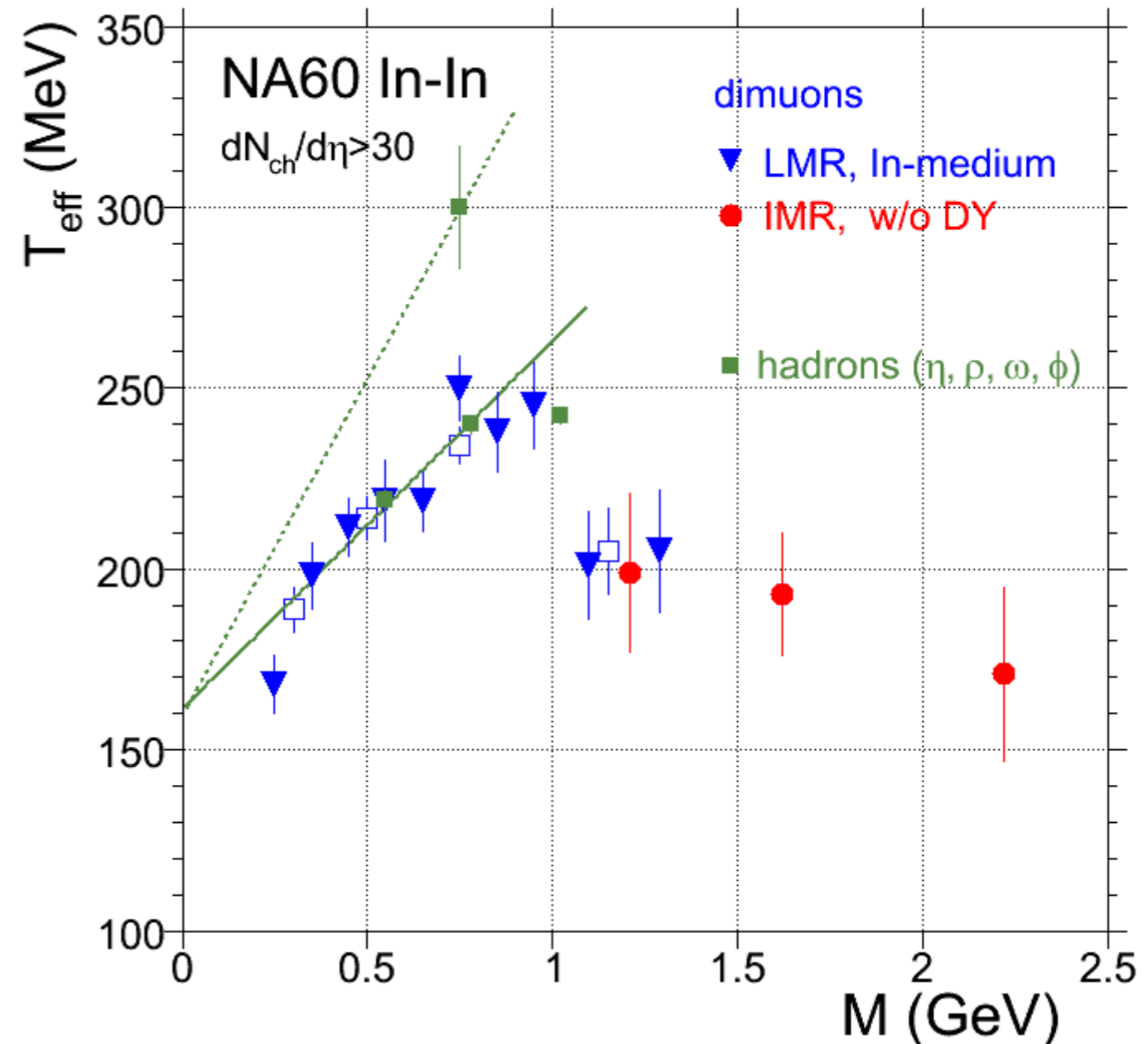
Examples of m_T Distributions



Dilepton T_{eff} Summary

- Hadrons (η , ω , ρ , ϕ)
 - ▶ T_{eff} depends on mass
 - ▶ T_{eff} smaller for ϕ decouples early
 - ▶ T_{eff} large for ρ decouples late
- Low mass excess
 - ▶ Clear flow effect visible
 - ▶ Follows trend set by hadrons
 - ▶ Possible late emission
- Intermediate mass excess
 - ▶ No mass dependence
 - ▶ Indication for early emission

EPJ C 61 (2009) 711



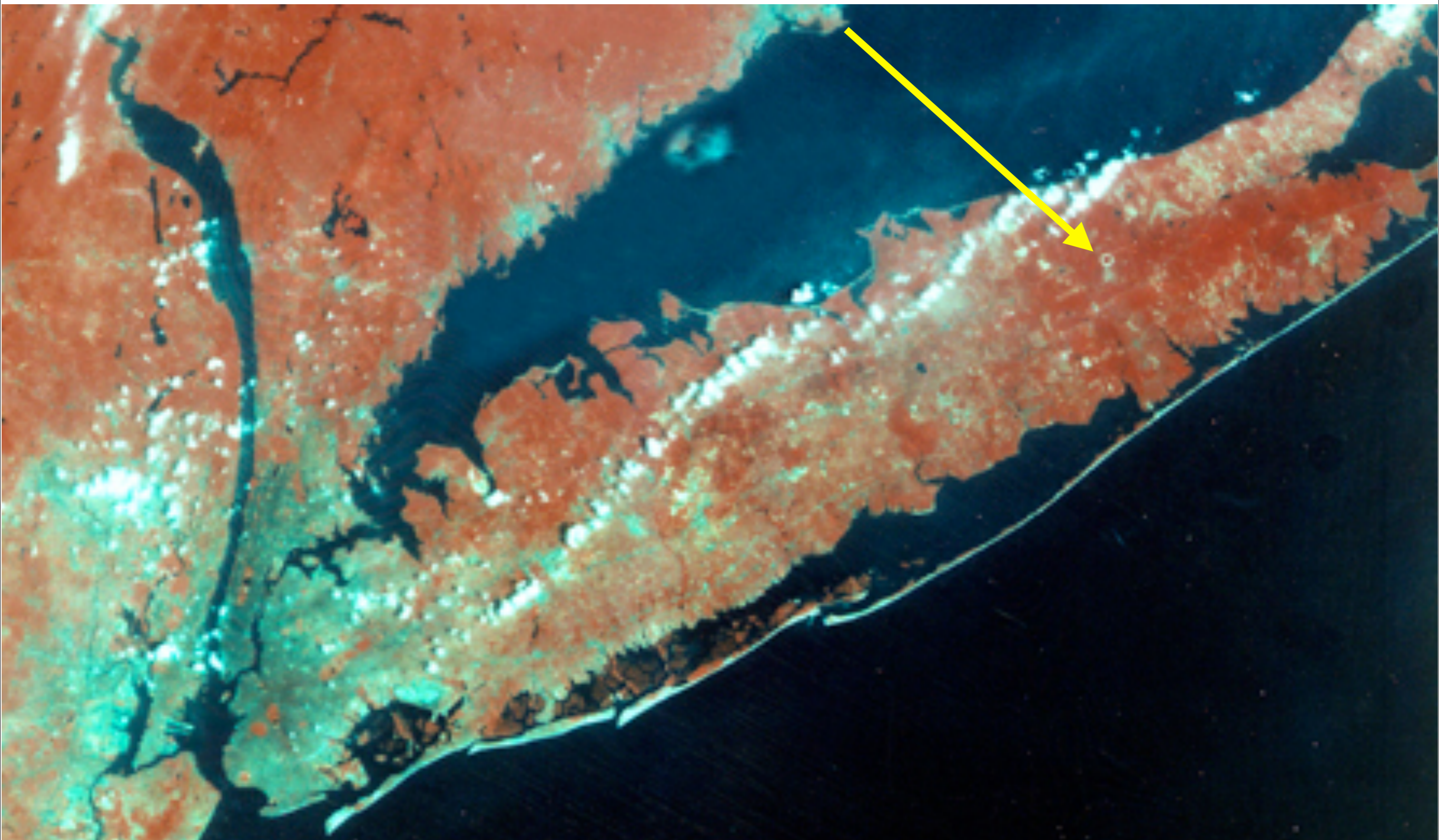
What did we get from NA60

- High statistics & high precision dimuon spectra
- Decomposition of mass spectra into “sources”
- Gives access to in-medium ρ spectral function
- Data consistent with broadening of the ρ
- Data do not require mass shift of the ρ
- Large prompt component at intermediate masses
- Dimuon m_T spectra promise to separate time scales
 - ▶ Low mass dimuons shows clear flow contribution indicating late emission
 - ▶ Intermediate mass dimuons show no flow contribution hinting toward early emission

RHIC

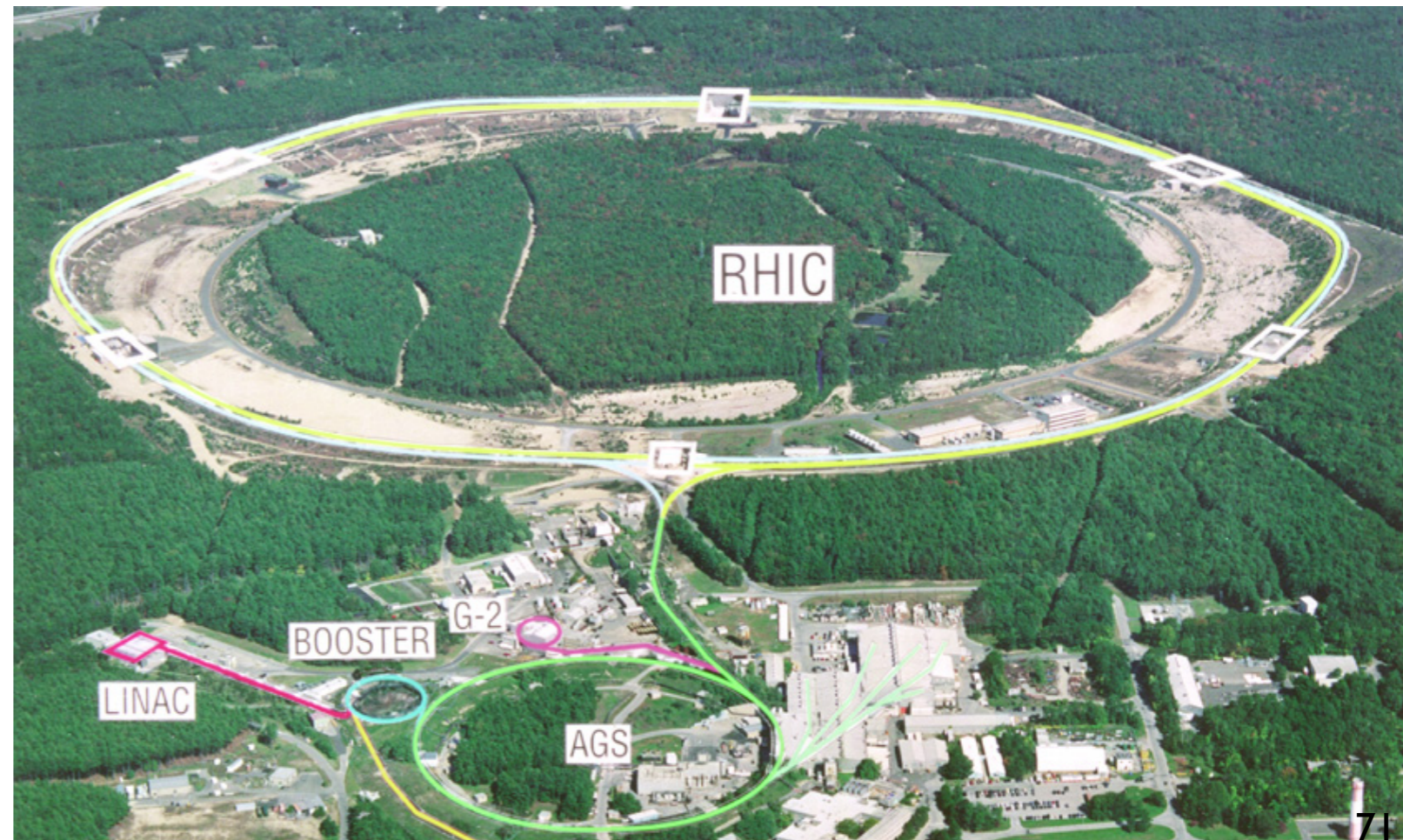
RHIC at BNL

Relativistic Heavy Ion Collider at Brookhaven National Lab



Experiments at RHIC

- What is so special about RHIC?
 - ▶ It is a collider
 - No thick targets
 - Detector systematics do not depend on E_{CM}
 - ▶ p+p: $\sqrt{s} \leq 500$ GeV (polarized beams)
 - ▶ A+A: $\sqrt{s_{NN}} \leq 200$ GeV (per nucleon–nucleon pair)
- Experiments with specific focus
 - ▶ BRAHMS (until Run-6, 2006)
 - ▶ PHOBOS (until Run-5, 2005)
- Multi purpose experiments
 - ▶ PHENIX
 - ▶ STAR



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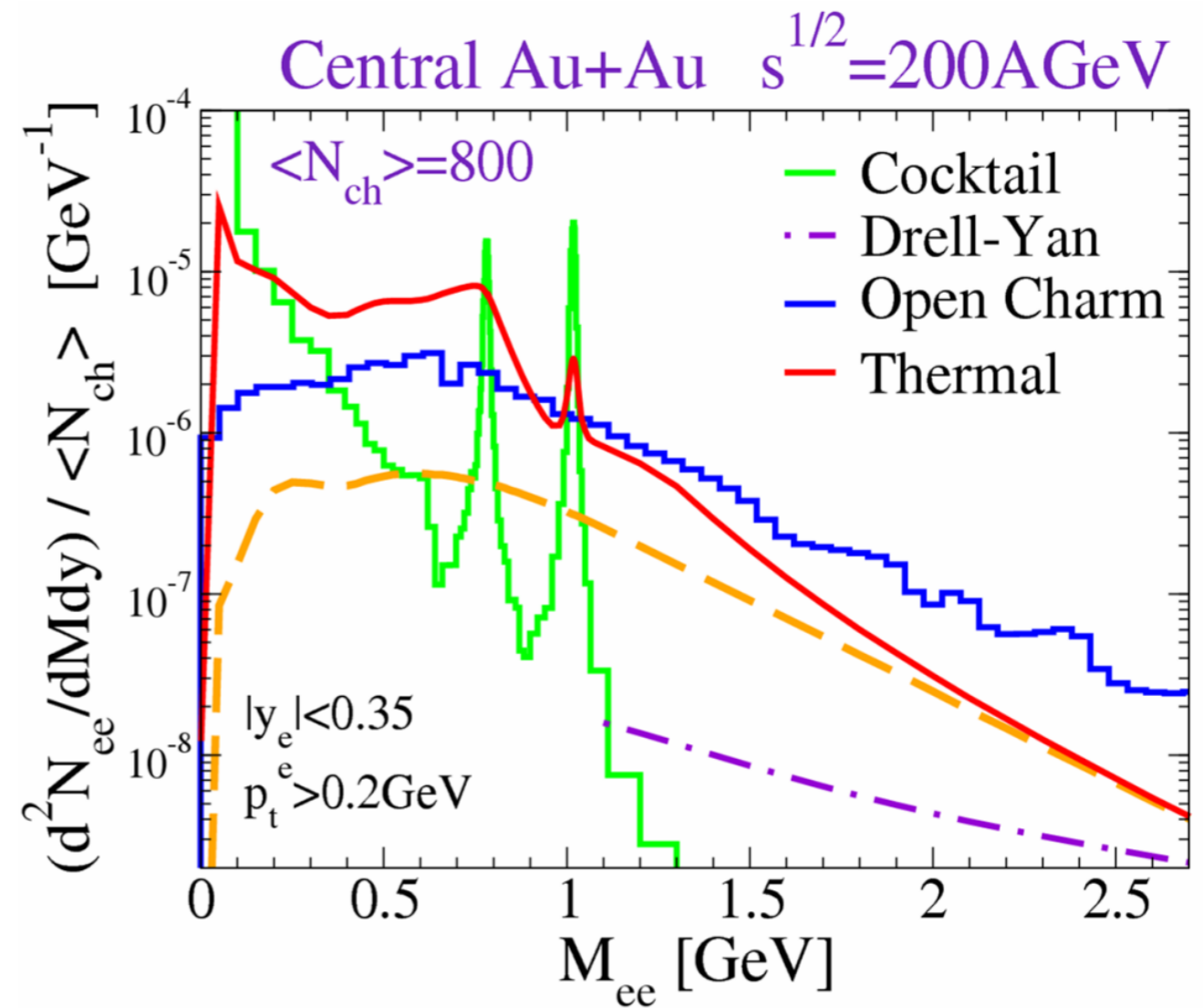
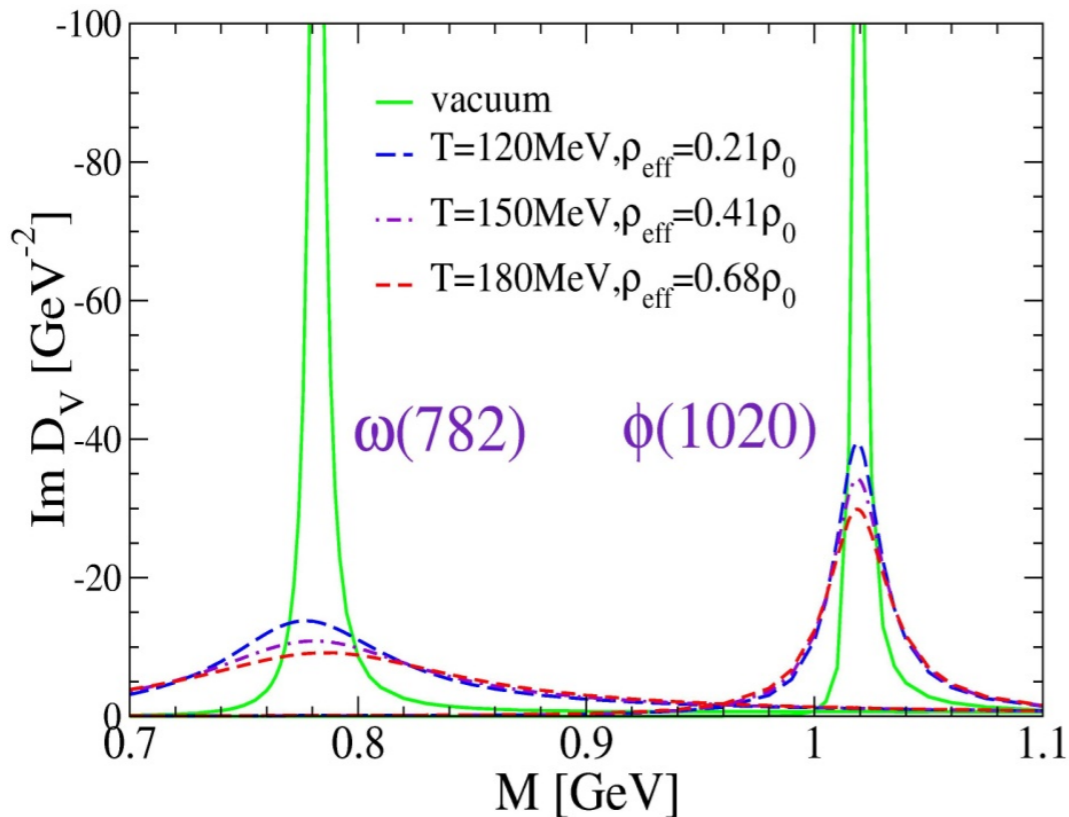
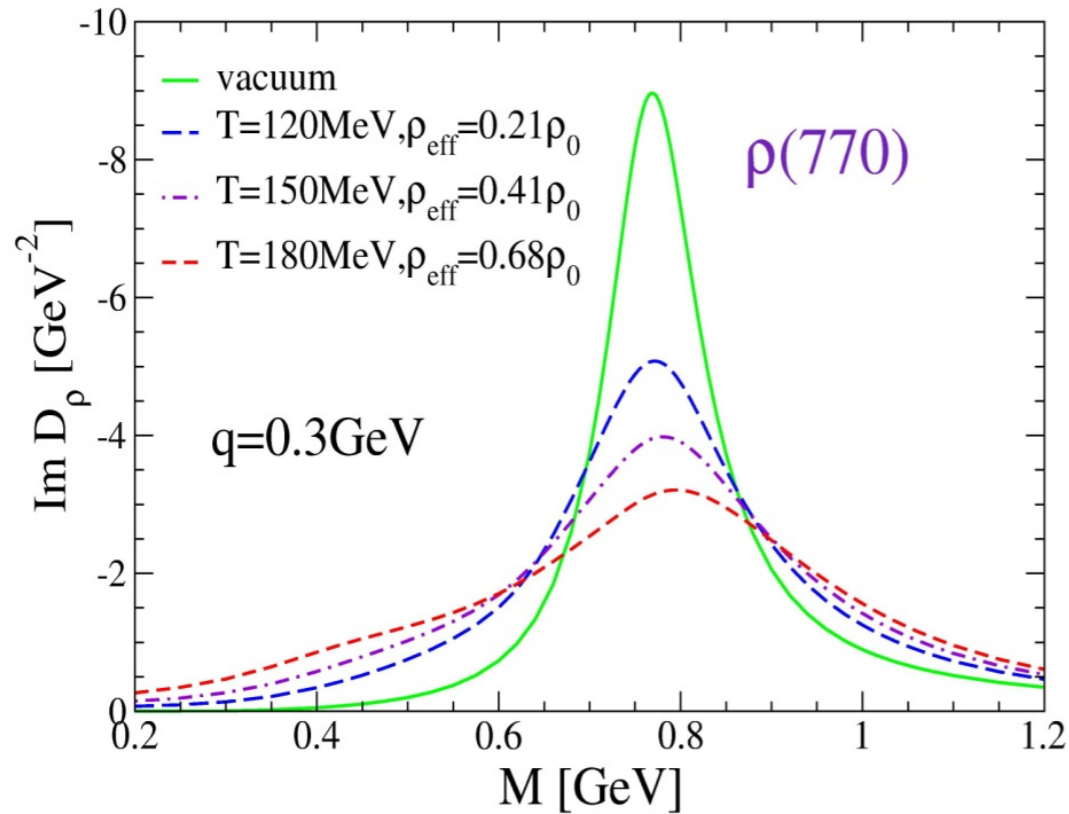
From SPS to RHIC

- 2 scenarios @ SPS profit from high baryon density
 - ▶ dropping ρ mass
 - ▶ broadening of ρ
- What to expect at RHIC?
 - ▶ increase of centre-of-mass per nucleon-nucleon pair from 17 to 200 GeV

	SPS (Pb+Pb)	RHIC (Au+Au)
$dN(\bar{p})/dy$	6.2	20.1
produced baryons (p, \bar{p} , n, \bar{n})	24.8	80.4
p - \bar{p}	33.5	8.6
participating nucleons (p - \bar{p})A/Z	85	21.4
total baryon number	110	102

- Baryon density: almost the same at SPS & RHIC (although the NET baryon density is not!)

Expectations at RHIC



- In-medium modifications of vector mesons persists
- Open charm contribution becomes significant

The founding fathers' view

- Before 1991:
 - ▶ proposals for various experiments at RHIC
 - STAR, TALES, SPARC, OASIS, DIMUON ...
 - except for STAR everything else is burned down
 - ▶ from the ashes rises PHENIX
 - Pioneering High Energy Nuclear Interaction eXperiment
- 1991: PHENIX “conceptual design report”
 - ▶ philosophy
 - measure simultaneously as many observables relevant for QCD phase transitions as you can imagine
 - all but one: low-mass dielectrons
 - ▶ why no dielectrons?
 - included in first TALES proposal
 - considered to be “too difficult” for PHENIX
- A lot of work can make impossible things happen

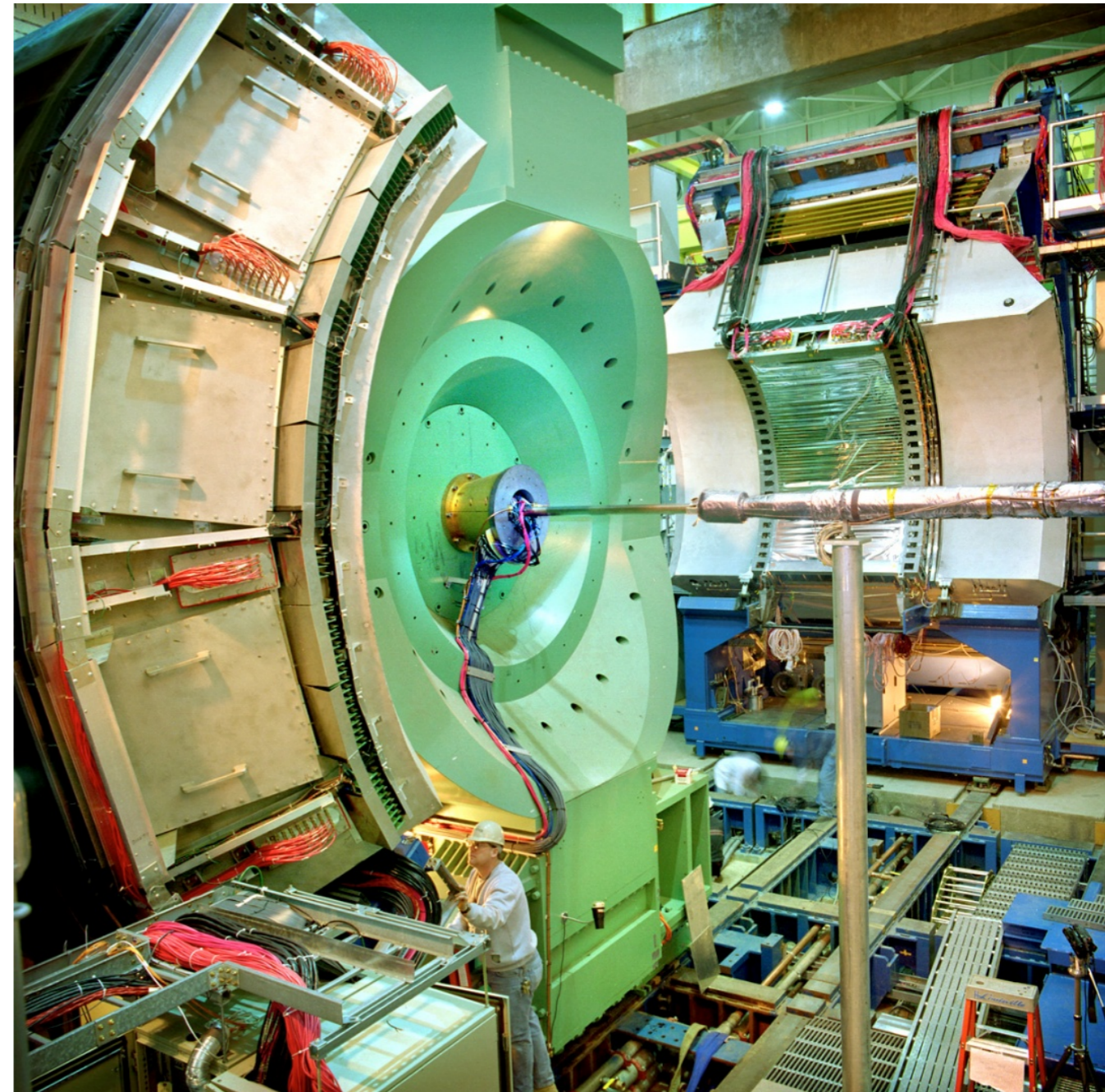
The PHENIX detector at RHIC

OCTOBER
2002

PHYSICS TODAY

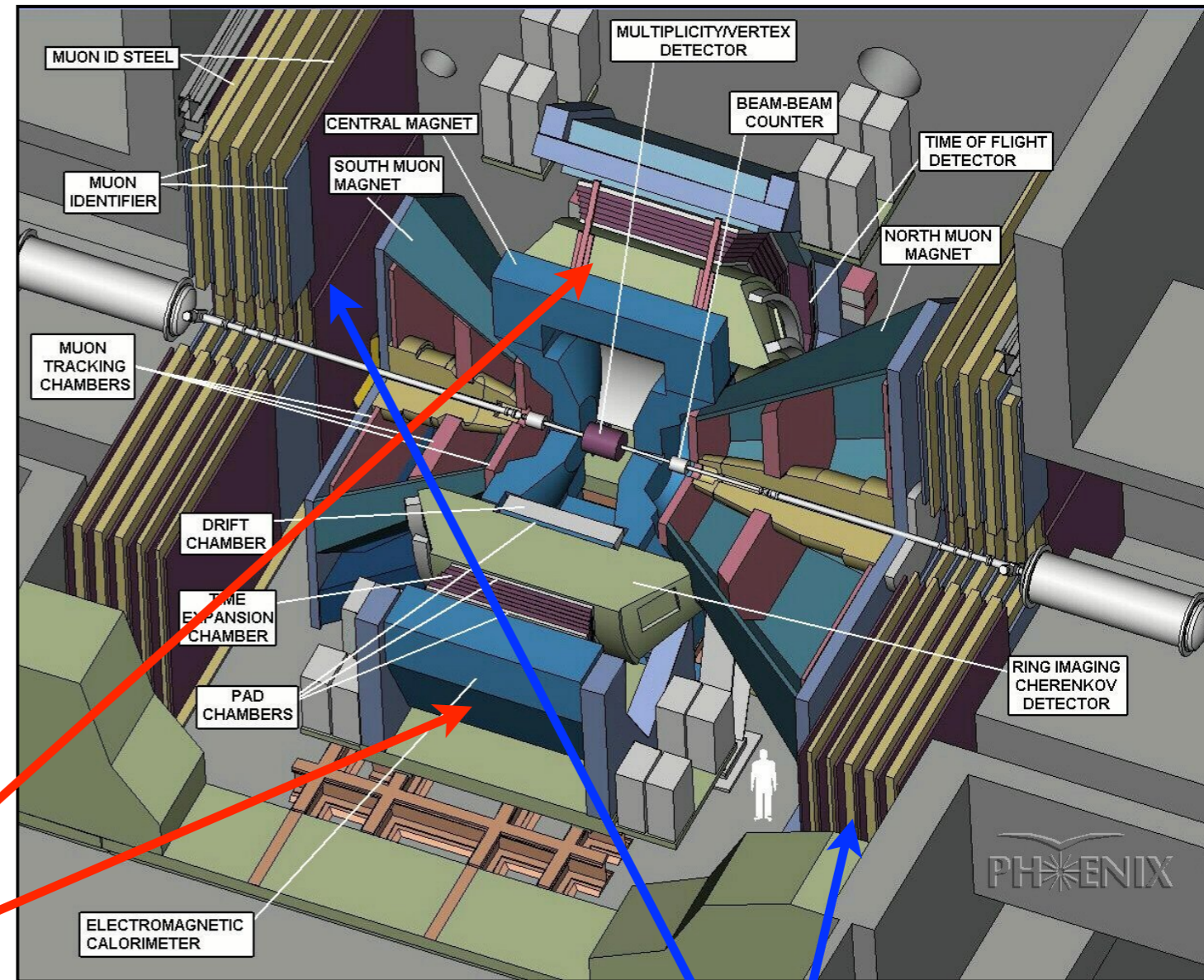


Nuclear matter in extremis



The PHENIX detector at RHIC

- 3 detectors for global event characterisation
- Central spectrometers
 - ▶ measurement in range:
 $|\eta| \leq 0.35$
 $p \geq 0.2 \text{ GeV}/c$
- Forward spectrometers
 - ▶ muon measurement in range:
 $1.2 < |\eta| < 2.4$
 $p \geq 2 \text{ GeV}/c$

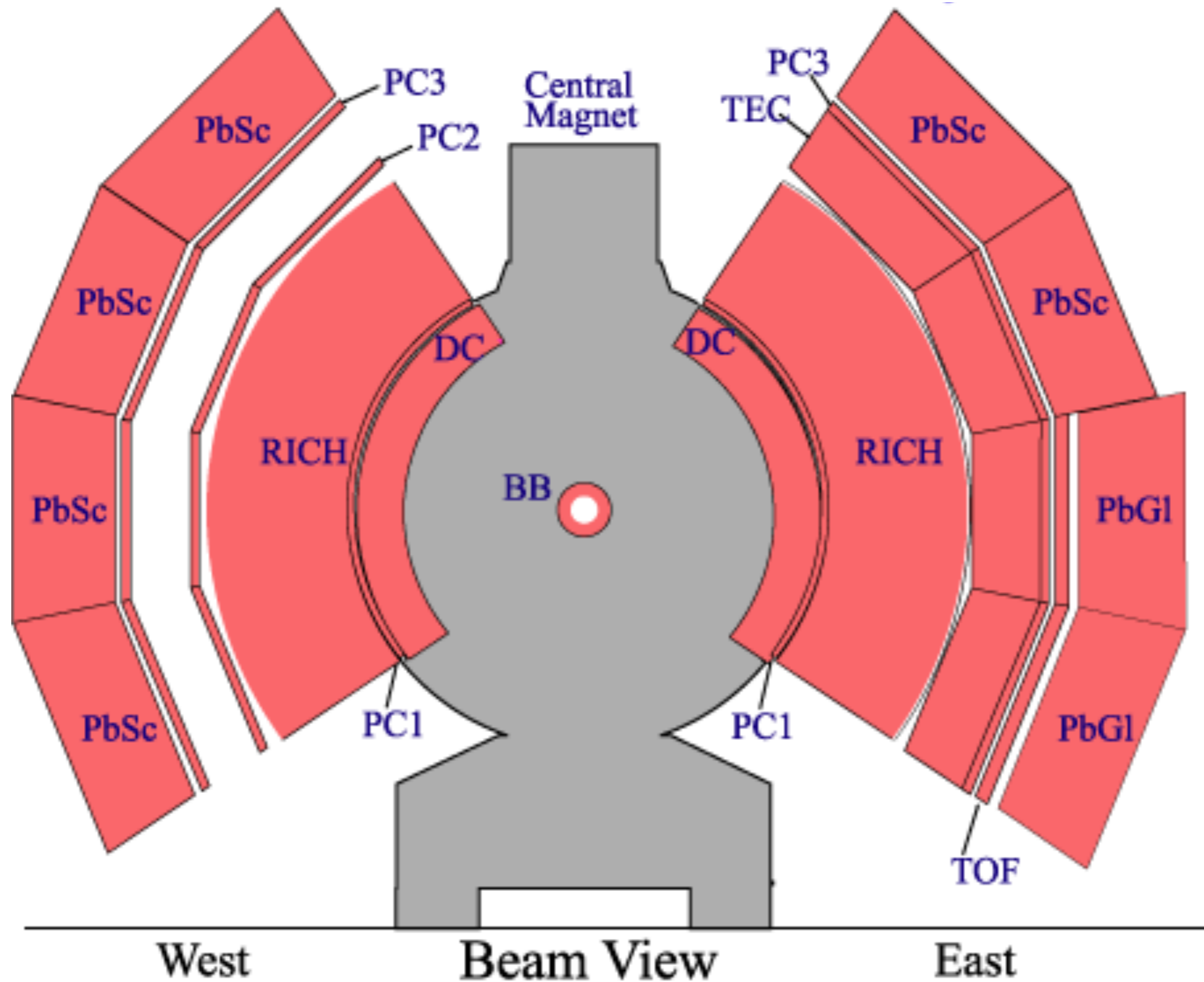


two central electron/photon/hadron spectrometers

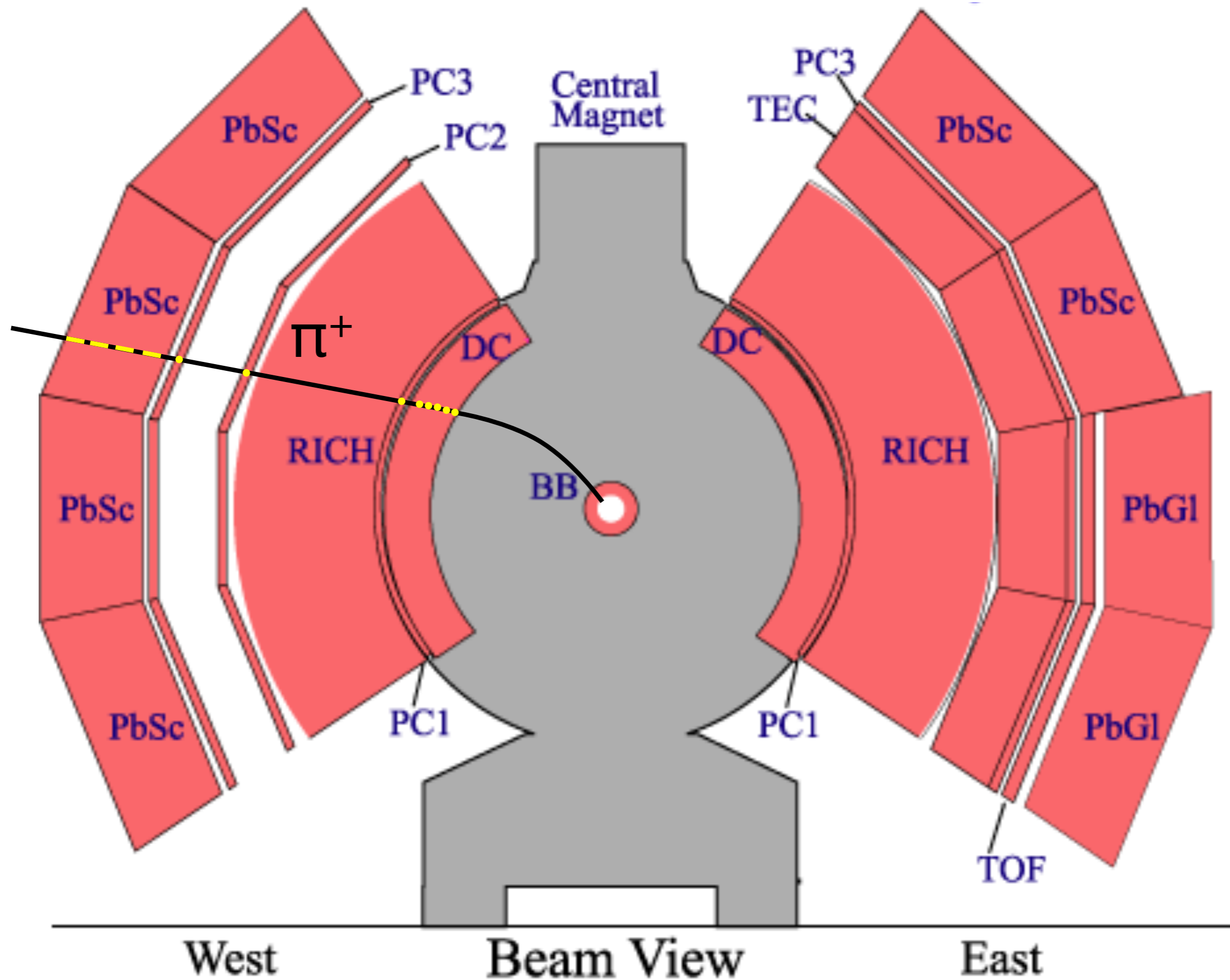
two forward muon spectrometers

$$\eta = -\ln \left[\tan \left(\frac{\theta}{2} \right) \right]$$

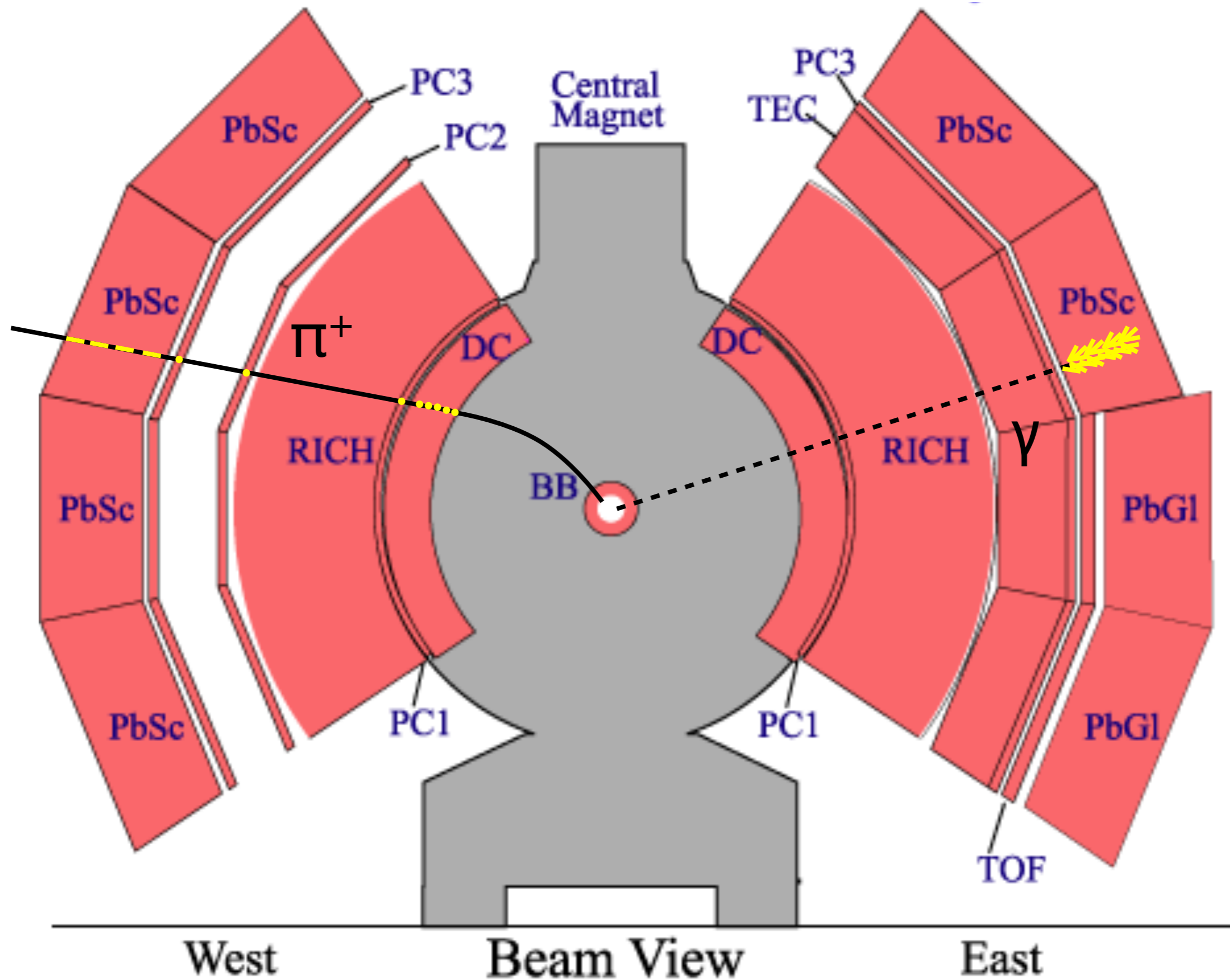
PHENIX Particle Tracking and ID



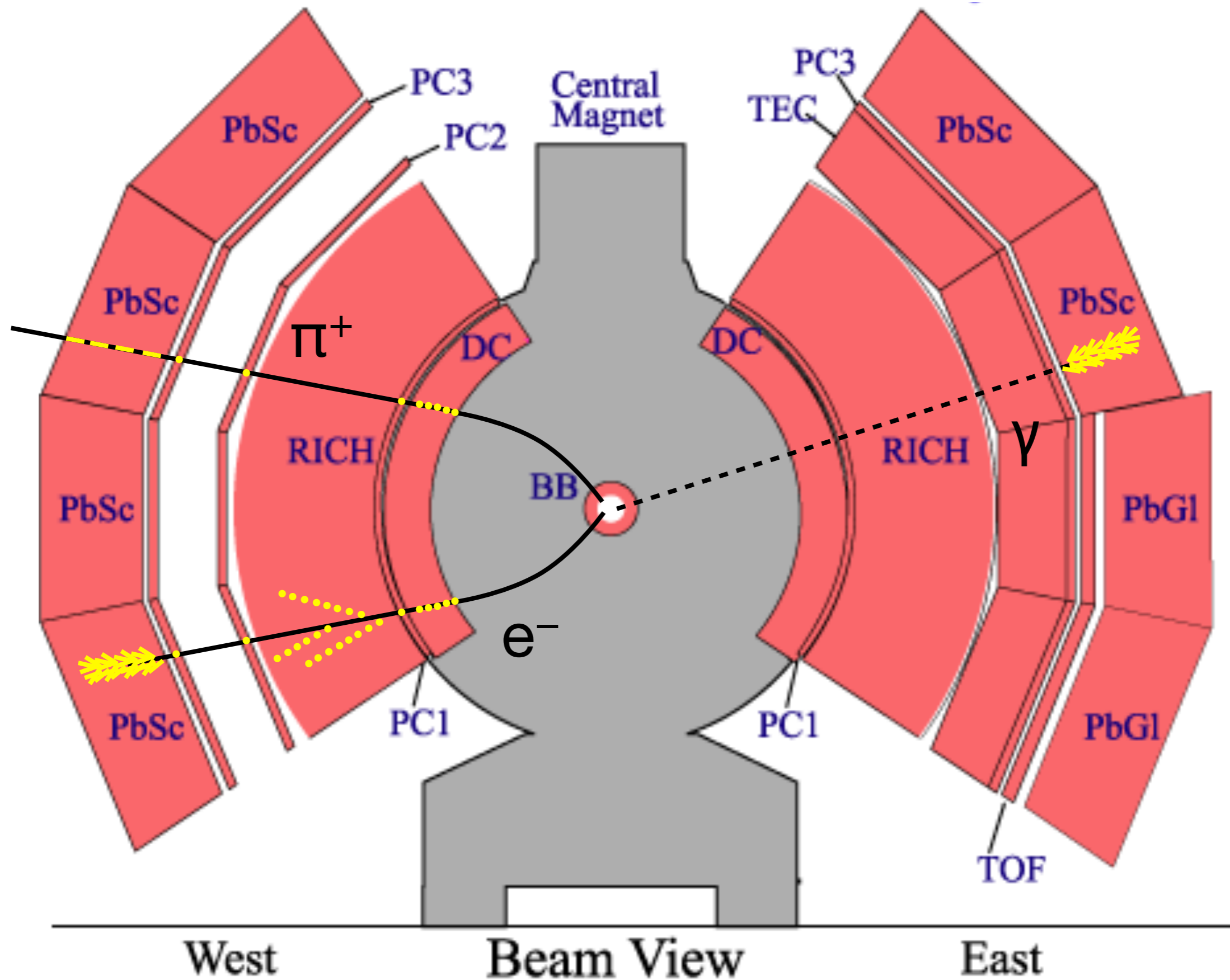
PHENIX Particle Tracking and ID



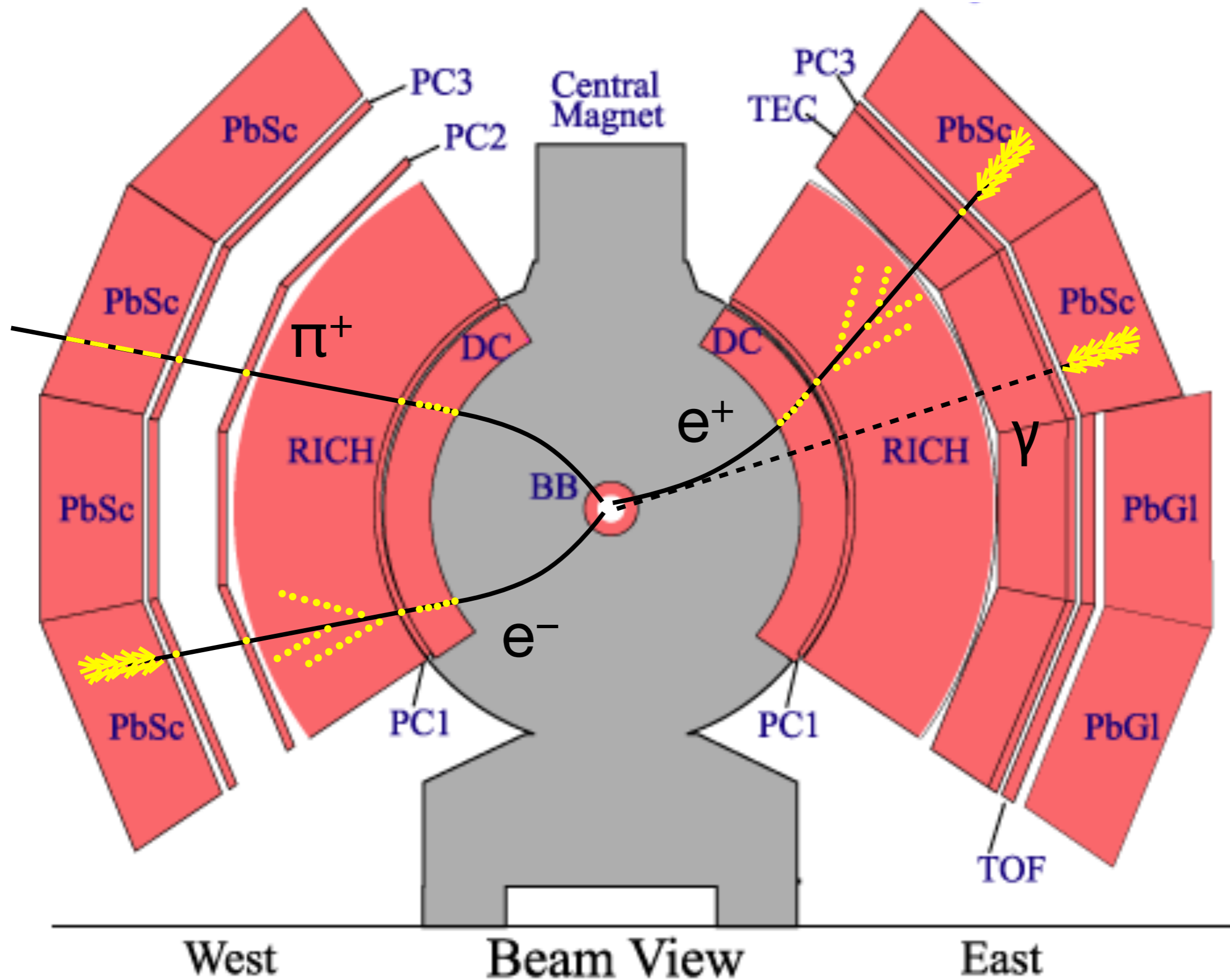
PHENIX Particle Tracking and ID



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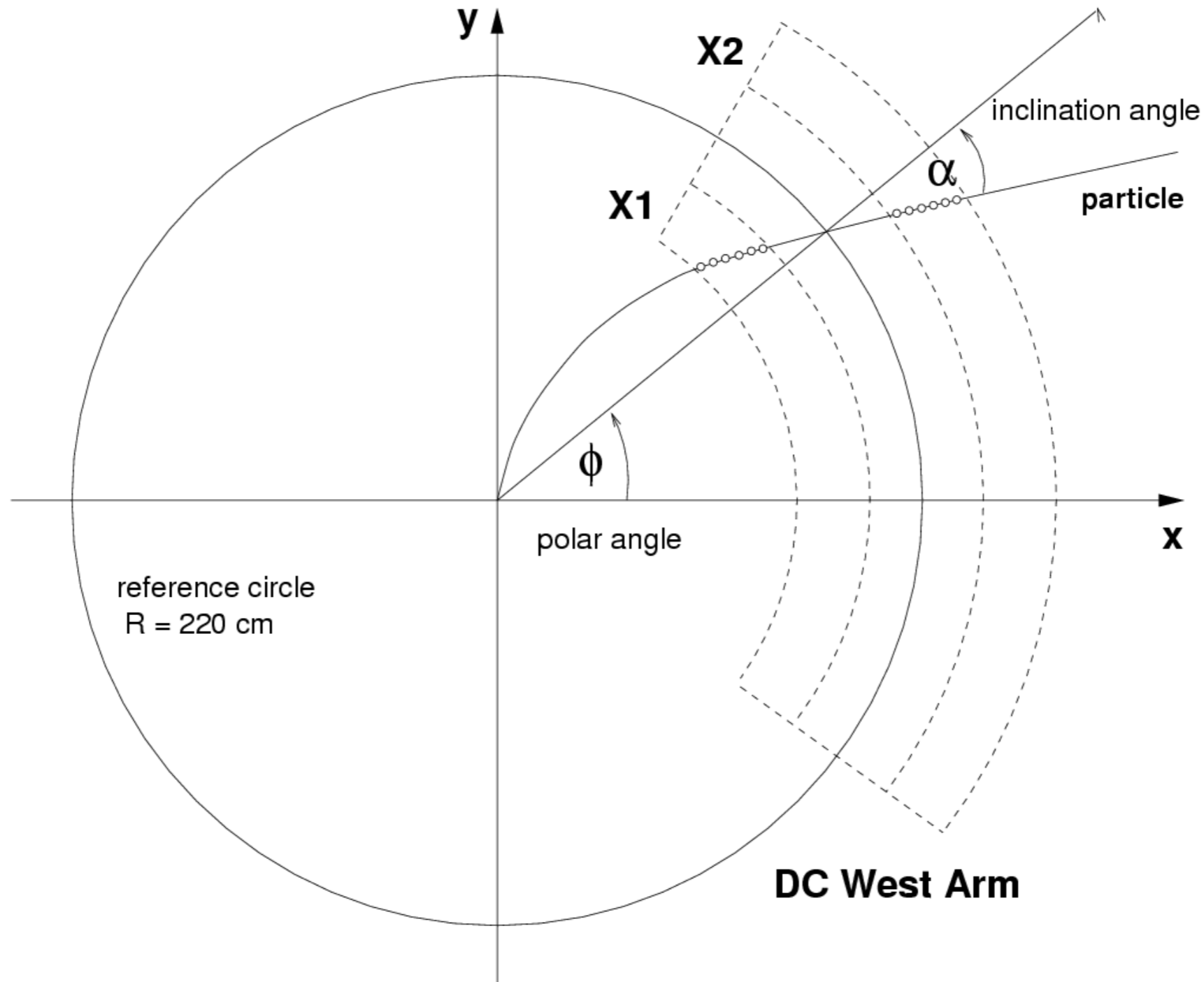


PHENIX Particle Tracking and ID



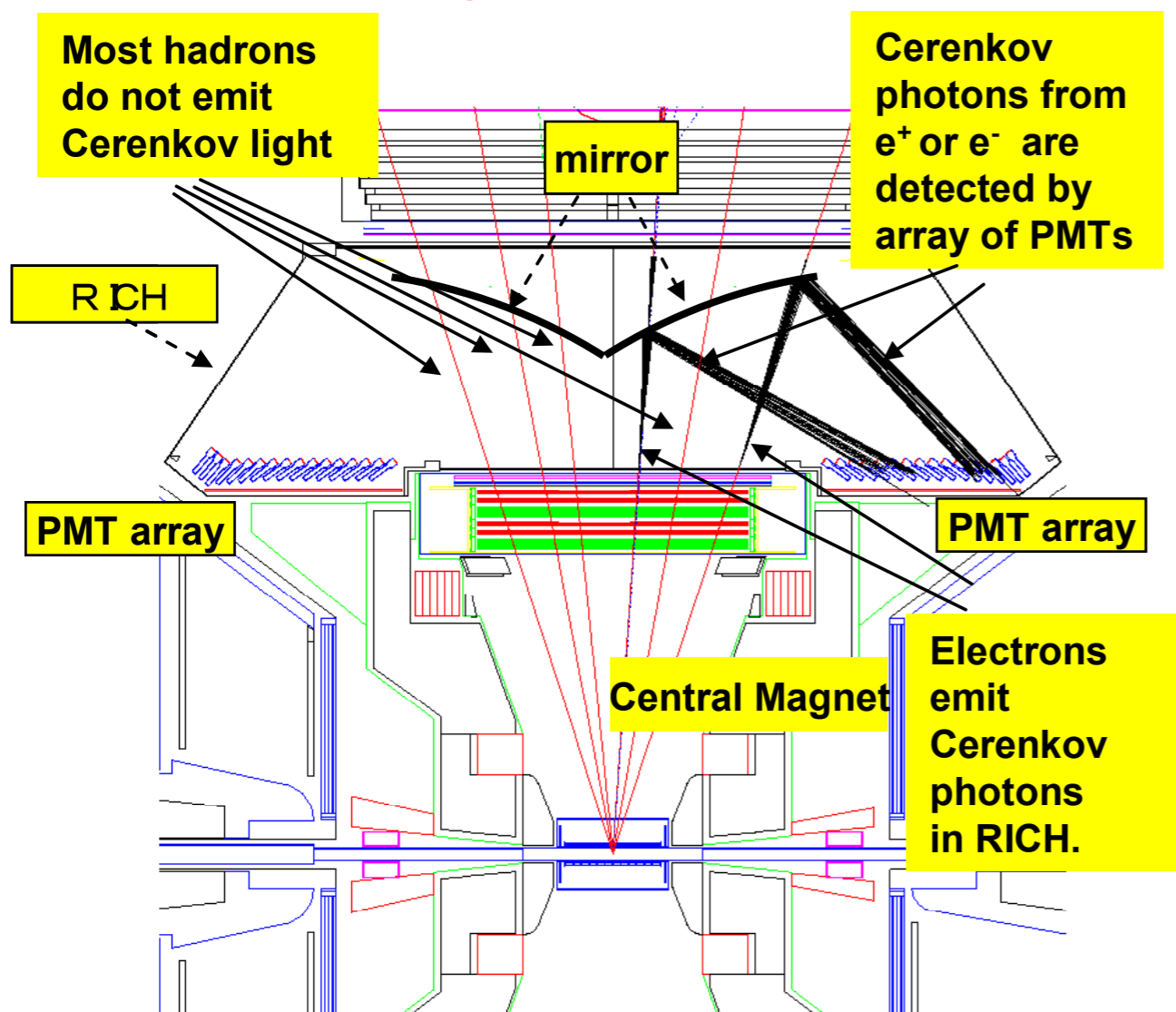
Momentum Determination

- Simple relation between bending angle and momentum:
 $\alpha = K/p_T$ (with $K \sim 0.206$ rad GeV/c, depends on magnetic field)



Electron Identification I

- Charged particle tracking
 - ▶ DC, PC1, PC2, PC3 and TEC
 - ▶ Target: mass resolution of 1%
- PHENIX optimized for Electron ID
 - ▶ Cherenkov light RICH +
 - ▶ shower EMCAL



- Emission and measurement of Cherenkov light in the Ring Imaging Cherenkov detector measure of minimum velocity
- How can pions ever be misidentified below 4.9 GeV/c?
 - ▶ Radiation of Cherenkov light (≥ 4.9 GeV/c)
 - ▶ Production of delta electrons
 - ▶ Random coincidence (high multiplicity)
 - ▶ spherical mirror
 - parallel tracks produce rings at SAME location

Electron Identification II

- Production of em. shower in the **Electro-Magnetic Calorimeter**

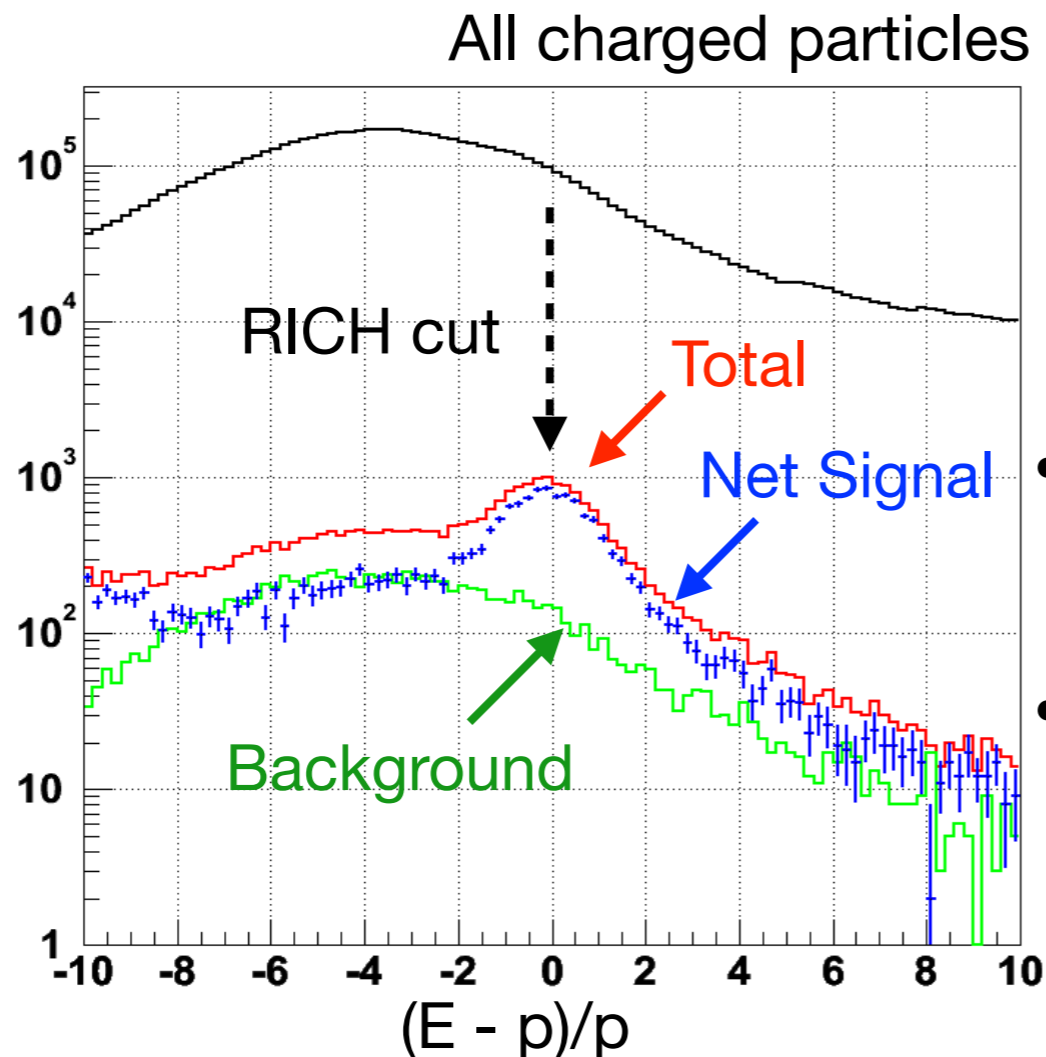
- ▶ measure of energy E

- **PbSc**: sampling calorimeter, layers of lead and scintillator

- **PbGl**: homogeneous lead-glass volume, Cherenkov radiator

- e^\pm : $E \approx p$

- h^\pm : $E < p$



- After RICH cuts: clear e^\pm signal

- Cut on E/p cleans e^\pm sample!

- **Main background source:**

- ▶ random combination of hadron track with uncorrelated RICH ring

- ▶ “Statistical” subtraction technique:

- Flip-and-slide of RICH

- Swapped background agrees in shape with E/p distribution of identified hadrons

- **Does not work for pair analysis**

- Other background:

- ▶ photon conversions (real electrons)

- Background increases with detector occupancy (can reach ~30% in central Au+Au collisions)

Background

Type I: identified on a pair-by-pair basis

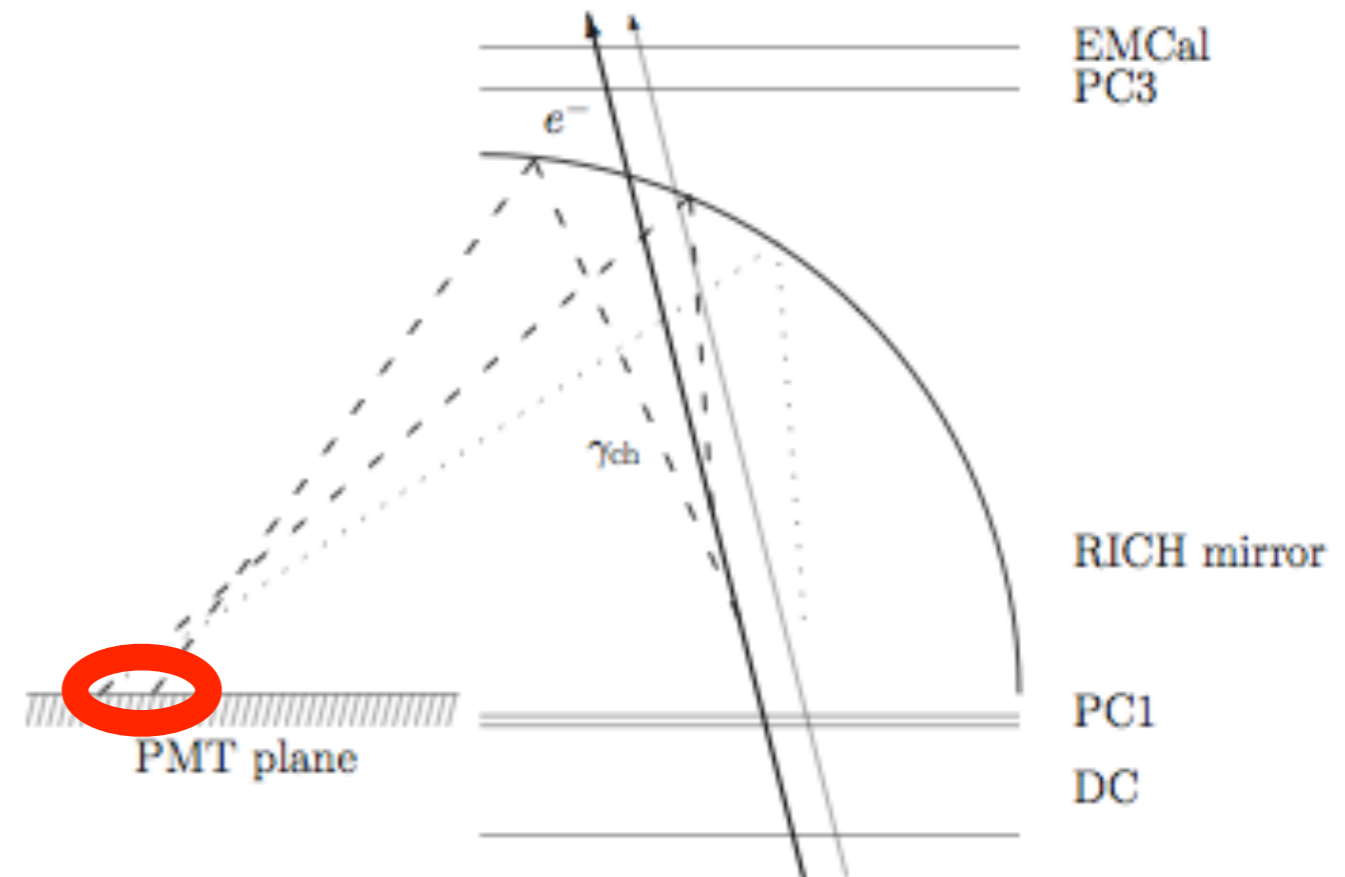
- Overlapping hits in the detectors (mostly RICH)
- Photon conversions

Type II: cannot be identified on pair-by-pair basis removed statistically

- Combinatorial (B_{comb}):
 - ▶ all combinations where the origin of the two electrons is totally uncorrelated
- Correlated (B_{corr}):
 - ▶ Cross pairs: Two e^+e^- pairs in the final state of a meson
 - ▶ Jet pairs: Two hadrons within the same jet or in back-to-back jets, decay into e^+e^- pairs

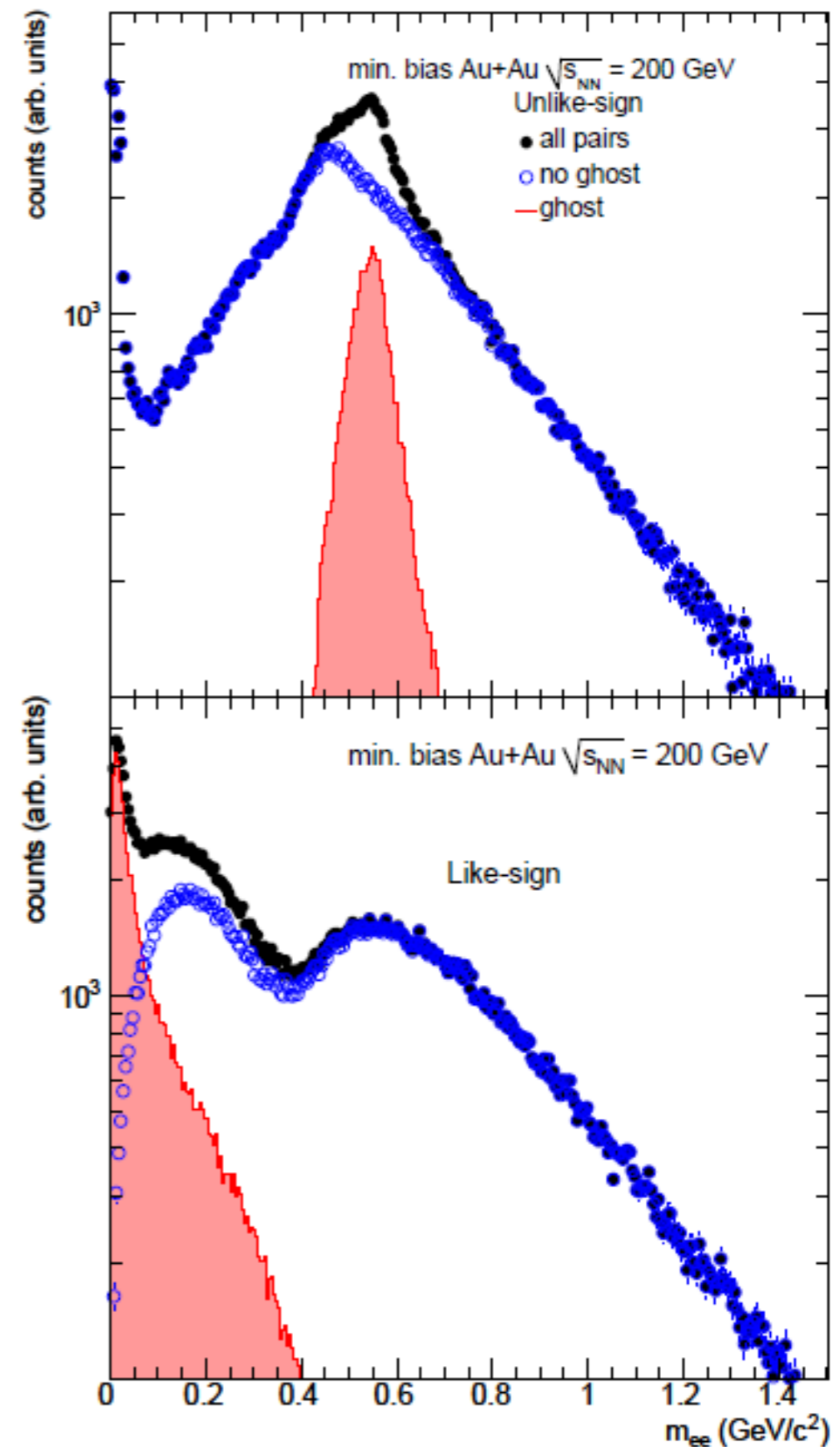
Overlapping Pairs

- If h^\pm points to the same ring as e^\pm
 - ▶ associated to the same ring
 - ▶ considered as e^\pm
- Happens for typical values of opening angle (different for like and unlike sign), which folded with the average momentum of the electron corresponds to a particular invariant mass (different for like and unlike sign)
 - ▶ cut: requested minimum distance between the rings (~ 1 ring diameter)
- Cut applied as event cut:
 - ▶ Real events: discarded and never reused
 - ▶ Mixed events: regenerated to avoid topology dependence



Overlapping Pairs

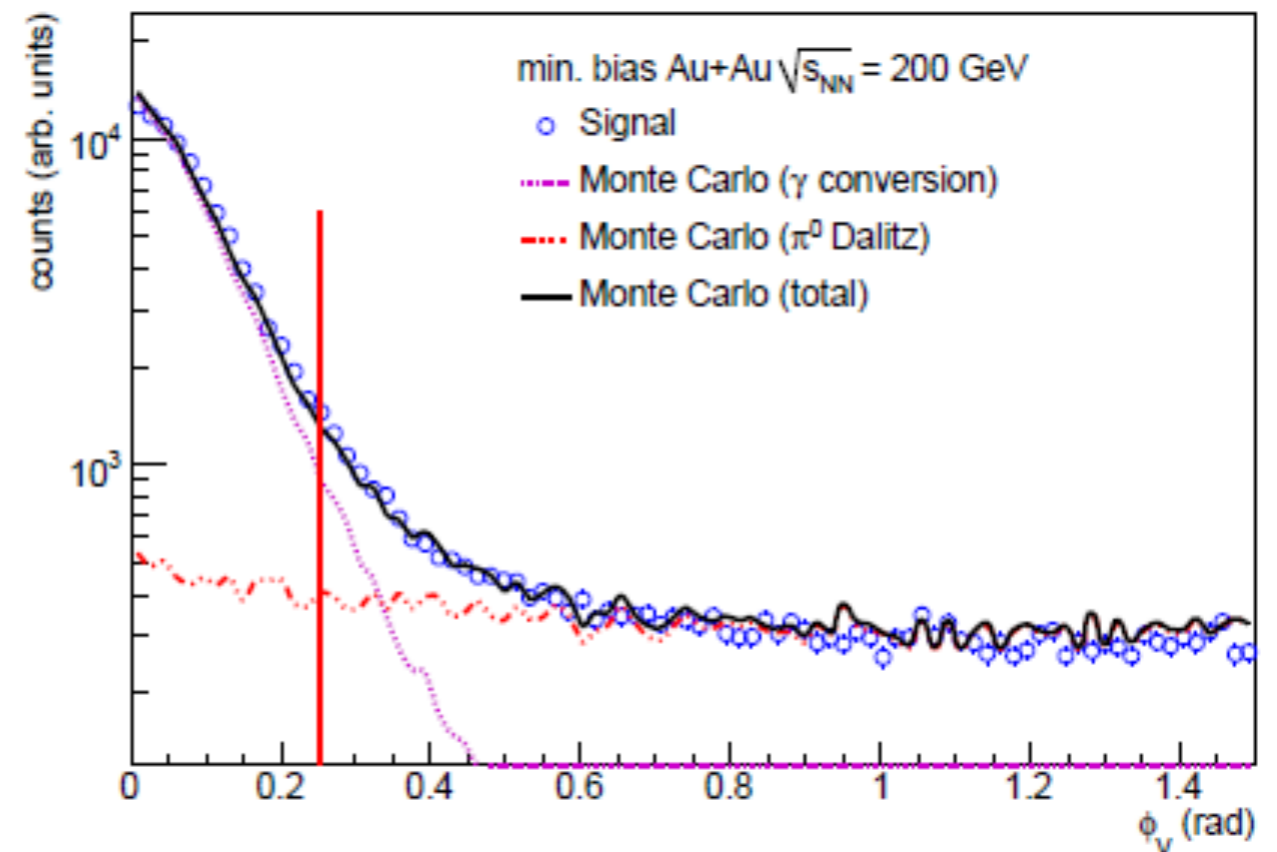
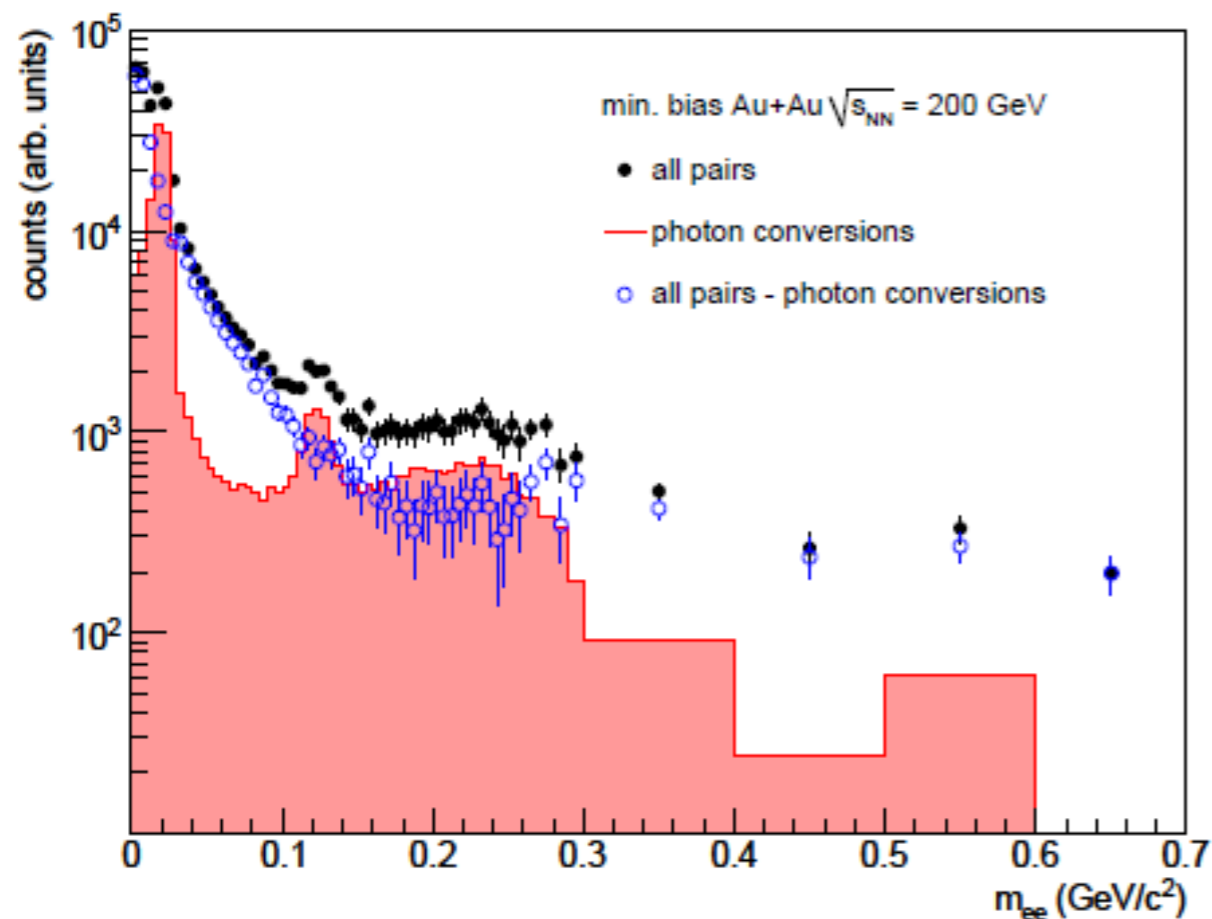
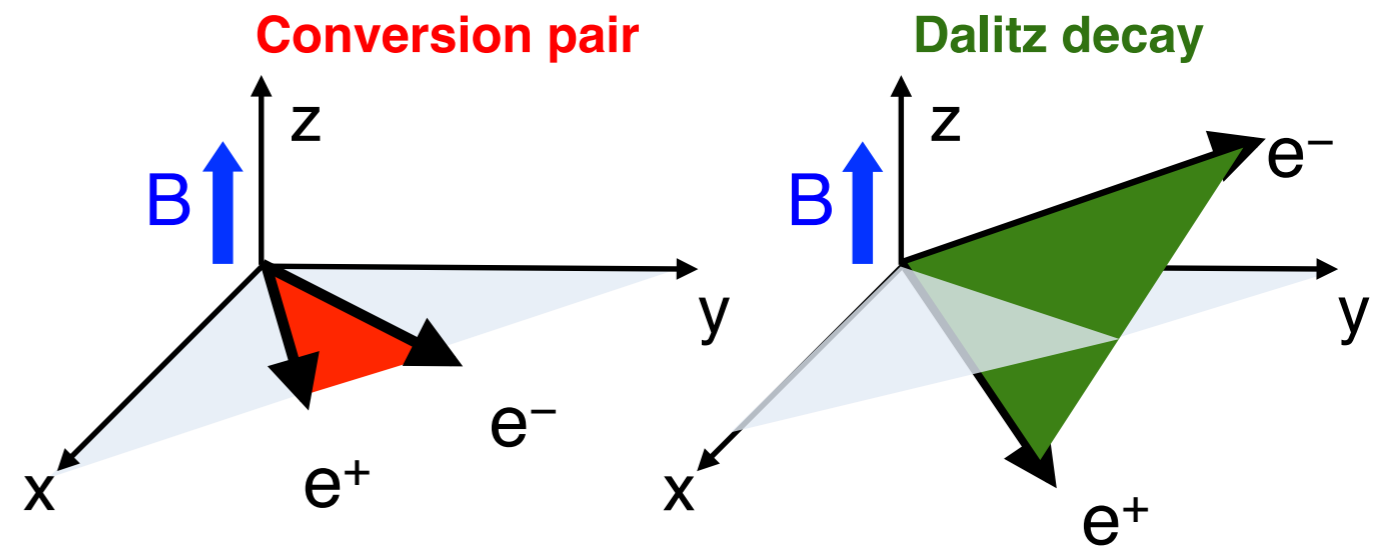
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Photon Conversion Rejection

- Artefact of PHENIX tracking
 - ▶ assume that all tracks originate from the vertex
 - ▶ off vertex tracks → wrong momentum vector
 - ➔ Conversions are reconstructed with $m \neq 0$ ($m \sim r$)

- Conversions “open” in a plane perpendicular to the magnetic field

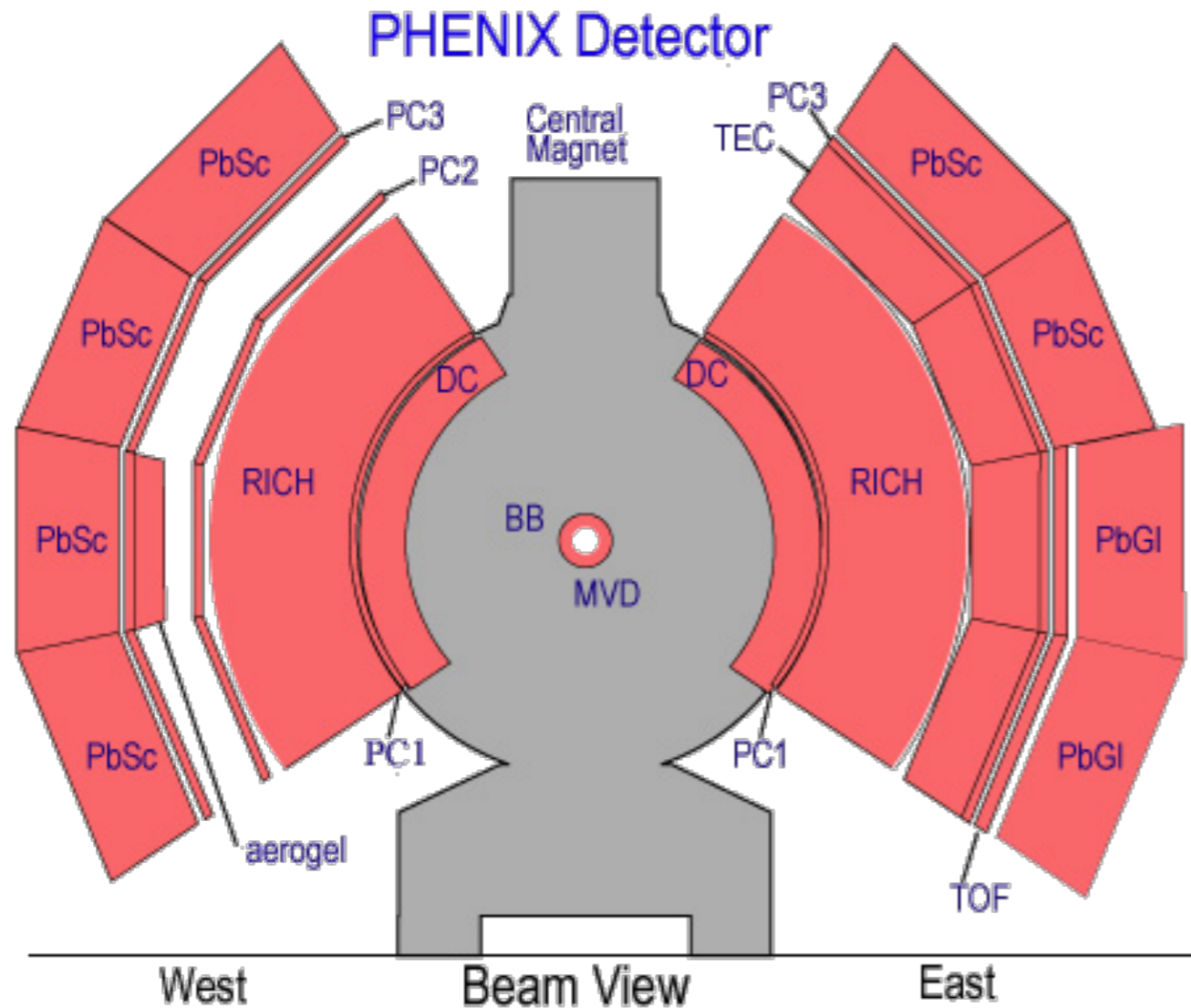


Low-mass e^+e^- pairs: the Problem

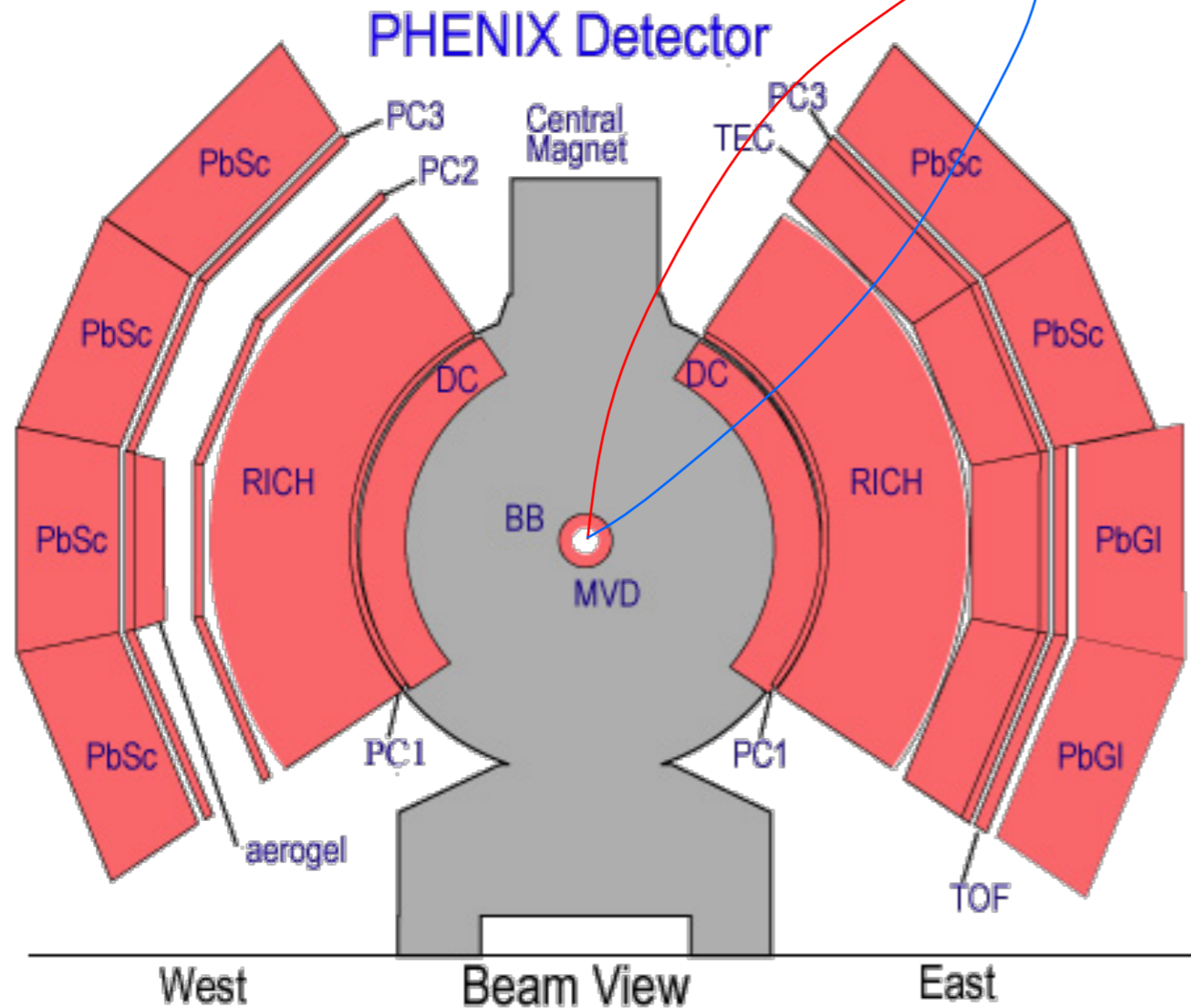
- Average number of electrons/event in PHENIX:
 - ▶ $N_e = \frac{(dN/d\eta)_{\pi^0}}{350} \times \frac{(BR+CONV)}{(0.012+0.02)} \times \frac{\text{acceptance}}{0.5 \times 0.7} \times \frac{f(p_T > 0.2 \text{ GeV})}{0.32} = 1.3$
- Combinatorial background pairs/event
 - ▶ $B = N_e^2 / 2! \exp(-N_e) = 0.2$ (assume Poisson distribution)
- Expected signal pairs/event ($m > 0.2 \text{ GeV}$, $p_T > 0.2 \text{ GeV}$)
 - ▶ $S = 4.2 \times 10^{-4}$
- ➡ Signal/Background
 - ▶ as small as 1/ few hundred
 - ▶ depends on mass
- What can we do to reduce the combinatorial background?
- Where does it come from?

Conversion/Dalitz rejection?

- Typically only one “leg” of the pair is in the acceptance
 - ▶ Acceptance holes
 - ▶ “Soft” tracks curl up in the magnetic field
- Only (!) solution:
 - ▶ Catch electrons before they are lost
 - ▶ Need new detector and modification of magnetic field

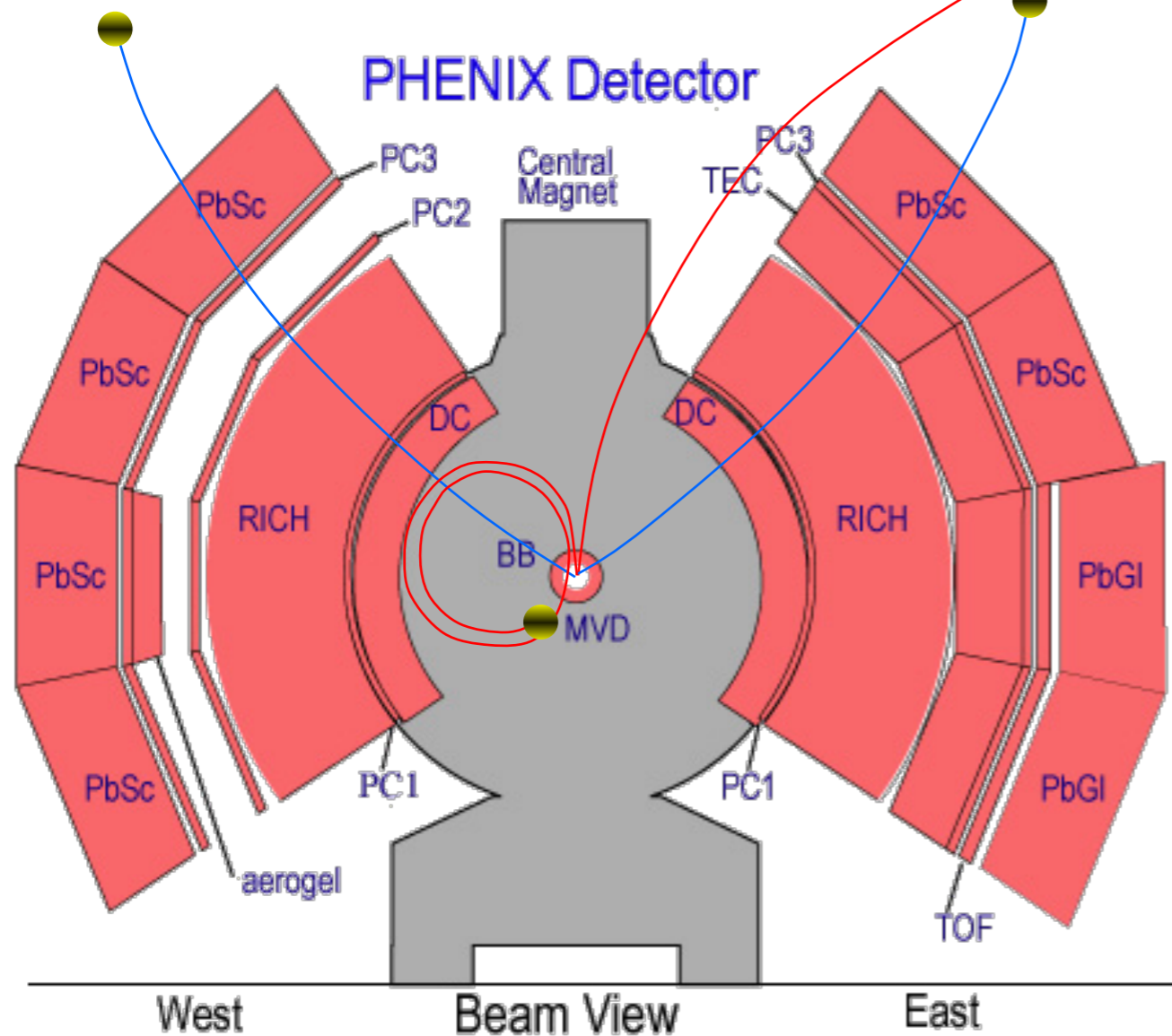


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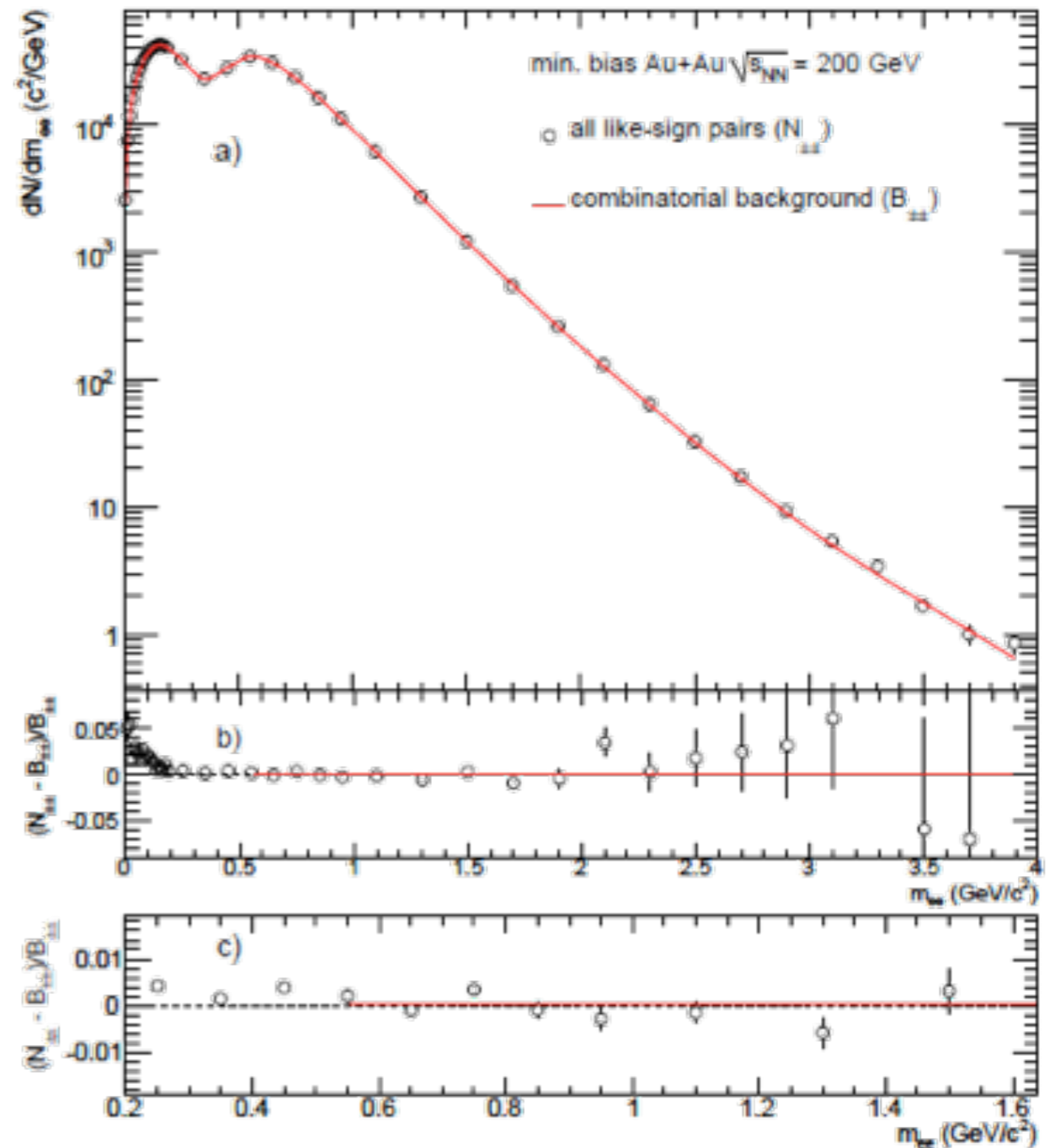
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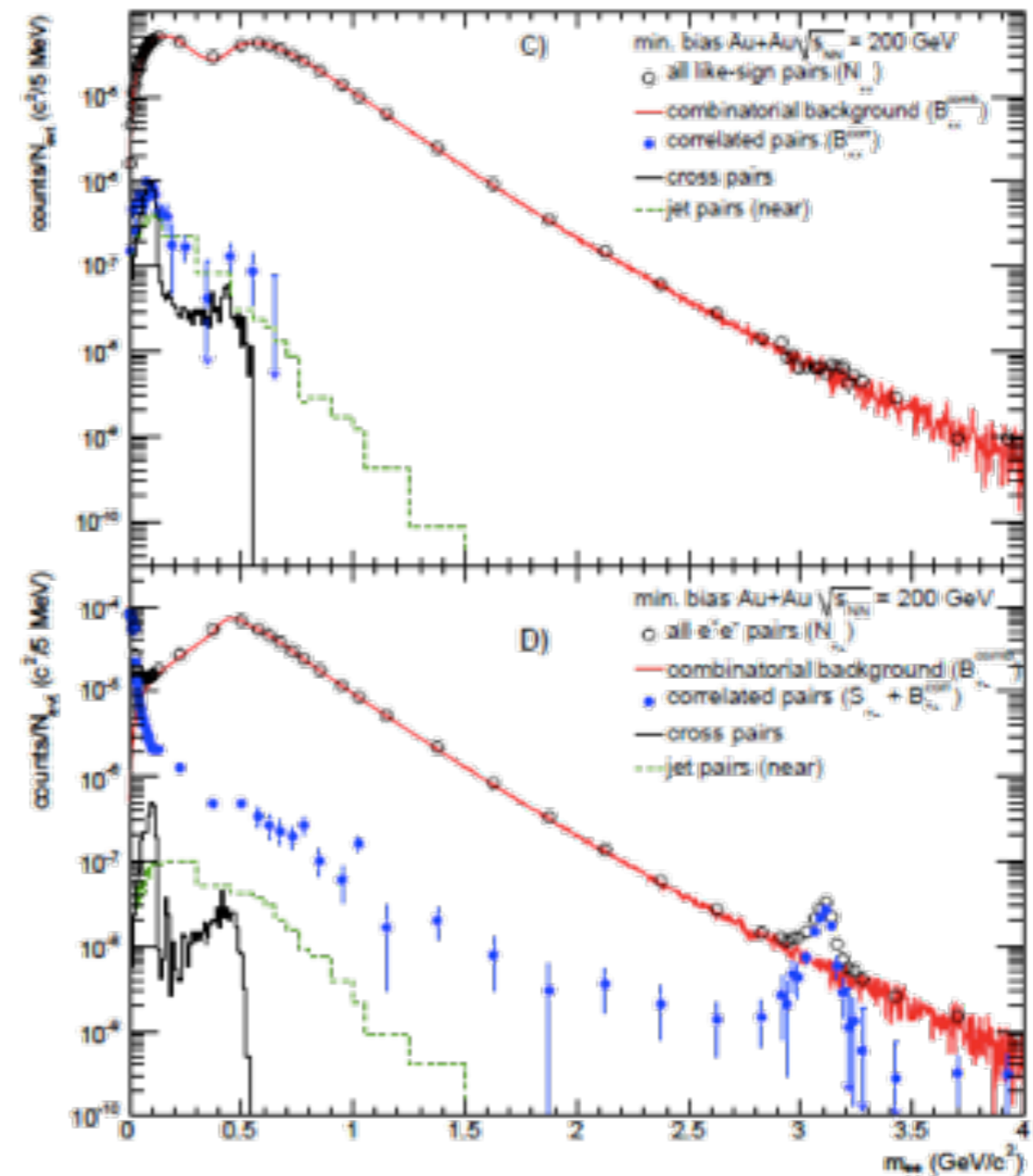
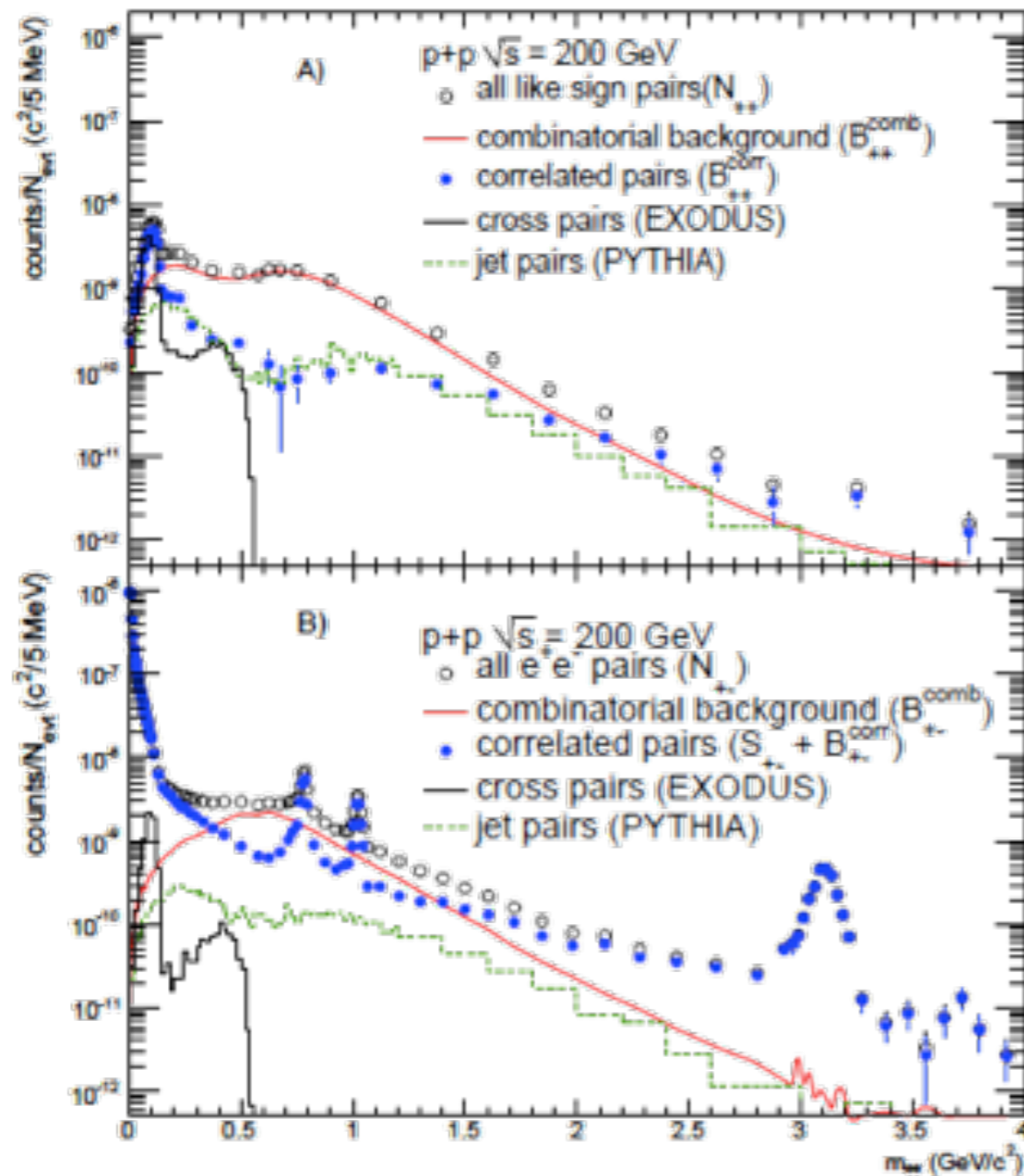
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Combinatorial Background Shape

- Shape determined with event mixing
 - ▶ Excellent agreements for like-sign pairs
- Normalisation of mixed pairs
 - ▶ Small correlated background at low masses
 - ▶ Normalise B_{++} and B_{--} to N_{++} and N_{--} for $m_{ee} > 0.7 \text{ GeV}/c^2$
 - ▶ Normalise mixed B_{+-} pairs to $N_{+-} = 2\sqrt{N_{++}N_{--}}$
 - ▶ Subtract correlated background
- Systematic uncertainties
 - ▶ Statistics of N_{++} and N_{--} : 0.12%
 - ▶ Different pair cuts in like- and unlike-sign: 0.2%

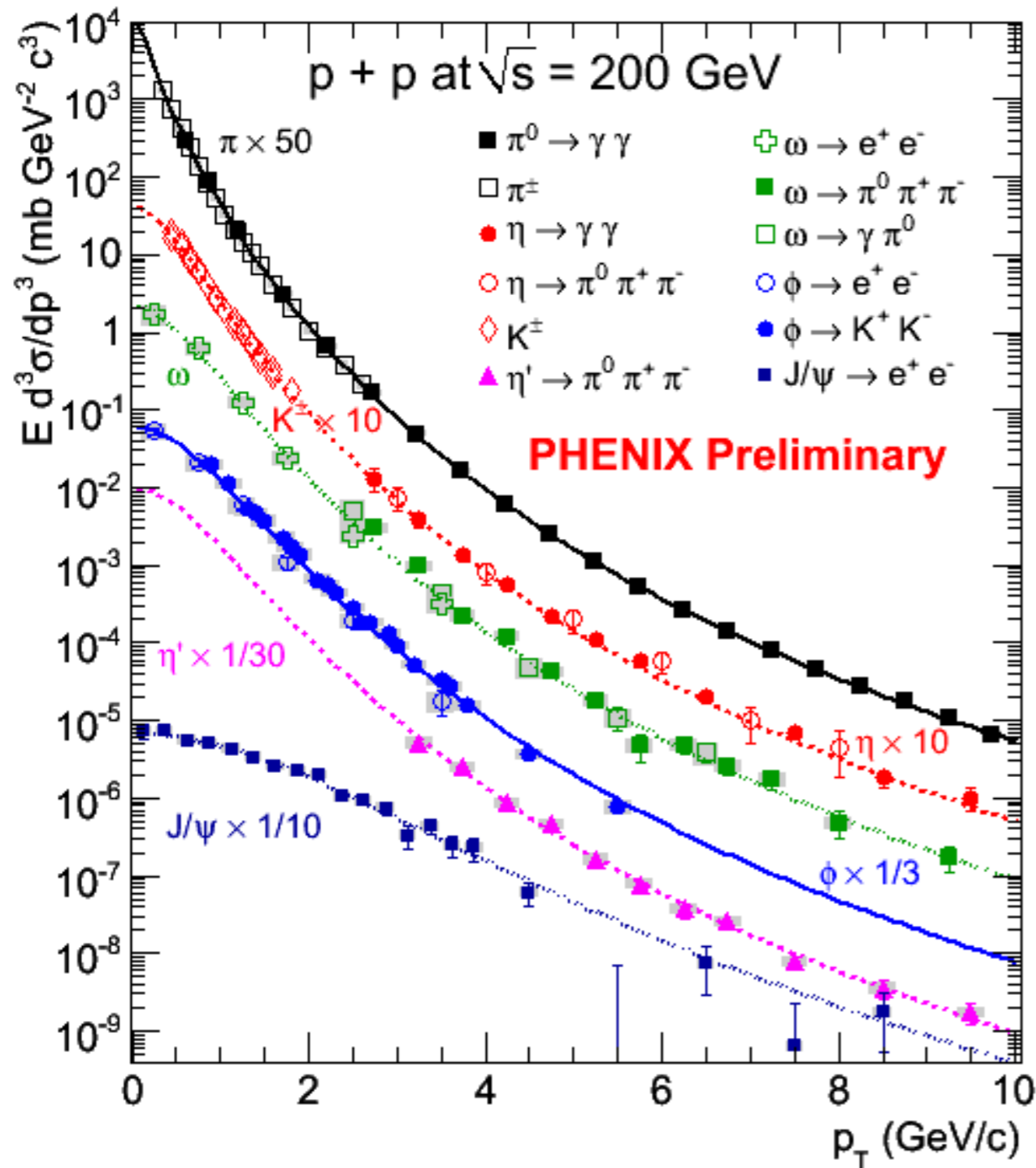


Combinatorial and Correlated



- Combinatorial Background from mixed events normalized to $2\sqrt{N_{++}N_{--}}$
- Cross pairs simulated with decay generator EXODUS
- Jet pairs simulated with PYTHIA

Hadronic Cocktail

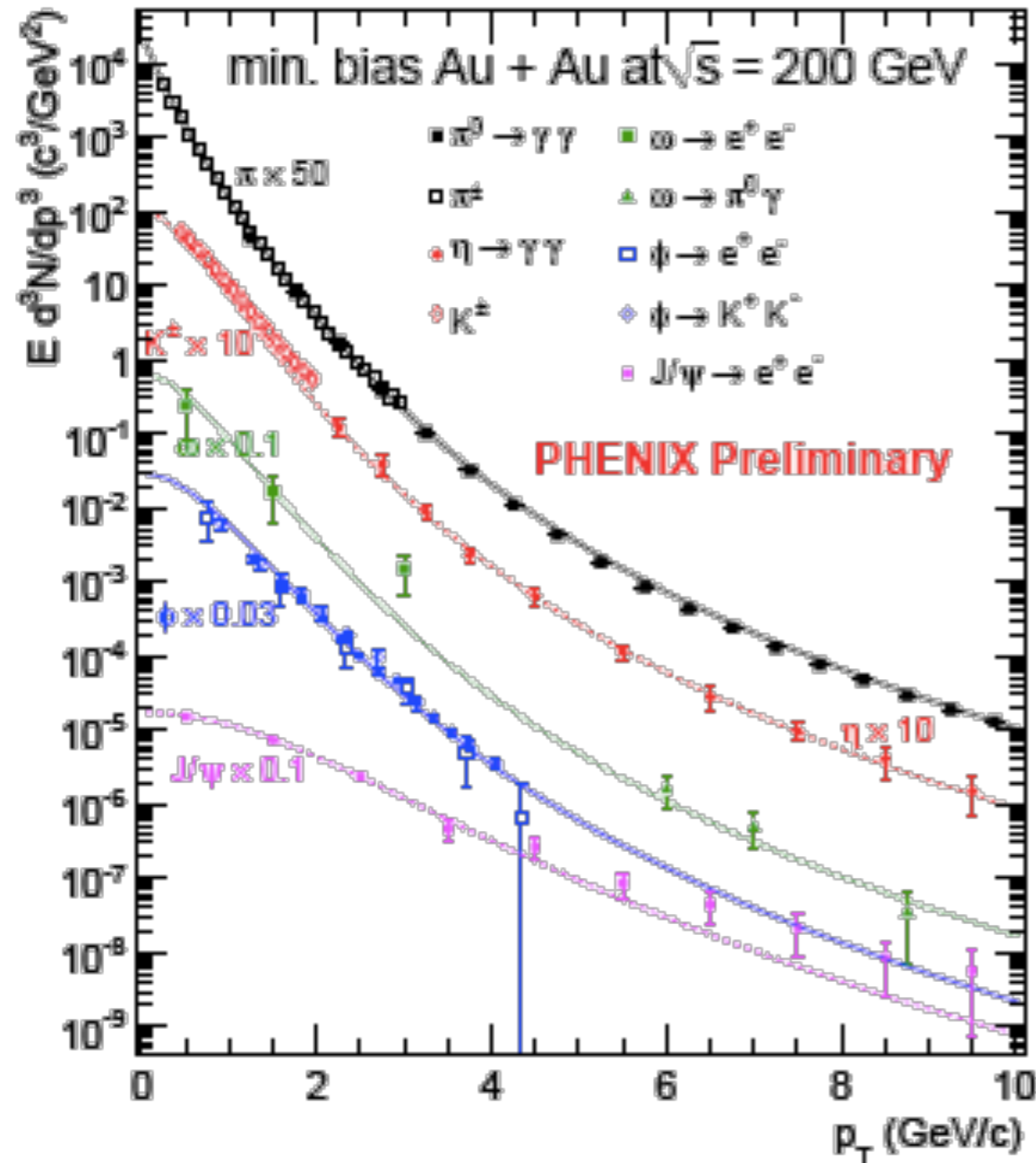


- Parameterization of PHENIX π^\pm, π^0 data $\pi^0 = (\pi^+ + \pi^-)/2$

$$E \frac{d^3\sigma}{dp^3} = \frac{A}{\left(\exp(-ap_T - bp_T^2) + p_T/p_0\right)^n}$$

- Other mesons: fit with m_T scaling of π^0
 $p_T \rightarrow \sqrt{(p_T^2 + m_{\text{meson}}^2 - m_\pi^2)}$
 fit the normalisation constant
- All mesons m_T scale!
- Hadronic cocktail was well tuned to individually measured yield of mesons in PHENIX for both p+p and Au+Au collisions
- Mass distributions from hadron decays are simulated by Monte Carlo: $\pi^0, \eta, \eta', \omega, \phi, \rho, J/\psi, \psi'$

Hadronic Cocktail



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fit the normalisation constant

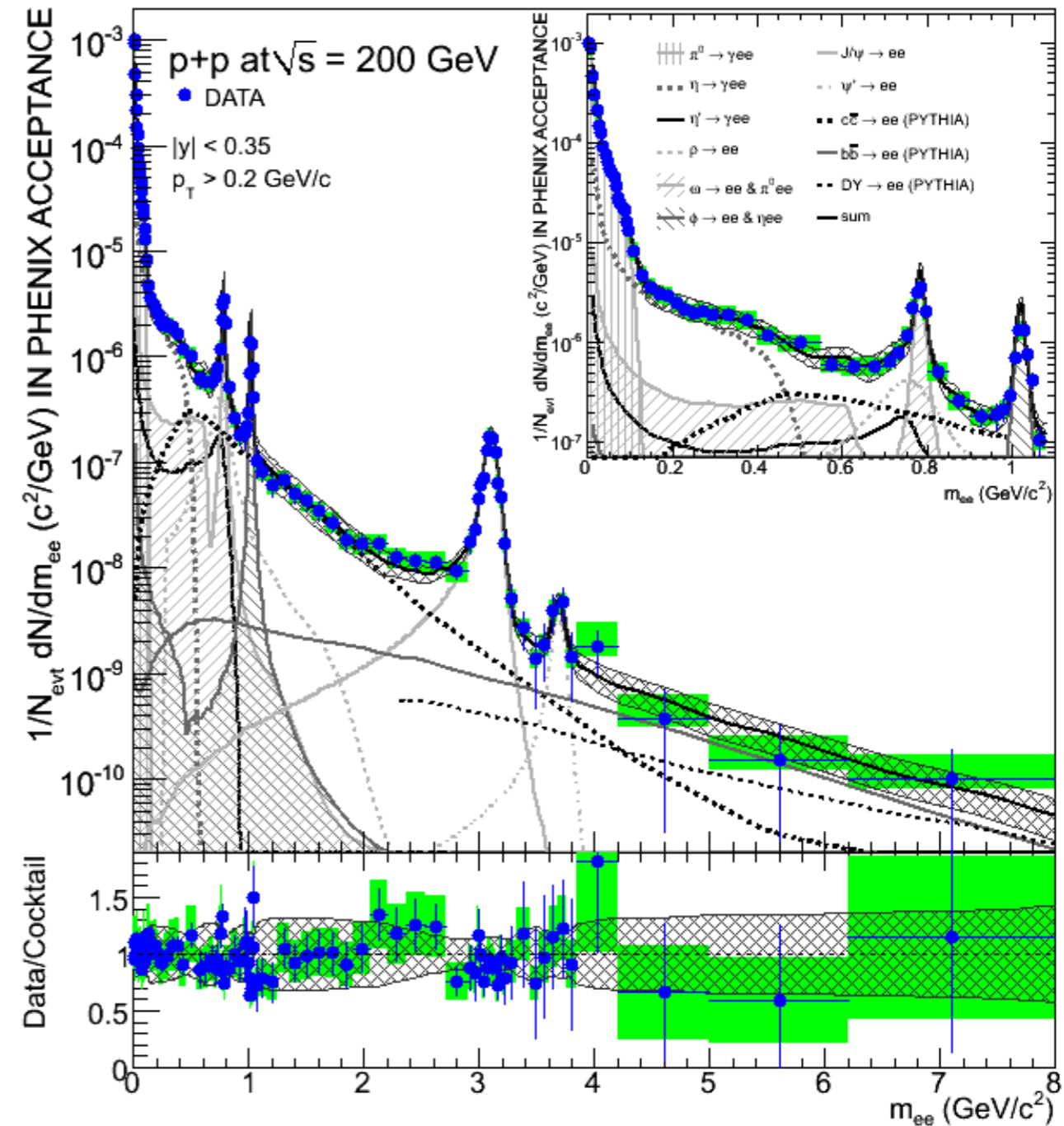
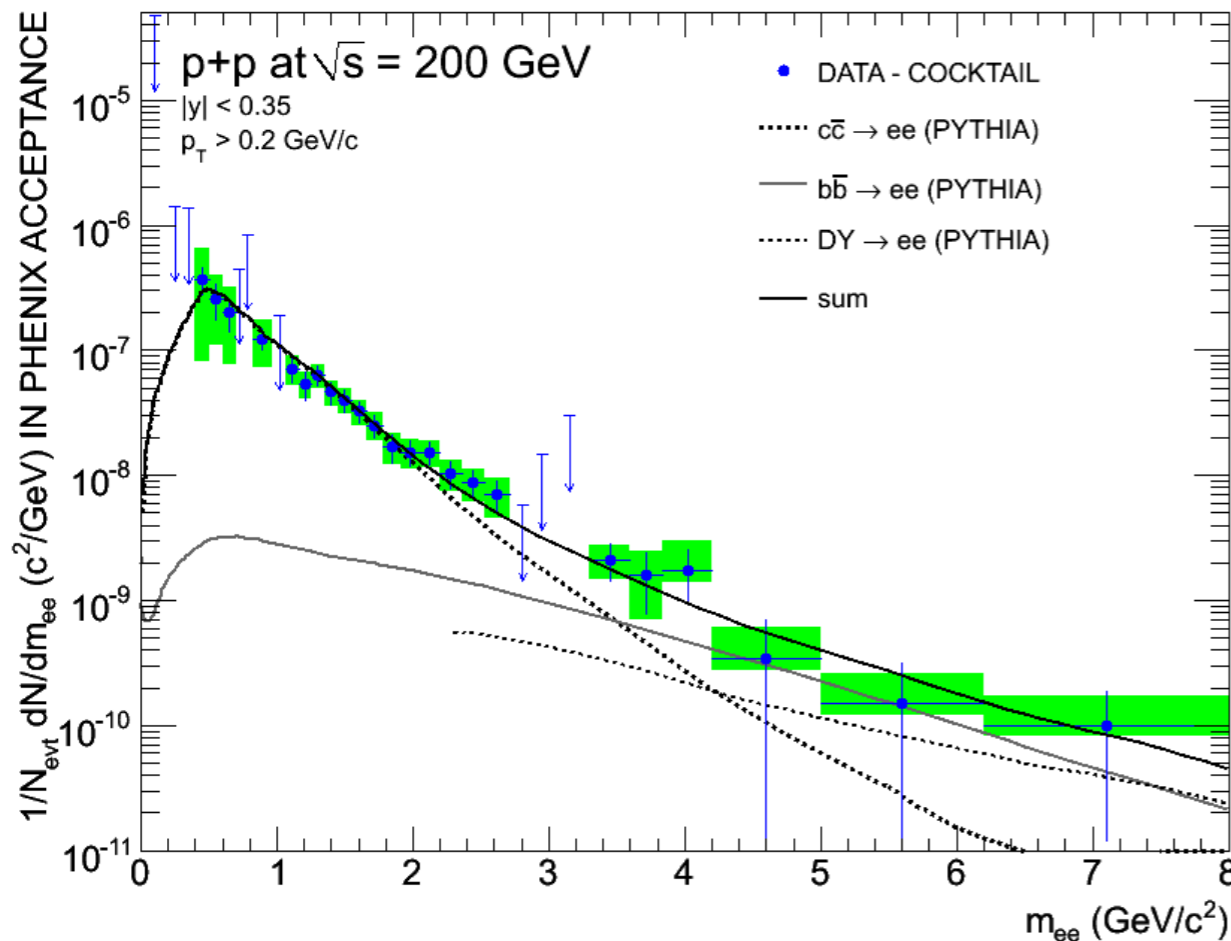
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p+p at $\sqrt{s} = 200$ GeV

PLB 670 (2009) 313

- Data absolutely normalised
- Excellent agreement with Cocktail
 - ▶ Filtered in PHENIX acceptance
- Light hadron contributions subtracted

▶ Extract Heavy Quark Cross Sections



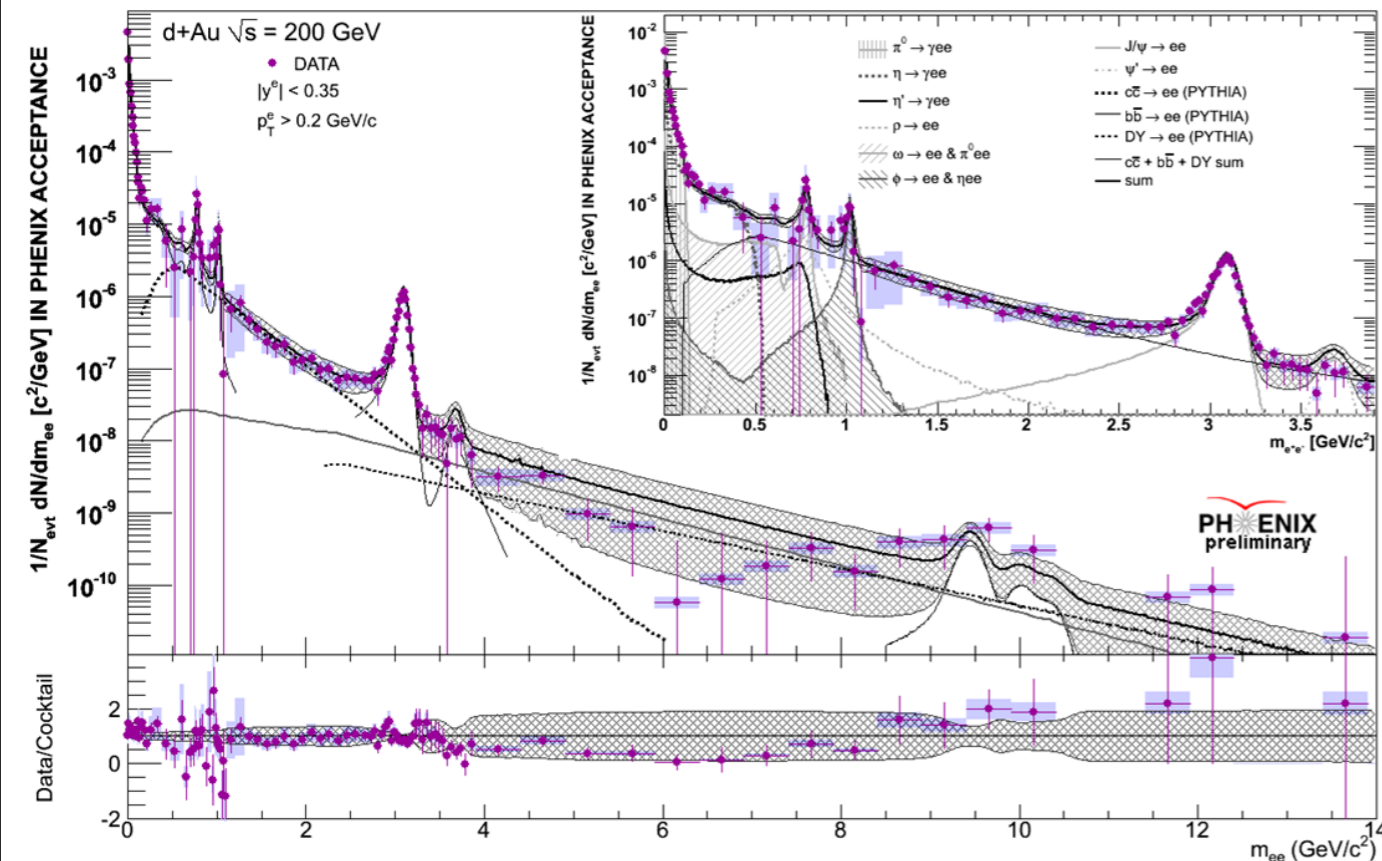
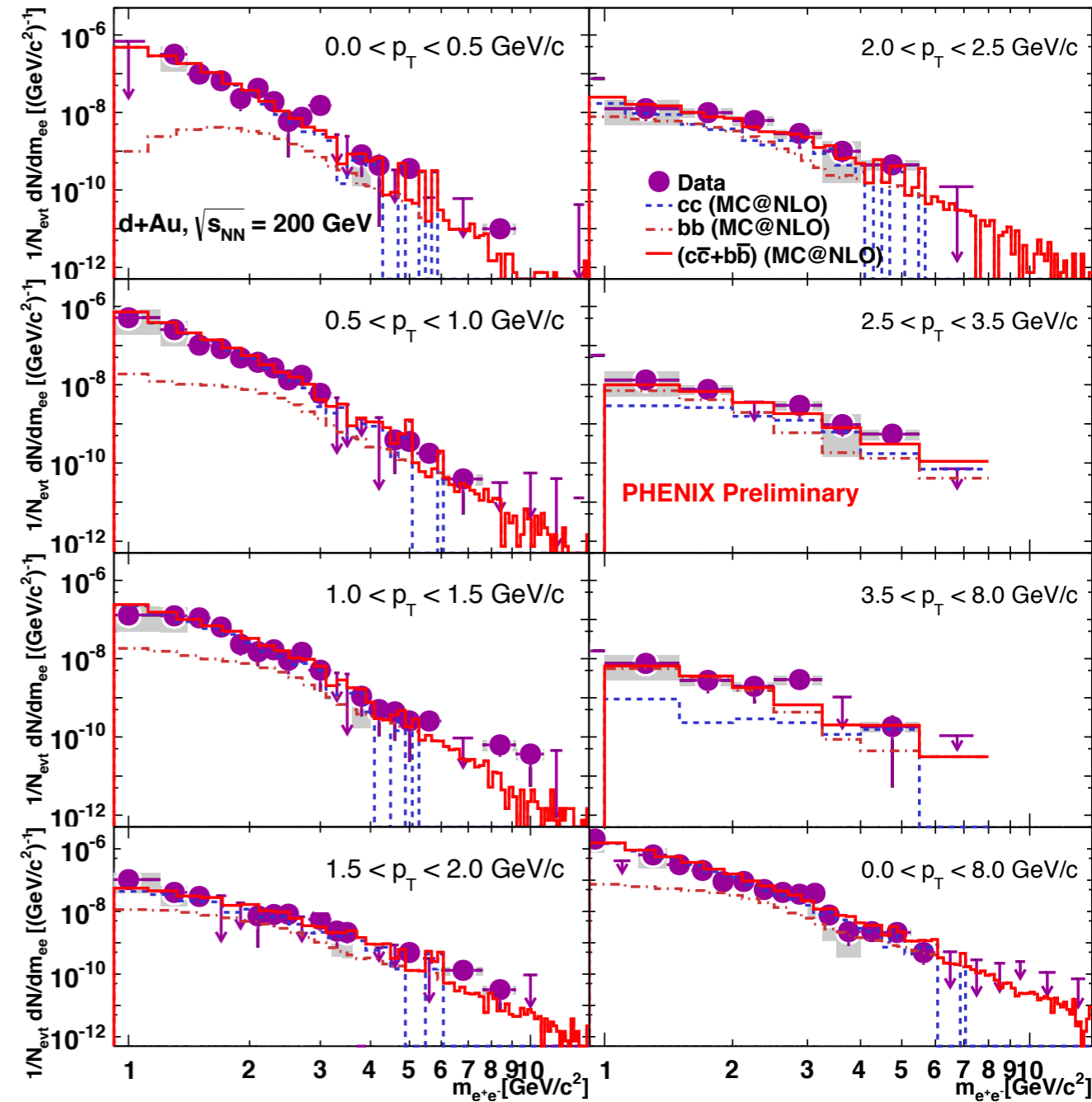
$$\sigma_{c\bar{c}} = 518 \pm 47(\text{stat}) \pm 135(\text{syst}) \pm 200(\text{model}) \mu\text{b}$$

$$\sigma_{b\bar{b}} = 3.9 \pm 2.4(\text{stat})_{-2}^{+3}(\text{syst}) \mu\text{b}$$

d+Au at $\sqrt{s_{NN}} = 200$ GeV

D. Sharma, Hard Probes 2013

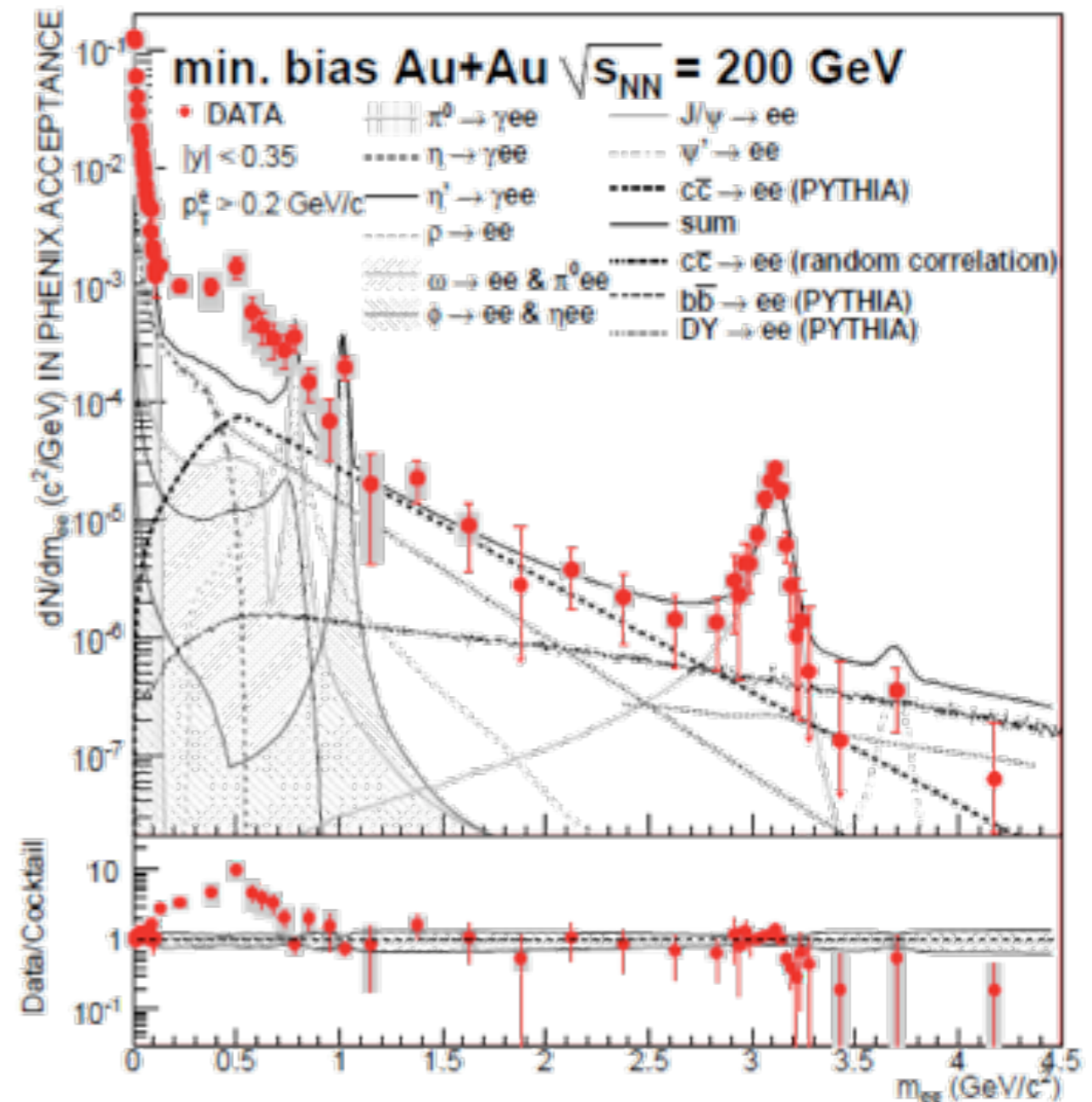
- Data consistent with cocktail
 - ▶ No significant cold nuclear matter effects
- Extract charm and beauty in mass & p_T
 - ▶ $\sigma_{cc}^{-NN} = 704 \pm 47$ (stat) ± 183 (syst) ± 40 (model) μb
 - ▶ $\sigma_{bb}^{-NN} = 4.29 \pm 0.39$ (stat) ± 1.08 (syst) ± 0.11 (model) μb



Au+Au at $\sqrt{s_{NN}} = 200$ GeV

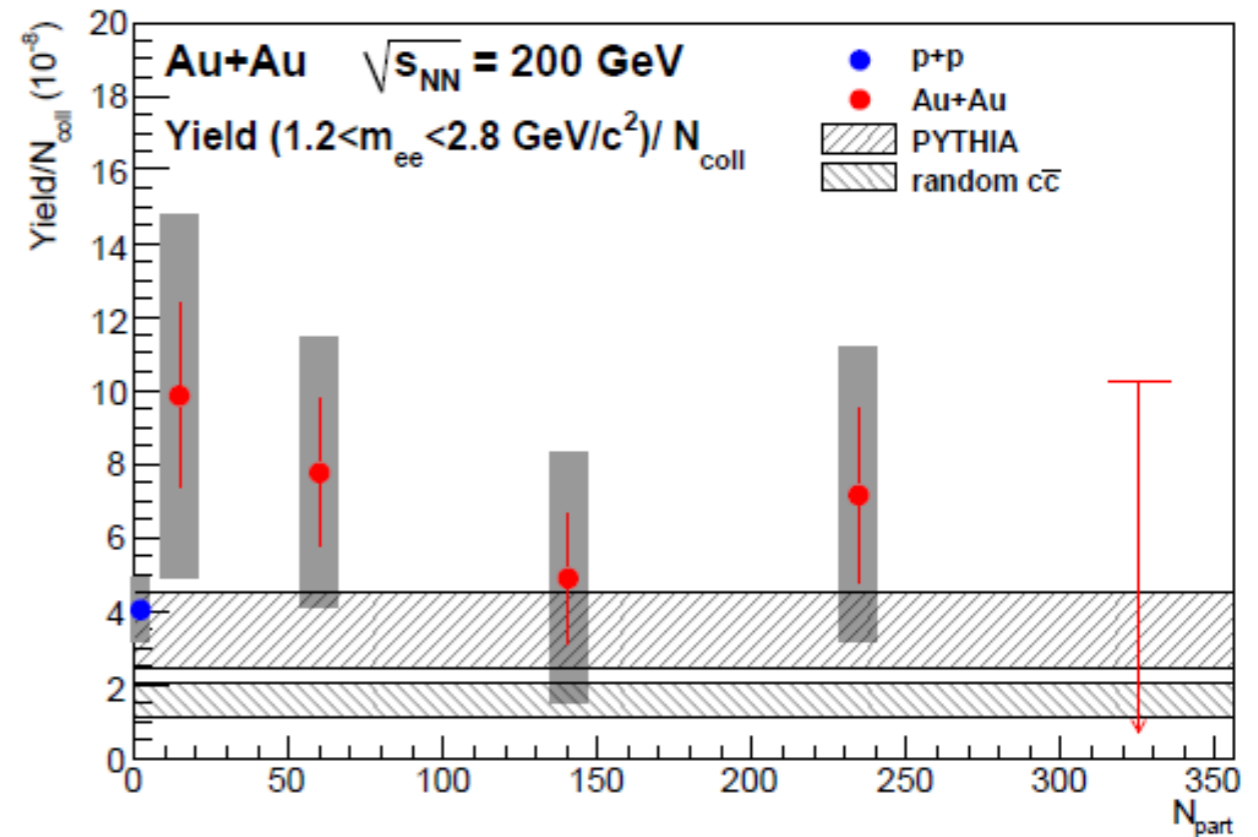
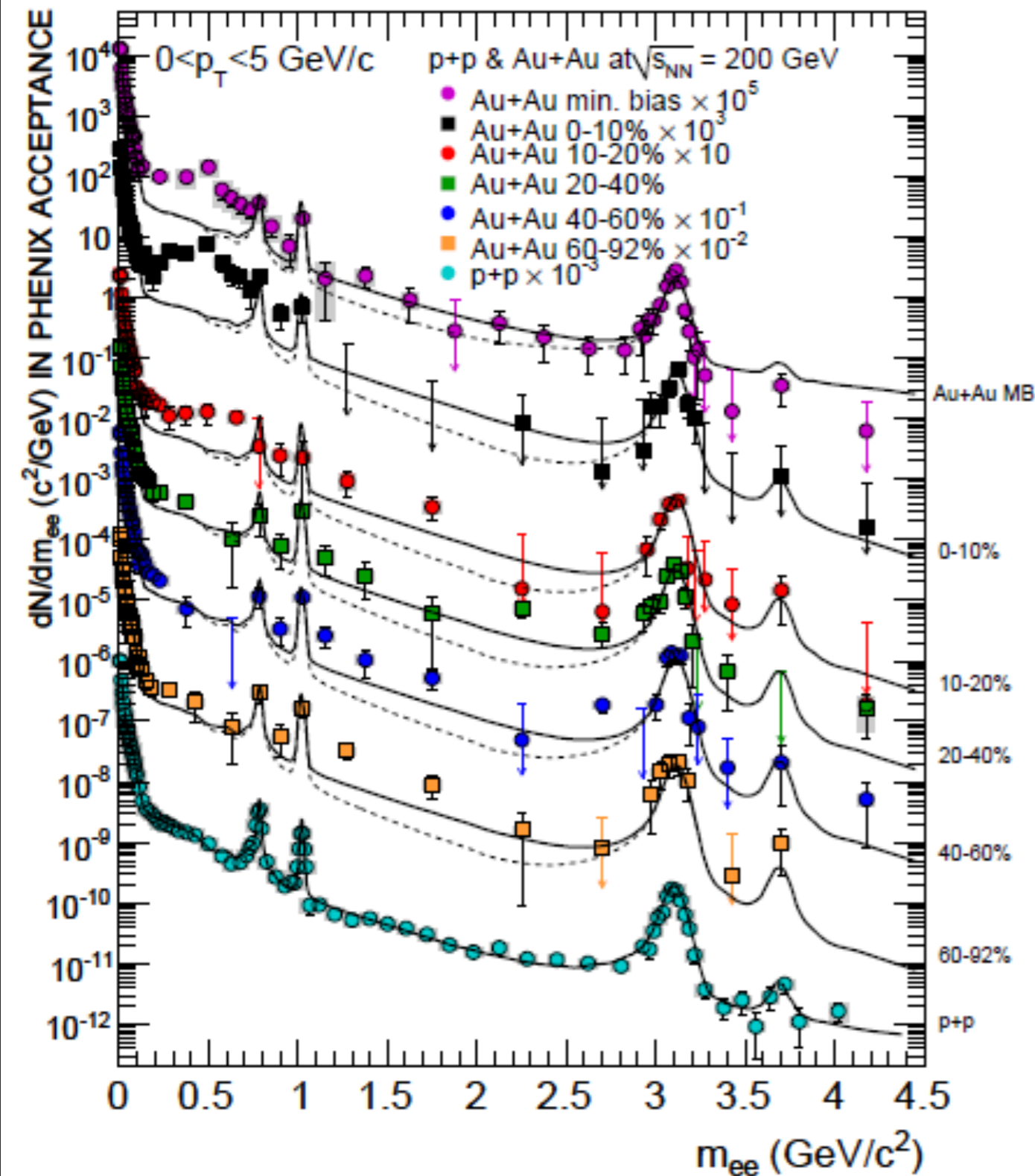
PRC 81 (2010) 034911

- Low Mass Region:
enhancement $150 < m_{ee} < 750$ MeV/c²
 - ▶ $4.7 \pm 0.4(\text{stat}) \pm 1.5(\text{syst}) \pm 0.9(\text{model})$
- Intermediate Mass Region:
dominated by charm ($N_{\text{coll}} \times \sigma_{cc}$)
 - ▶ PYTHIA
 - ▶ Random $c\bar{c}$ correlation
- Single electron measurement:
 - ▶ High p_T suppression
 - ▶ Flow
- Expected modifications in the pair invariant mass
 - ▶ Random $c\bar{c}$ correlation?
- Room for thermal contribution?



Centrality Dependence: IMR

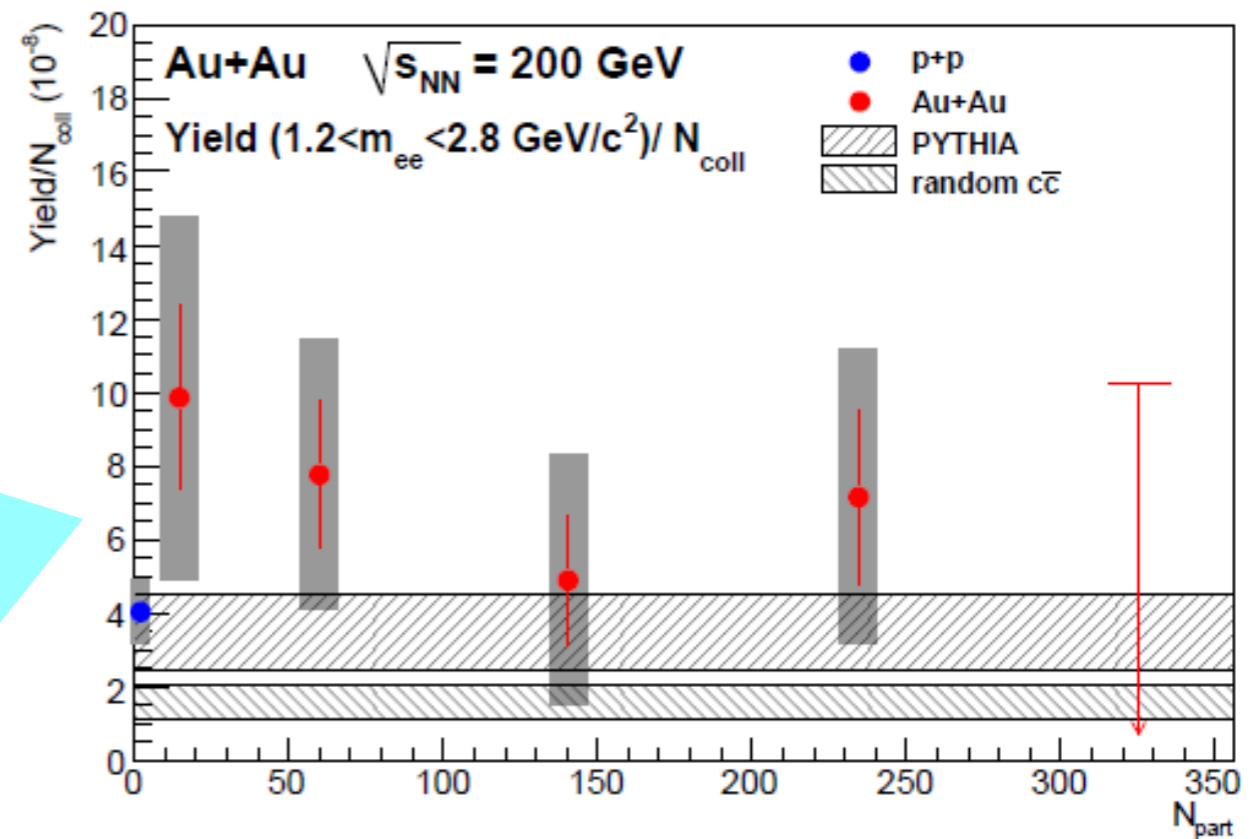
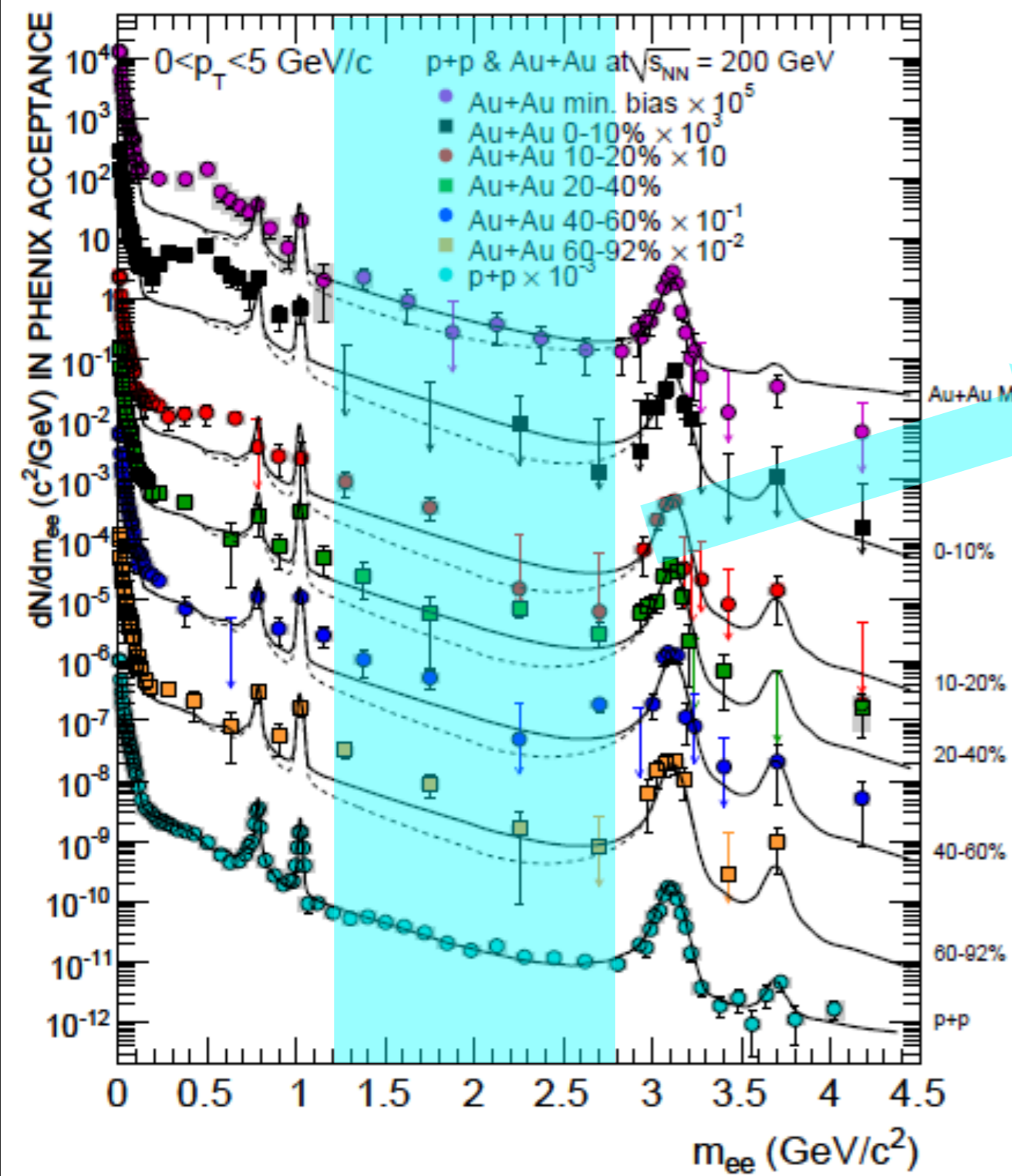
PRC 81 (2010) 034911



- Charm is a hard probe
 - ▶ Total yield follows binary scaling (known from single e^\pm)
 - ▶ Intermediate mass yield shows the same scaling

Centrality Dependence: IMR

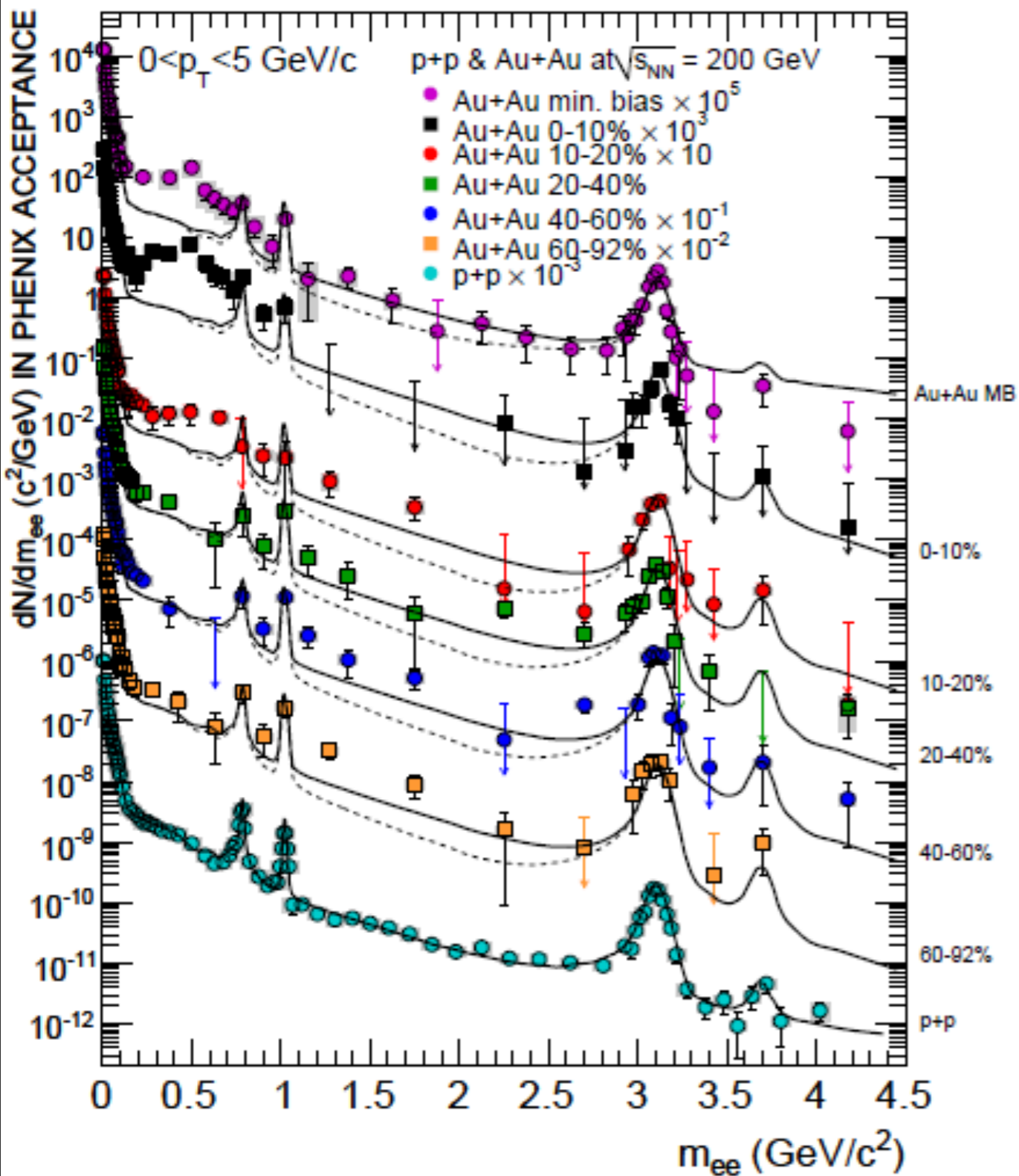
PRC 81 (2010) 034911



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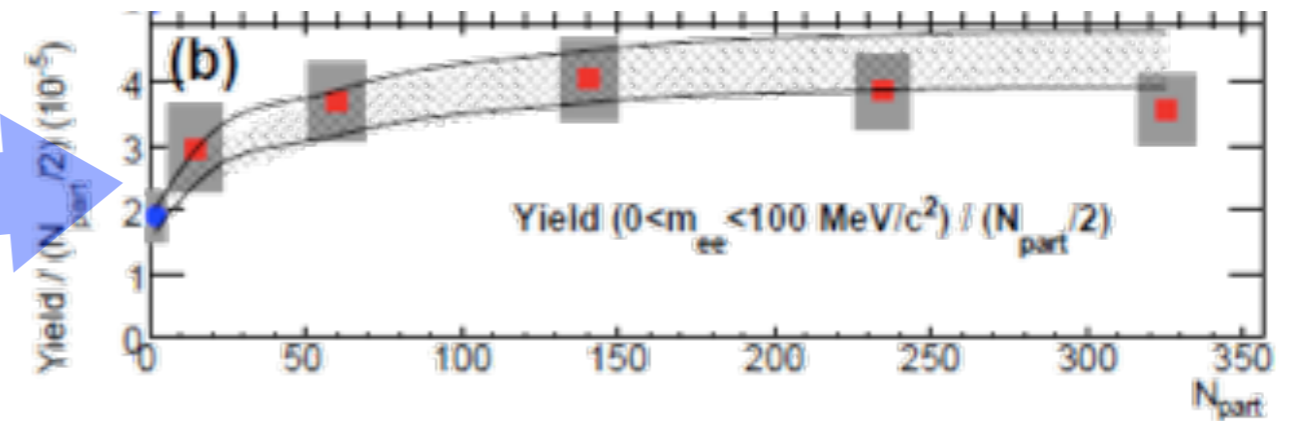
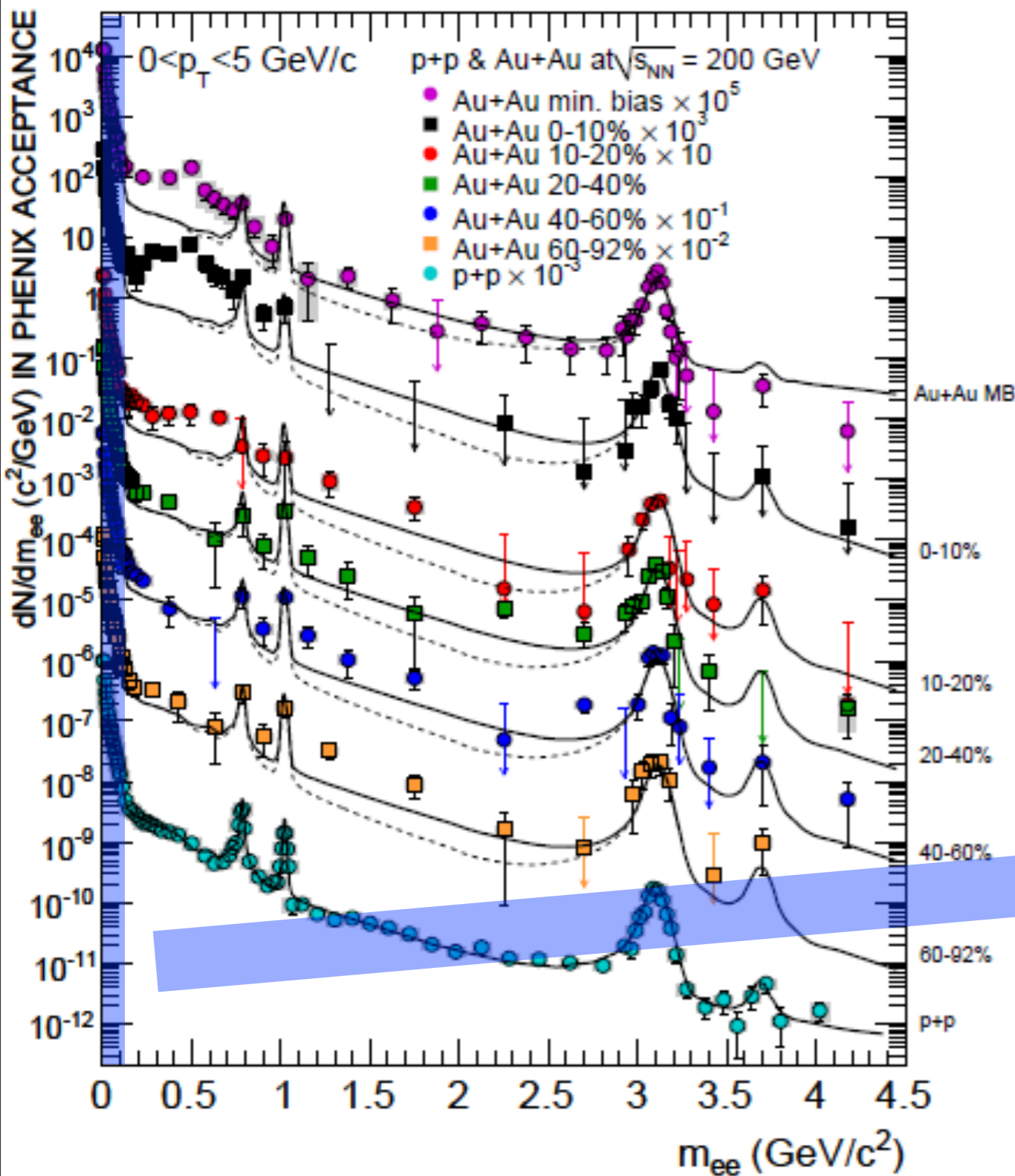
Centrality Dependence: LMR

PRC 81 (2010) 034911



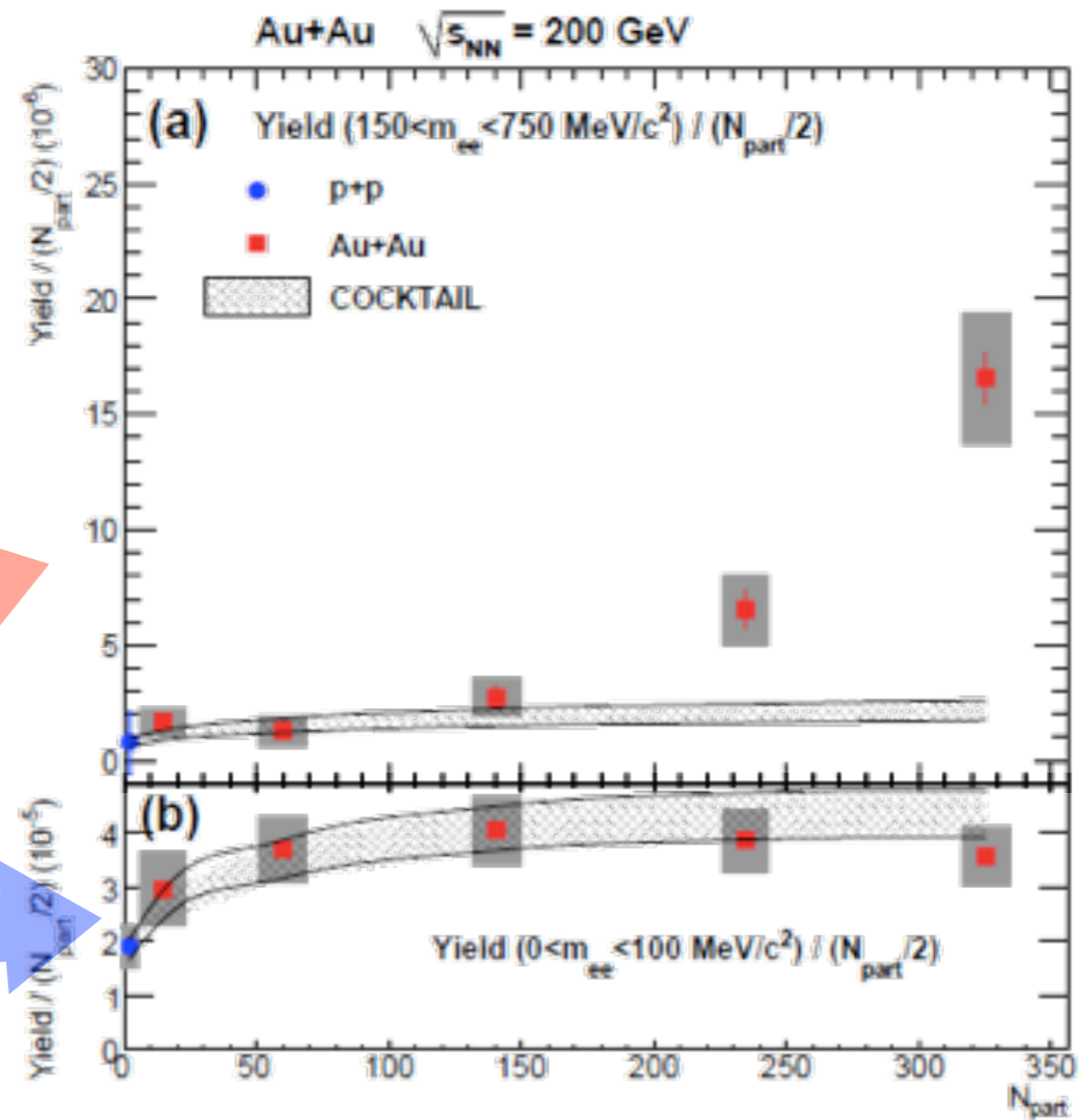
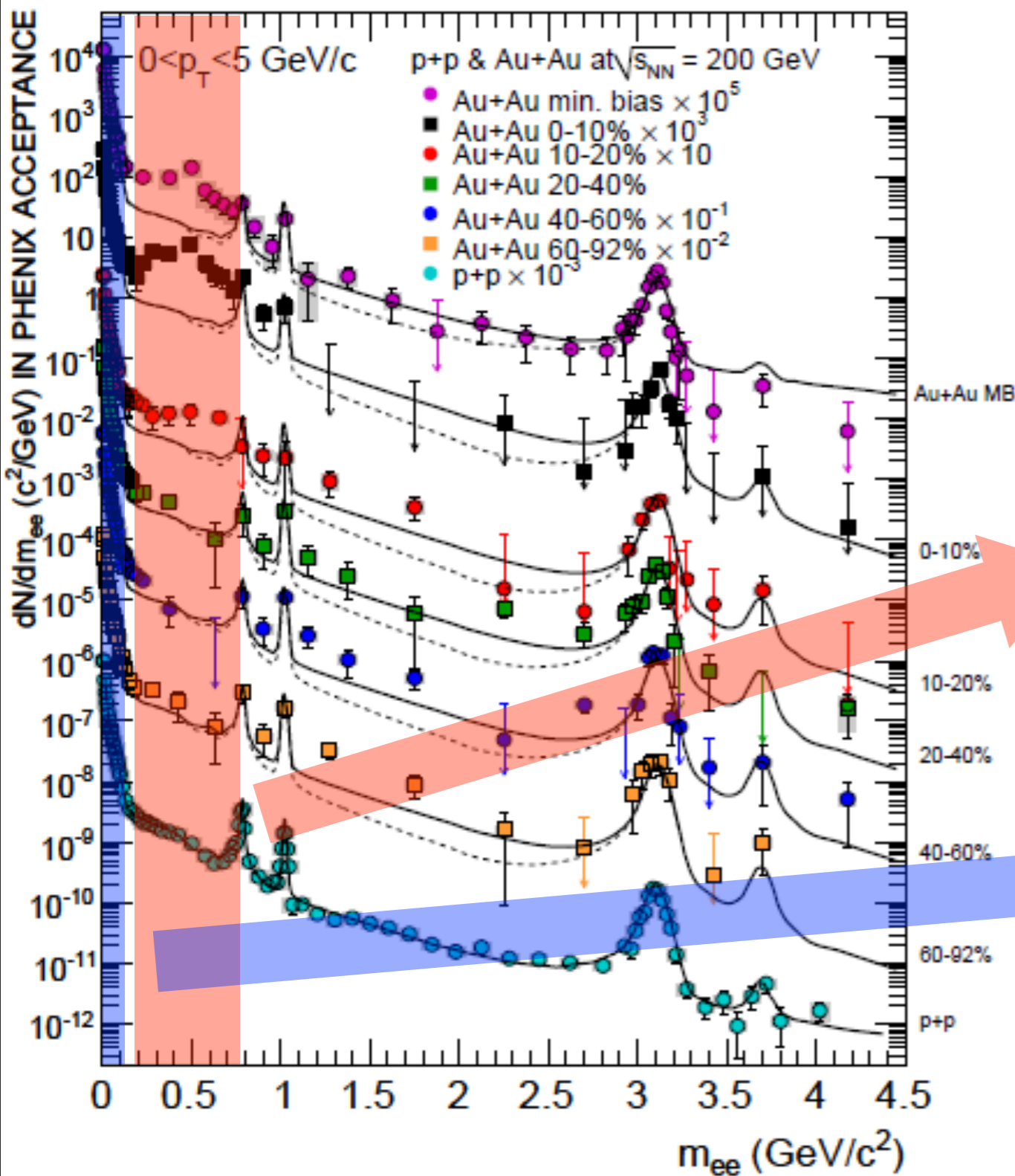
Centrality Dependence: LMR

PRC 81 (2010) 034911



Centrality Dependence: LMR

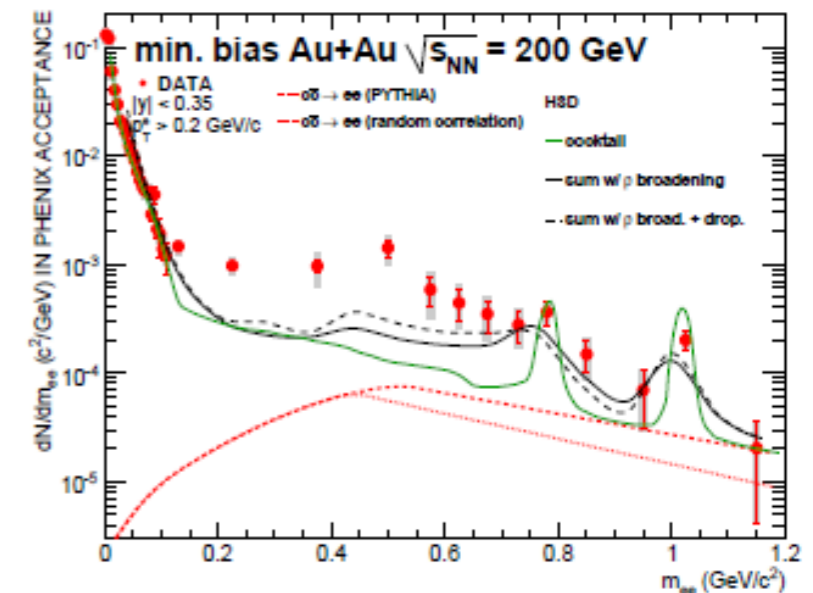
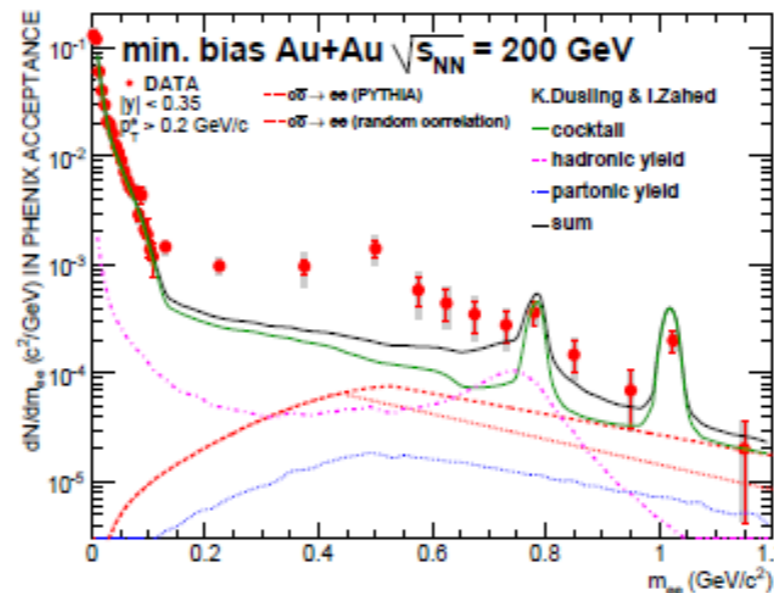
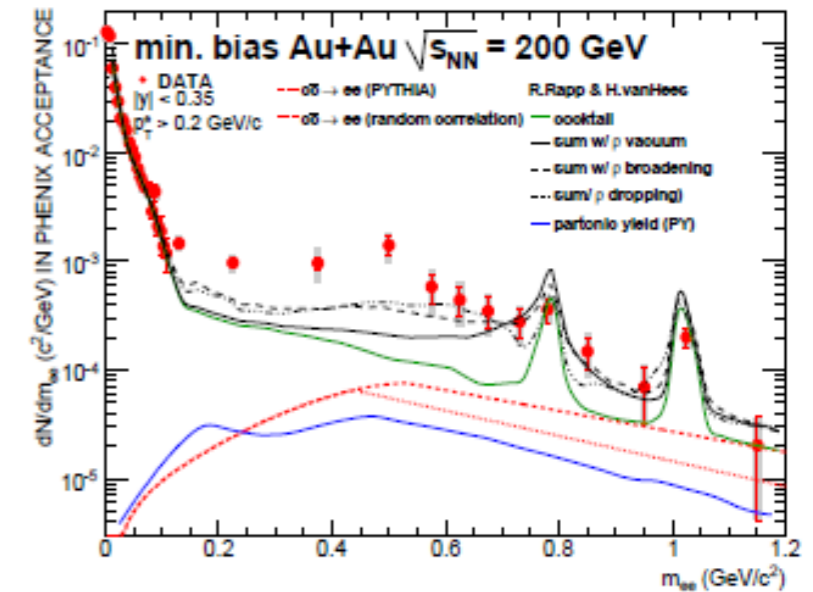
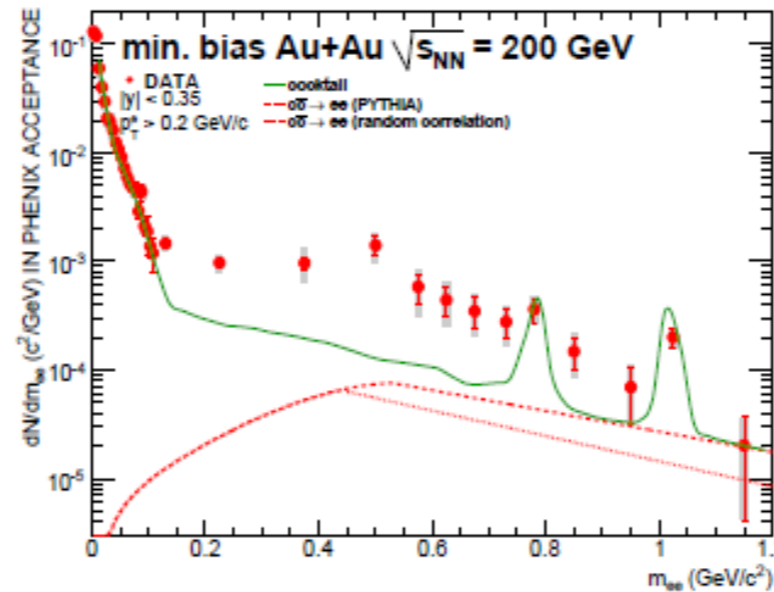
PRC 81 (2010) 034911



Model Comparison

PRC 81 (2010) 034911

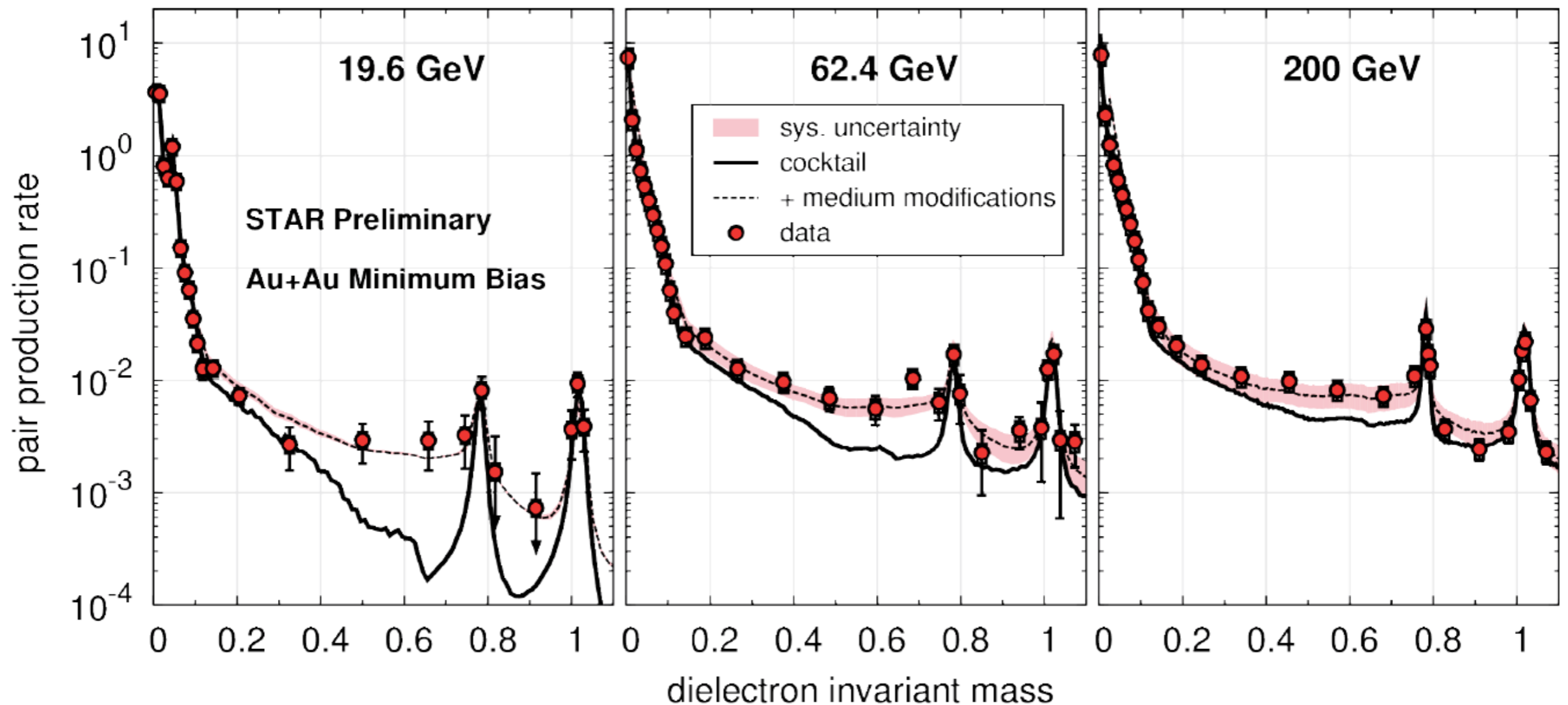
- $\pi\pi$ annihilation + modified ρ spectral function
 - ▶ Broadening
 - ▶ Mass shifting
 - ▶ Both
- Insufficient to explain data



Low Mass Dileptons from STAR

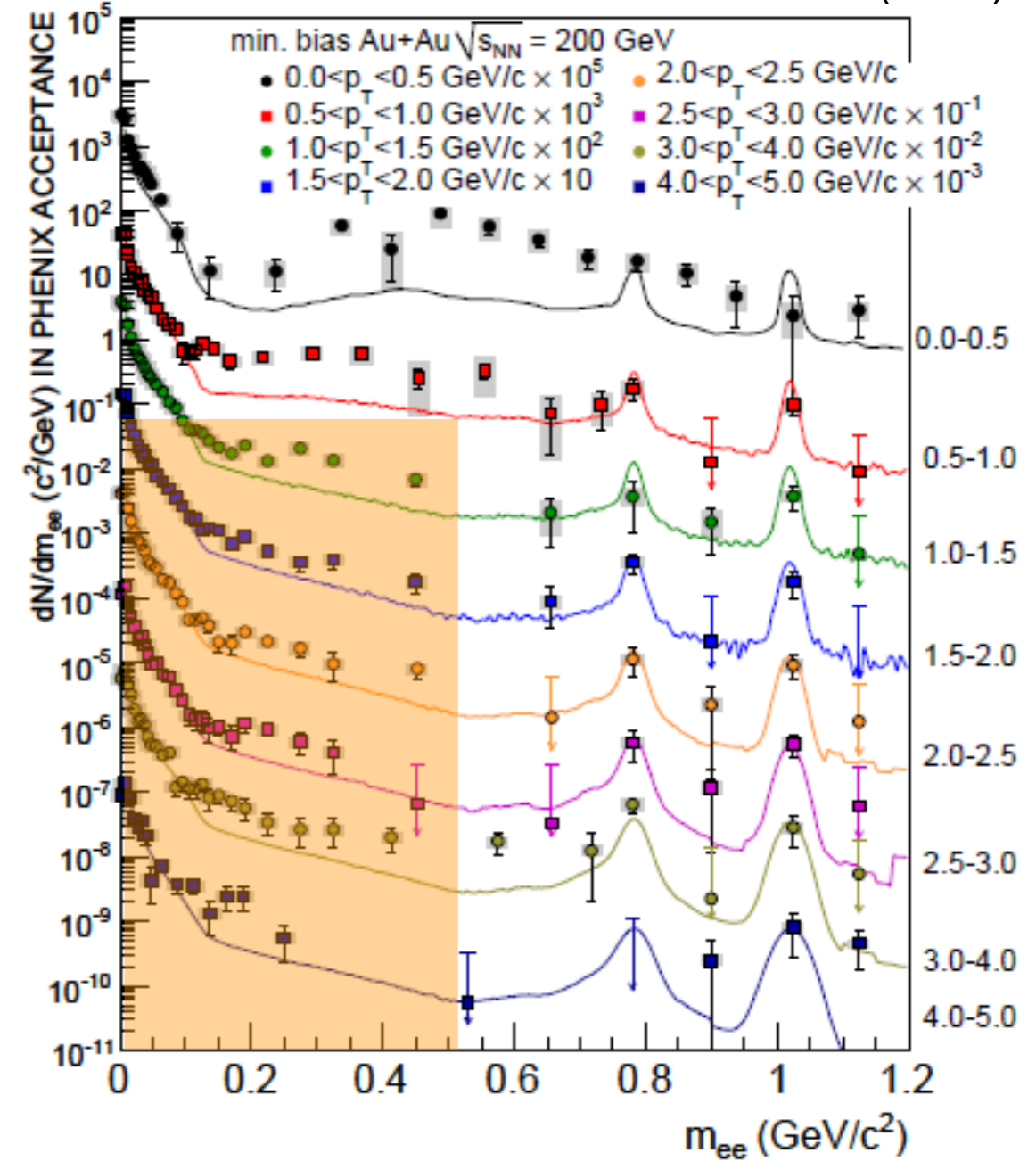
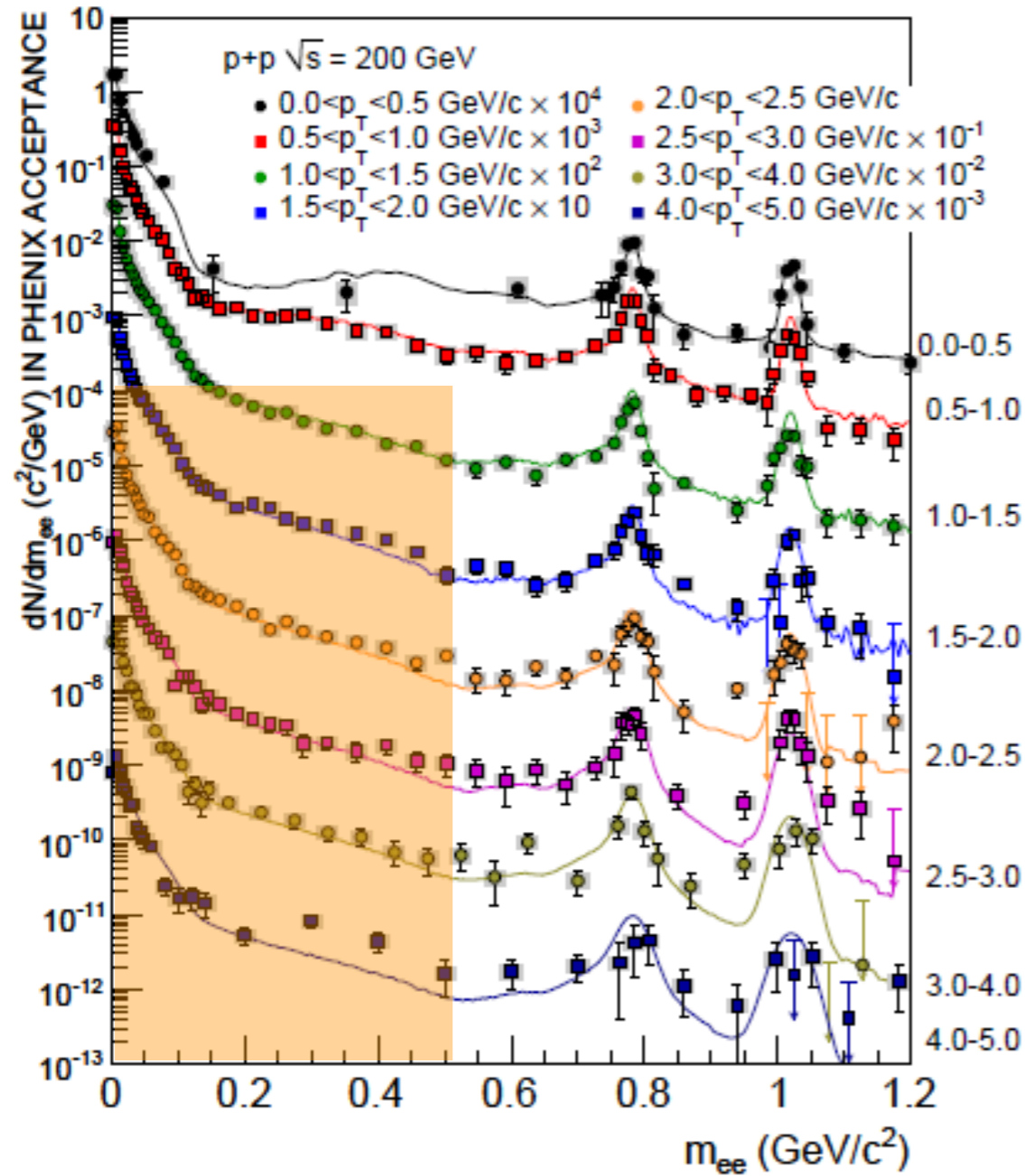
J. Butterworth, Hard Probes 2013

- STAR measured low mass dileptons at three $\sqrt{s_{NN}}$
- STAR observes smaller enhancement than PHENIX
 - In better agreement with models that involve broadening of ρ spectral function
- Waiting for results from PHENIX HBD data



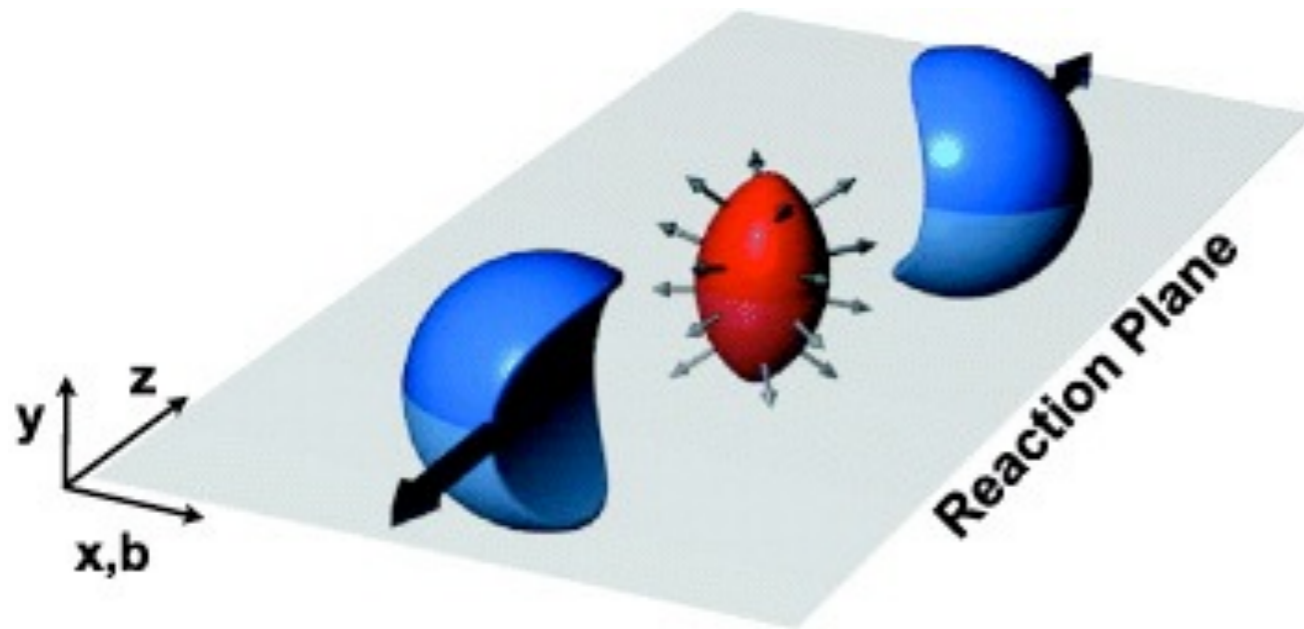
Momentum Dependence: PHENIX

PRC 81 (2010) 034911

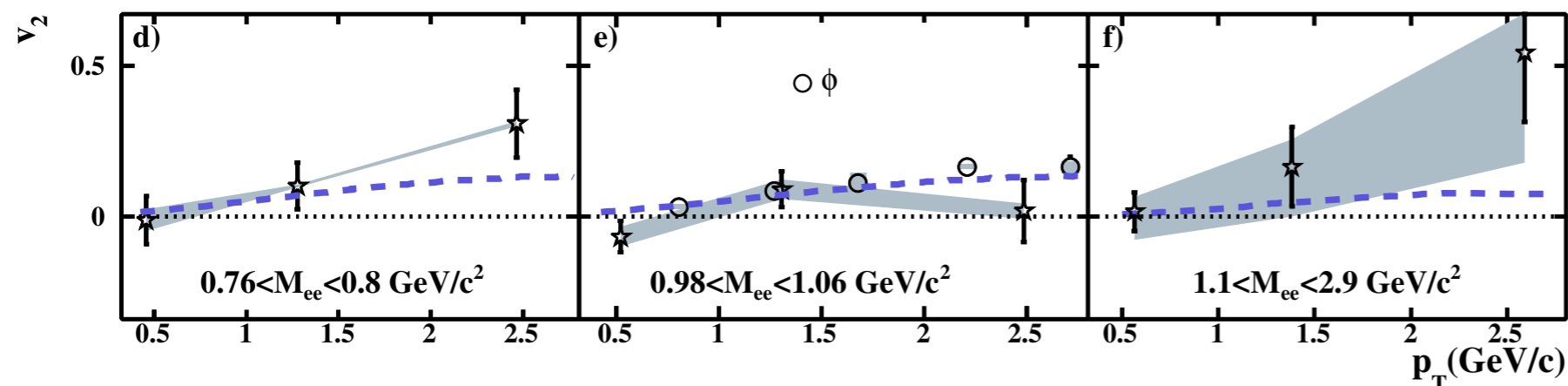
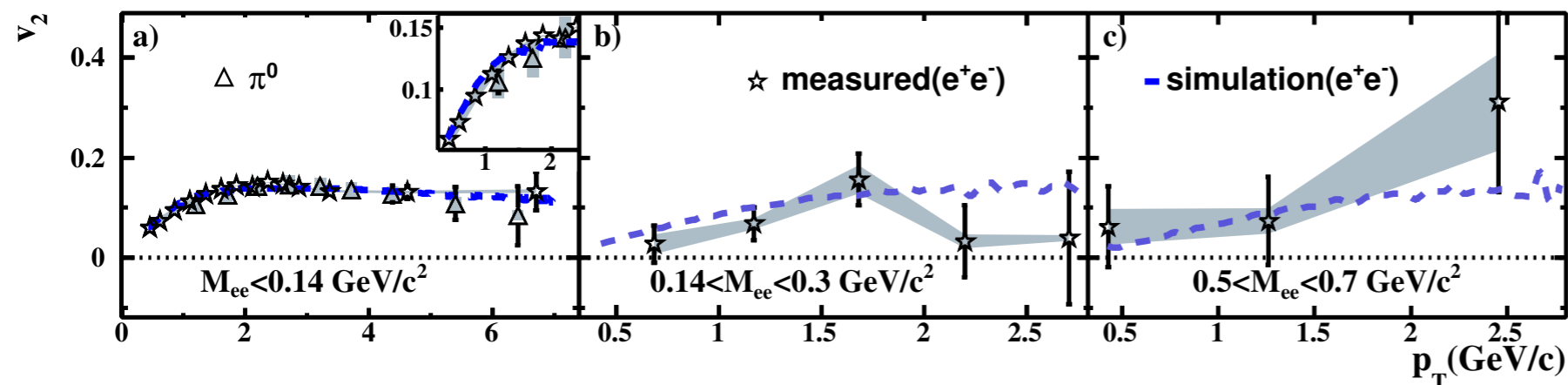


- p+p in agreement with cocktail
- Au+Au low mass enhancement concentrated at low p_T

STAR: Azimuthal Anisotropy



- Initial anisotropy in collision geometry \rightarrow pressure gradient causes momentum anisotropy
- Fourier decomposition:
 - second coefficient: v_2 (elliptic flow)
- v_2 of dielectrons (including enhancement) consistent with hadronic cocktail v_2



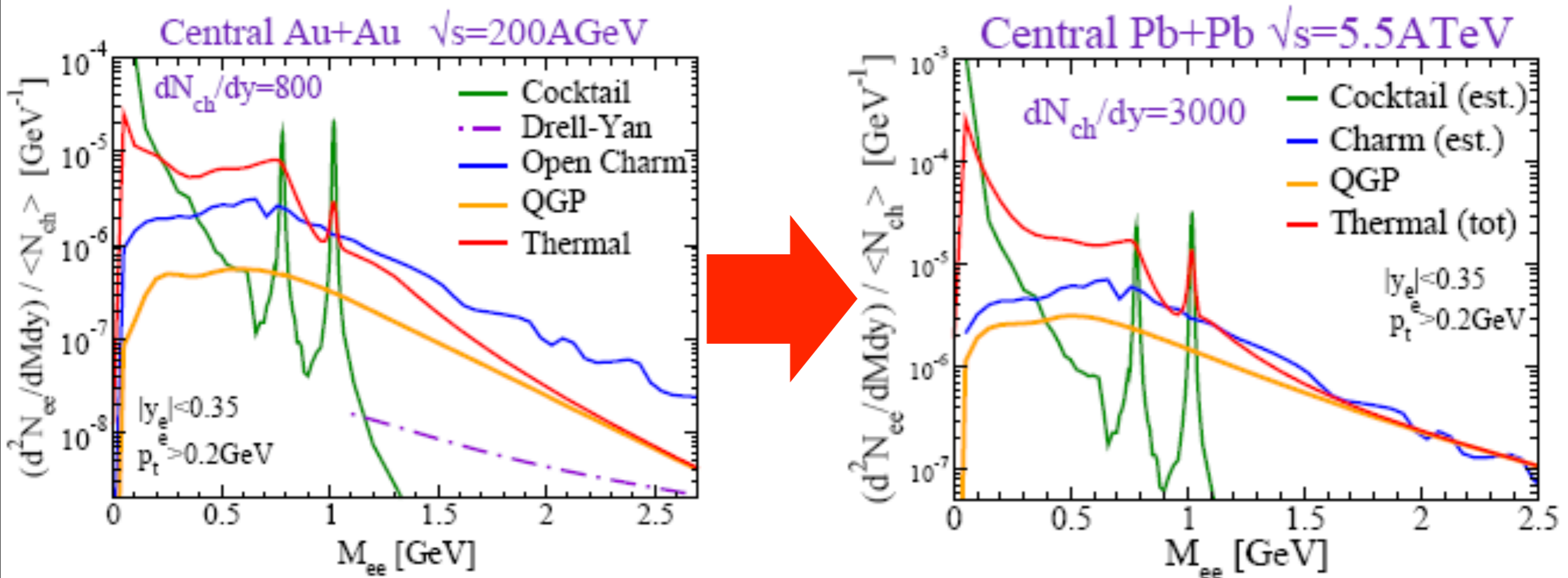
LHC

The Large Hadron Collider



Expectations at the LHC

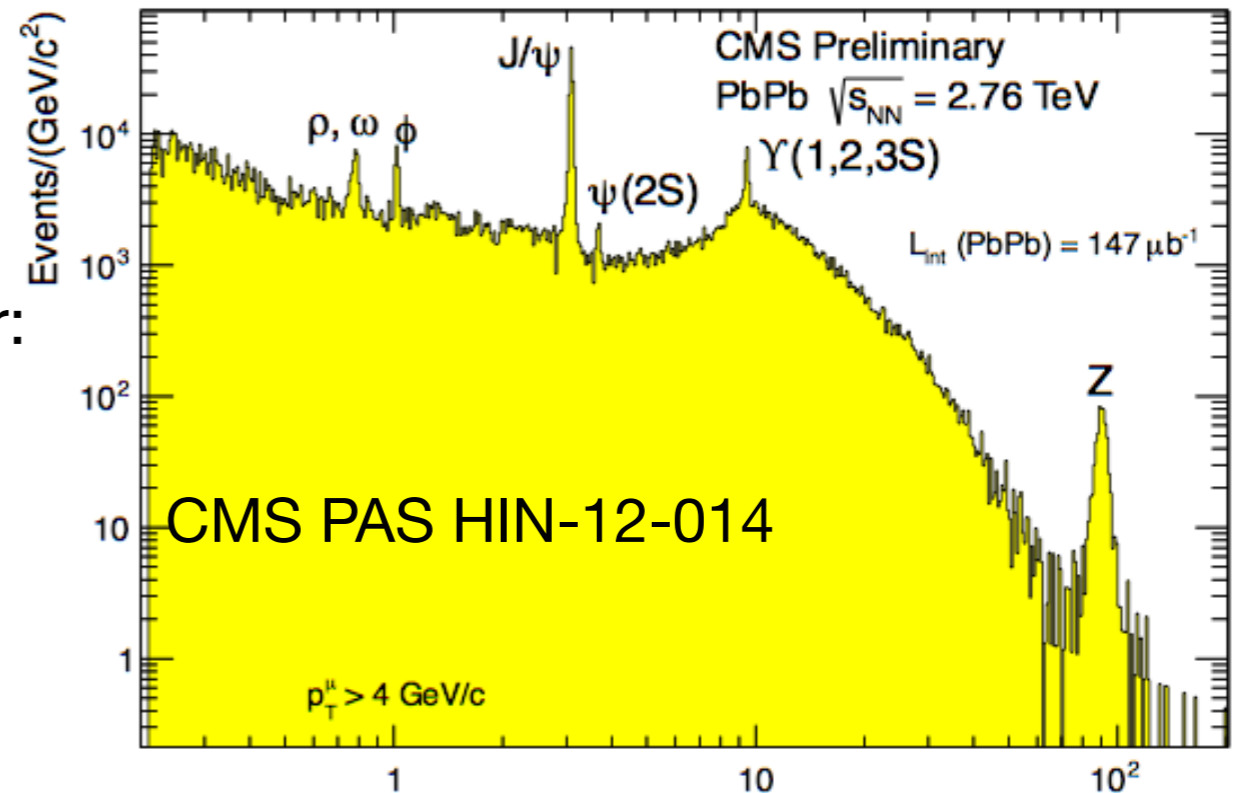
- With higher dN/dy thermal radiation from hadron gas dominant for $m < 1 \text{ GeV}$
- For $m > 1 \text{ GeV}$ stronger QGP radiation:
 - comparable to DD but be does not include charm energy loss



H. van Hees and R.Rapp

Low mass dileptons at the LHC

- CMS or ATLAS:
 - ▶ good mass resolution and vertexing
 - ▶ but: large magnetic field and absorber:
 - single muon $p_{\min} \sim 3\text{--}5 \text{ GeV}/c$
 - ▶ cannot measure at low p_T
- ALICE:
 - ▶ the only LHC experiment that can measure dileptons at low p_T



- ▶ Letter of Intent:
 - dedicated lower B-field run

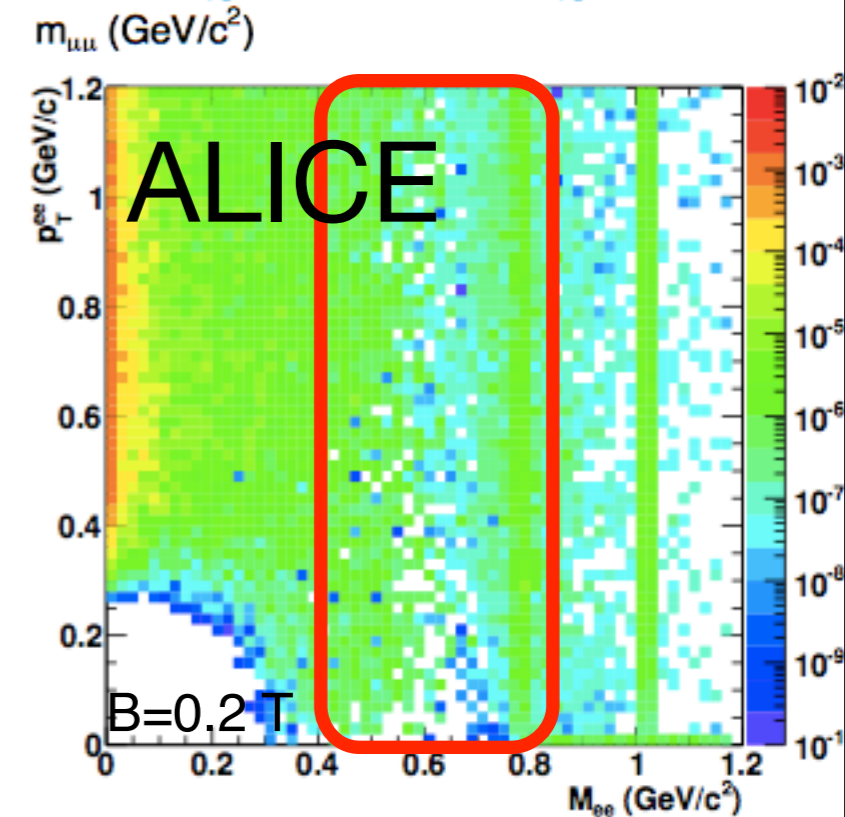
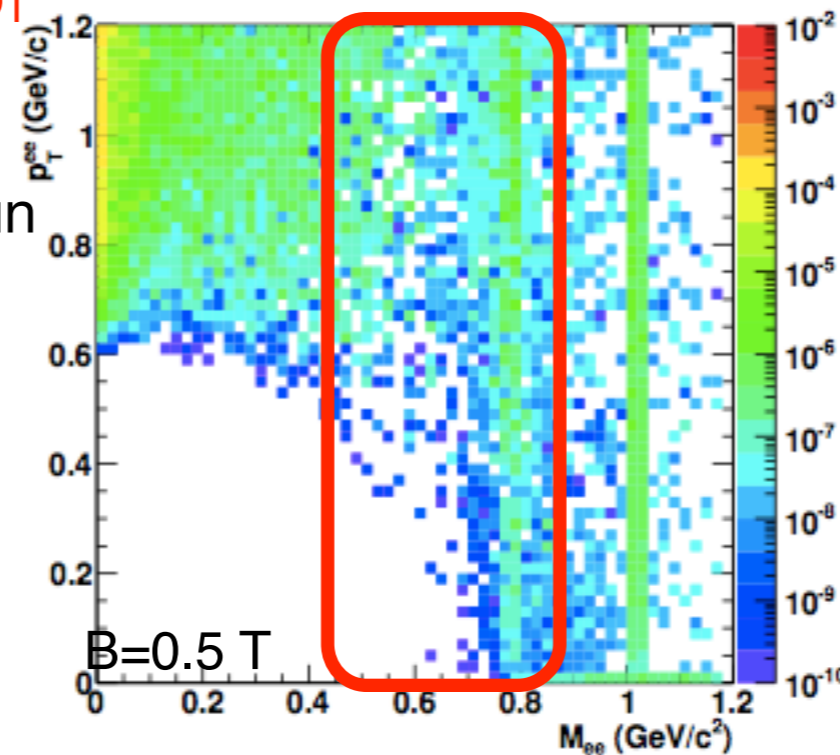
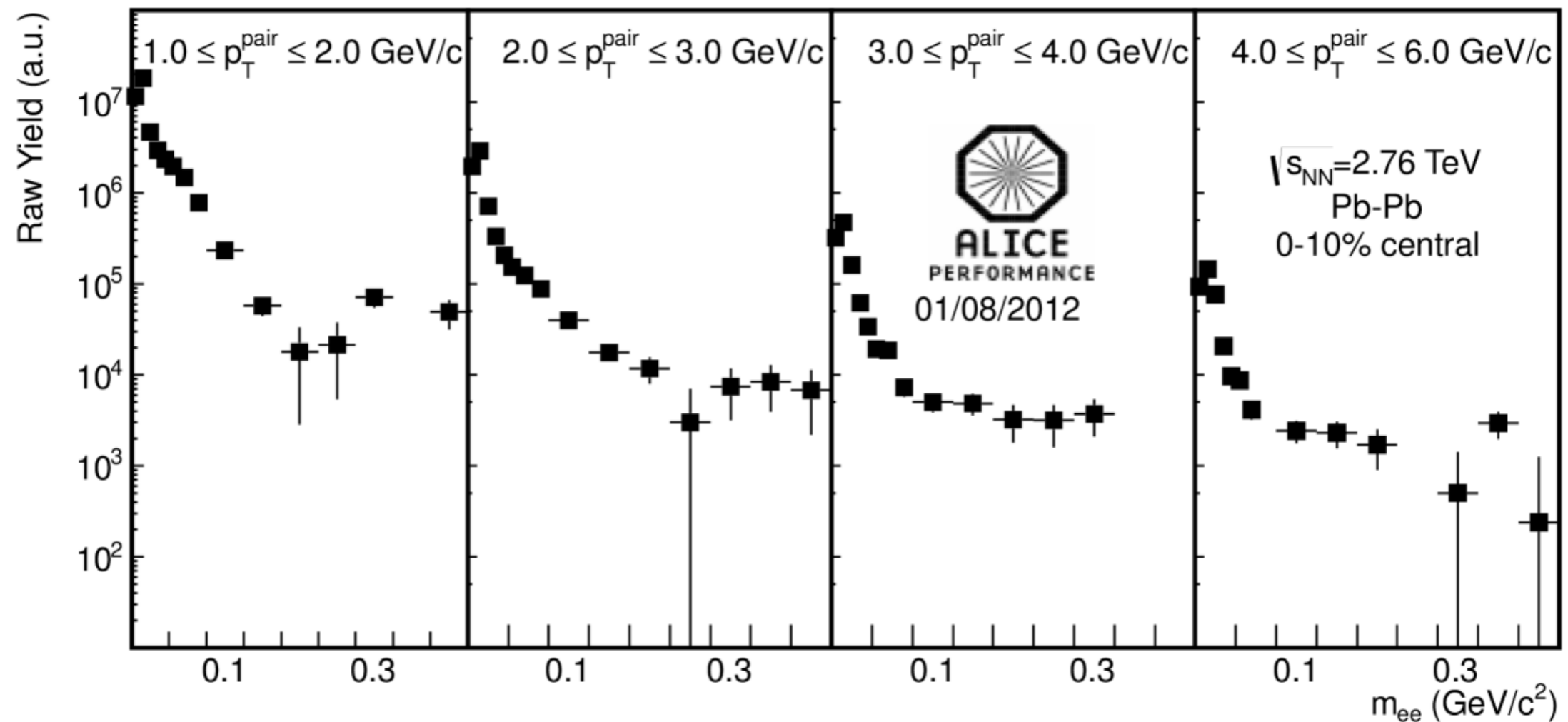


Figure 2.45: Acceptance for e^+e^- -pairs from PYTHIA at $B = 0.5 \text{ T}$ (left) and $B = 0.2 \text{ T}$ (right).

Low Mass Dileptons in ALICE: Status

- Challenging electron identification: A. Uras, Hard Probes 2013
 - ▶ Time Projection Chamber and Time Of Flight
- S/B ratio of few % in the lowest p_T bin:
 - ▶ accurate combinatorial background evaluation needed
- Analysis ongoing

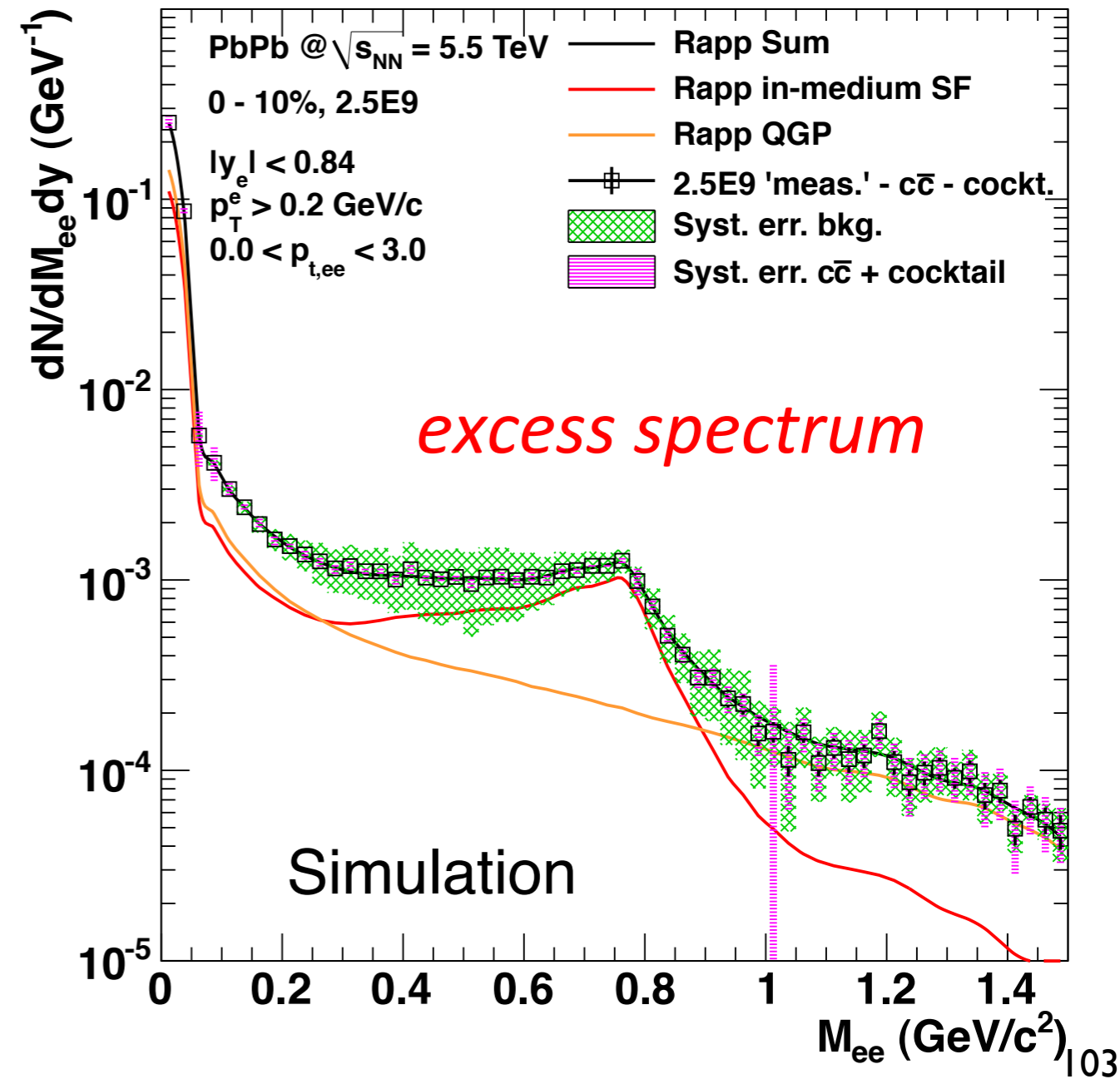
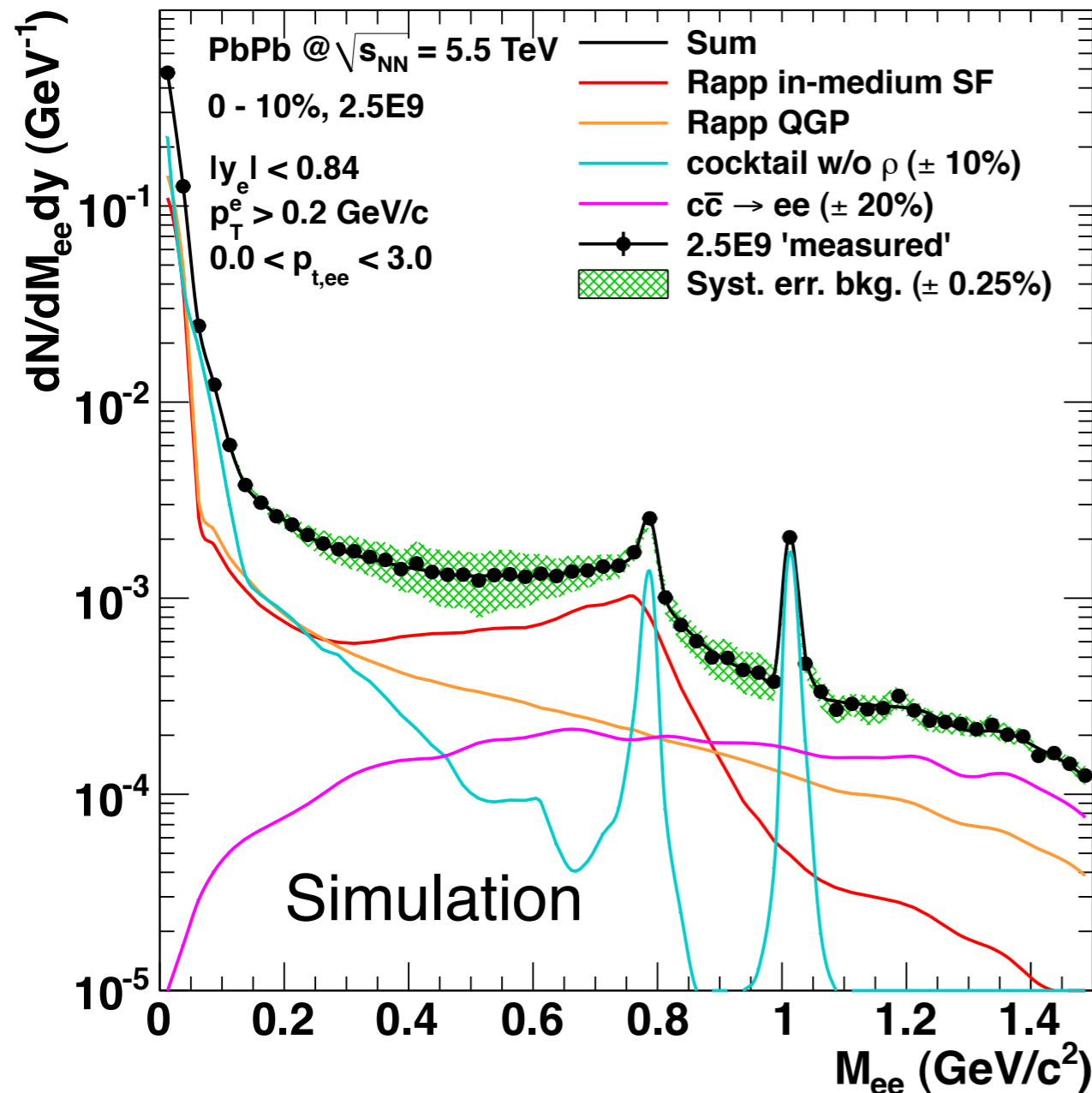


Low Mass Dileptons in ALICE: Future

- TPC and ITS upgrades:
 - ▶ allow high data rates
 - ▶ reduce charm background with dca cut
- Dedicated low B-field run ($B=0.2$ T)

H. Appelshäuser, ECT* dilepton workshop 2013

2.5×10^9 events = "1 year" at 50 kHz



Summary

- EM probes ideal “penetrating probes” of dense partonic matter created at RHIC and the LHC
 - ▶ also at the SPS?
- Double differential measurement of dilepton emission rates can provide
 - ▶ Temperature of the matter
 - ▶ Medium modification of EM spectral function
- But extremely challenging measurements

SPS results:

- CERES and NA60 see enhancement in LMR
- NA60 measured ρ spectral function:
 - ▶ favours broadening over dropping mass scenario
 - ▶ observes prompt excess in IMR with inv. slopes close/above to T_c

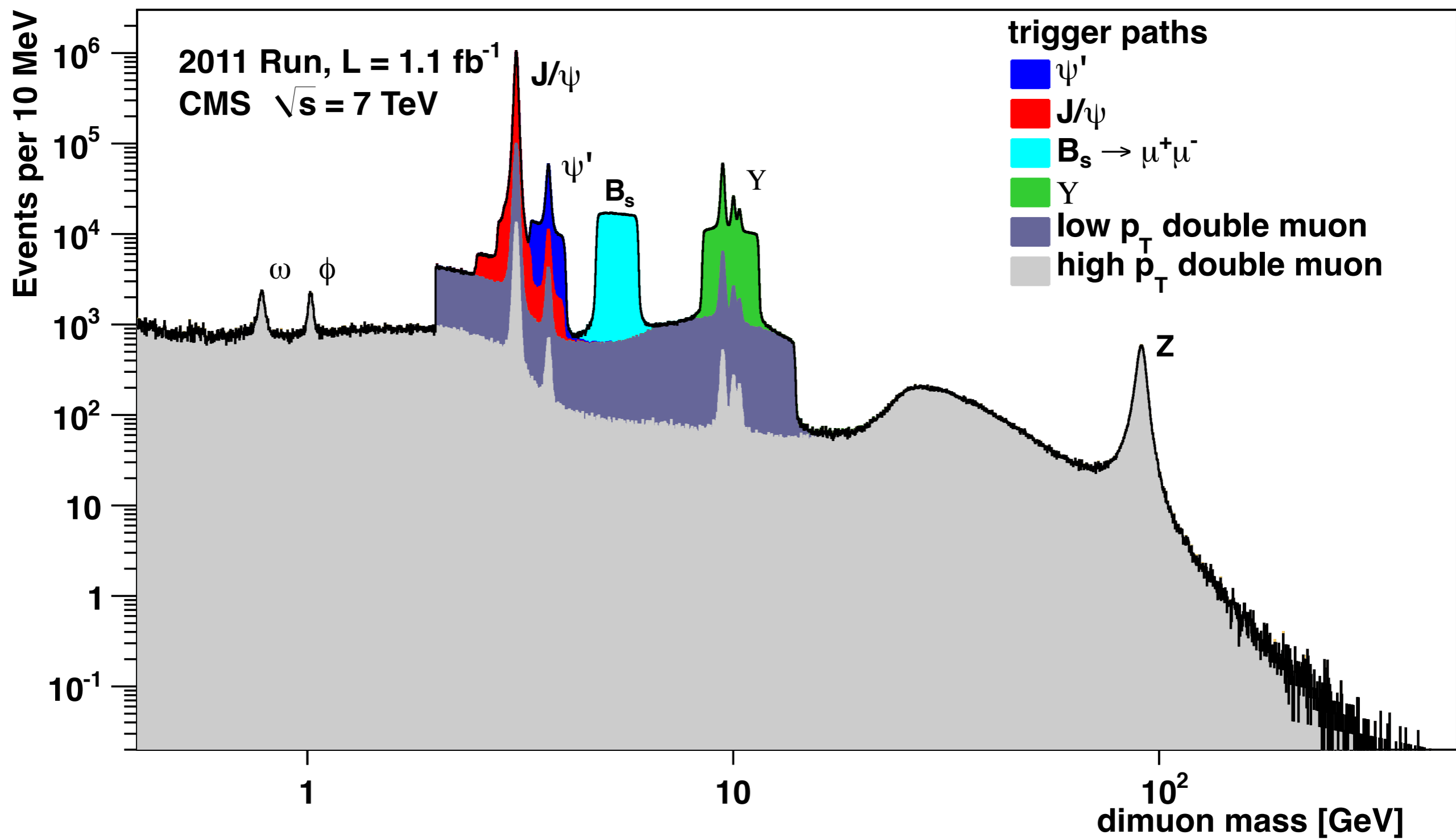
At RHIC:

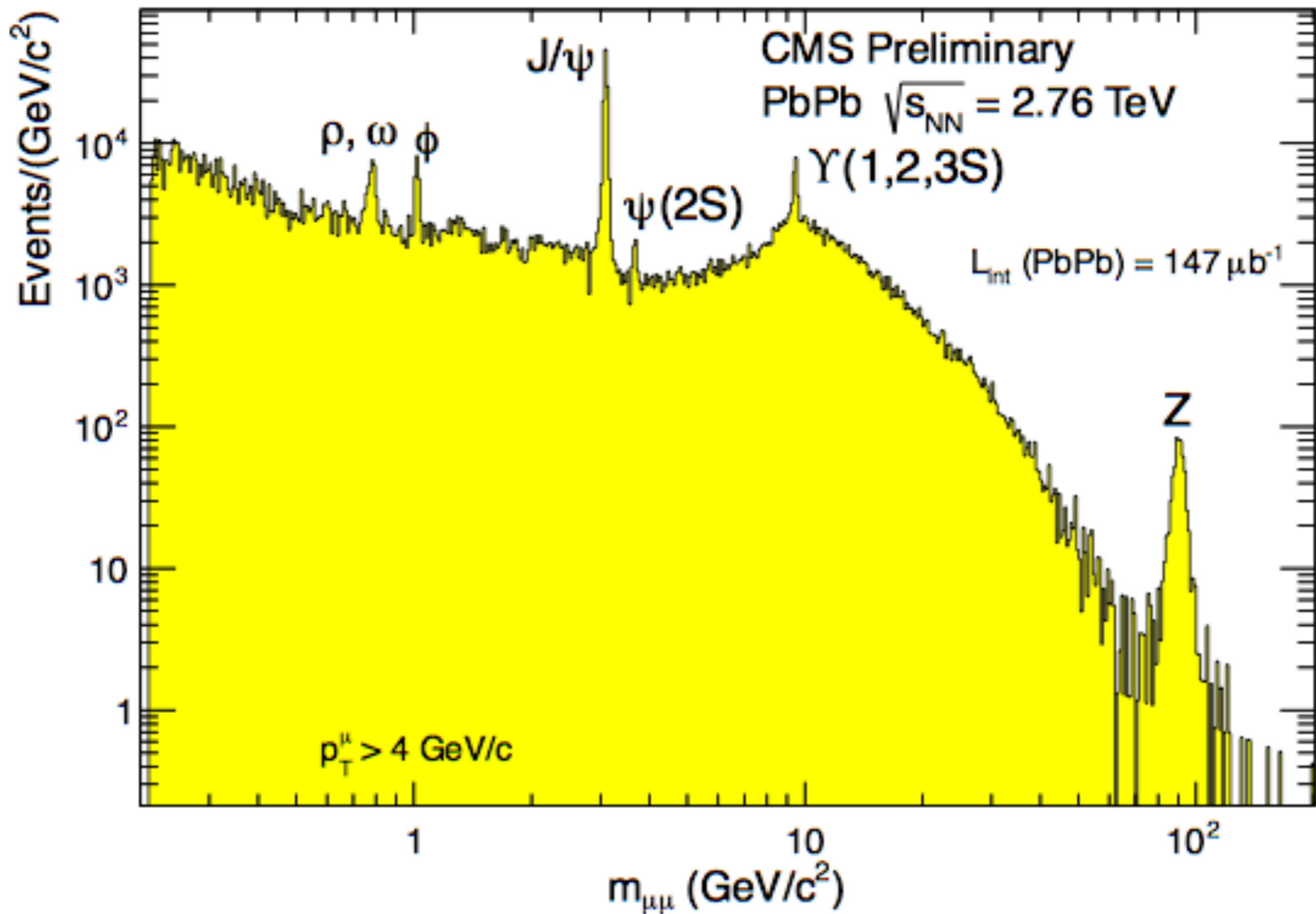
- PHENIX measured dilepton continuum in p+p, d+Au and Au+Au:
 - ▶ In p+p and d+Au: good agreement between data and hadronic cocktail
 - measured charm and beauty cross section in IMR and HMR
 - ▶ In Au+Au: low p_T and low mass enhancement above hadronic cocktail
 - $4.7 \pm 0.4(\text{stat}) \pm 1.5(\text{syst}) \pm 0.9(\text{model})$
 - not reproduced by theoretical models
- STAR also measured LMR enhancement
 - ▶ smaller than PHENIX, in better agreement with models
 - ▶ LMR elliptic flow consistent with hadron v_2

At the LHC:

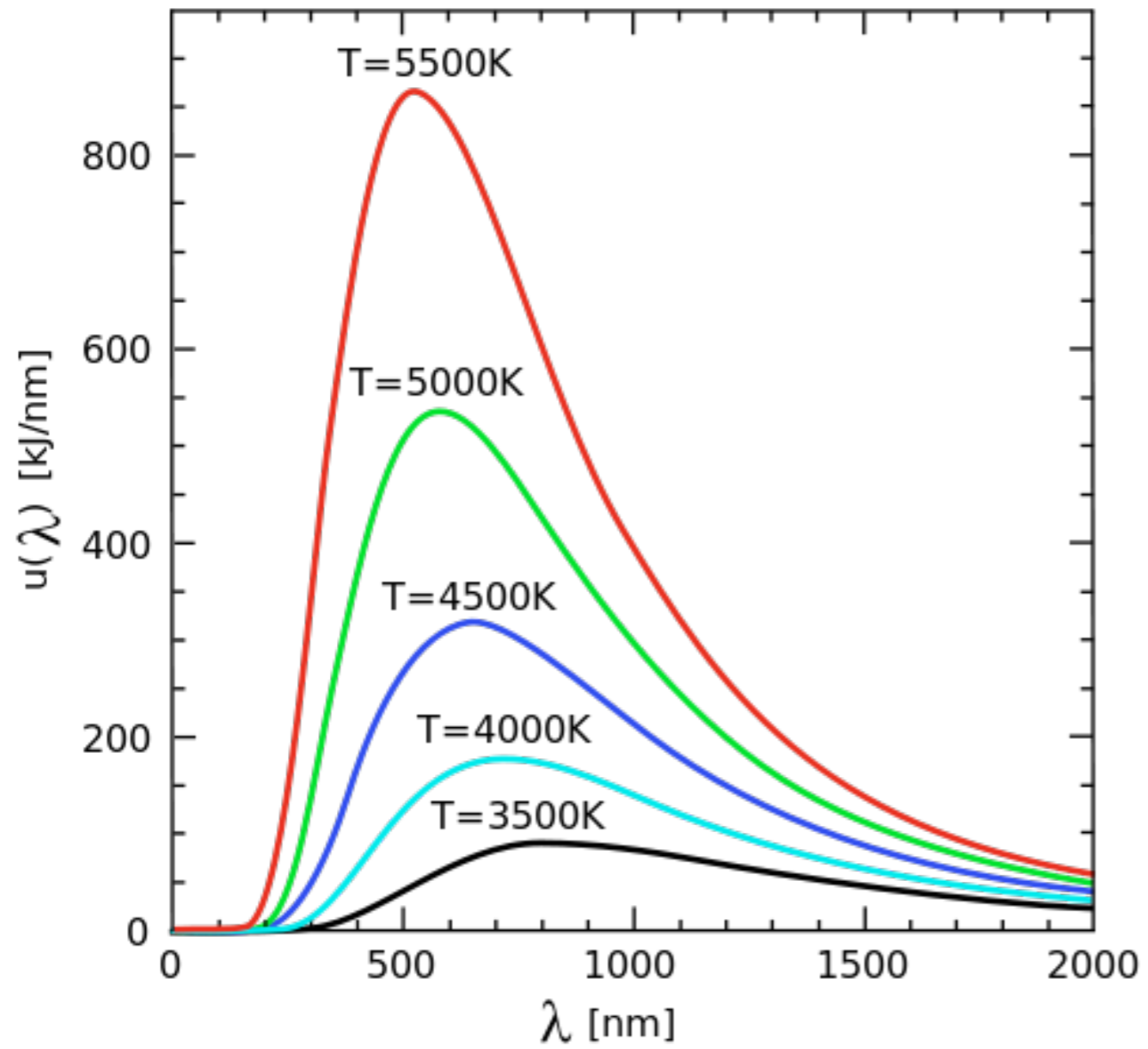
- first performance studies from ALICE
- need ITS and TPC upgrades for precise measurements (+ low B-field)

Backup

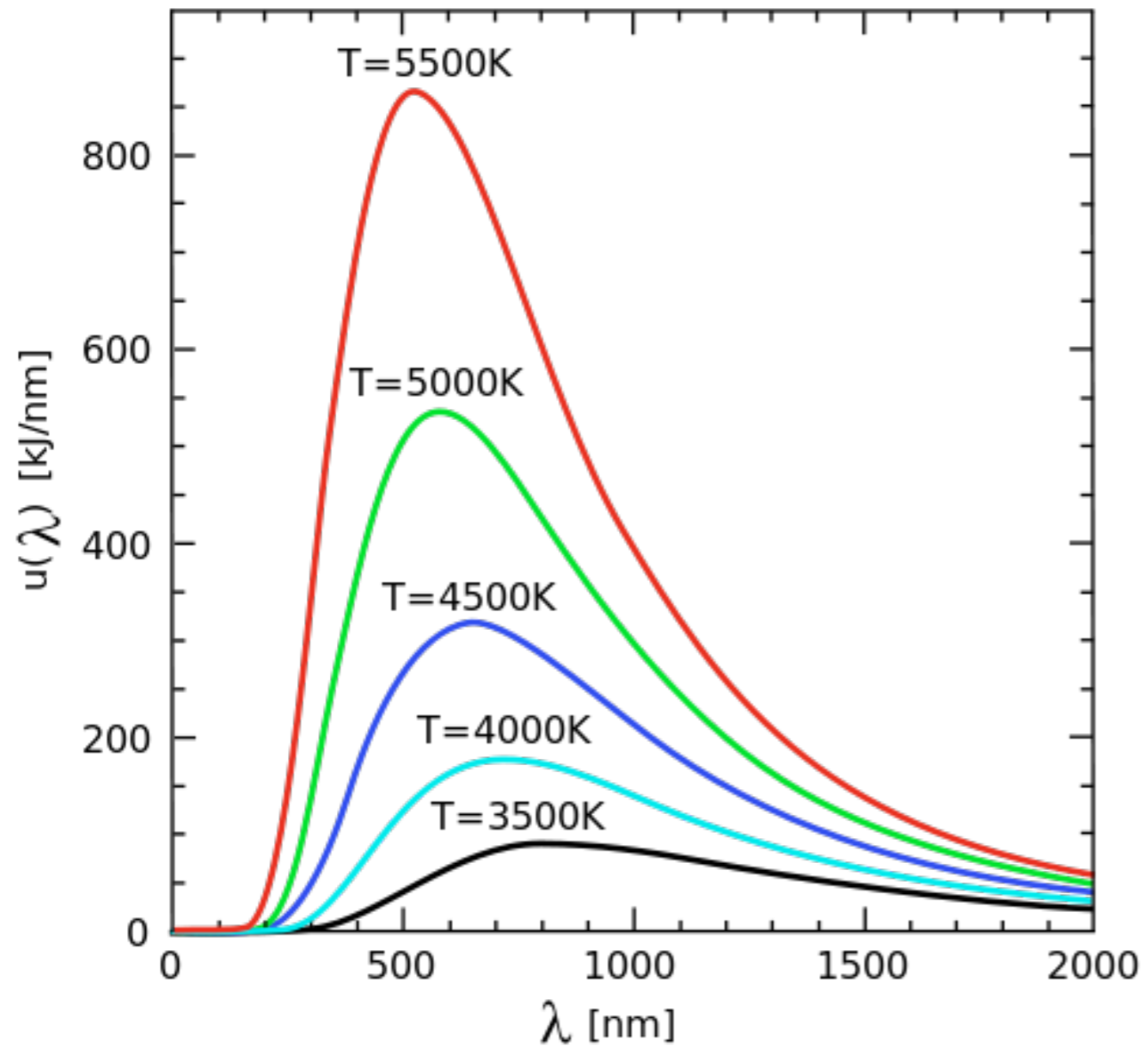




Thermal Radiation

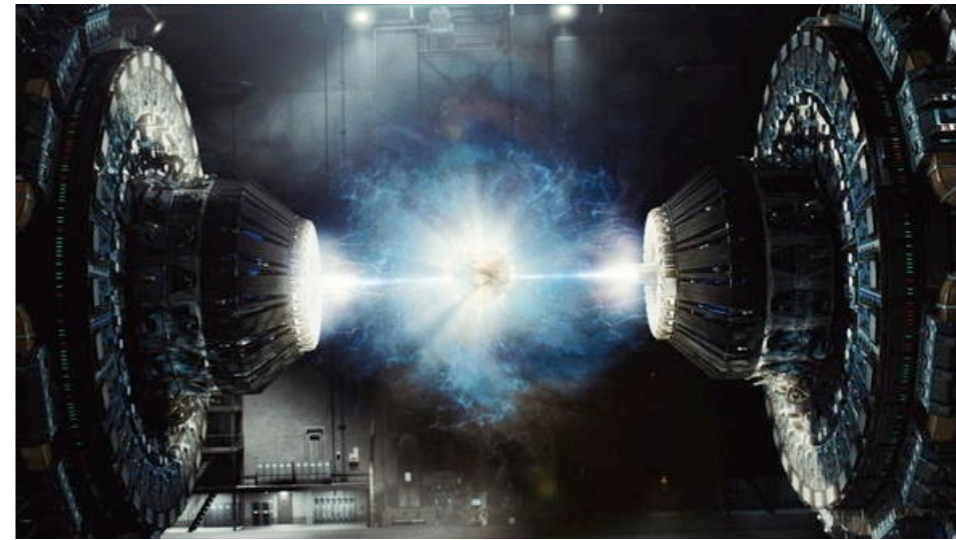
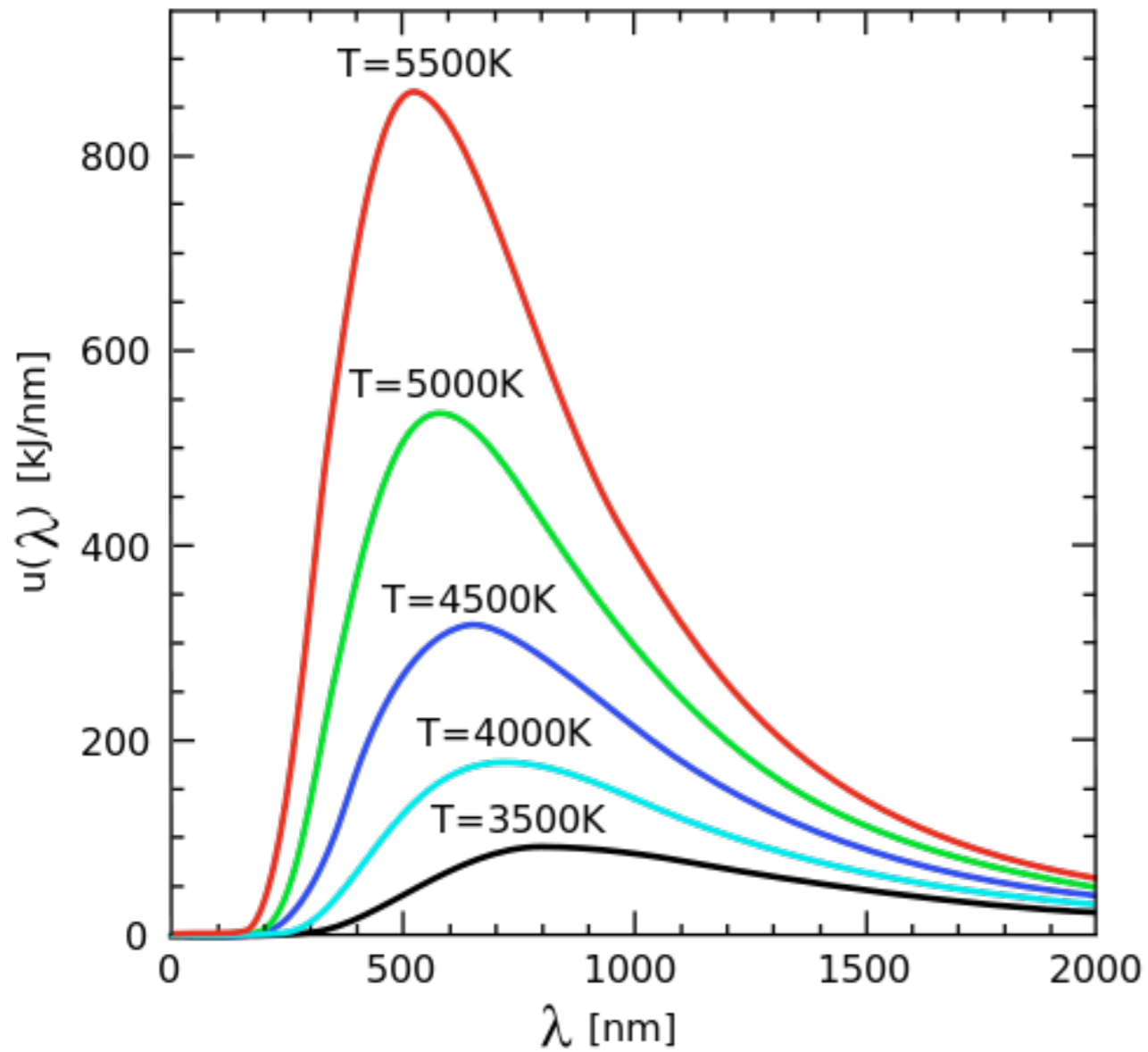


Thermal Radiation

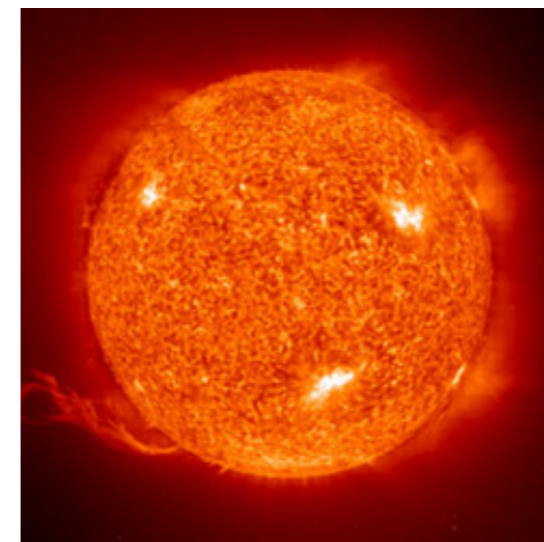


My Car

Thermal Radiation



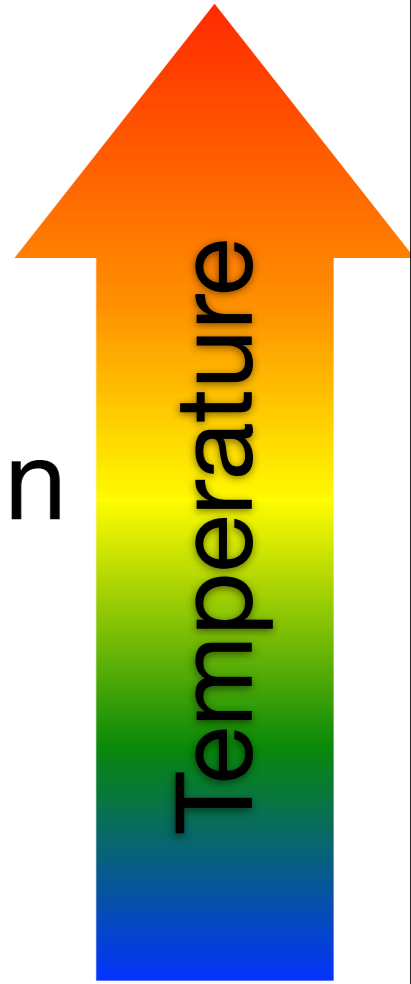
QGP



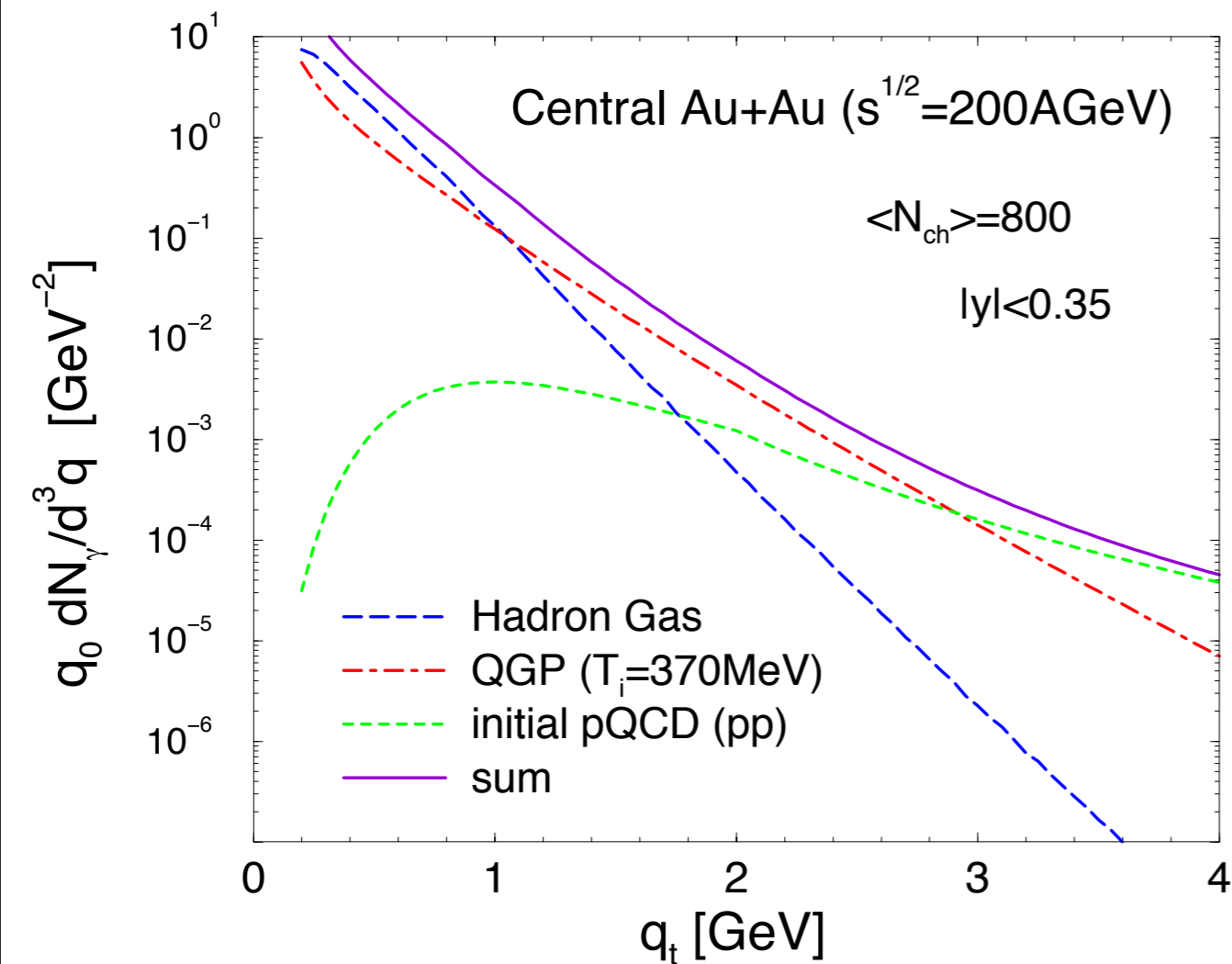
Sun



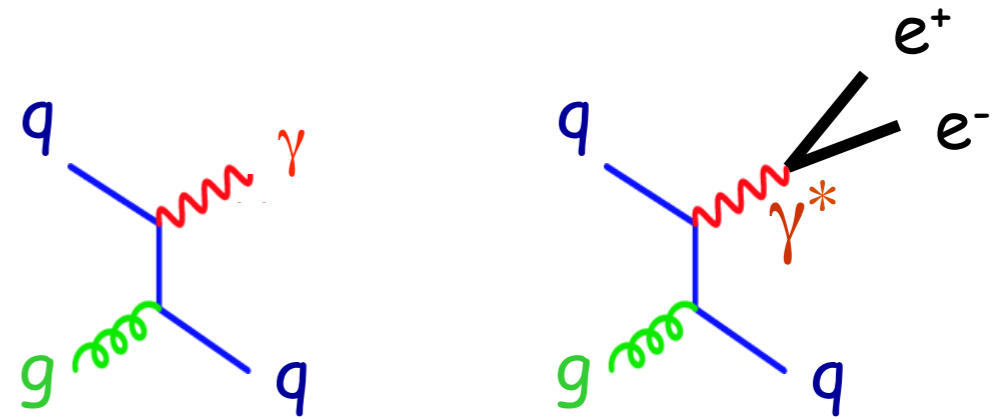
My Car



Thermal Radiation



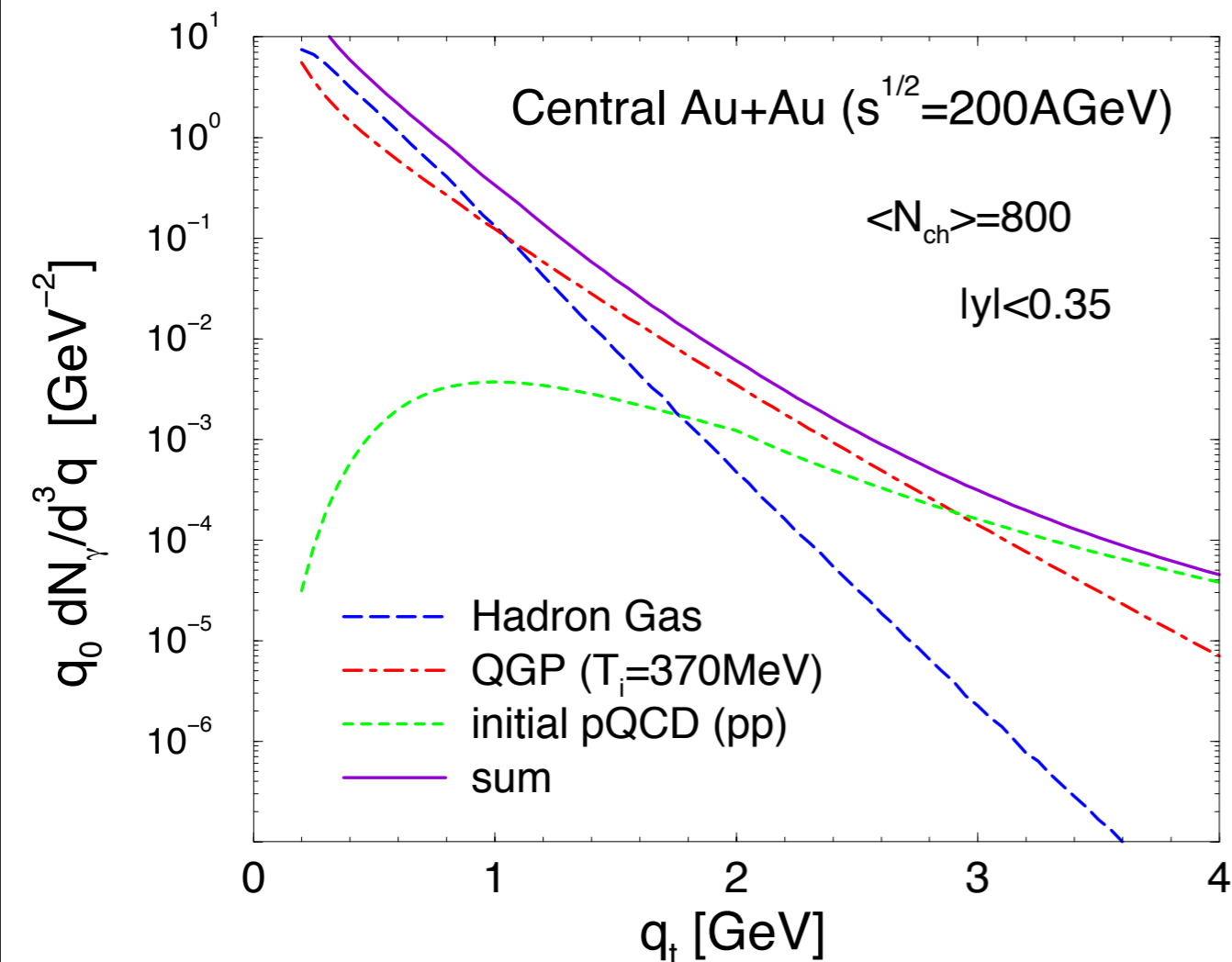
- Measure the energy spectrum of photons
 - real or virtual photons
 - Thermal photons in a QGP



- Thermal photons in a Hadron Gas:
 e.g. $\pi + \rho \rightarrow \pi + \gamma$

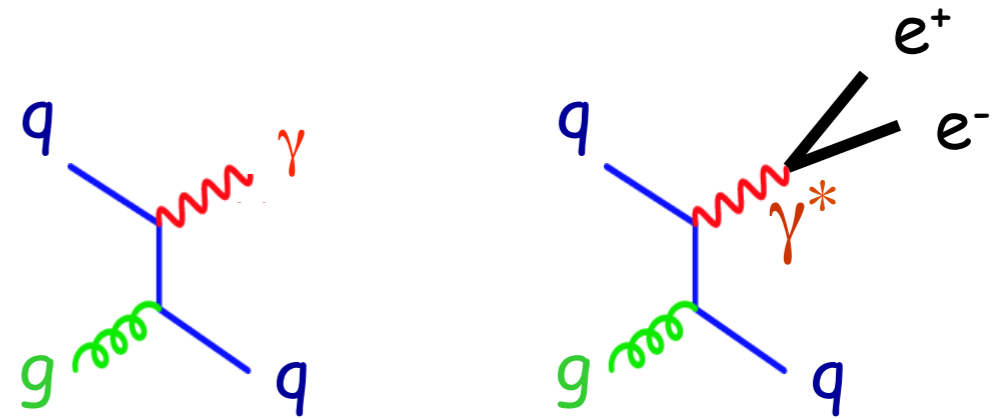
- Need to subtract background sources
 - hadron decays
 - prompt photons from the initial parton-parton collisions

Thermal Radiation



- No strong final state interaction
 - ▶ Leave reaction volume undisturbed and reach detector
- Emitted at all stages of the space time development
 - ▶ Information must be deconvoluted

- Measure the energy spectrum of photons
 - ▶ real or virtual photons
 - ▶ Thermal photons in a QGP



- ▶ Thermal photons in a Hadron Gas:
 e.g. $\pi + \rho \rightarrow \pi + \gamma$

- Need to subtract background sources
 - ▶ hadron decays
 - ▶ prompt photons from the initial parton-parton collisions

Dileptons vs. virtual photons

- Emission rate of thermal dileptons:

$$\frac{dR_{ll}}{d^4q} = -\frac{\alpha^2}{3\pi^3} \frac{L(M)}{M^2} \text{Im}\Pi_{\text{em},\mu}^\mu(M, q; T) f^B(q_0, T)$$

- Emission rate of thermal virtual photons

$$q_0 \frac{dR_{\gamma^*}}{d^4q} = -\frac{\alpha}{2\pi^2} \text{Im}\Pi_{\text{em},\mu}^\mu(M, q; T) f^B(q_0, T)$$

- Relationship between them

virtual photon

$$q_0 \frac{dR_{ll}}{dM^2 d^3q} = \frac{1}{2} \frac{dR_{ll}}{d^4q} = \frac{\alpha}{3\pi} \frac{L(M)}{M^2} q_0 \frac{dR_{\gamma^*}}{d^3q}$$

dileptons prob. $\gamma^* \rightarrow l^+l^-$

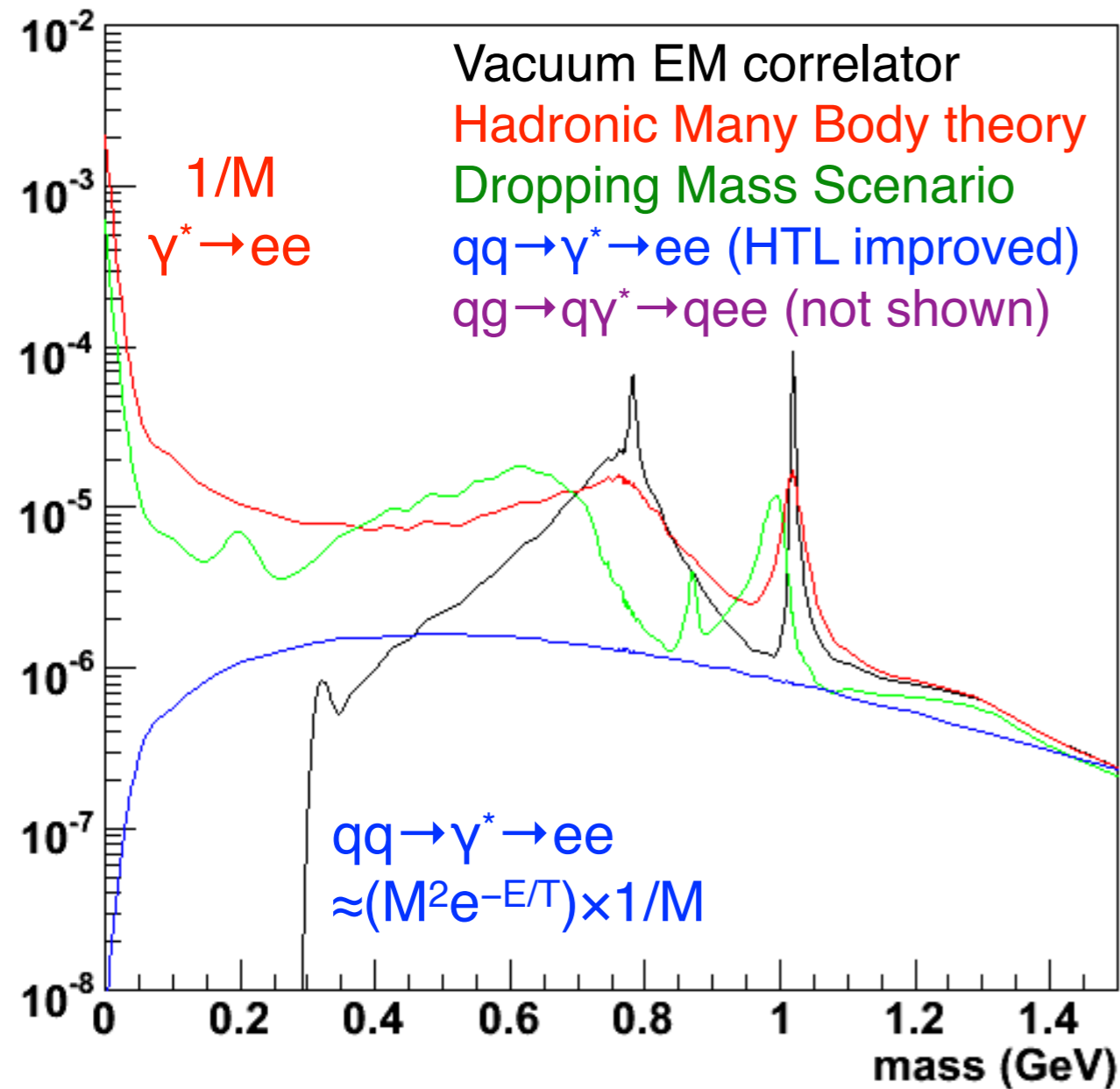
- Virtual photon rate can be determined from measured dilepton rate

$$q_0 \frac{dN_{\gamma^*}}{d^3q} = \frac{3\pi}{2\alpha} M q_0 \frac{dN_{ll}}{d^3q dM} \quad M \times dN_{ll}/dM \text{ gives virtual photon yield}$$

- Real photon rate $n_\gamma \leftarrow n_{\gamma^*}$ for $M \rightarrow 0$

Theory Prediction of Dilepton Emission

$$\frac{1}{p_T} \frac{dN_{ee}}{dp_T dy dM} \text{ at } y = 0 \text{ and } p_T = 1.025 \text{ GeV}/c$$



- Usually the dilepton emission is measured and compared as $dN/dp_T dM$
- The mass spectrum at low p_T is distorted by the virtual photon $\rightarrow e^+e^-$ decay factor $1/M$, which causes a steep rise near $M=0$
- $q q$ annihilation contribution is negligible in the low mass region due to the M^2 factor of the EM correlator
- In the calculation, partonic photon emission process $q g \rightarrow q \gamma^* \rightarrow q e^+e^-$ is not included

Theory calculation by R. Rapp