

# Transport Study on Heavy Quarkonium Production as QGP Probe

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In collaboration with:

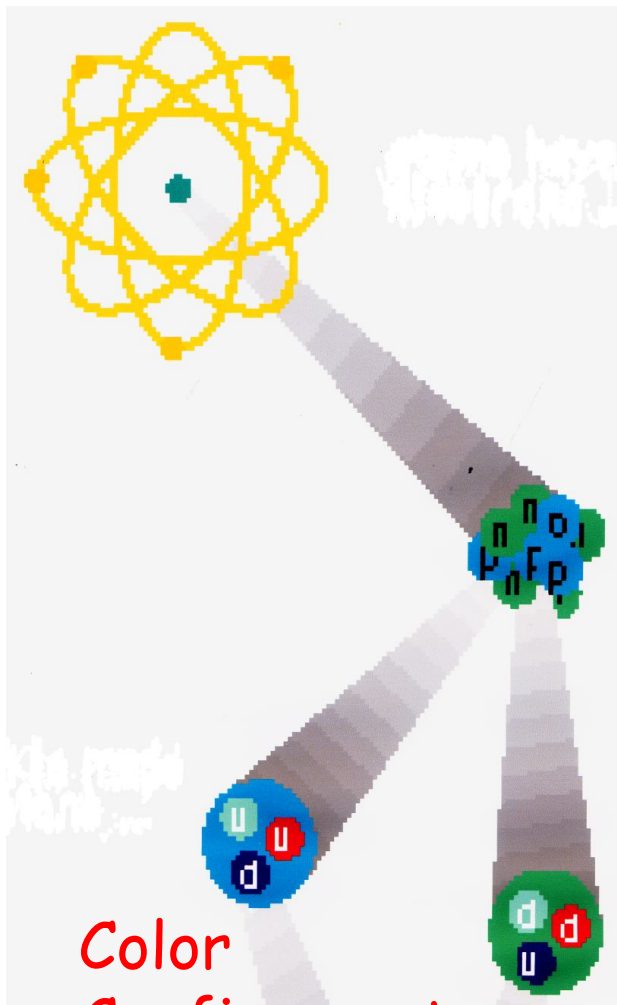
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# Tsinghua Group



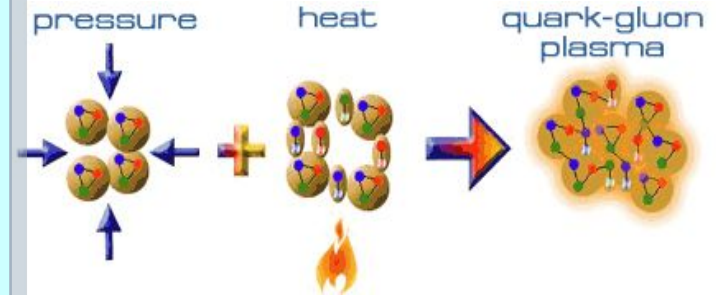
2 main directions: phase transition and heavy ion collisions



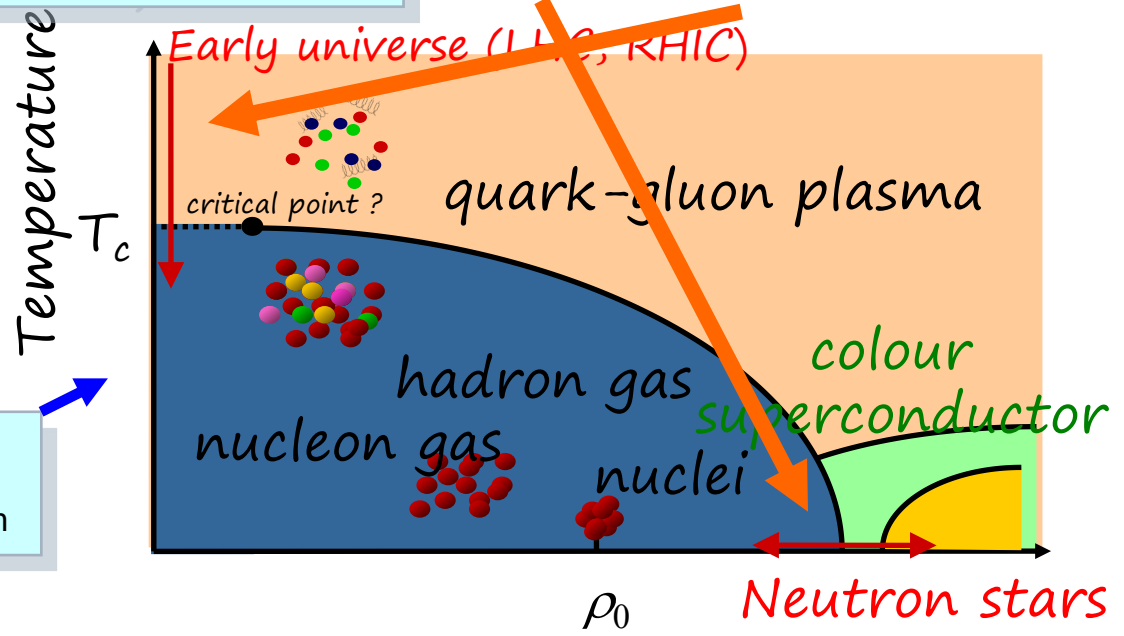


Color Confinement

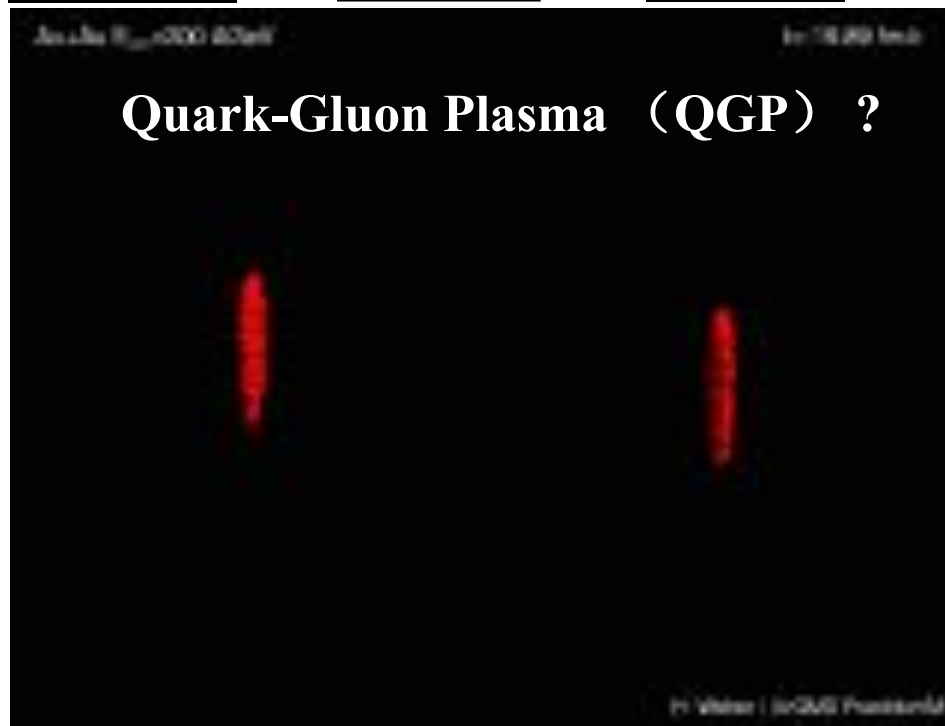
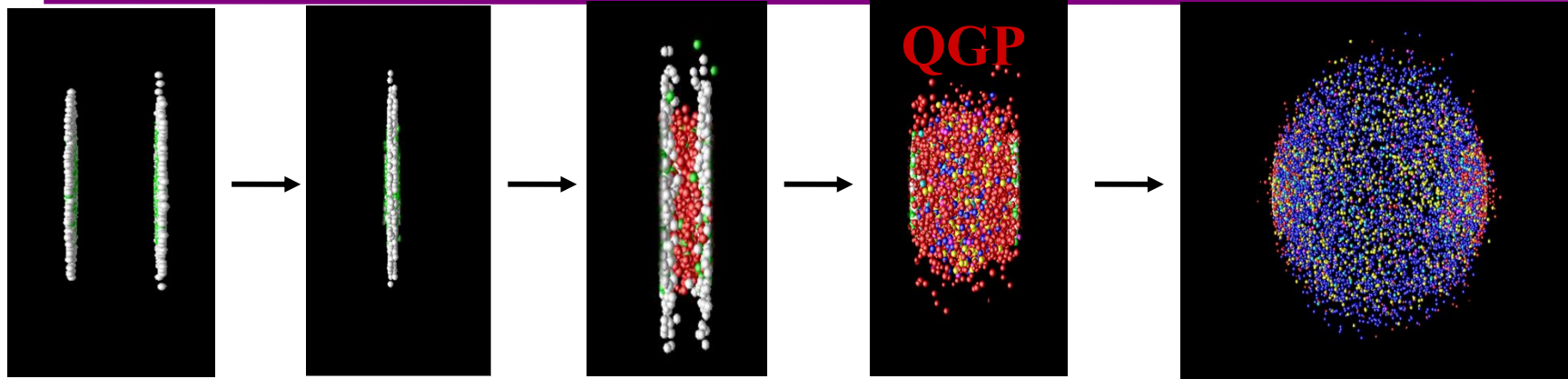
Thermal QCD predicts: At high temperature or high density circumstances, quarks and gluons will be liberated from hadrons to form a new state of matter: QGP (Quark Gluon Plasma)



QCD Phase Diagram



# Heavy Ion Collisions and QGP



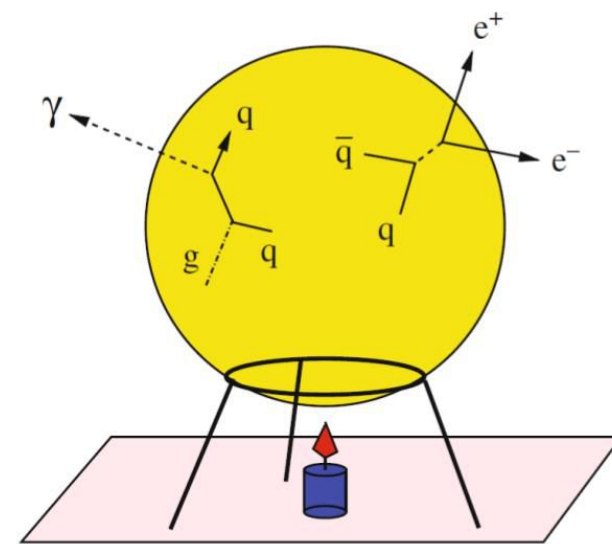
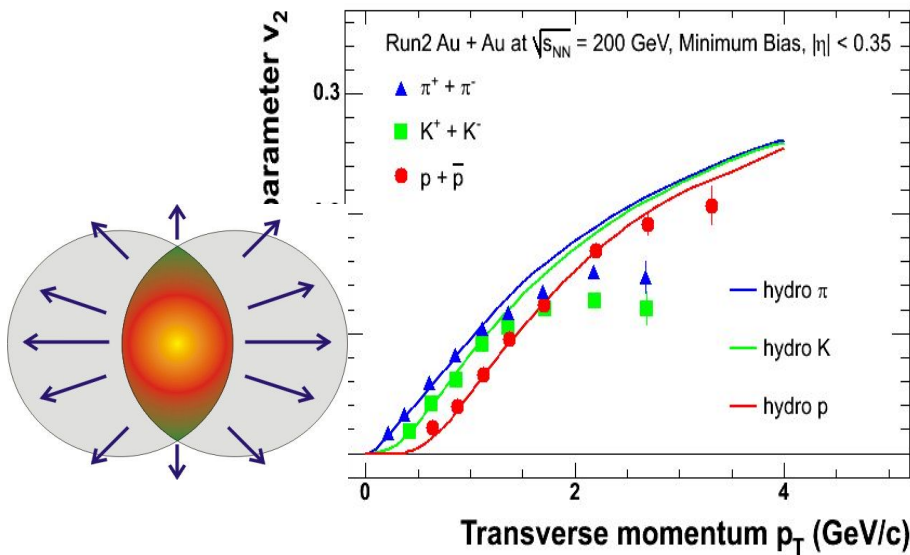
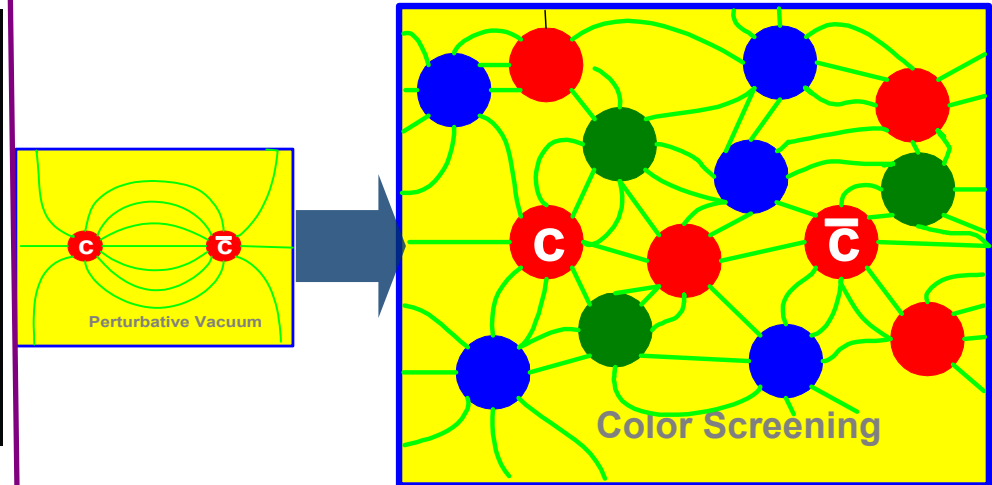
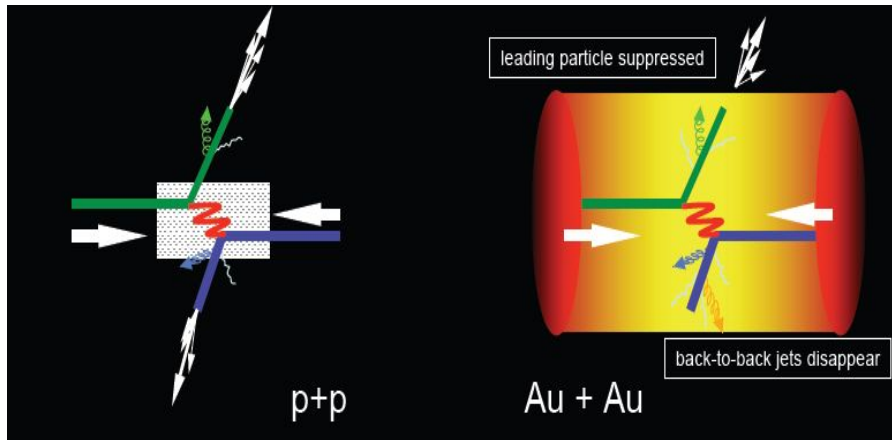
## Heavy Ion Facilities:

SPS/CERN :Pb-Pb@17.3 AGeV  
RHIC/LBNL: Au-Au@200 AGeV  
LHC/CERN :Pb-Pb@2760 AGeV  
5500 AGeV

## Problems:

- QGP is short-lived !
- Only final hadrons/leptons

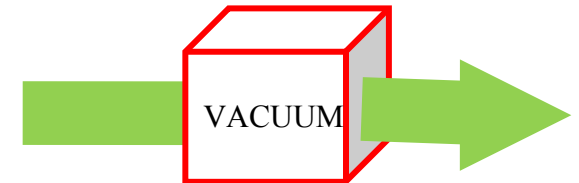
# Observables and QGP signals



# Intro— what's a good QGP probe?

**Matsui and Satz: PLB178, 416(1986):**  
***J/Psi suppression as a probe of QGP in HIC***

□ in Vacuum under control



□ in Hadronic no(slightly) affected



□ in QGP highly affected!

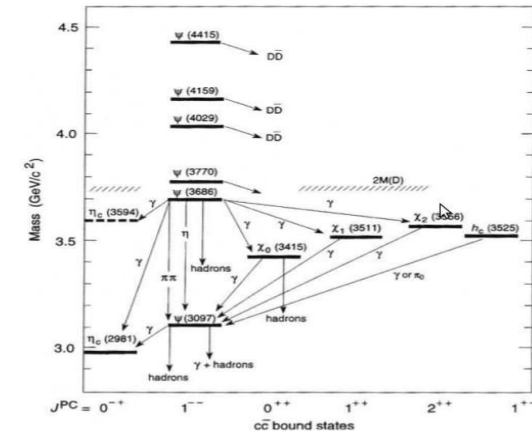


# Intro— from Vacuum to Medium

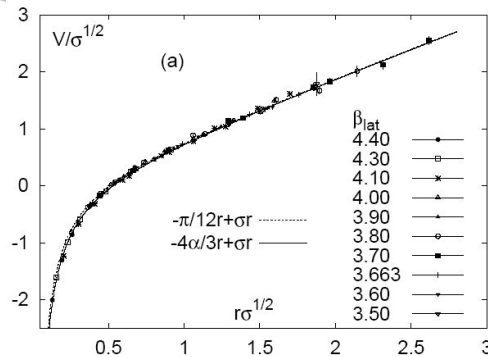
## ● Heavy Quarkonium: $q\bar{q}$ mesons

State	J/ $\psi$ (1S)	$\chi_c$ (1P)	$\psi'$ (2S)
m (GeV/c <sup>2</sup> )	3.10	3.53	3.68
r <sub>0</sub> (fm)	0.50	0.72	0.90

$\Upsilon$ (1S)	$\chi_b$ (1P)	$\Upsilon'$ (2S)	$\chi_b'$ (2P)	$\Upsilon''$ (3S)
9.46	9.99	10.02	10.26	10.36
0.28	0.44	0.56	0.68	0.78



## ● Potential in Vacuum $m_c \gg \Lambda_{QCD}$ A Calibrated QCD Force: NR potentia

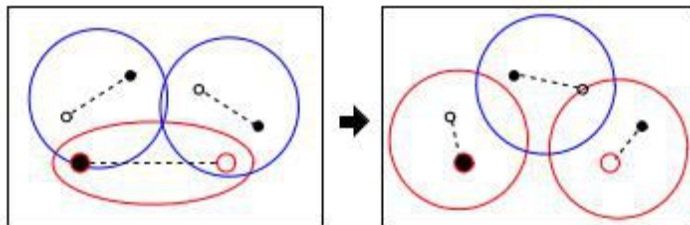


confining potential  $V(r) = -\alpha_c / r + kr$

spectroscopy well described

(Effective Potential model; NRQCD...)

## ● Color Screening in QGP $1/k_g^2 \rightarrow 1/(k_g^2 - \mu_D^2)$



$$1/r \rightarrow e^{-\mu_D r} / r$$

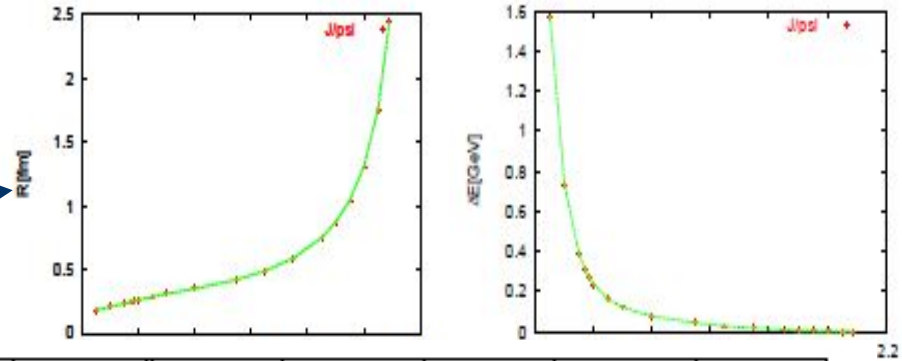
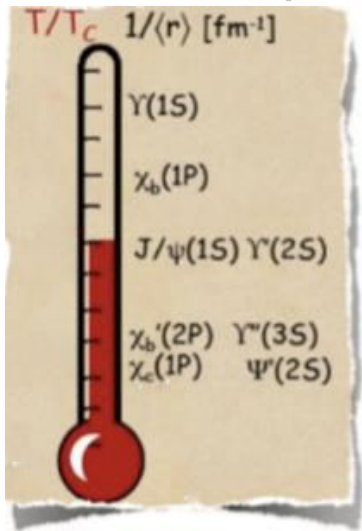
$$r \rightarrow r(1 - e^{-\mu_D r}) / \mu_D r$$

# Intro— in-medium Modification

## ● Dissociation :

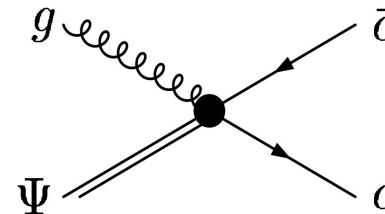
$$\langle r \rangle(T_D) \rightarrow \infty, \quad \varepsilon(T_D) \rightarrow 0$$

for  $V=U$  (Satz et al)



state	J/ψ(1S)	χ <sub>c</sub> (1P)	ψ'(2S)	Υ(1S)	χ <sub>b</sub> (1P)	Υ(2S)	χ <sub>b</sub> (2P)	Υ(3S)
T <sub>d</sub> /T <sub>c</sub>	2.10	1.16	1.12	> 4.0	1.76	1.60	1.19	1.17

*Dynamical realization:  
(gluon dissociation)*



● Observation :

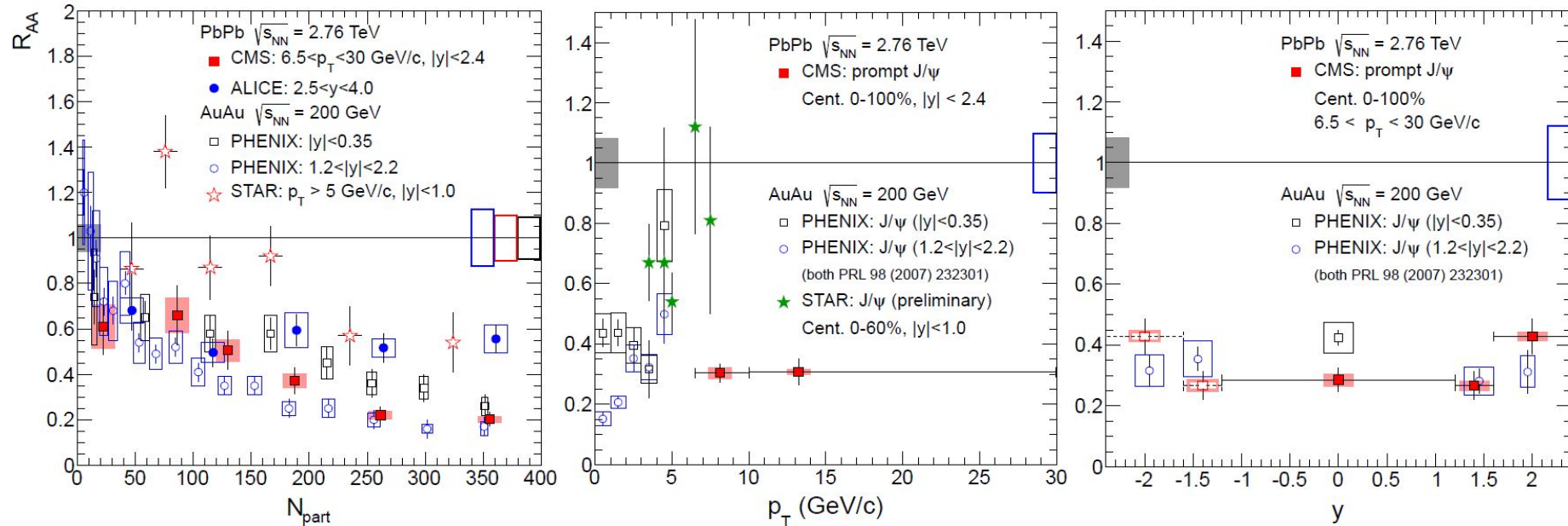
$$R_{AA} = \frac{N_{J/\psi}^{AA}}{N_{coll} N_{J/\psi}^{pp}} \sim \frac{\text{"QCD}_{medium}}{\text{"QCD}_{vacuum}}$$

= 1 No medium effect  
 < 1 Suppression  
 > 1 Enhancement



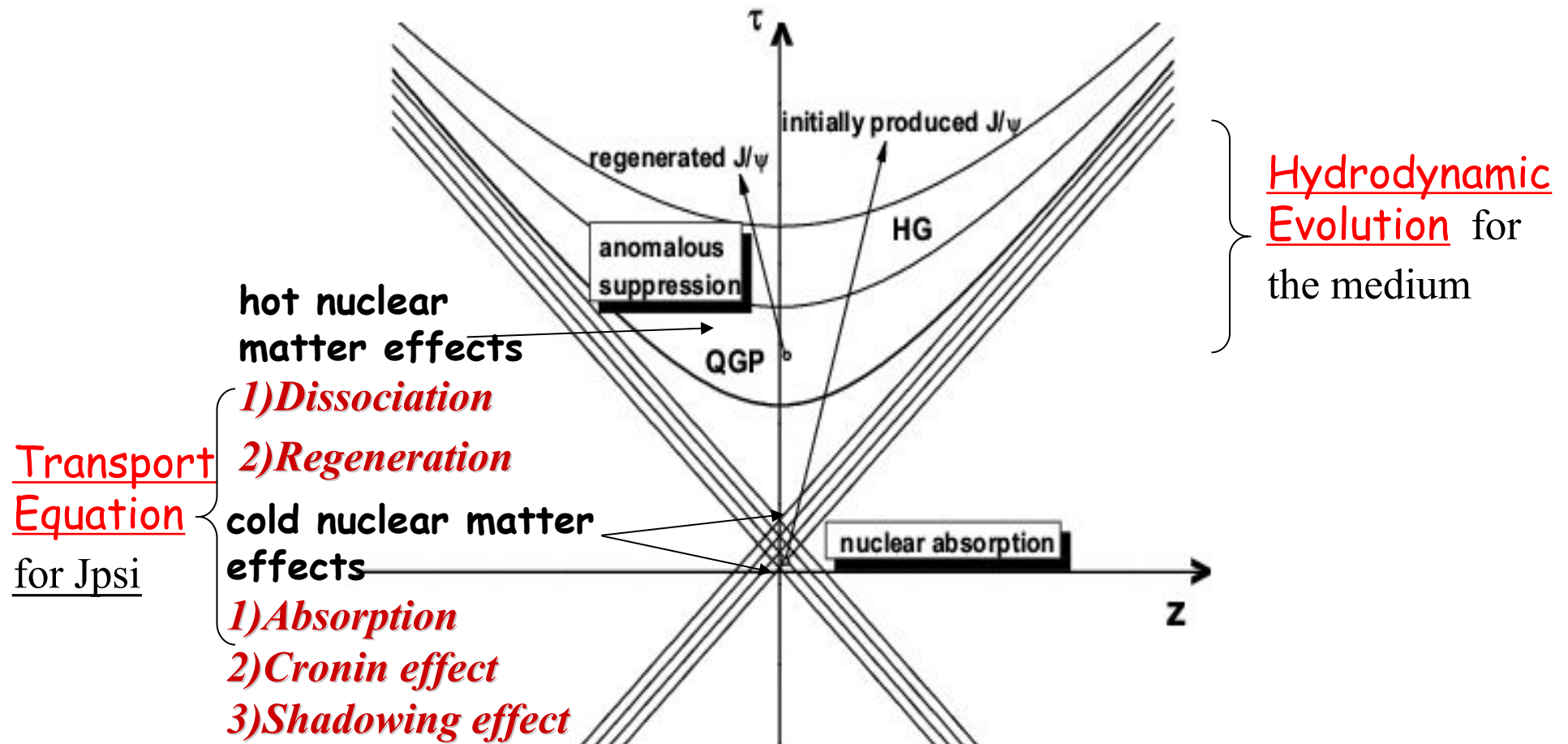
# Intro— Our Motivation

**Now, from SPS to RHIC, we are at LHC era**



- **Unified model including interplay of Cold and Hot matter effects**
- **With increasing coll.energy, Hot medium effects increase? where?**

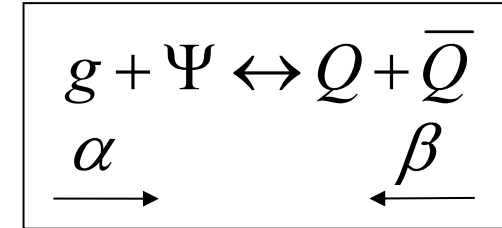
# Our Model: Transport(cold&hot) + Hydrodynamic



# Hot Nuclear Matter Effects

## ● quarkonium distribution function in phase space $f_\psi(\vec{p}, \vec{x}, t)$

$$\left(\partial_\tau + \vec{v}_t \cdot \vec{\nabla}_t\right) f_\psi(\tau, \vec{x}_t, \vec{p}_t) = -\alpha \cdot f_\psi(\tau, \vec{x}_t, \vec{p}_t) + \beta$$

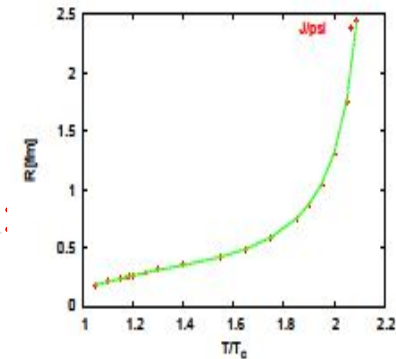


**Hot Effect**

$$\left\{ \begin{aligned} \alpha &= \frac{1}{2m_t} \int \frac{d^3\vec{k}}{(2\pi)^3 2E_g} \sigma_{g\Psi} \cdot 4F_{g\Psi} f_g(k, x) \\ \beta &= \frac{1}{2m_t} \int \frac{d^3\vec{k}}{(2\pi)^3 2E_g} \frac{d^3\vec{q}_1}{(2\pi)^3 2E_Q} \frac{d^3\vec{q}_2}{(2\pi)^3 2E_{\bar{Q}}} (2\pi)^4 \delta^4(p+k-q_1-q_2) W_{pro}(s) f_Q(k, x) f_{\bar{Q}}(k, x) \end{aligned} \right.$$

$1/(e^{p_g^\mu u_\mu/T} - 1)$   
 gluon dissociation cross section by OPE (Peskin, 1999)  
 regeneration by detailed balance !

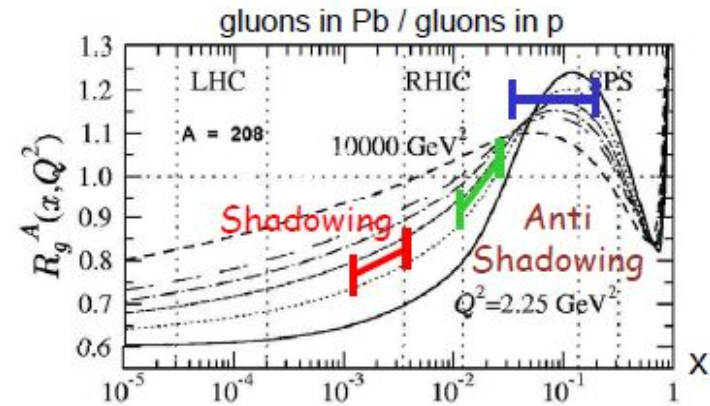
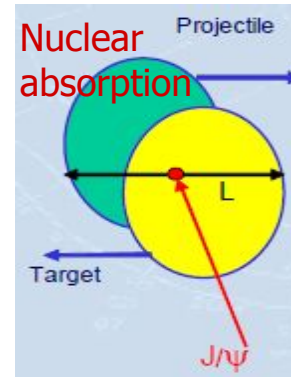
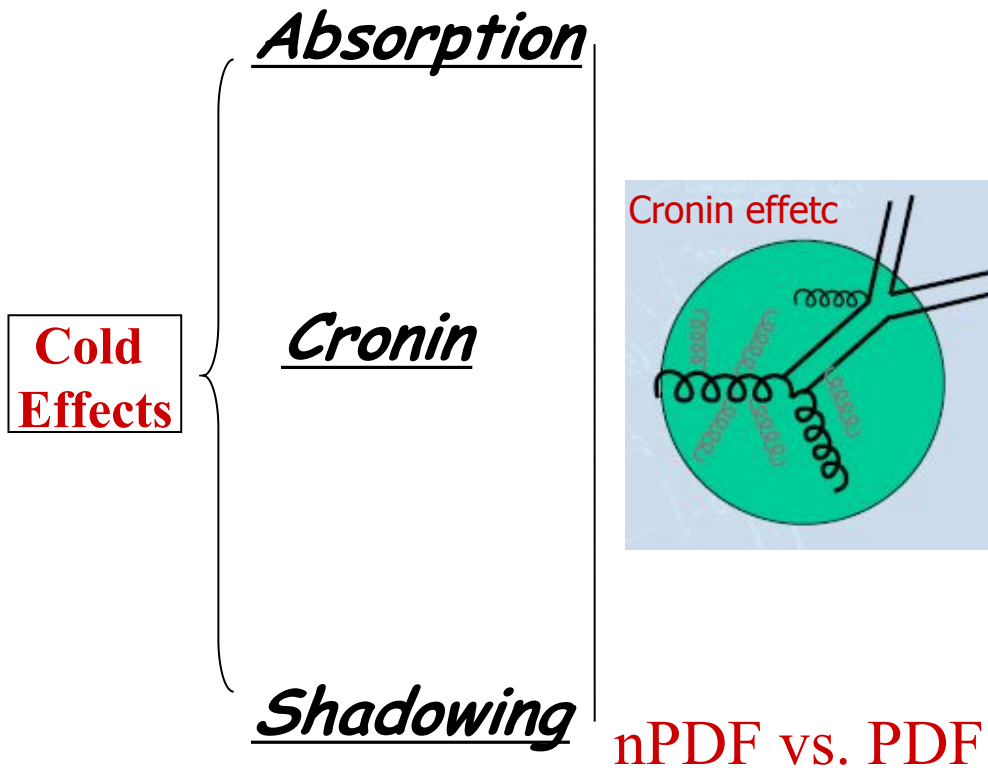
$$\sigma_{g\Psi}(T) = \sigma_{g\Psi}(T=0) \frac{\langle r_\Psi^2 \rangle(T)}{\langle r_\Psi^2 \rangle(T=0)} \rightarrow \text{from Potential Model:}$$



# Cold Nuclear Matter Effects

● initial condition  $f(\vec{p}, \vec{x}, t_0)$  for transport

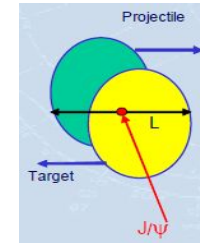
Superposition from pp collisions (Glauber model) along with modification from CNM:



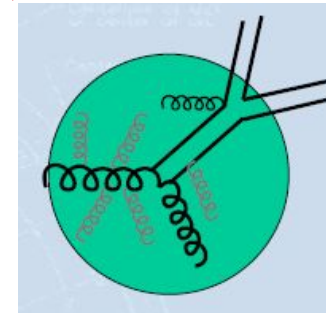
# Cold 1—Absorption & Cronin effect

$$\text{Absorption} \times e^{-\sigma_{abs}(T_A(\vec{x}_t, z_A, +\infty) + T_B(\vec{x}_t - \vec{b}, -\infty, z_B))}$$

$t_{coll} \ll t_{\Psi}$  (so at LHC can safely be neglected)



Cronin pT broadening (use Gaussian smearing)



$$\bar{f}_{pp}(\vec{p}_T, \vec{x}_T, z_A, z_B) = \frac{1}{\pi a_{gN} \cdot l(\vec{x}_T, z_A, z_B)} \int d^2 \vec{p}'_T e^{-\frac{p_T'^2}{a_{gN} \cdot l(\vec{x}_T, z_A, z_B)}} f_{pp}(|\vec{p}_T - \vec{p}'_T|)$$

$$a_{gN} = \Delta^2(\mu) \sigma_{pp}^{inelastic} \rho_0$$

$$a_{gN} = 0.15 \text{GeV}^2 / c^2 \quad @ \text{ LHC Pb-Pb 2.76 TeV}$$

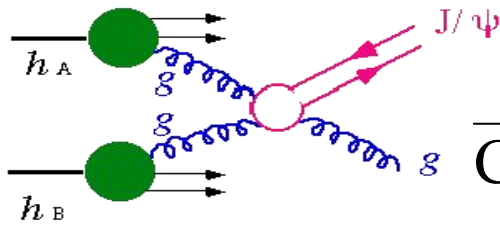
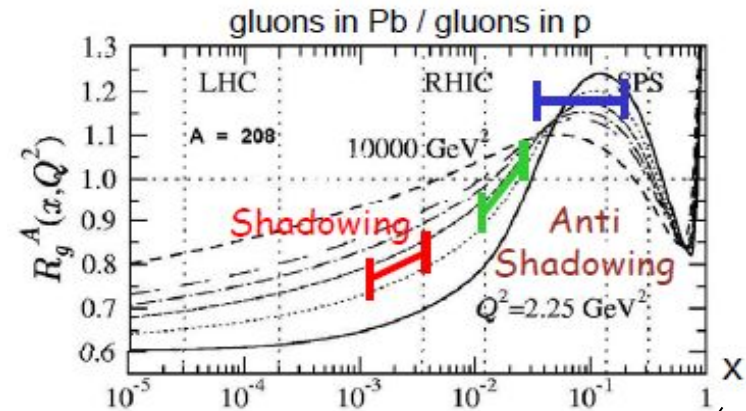
Init.J.Mod.Phys.E.12,211(2003)

Phys.Rev. C 73, 014904(2006)

# Cold 2—Nuclear Shadowing effect

**Shadowing**  $R_g^A(x, \mu_F) = \frac{f_g^A(x, \mu_F)}{A f_g^{\text{Nucleon}}(x, \mu_F)}$

for open & hidden heavy mesons



(2->1) process  
Color Evaporation Model

$$x_{1,2}^g = \frac{\sqrt{m_{c\bar{c}}^2 + p_T^2}}{\sqrt{s_{NN}}} e^{\pm y}$$

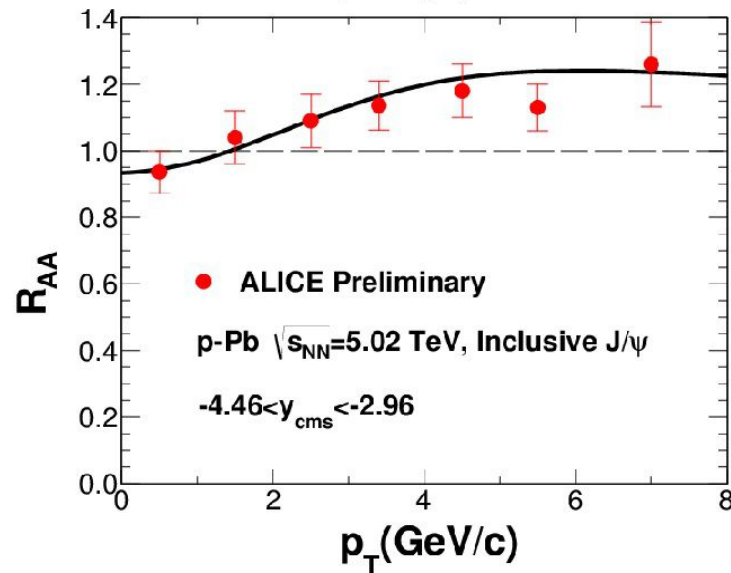
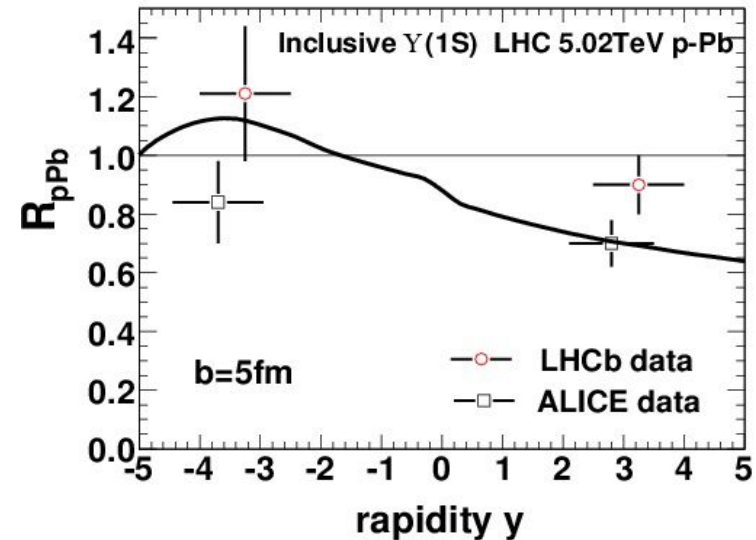
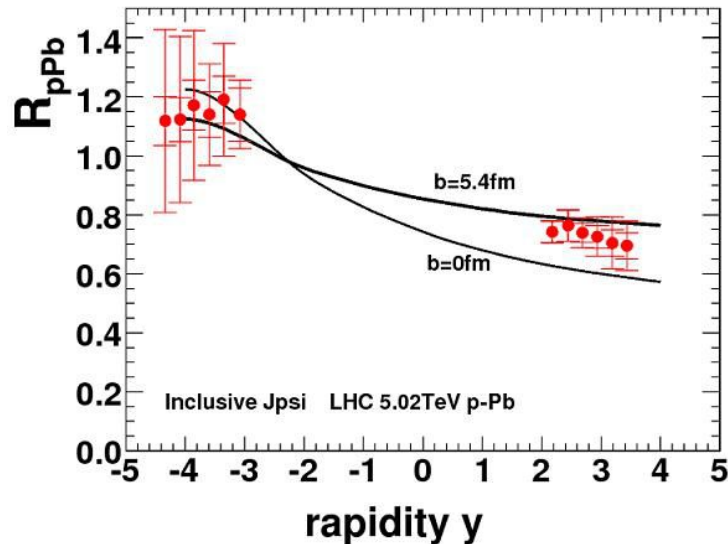
pp  $\frac{d\sigma_{pp}^\Psi}{dp_T^\Psi dy_\Psi} = \int dy_g x_1 x_2 \cdot f_g(x_1, \mu_F) f_g(x_2, \mu_F) \frac{d\sigma_{gg \rightarrow \nu\bar{\nu}}}{dt}$

AA  $f_0(\vec{p}, \vec{x}_T) = \frac{(2\pi)^3}{E_T^\Psi \cosh y_\Psi} \frac{d\sigma_{pp}^\Psi}{dy} \int dz_A dz_B \rho_A(\vec{x}_T, z_A) \cdot \rho_B(\vec{x}_T - \vec{b}, z_B) \mathcal{R}_g(\vec{x}_T, x_1, \mu_f) \cdot \mathcal{R}_g(\vec{x}_T - \vec{b}, x_2, \mu_f) \bar{f}_{pp}(\vec{p}_T, \vec{x}_T, z_A, z_B)$

$$\mathcal{R}_g(\vec{x}_T, x, \mu_f) = 1 + N_{A,\rho} [R_g^A(x, \mu_f) - 1] \frac{T_A(\vec{x}_T)}{T_A(0)}$$

R.Vogt et al. PRL91 (2003) 142301.  
PRC71(2005) 054902

# Test: Cold effects in p-Pb Collisions



*Cronin + Shadowing(EKS98)*  
*can describe the p-Pb data*  
*well !*

## ● 2+1D hydrodynamics( $\mu_B = 0$ )

$$\left\{ \begin{array}{l} \partial_\tau \rho_T + \nabla_T \cdot (\rho_T \vec{v}_T) = 0 \quad (\rho_T(\vec{x}_T, \tau) = \tau \cdot n_{c\bar{c}}^{Lab}) \leftarrow \text{heavy quark thermalization} \\ \partial_\tau E + \nabla_T \cdot \vec{M}_T = -(E + p) / \tau \\ \partial_\tau M_x + \nabla_T \cdot (M_x \vec{v}_T) = -M_x / \tau - \partial_x p \\ \partial_\tau M_y + \nabla_T \cdot (M_y \vec{v}_T) = -M_y / \tau - \partial_y p \end{array} \right. \leftarrow \left\{ \begin{array}{l} \partial_\mu T^{\mu\nu} = 0 \\ \text{Boost Invariance} \end{array} \right.$$

$$E = (\varepsilon + p)\gamma^2 - p \quad \vec{M} = (\varepsilon + p)\gamma^2 \vec{v}$$

## ● Equation Of State:

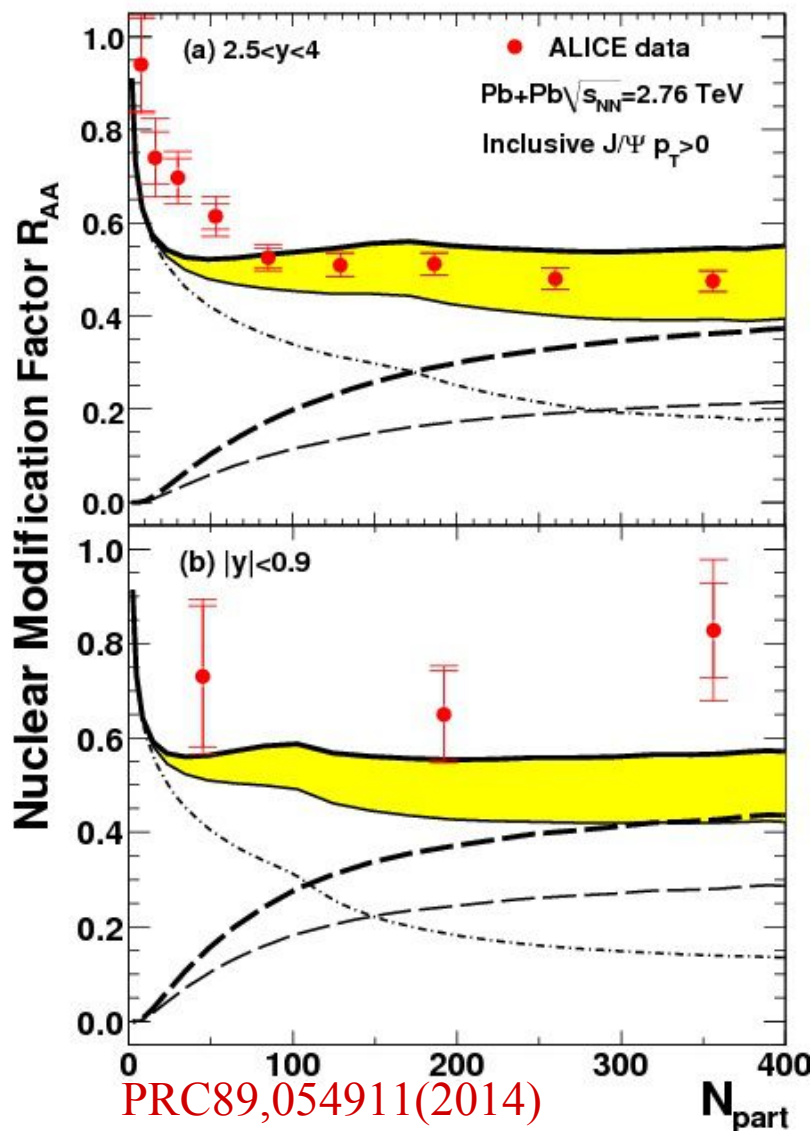
Ideal Gas with quarks and gluons for QGP & HRG

## ● Initialization:

Glauber model & constrained by fitting Charged Multiplicities and also from other well tested hydro study



# Results—Yield's Centrality depen. (all pT)

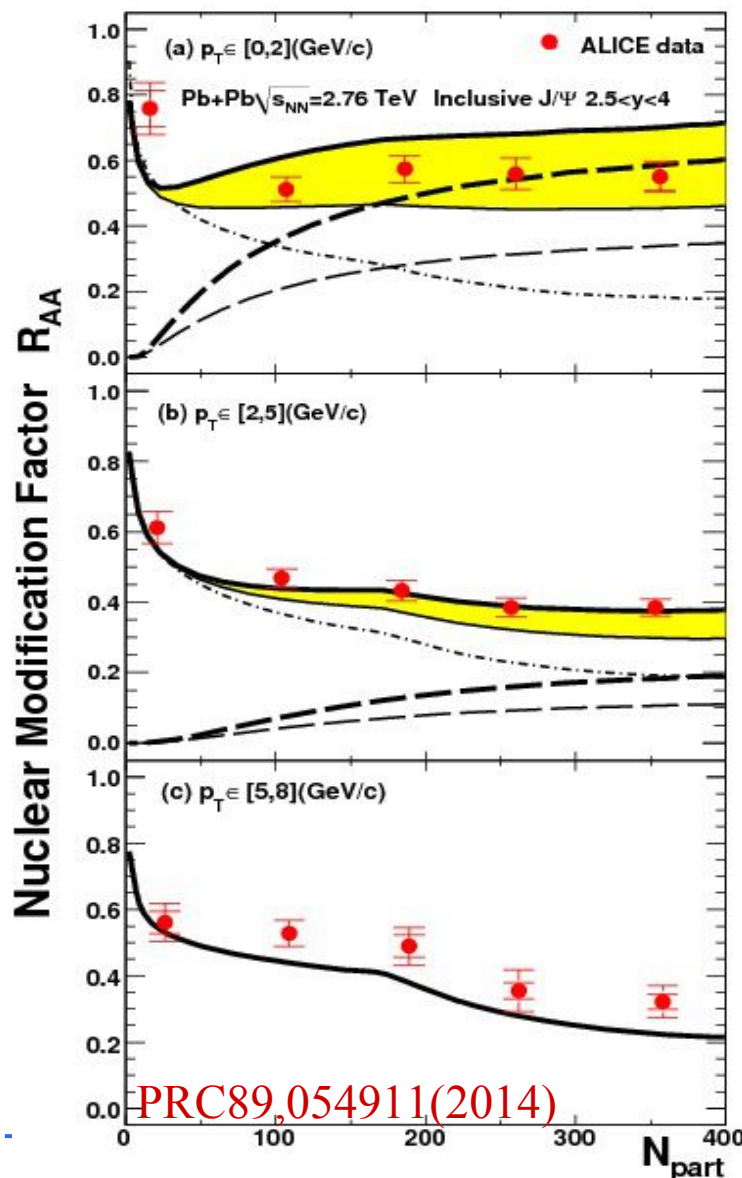


1、 Being different from low energy case(SPS,RHIC), Regeneration play an important roll in most of centralities, and can be dominant in mid-rapidity.

2、 Competition between Regeneration and Suppression of initial production leads to platform structure in most centralities.

3、 In mid-rapidity, at most central collisions, model results are lower than measurment, due to possible thermal charm production.

# Results—Yield's Centrality depen. (pT bin)



## Forward Rapidity

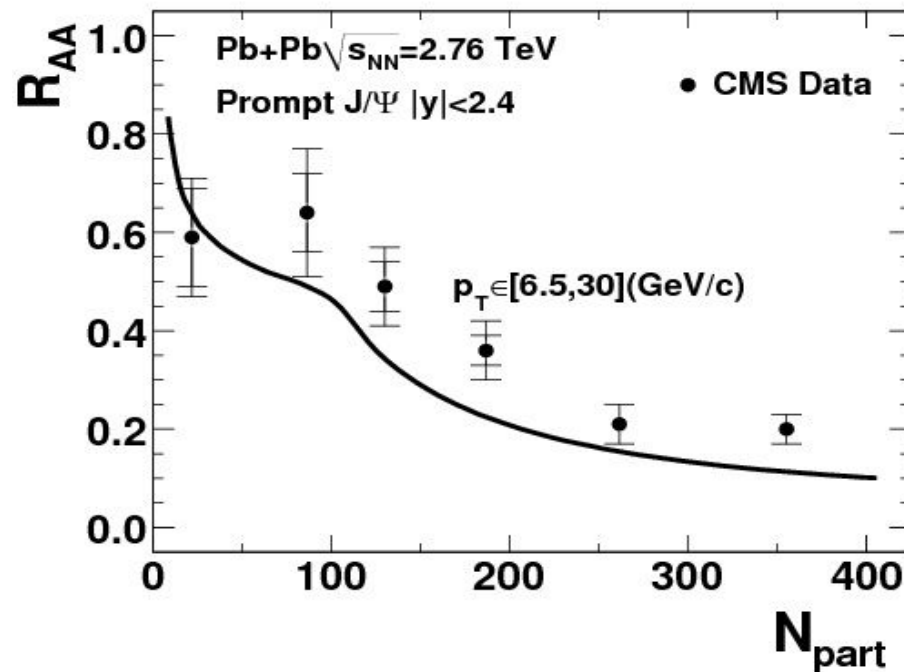
1、Regeneration are mostly contributed in low pT part.

2、Jpsi naturally provide two probes:

a) Hard Probe: high pT, Color Screen

b) Soft Probe: low pT, Thermalization

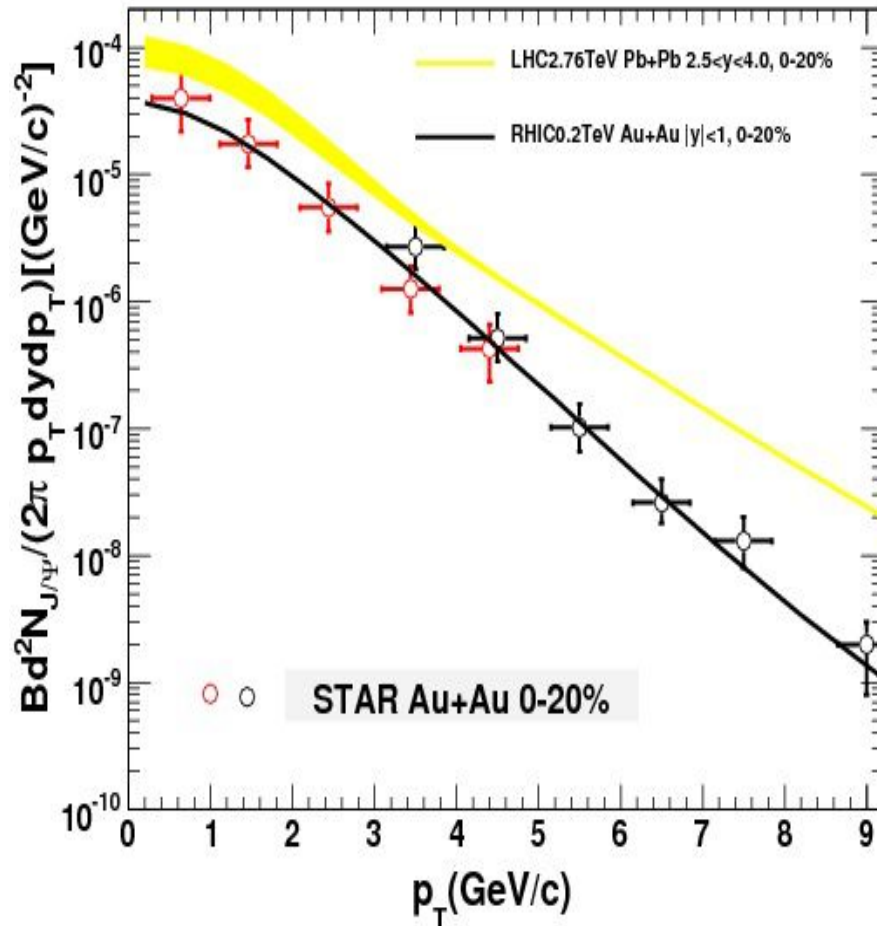
## Mid-Rapidity



Note the "kink"-----  
Melting Temperature from  
Color Screening

PRC89,054911(2014)

# Results—Momentum distribution

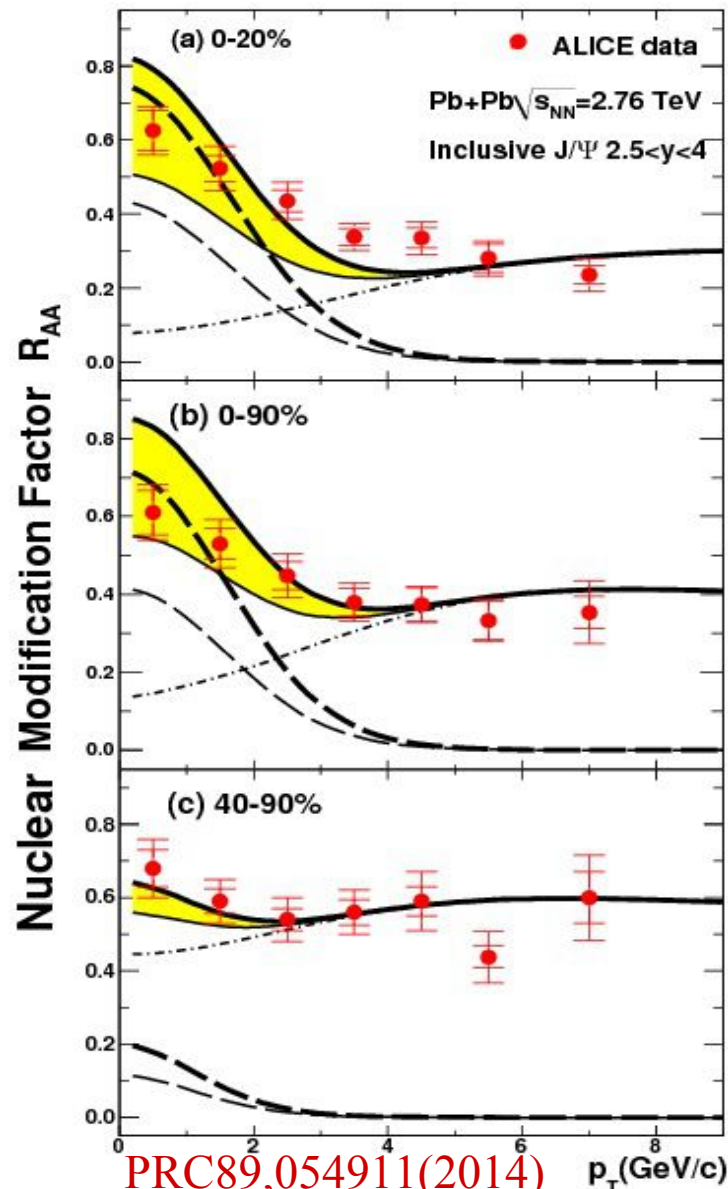


1、 Model results for RHIC agrees well with data.

2、 Spectrum itself can't reveal the nature of QGP and also heavy production mechanism.

3、 Need to compare to pp, then one can highlight the medium's effect—>RAA.

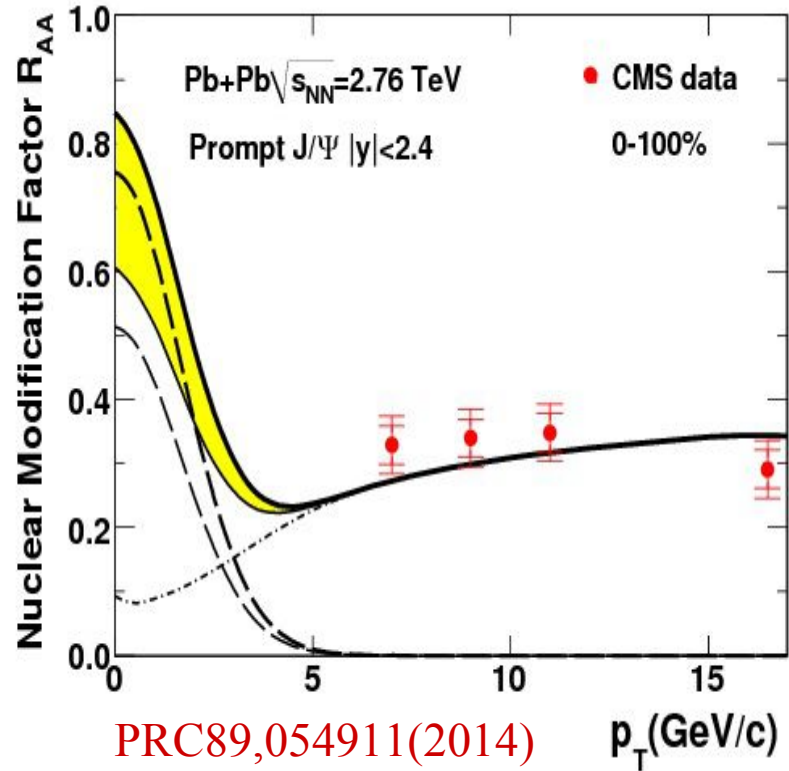
JPG as Review



PRC89,054911(2014)  
11/18/2014

## Forward Rapidity

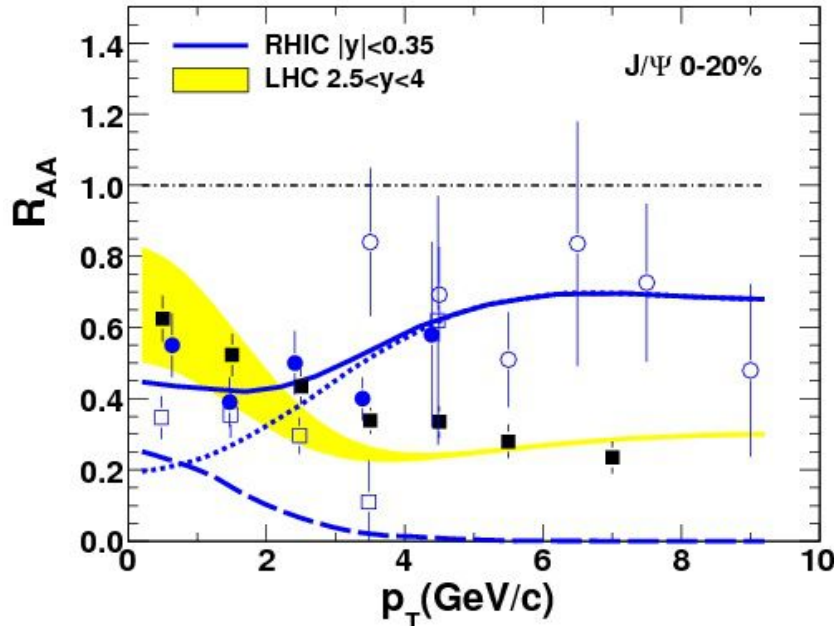
- 1、 Obviously: Regeneration dominates low  $p_T$ , Initial production controls high  $p_T$ .
- 2、 The Competition leads to: along with  $p_T$ , it firstly decrease and then slightly increase or go to saturation.
- 3、 The decrease behavior clearly indicates the in-medium regeneration mechanism, further the QGP existence.



## Mid-Rapidity

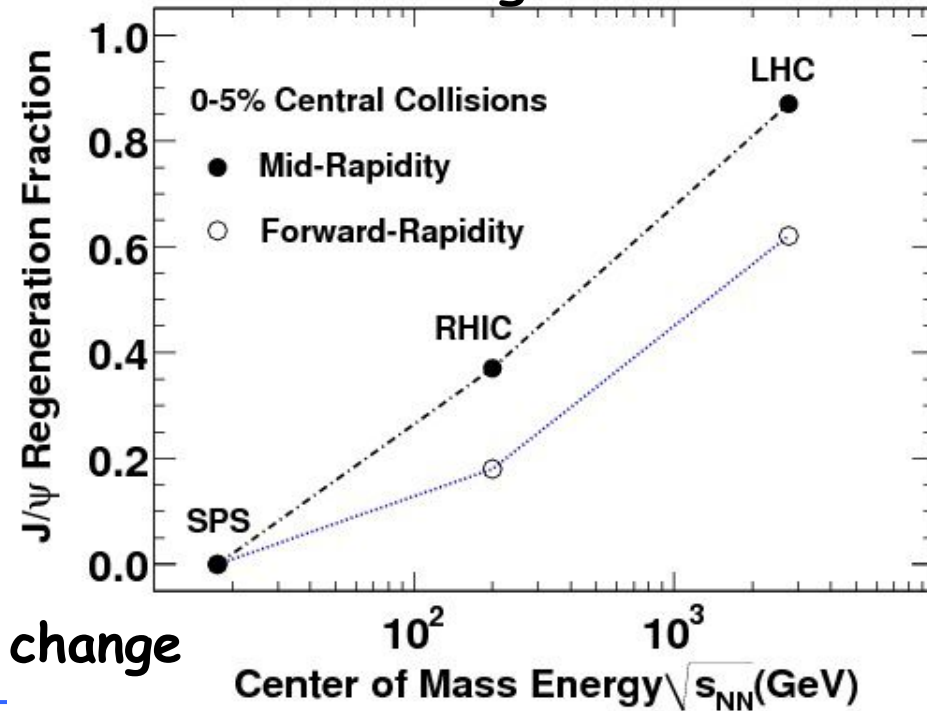
"Valley" structure more clearly

# Results—different collision energy



JPG as Review

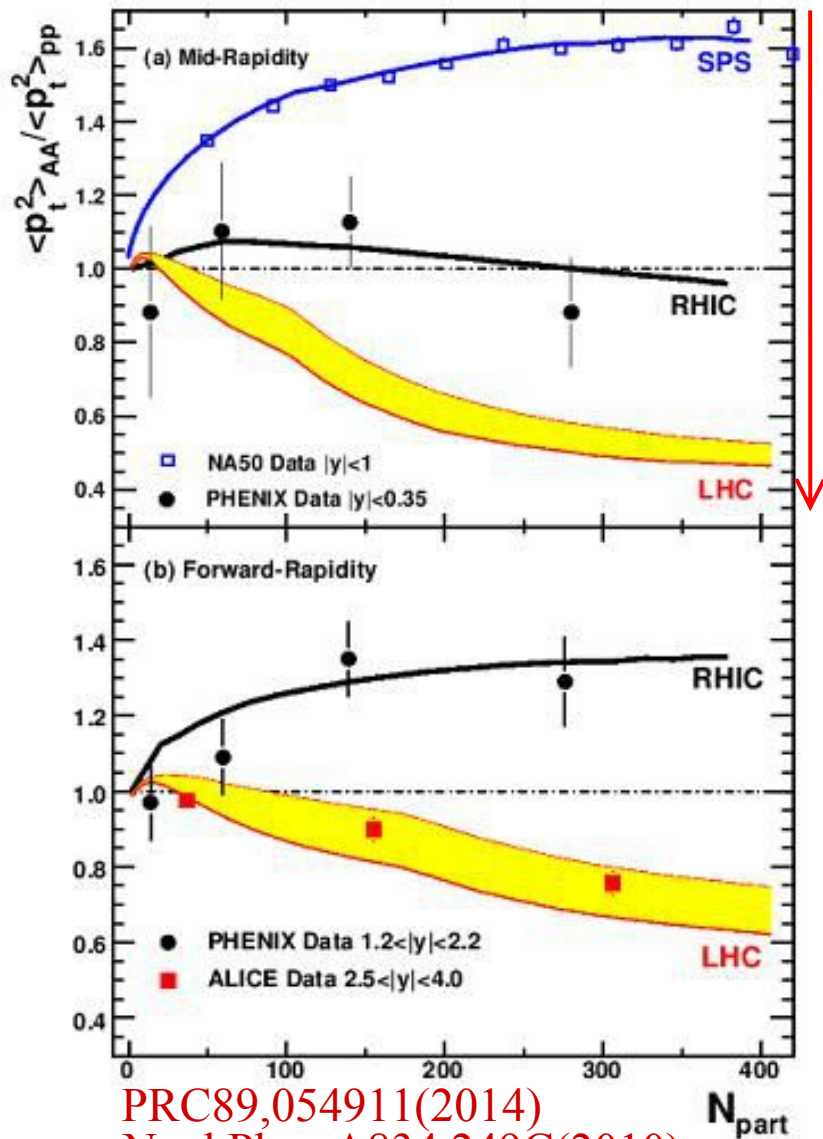
It can distinguish diff. medium at diff. energy, but for Experiment, since it's differential  $p_T$  distribution, it's a little harder and need more statistics to get.



What's the most important?

Regeneration are more and more important and can take over initial production's role  
 quantity change leads to qualitative change

# Results—Modification for Trans. pT: rAA



$\sqrt{s_{NN}} \uparrow$

$$r_{AA} = \frac{\langle p_T^2 \rangle_{AA}}{\langle p_T^2 \rangle_{pp}}$$

QGP  $\uparrow$

$$r_{AA} = f_{reg} \cdot r_{AA}(reg.) + (1 - f_{reg}) \cdot r_{AA}(init.)$$

a,  $r_{AA}(reg.) \ll r_{AA}(init.)$

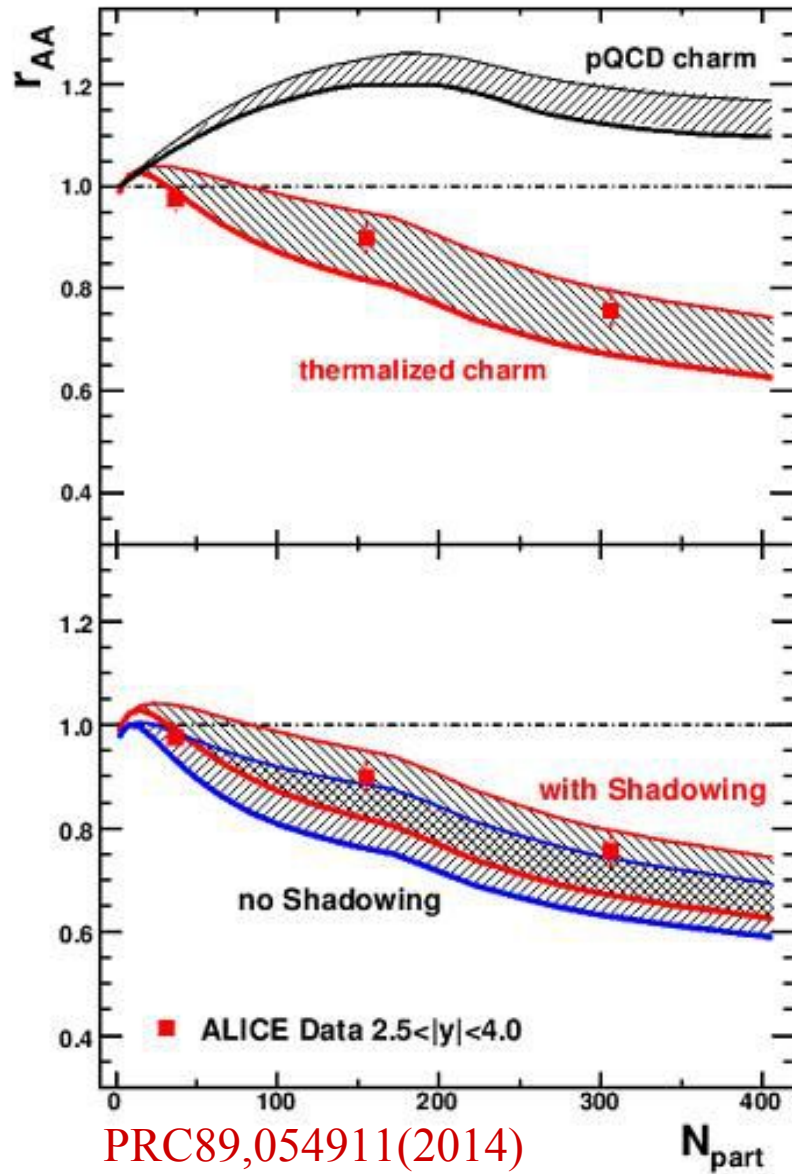
b, QGP stronger----- $f_{reg}$  larger.

1, compared to total yield,  
more sensitive to the  
----the hot medium effects.  
it can indicate the production  
mechanism at play.

PRC89,054911(2014)  
Nucl.Phys.A834,249C(2010)



# Results—Modification for Trans. pT: $r_{AA}$



PRC89,054911(2014)

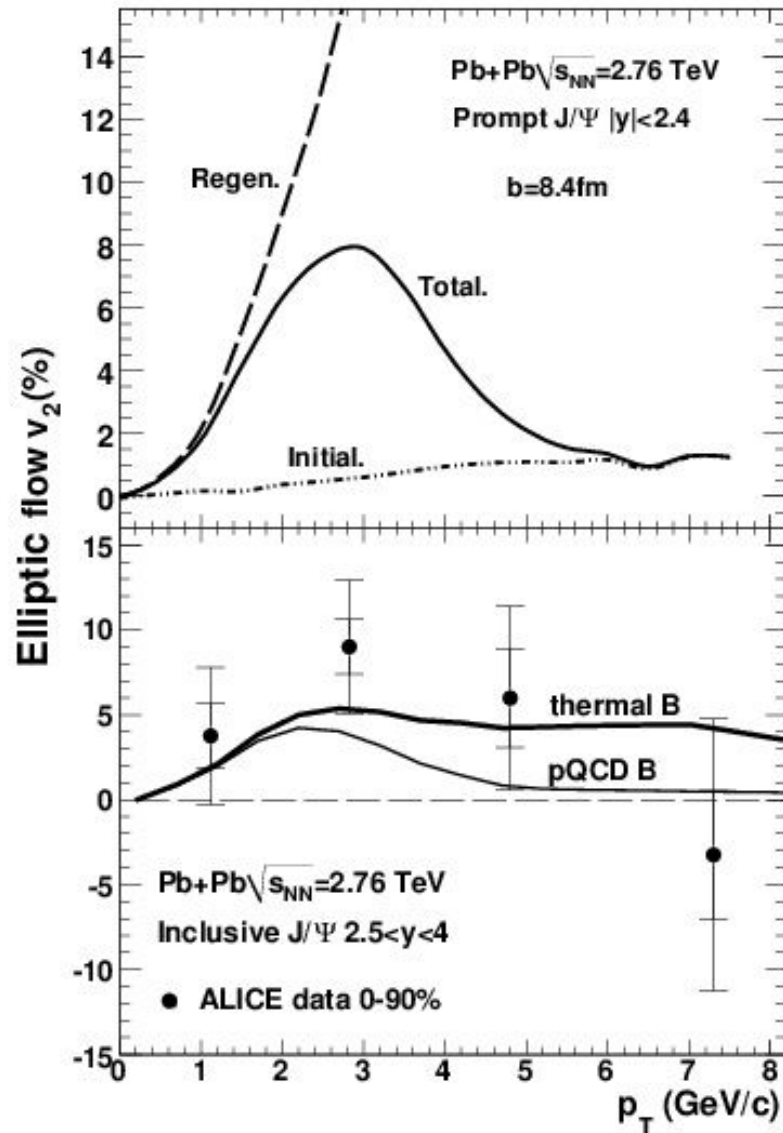
$$r_{AA} = \frac{\langle p_T^2 \rangle_{AA}}{\langle p_T^2 \rangle_{pp}}$$

2, sensitive to the degree of heavy quark thermalization.

3, not sensitive to the cold nuclear matter effect-----  
Shadowing effect.

clearly indicates QGP's medium effects

# Results—Elliptic flow $v_2$

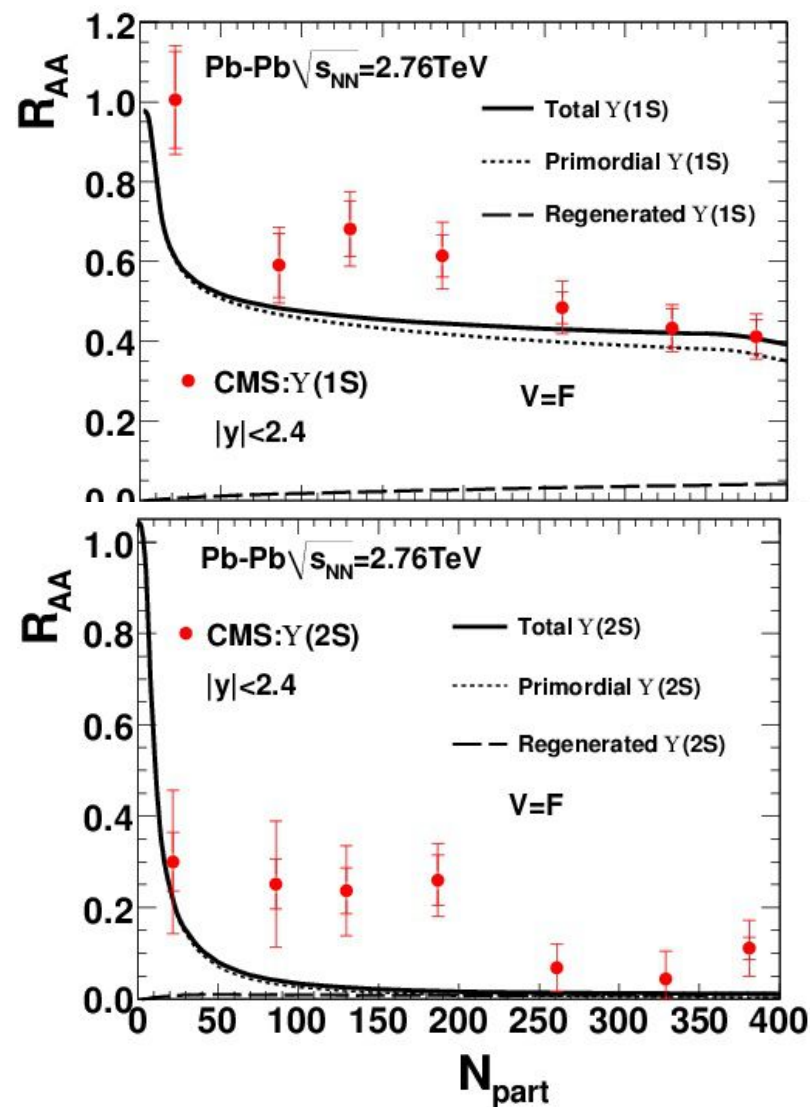
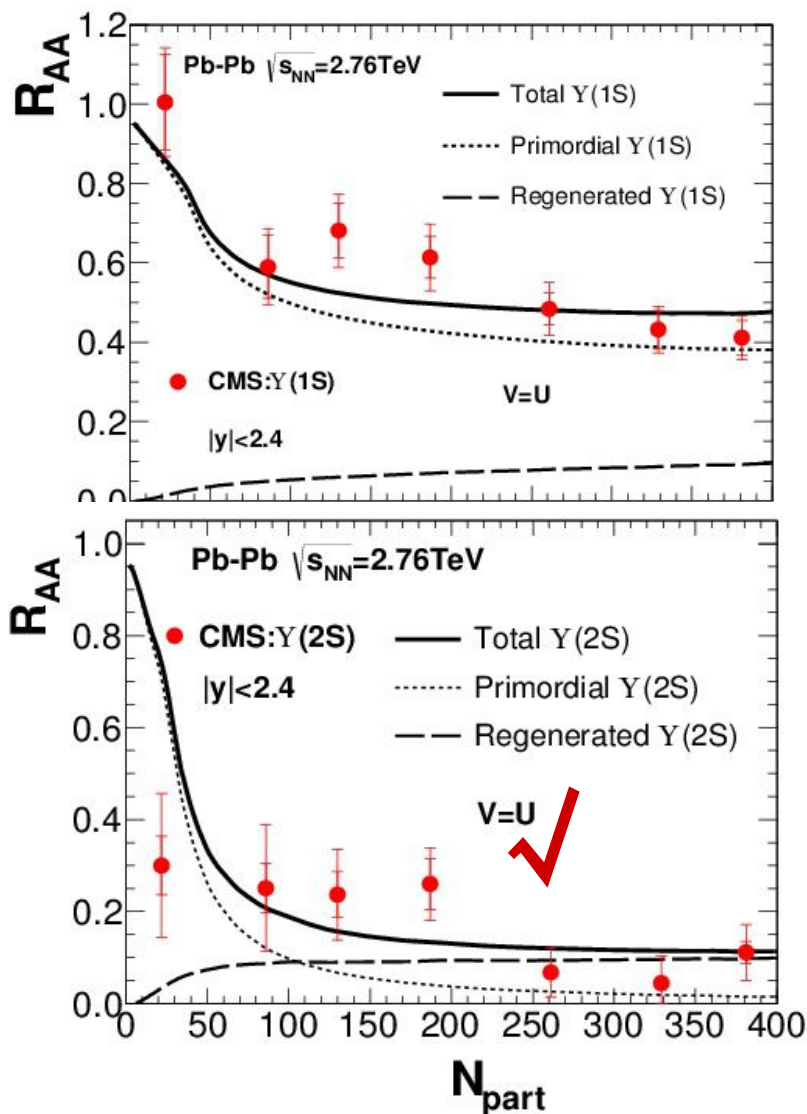


1, most  $v_2$  is from Regeneration since strong energy loss for heavy quark.

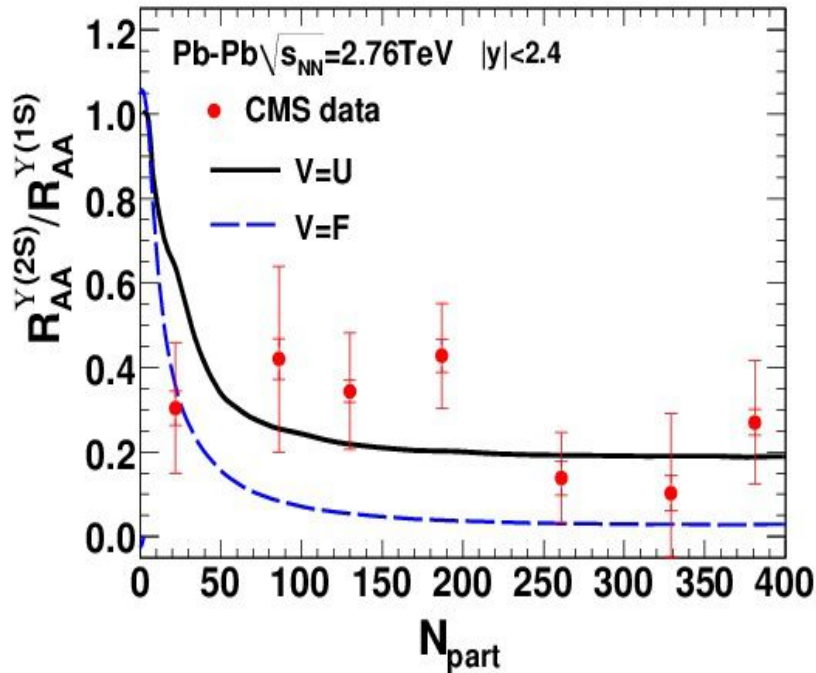
2, "Ridge" structure from two-component:  
 { hard (initial, jet)  
 { soft (regeneration, hydro)

3,  $v_2$  for high  $p_T$  indicates B meson's thermalization

# Results—Bottomonium differs $V=U$ or $V=F$

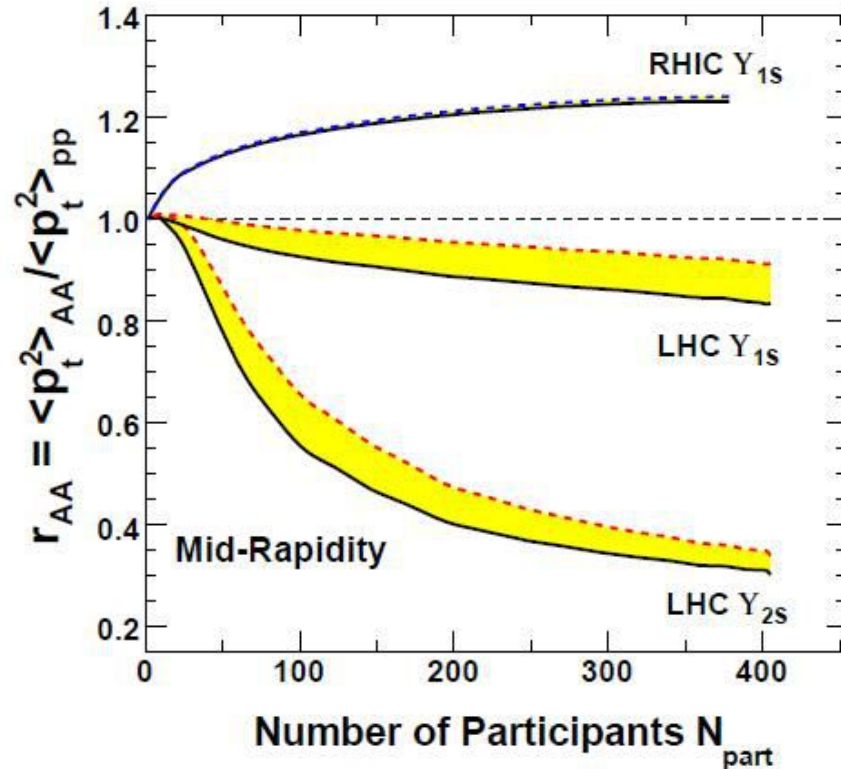


# Results—Bottomonium



- can distinguish  $V=U$  or  $V=F$

- importance of regeneration for  $\Upsilon(2S)$  !



- Both **Cold** and **Hot medium effects** are included self-consistently
- Regeneration dominant at LHC, and also dominant at low  $p_T$
- From low energy to High energy, the most important change is the increasing for **Regeneration fraction**
- We introduce the Nuclear Modification Factor for **Transverse Momentum**,  $r_{AA} = \frac{\langle p_T^2 \rangle_{AA}}{\langle p_T^2 \rangle_{pp}}$  which can clearly distinguish the diff. medium at diff. energy. It's sensitive to the Hot medium properties and also the **thermalization for heavy quark**
- **$\Upsilon(2S)$**  can distinguish  $V=U$  or  $V=F$  and also the regeneration!

*Thank You !*