

# Electromagnetic spectra at the CERN-SPS

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# Outline

## 1 Electromagnetic probes in heavy-ion collisions

- Vector mesons and electromagnetic probes
- Sources of dilepton emission in heavy-ion collisions

## 2 Comparison to NA 60 data

- Invariant-mass spectra
- $m_T$  spectra

## 3 Conclusions and Outlook

# Electromagnetic probes in heavy-ion collisions

- $\gamma, \ell^\pm$ : no strong interactions
- reflect whole “history” of collision:
  - from pre-equilibrium phase
  - from thermalized medium QGP and hot hadron gas
  - from VM decays after thermal freezeout

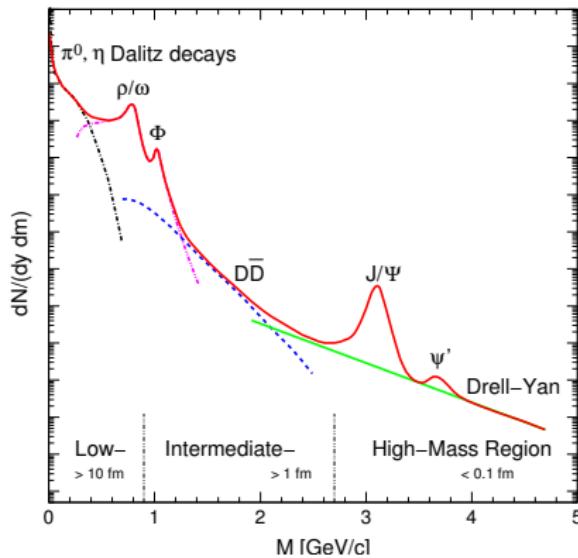
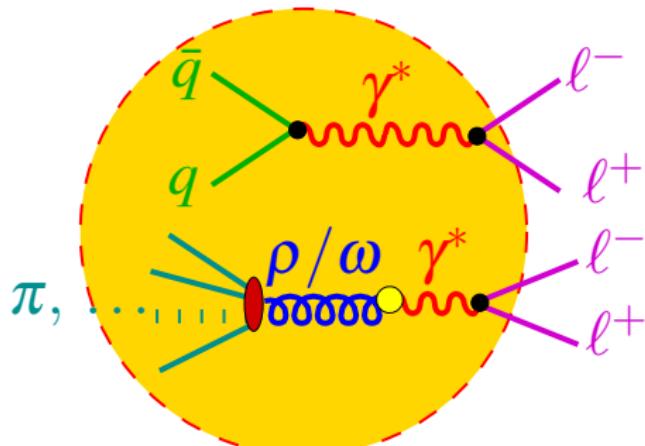


Fig. by A. Drees

# Vector Mesons and electromagnetic Probes

- photon and dilepton thermal emission rates given by same electromagnetic-current-correlation function ( $J_\mu = \sum_f Q_f \bar{\psi}_f \gamma_\mu \psi_f$ )

[L. McLerran, T. Toimela 85, H. A. Weldon 90, C. Gale, J.I. Kapusta 91]

$$\Pi_{\mu\nu}^<(q) = \int d^4x \exp(iq \cdot x) \langle J_\mu(0) J_\nu(x) \rangle_T = -2f_B(q \cdot u) \operatorname{Im} \Pi_{\mu\nu}^{(\text{ret})}(q)$$

$$q_0 \frac{dN_\gamma}{d^4x d^3\vec{q}} = \frac{\alpha}{2\pi^2} g^{\mu\nu} \operatorname{Im} \Pi_{\mu\nu}^{(\text{ret})}(q) \Big|_{q_0=|\vec{q}|} f_B(q \cdot u)$$

$$\frac{dN_{e^+e^-}}{d^4x d^4q} = -g^{\mu\nu} \frac{\alpha^2}{3q^2\pi^3} \operatorname{Im} \Pi_{\mu\nu}^{(\text{ret})}(q) \Big|_{q^2=M_{e^+e^-}^2} f_B(q \cdot u)$$

- $u$ : four-velocity of the fluid cell;  $p \cdot u = p_0^{\text{hb}}$  energy in “heat-bath frame”
- to lowest order in  $\alpha$ :  $e^2 \Pi_{\mu\nu} \simeq \Sigma_{\mu\nu}^{(\gamma)}$
- vector-meson dominance model:

$$\Sigma_{\mu\nu}^\gamma = \textcolor{red}{G_\rho}$$

# Sources of dilepton emission in heavy-ion collisions

① initial hard processes: Drell Yan

② “core”  $\Leftrightarrow$  emission from thermal source [McLerran, Toimela 1985]

$$\frac{1}{q_T} \frac{dN^{(\text{thermal})}}{dM dq_T} = \int d^4x \int dy \int M d\varphi \frac{dN^{(\text{thermal})}}{d^4x d^4q}$$

③ “corona”  $\Leftrightarrow$  emission from “primordial” mesons (jet-quenching)

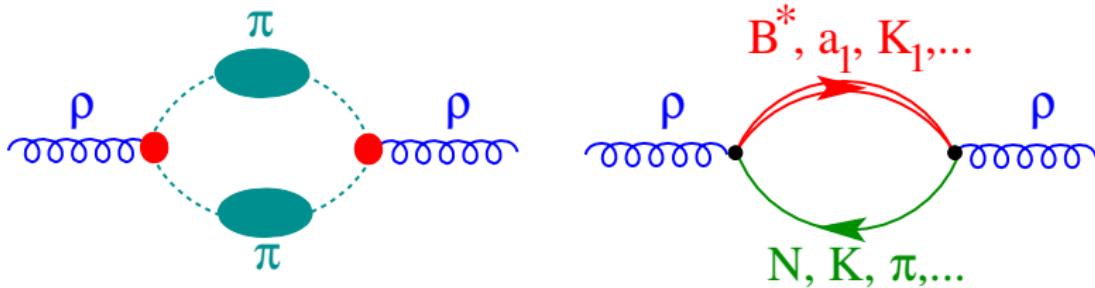
④ after thermal freeze-out  $\Leftrightarrow$  emission from “freeze-out” mesons

[Cooper, Frye 1975]

$$N^{(\text{fo})} = \int \frac{d^3q}{q_0} \int q_\mu d\sigma^\mu f_B(u_\mu q^\mu / T) \frac{\Gamma_{\text{meson} \rightarrow \ell^+ \ell^-}}{\Gamma_{\text{meson}}}$$

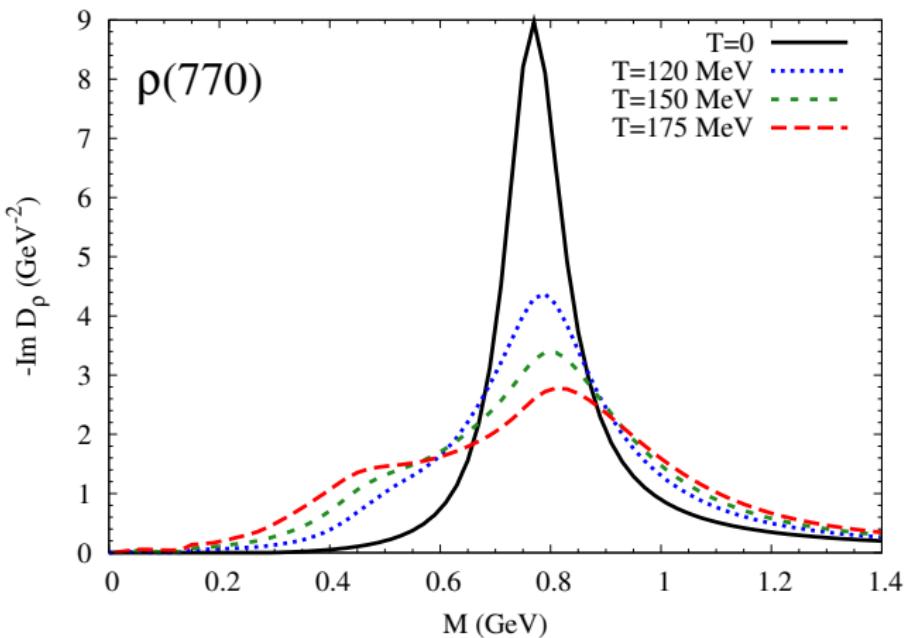
# Hadronic many-body theory

- HMBT for vector mesons [Ko et al, Chanfray et al, Herrmann et al, Rapp et al, ...]
- $\pi\pi$  interactions and baryonic excitations



- +corresponding vertex corrections  $\Leftrightarrow$  gauge invariance
- **Baryon (resonances)** important, even at RHIC with low **net** baryon density  $n_B - n_{\bar{B}}$
- reason:  $n_B + n_{\bar{B}}$  relevant (CP inv. of strong interactions)

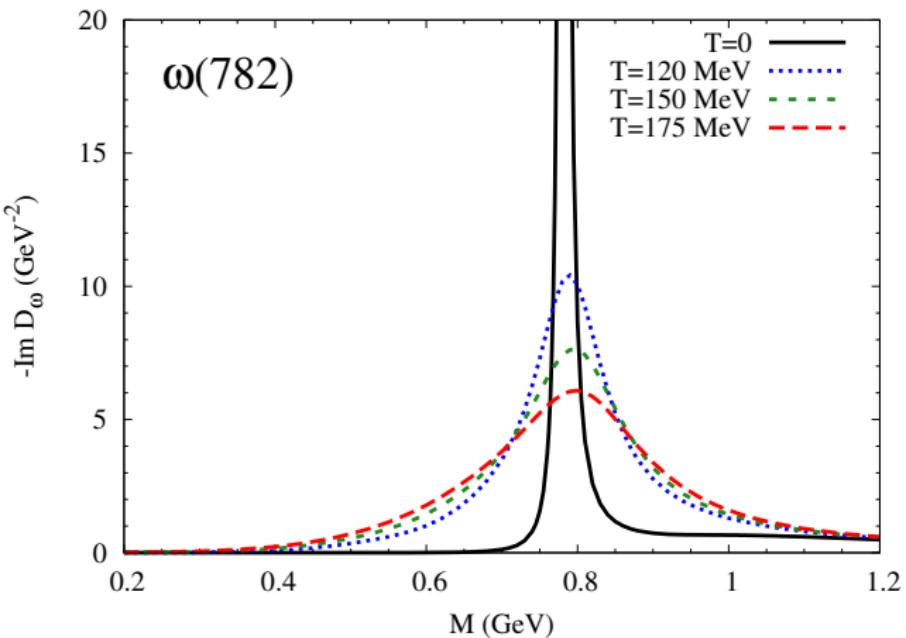
# In-medium spectral functions and baryon effects



[R. Rapp, J. Wambach 99]

- baryon effects important
  - large contribution to broadening of the peak
  - responsible for most of the strength at small  $M$

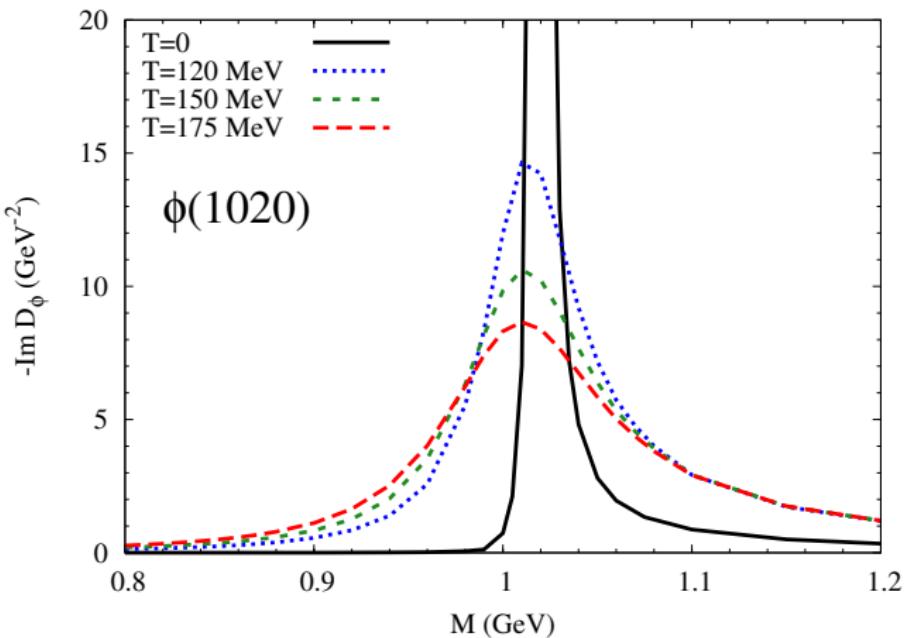
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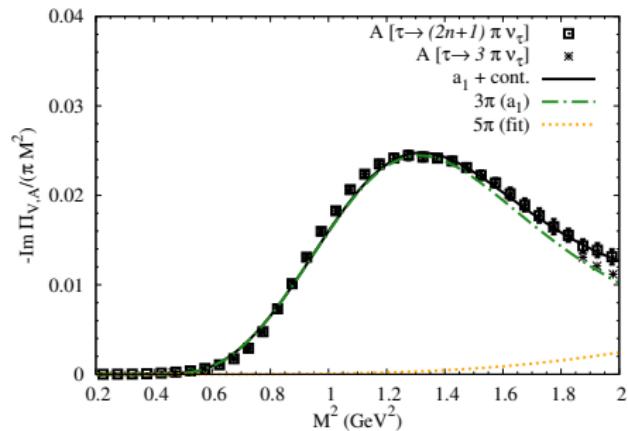
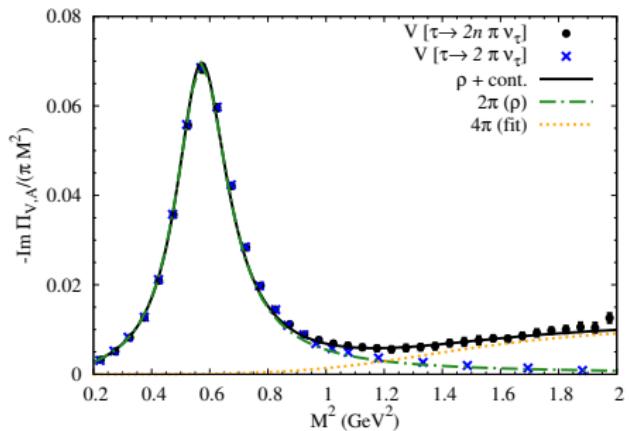


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# Intermediate masses: hadronic “ $4\pi$ contributions”

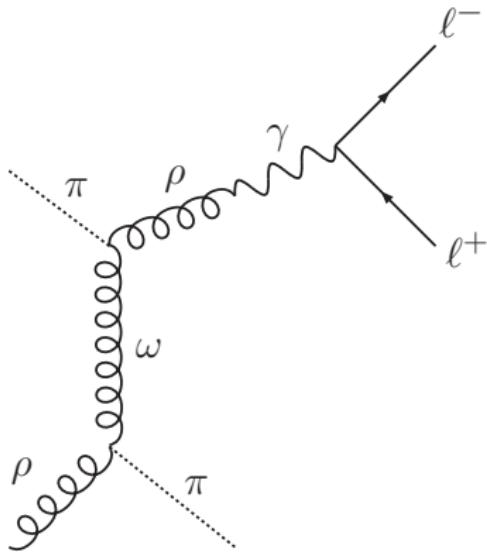
- e.m. current-current correlator  $\Leftrightarrow \tau \rightarrow 2n\pi$



- “ $4\pi$  contributions”:  $\pi + \omega, a_1 \rightarrow \mu^+ + \mu^-$
- leading-order virial expansion for “four-pion piece”
- additional strength through “chiral mixing”

# Radiation from thermal sources: Meson t-channel exchange

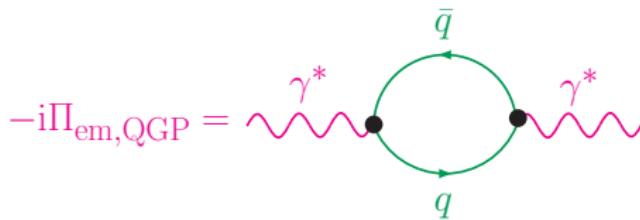
- motivation:  $q_T$  spectra too soft compared to NA60 data
- **thermal contributions** not included in models so far



- also for  $\pi, a_1$

# Dileptons from thermal QGP

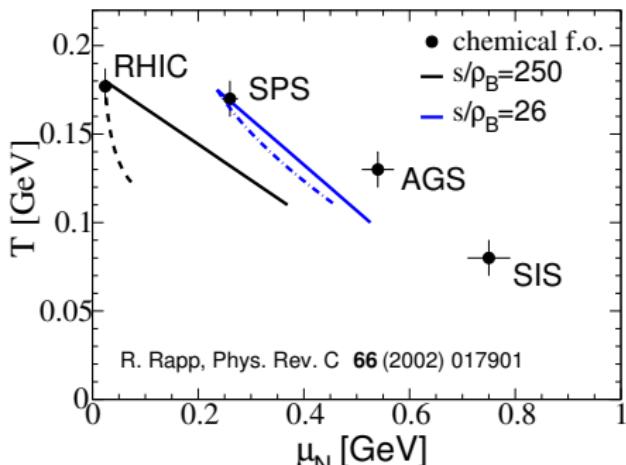
- in **QGP** phase:  $q\bar{q}$  annihilation
- HTL improved electromagnetic current correlator



- or electromagnetic current correlator from the **lattice** [H.-T. Ding, A. Francis et al (Bielefeld) 2011] (extrapolated to finite  $q$ )
- “quark-hadron duality” around  $T_c$

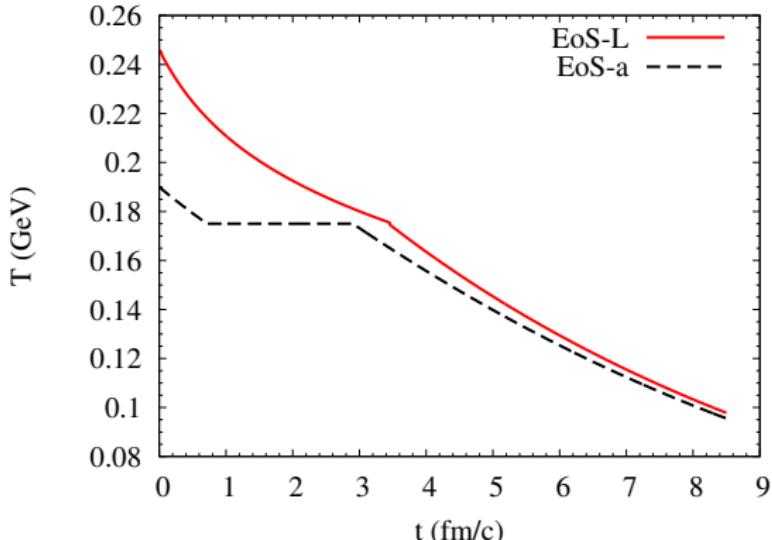
# Fireball and Thermodynamics

- cylindrical fireball model:  $V_{\text{FB}} = \pi(z_0 + v_{z0}t + \frac{a_z}{2}t^2) (\frac{a_\perp}{2}t^2 + r_0)^2$
- thermodynamics:
  - isentropic expansion;  $S_{\text{tot}}$  fixed by  $N_{\text{ch}}$ ;  $T_c = T_{\text{chem}} = 175$  MeV
  - $T > T_c$ : QGP; lattice equation of state
  - continuous cross-over (no 1st-order mixed state!)
  - $T < T_c$ : hadron-resonance gas
- $\Rightarrow T(t), \mu_{\text{baryon,meson}}(t)$
- chemical freezeout:
  - $\mu_N^{\text{chem}} = 232$  MeV
  - hadron ratios fixed
    - $\Rightarrow \mu_N, \mu_\pi, \mu_K, \mu_\eta$  at fixed  $s/\rho_B = 27$
- thermal freezeout:  
 $(T_{\text{fo}}, \mu_\pi^{\text{fo}}) \simeq (120, 80)$  MeV



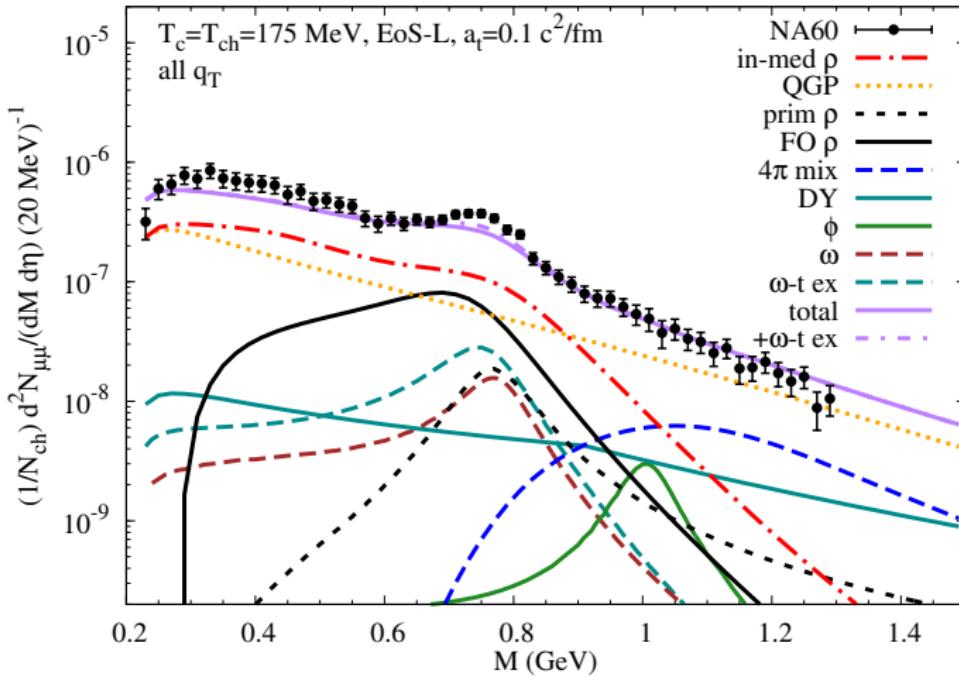
# Fireball evolution

- comparison 1st-order EoS (EoS-A) vs. lattice EoS (EoS-L)
- in both  $T_c = T_{ch} = 175$  MeV
- EoS-A:  $t_{form} = 1 \text{ fm}/c$ ,  $r_0 = 4.6 \text{ fm}$ ,  $z_0 = 1.8 \text{ fm} \Rightarrow T_{\text{initial}} = 195 \text{ MeV}$
- EoS-L:  $t_{form} = 0.67 \text{ fm}/c$ ,  $r_0 = 4.0 \text{ fm}$ ,  $z_0 = 1.2 \text{ fm} \Rightarrow T_{\text{initial}} = 245 \text{ MeV}$



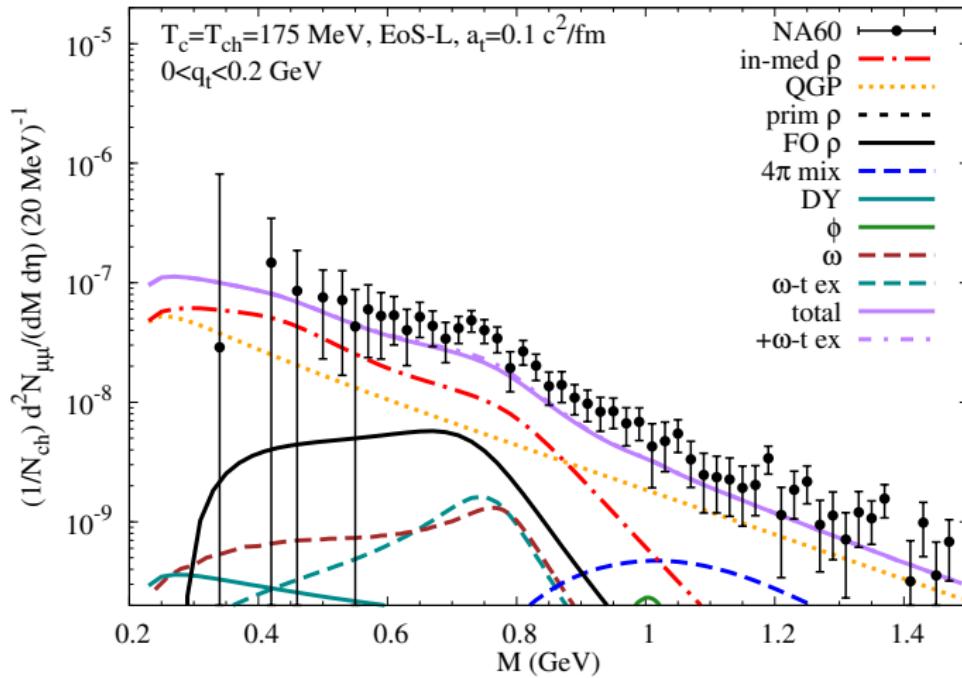
# M spectra (in $p_T$ slices)

- norm corrected by  $\sim 3\%$  due to centrality correction  
(min-bias data:  $\langle N_{\text{ch}} \rangle = 120$ , calculation  $N_{\text{ch}} = 140$ )



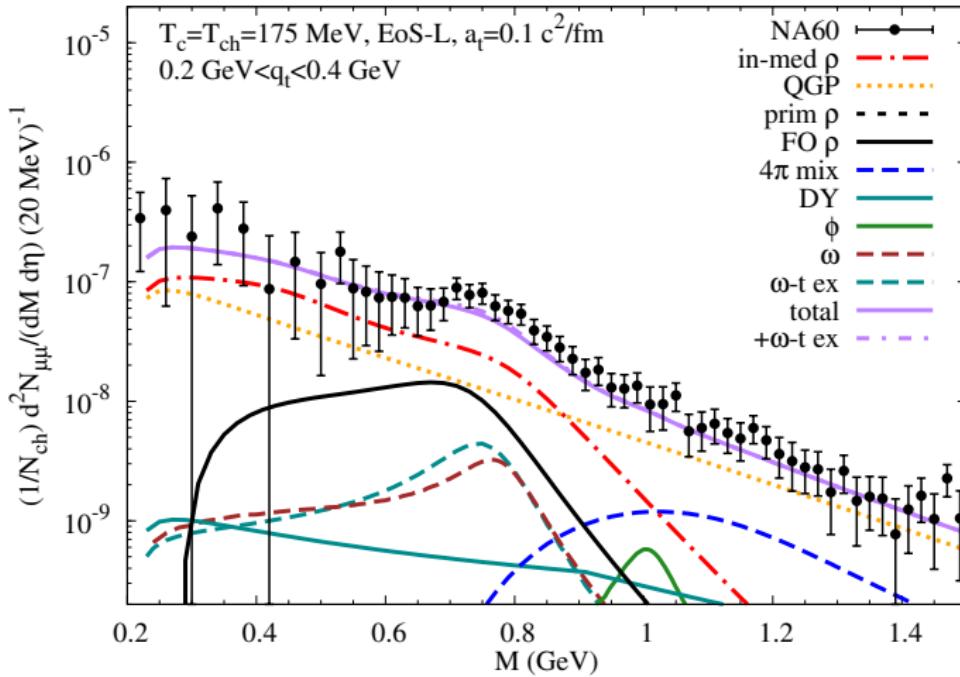
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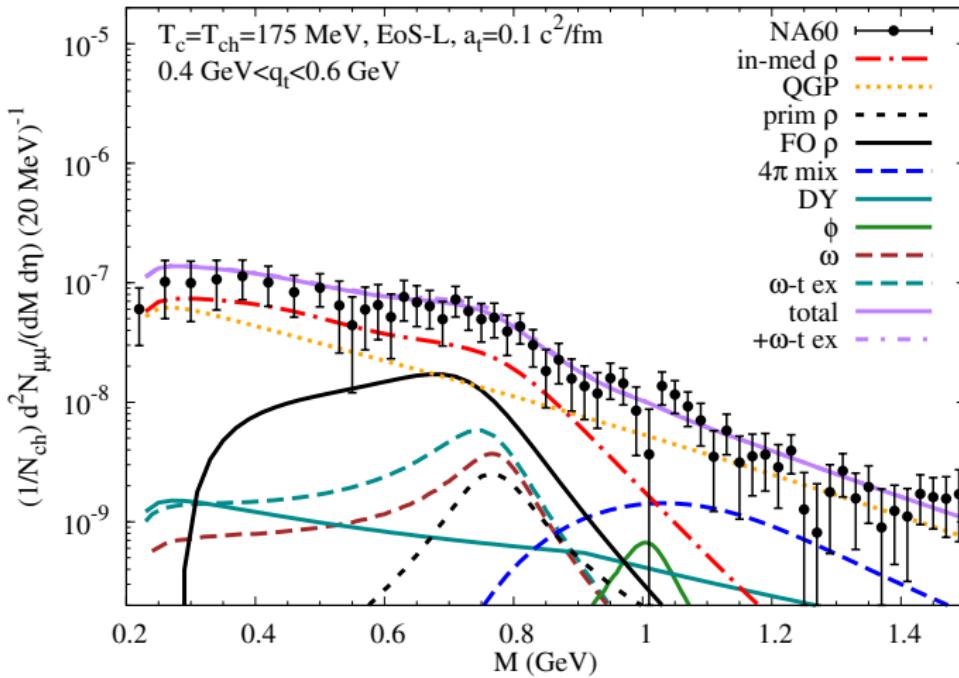
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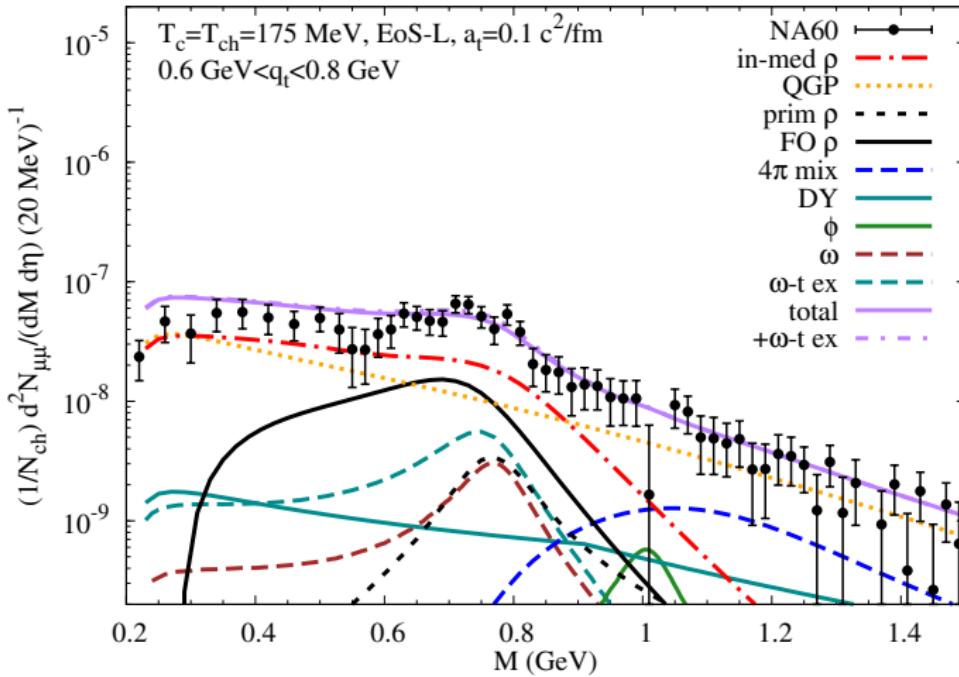
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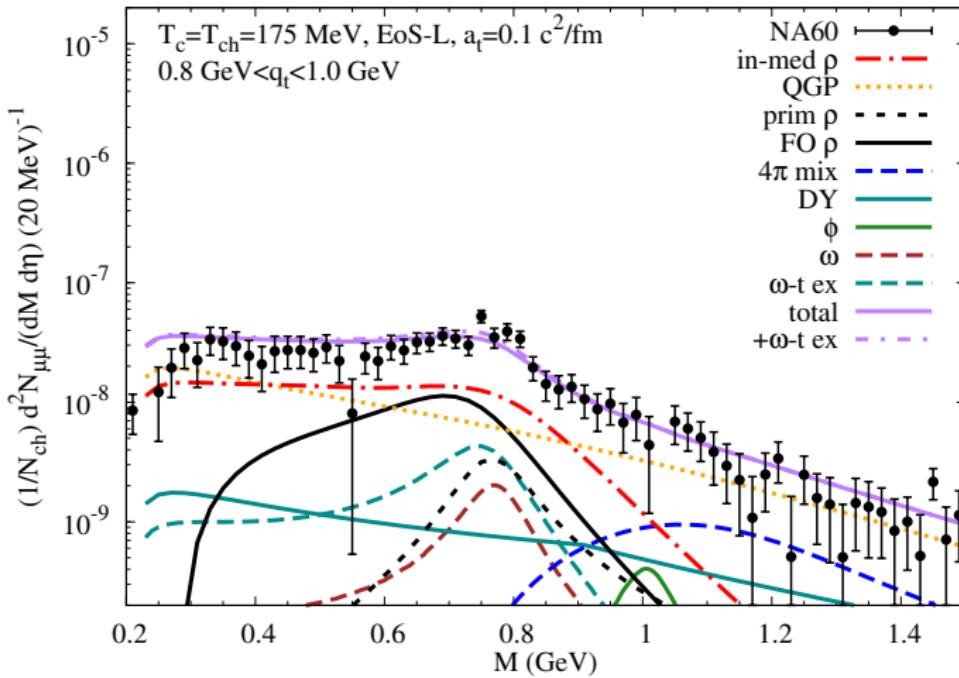
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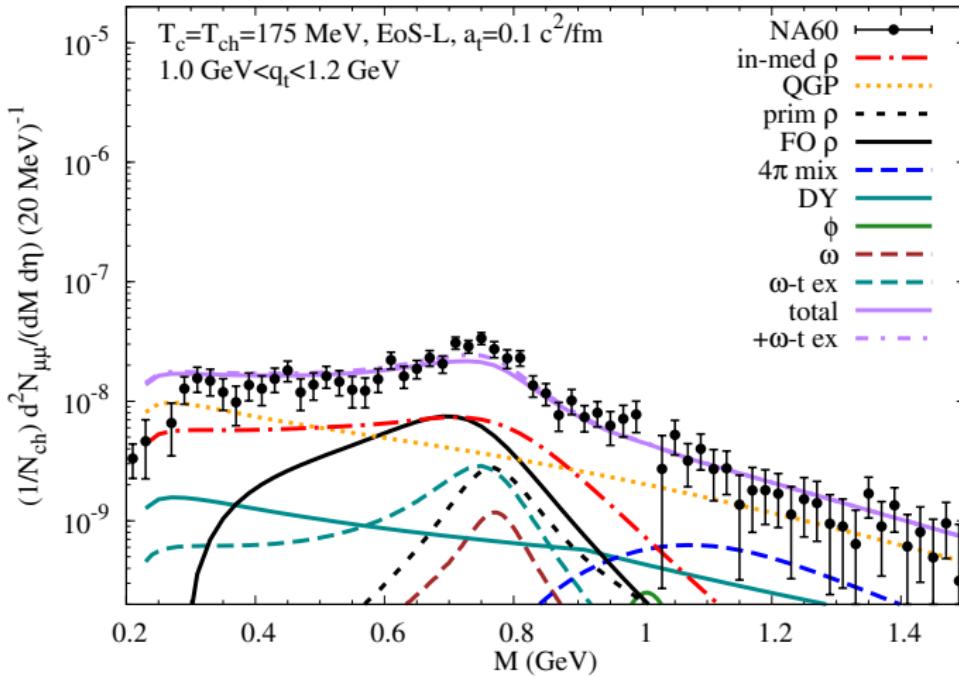
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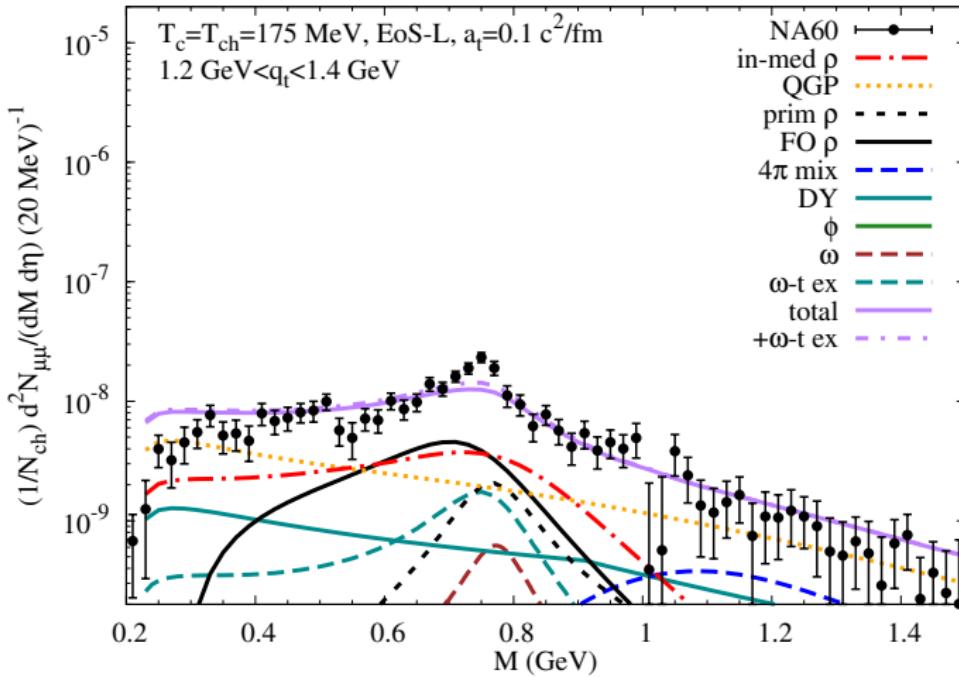
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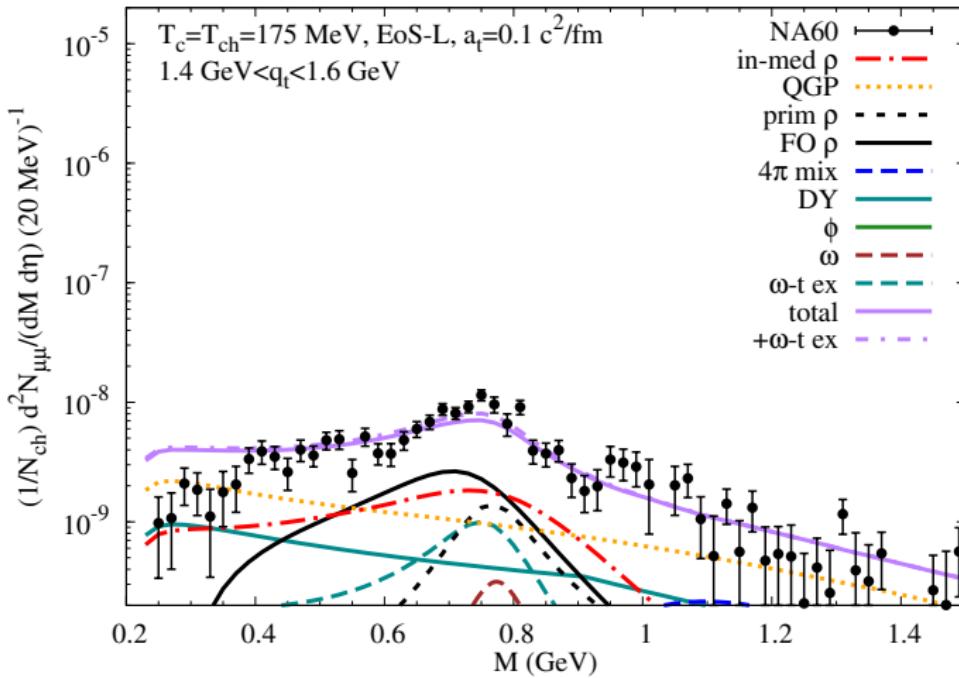
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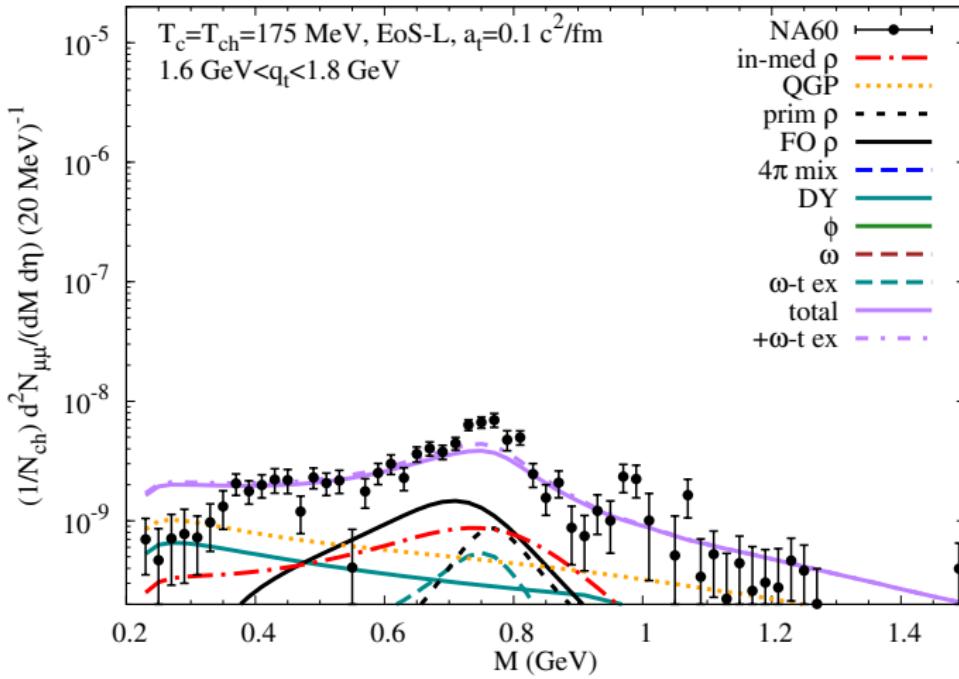
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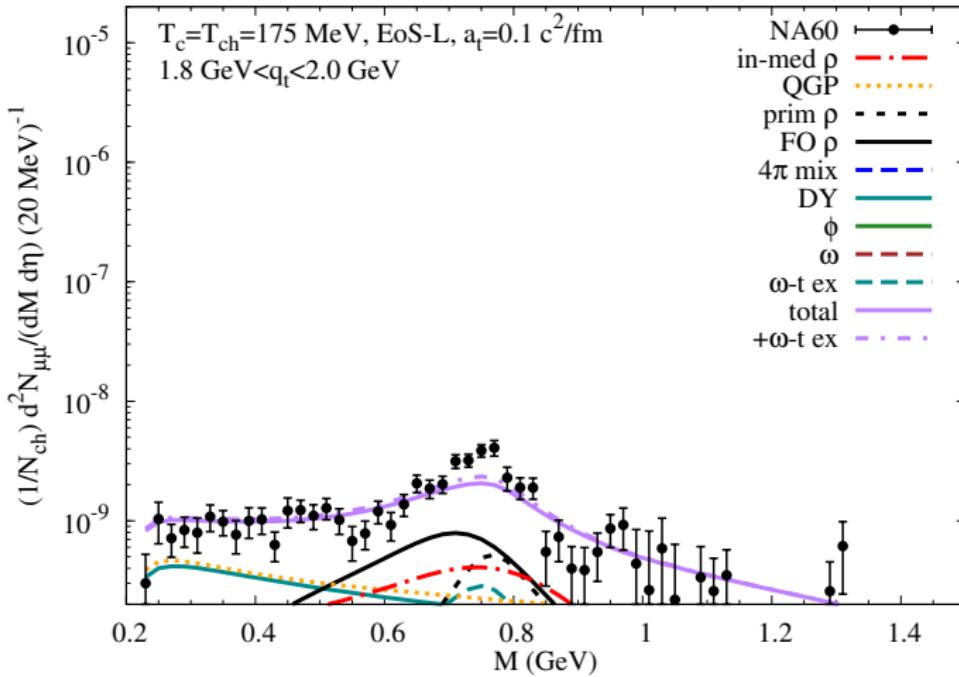
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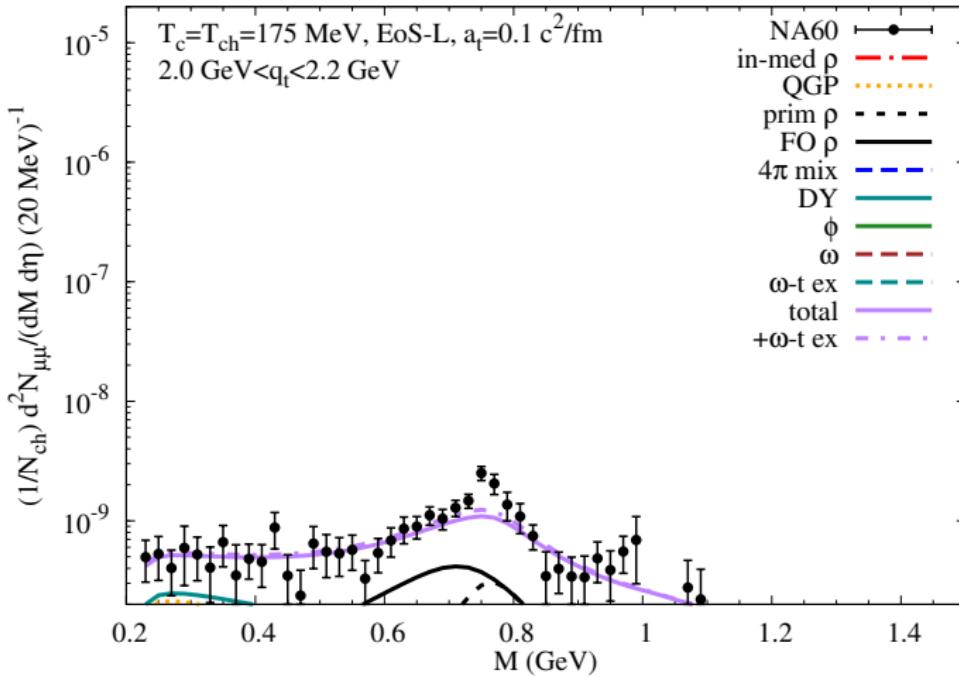
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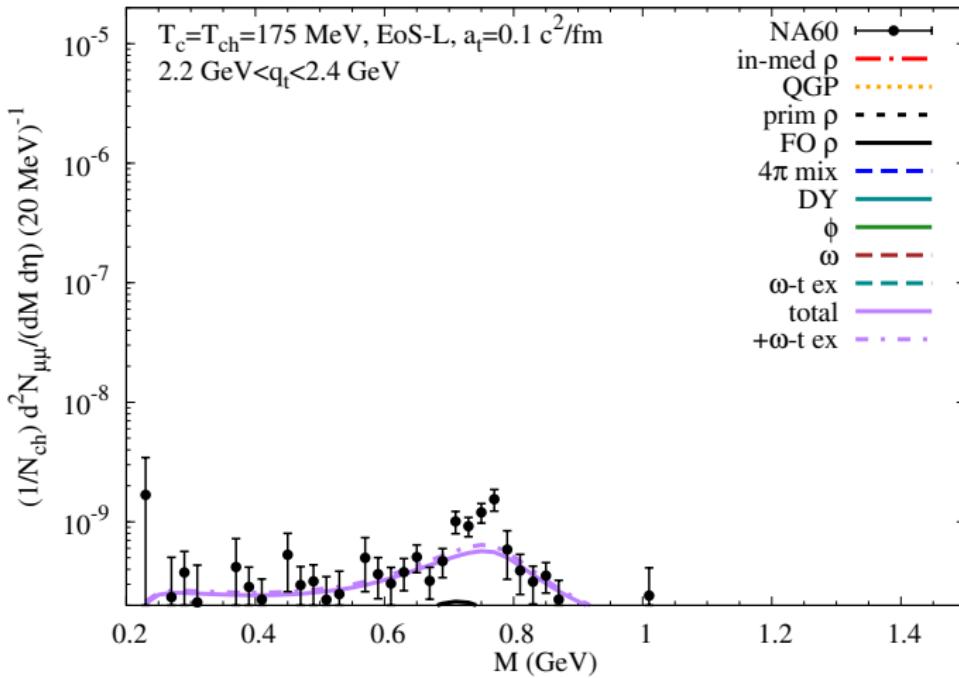
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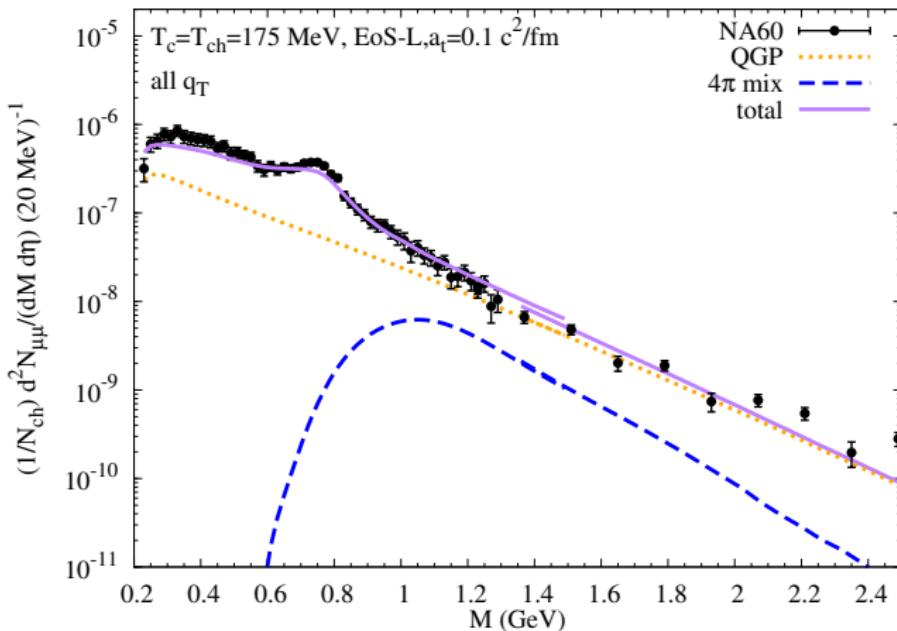


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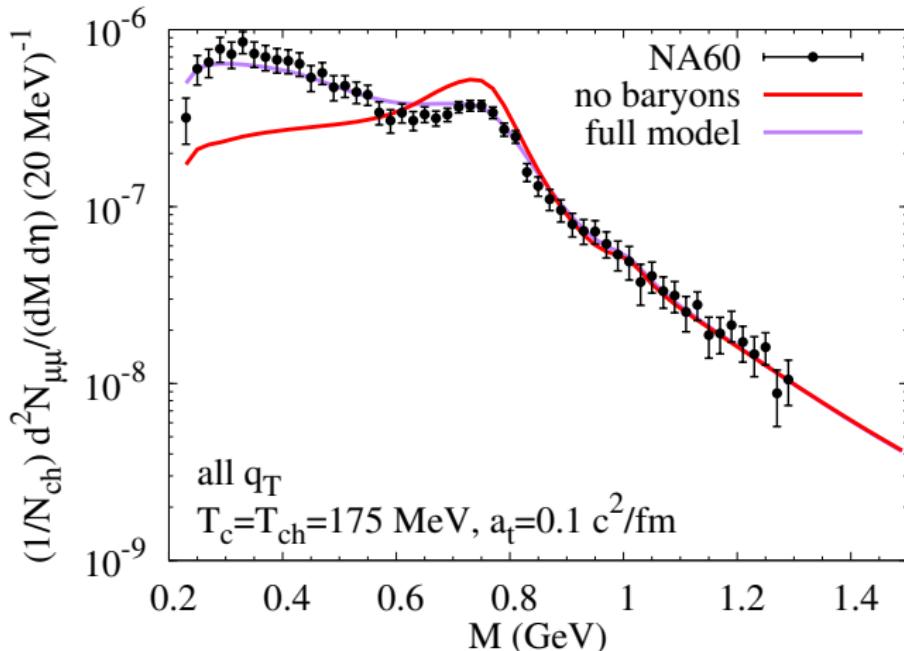
# The higher-mass region



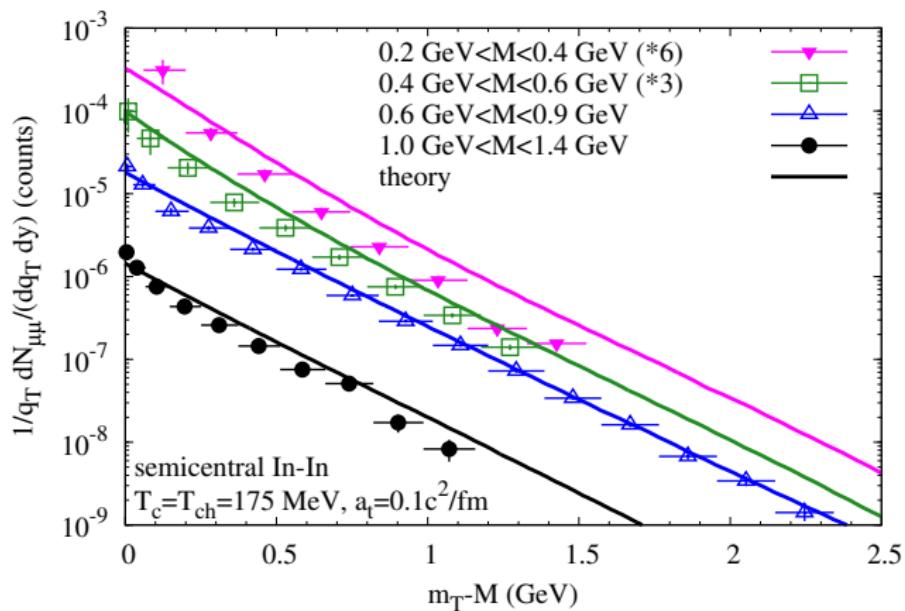
- DY subtracted in data
- theory a bit low  $\Rightarrow$  need longer QGP phase  $\Rightarrow$  somewhat smaller formation time

# Importance of baryon effects

- Baryonic interactions important!
- in-medium broadening
- low-mass tail!



# $m_T$ spectra



# Conclusions and Outlook

- **dilepton spectra**  $\Leftrightarrow$  in-medium em. current correlator
- models for **dilepton sources**
  - radiation from **thermal sources**: QGP,  $\rho$ ,  $\omega$ ,  $\phi$
  - $\rho$ -decay after thermal freeze-out
  - decays of non-thermalized primordial  $\rho$ 's
  - Drell-Yan annihilation
- **invariant-mass spectra and medium effects**
  - excess yield dominated by radiation from **thermal sources**
  - baryons essential for **in-medium properties** of vector mesons
  - **melting  $\rho$  with little mass shift**
  - IMR well described by scenarios with radiation dominated either by **QGP** or **multi-pion processes** (depending on EoS)
    - Reason: mostly from thermal radiation around  $160 \text{ MeV} \leq T \leq 190 \text{ MeV}$   
 $\Leftrightarrow$  "parton-hadron" duality of rates  
 $\Leftrightarrow$  compatible with chiral-symmetry restoration!
    - here: **lattice EoS**  $\Rightarrow$  **QGP** dominates over hadronic in the IMR
    - dimuons in In-In (NA60), Pb-Au (CERES/NA45),  $\gamma$  AA at SPS, RHIC, LHC  $\Rightarrow$  **Charles Gale's talk on Thursday**

# Conclusions and Outlook

- More realistic medium evolution
  - use transport model for medium evolution
  - dilemma: consistent implementation of in-medium em. current correlators?
  - pragmatic solutions:
    - use transport-hydro-hybrid approach: for UrQMD+Shasta 3D hydro  
⇒ [Elvira Santini et al 2010/11]; use thermal rates in hydro; “shining” in UrQMD “afterburner”
    - new approach: “coarse-grained transport” ⇒ find energy + baryon density (“Eckhart frame”) ⇒ EoS. gives  $(T, \mu_B) + \mu_\pi, \mu_K$ ; use again thermal rates in coarse-grained fluid cells ⇒ Stephan Endres's talk on Thursday!
- Further theoretical developments
  - vector- should be complemented with axial-vector-spectral functions  
( $a_1$  as chiral partner of  $\rho$ )
  - constrained with lQCD via in-medium Weinberg chiral sum rules
  - direct connection to chiral phase transition!  
⇒ Paul Hohler's talk today!